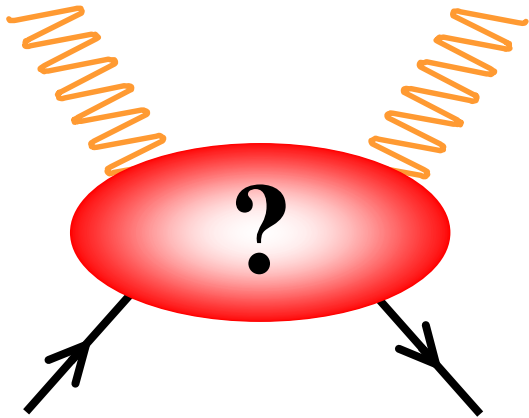


Exclusive real Compton scattering (RCS) at 12 GeV

Franck Sabatié
Old Dominion University

“Exclusive reactions at JLab
with 12 GeV beam” workshop



- **Why ?**

- **How ?**

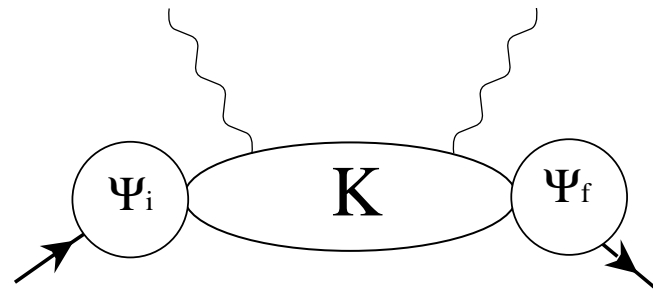
Factorization at the hard scattering limit ($s, -t, -u \gg M^2$)

(for RCS)

Factorization of the transition amplitude into the convolution of a **perturbative hard scattering amplitude** with an overlap of the initial and final **soft wave functions**

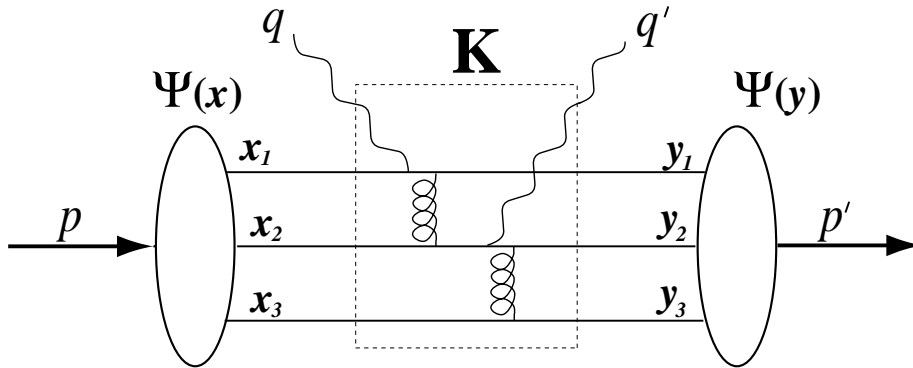
Schematically:

$$T_{if}(s, t) = \Psi_f \otimes K(s, t) \otimes \Psi_i$$



1. What can we learn about the hard scattering mechanism ?
 - How many active quarks ? (pQCD, diquark, handbag, ...)
 - How is the momentum shared among those quarks ?
2. What can we learn about the proton structure (Ψ) ?
 - Constraints on the distribution amplitudes
 - New form factors linked to skewed parton distributions (SPD's)
3. Intense recent theoretical activity and existing data limited (Cornell 1979)

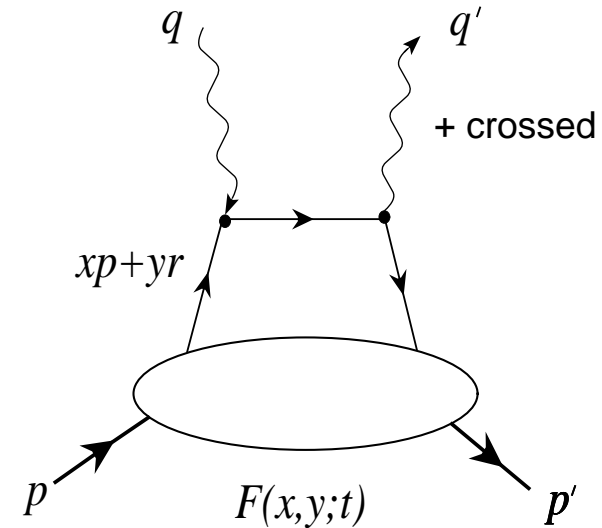
2 different RCS hard scattering mechanisms



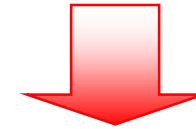
Asymptotic (pQCD) mechanism



- 3 active quarks
- momentum shared by hard gluon exchange
- scaling: $\frac{d\sigma}{dt} = \frac{f(\theta_{cm})}{s^6}$
- soft physics in distribution amplitudes
- **dominates at “high enough” energy**



Soft overlap mechanism



- handbag dominates: 1 active quark
- momentum shared by soft overlaps
- scaling: σ / σ_{KN} *s*-independent at fixed *t*
- soft physics in skewed parton distributions (SPD's)
- 2 new form factors: R_A and R_V

+ predictions on polarization transfer observables

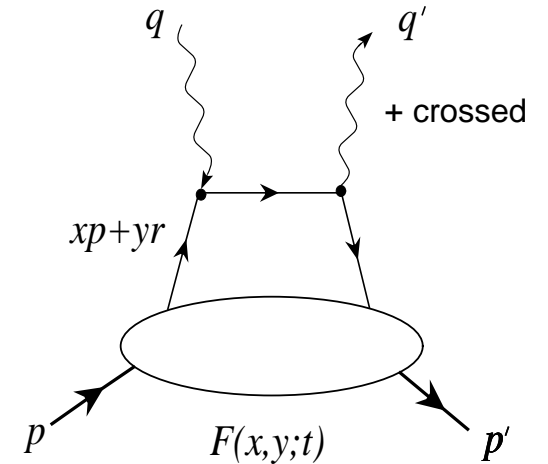
RCS and Skewed Parton Distributions (SPD's)

Soft overlap mechanism

at skewedness parameter = 0

$$\frac{d\sigma}{dt} = \left(\frac{d\sigma}{dt} \right)_{KN} \left[f_V R_V^2(t) + (1 - f_V) R_A^2(t) \right],$$

$$\text{with } f_V = \frac{(\tilde{s} - \tilde{u})^2}{2(\tilde{s}^2 + \tilde{u}^2)}, \quad \tilde{s} = s - m^2, \quad \tilde{u} = u - m^2$$



Lepton scattering

Compton scattering

$$F_1(t) = \sum_a e_a \int_0^1 \mathcal{F}^a(x; t) dx$$

Dirac form factor

$$R_V(t) = \sum_a e_a^2 \int_0^1 \mathcal{F}^a(x; t) \frac{dx}{x}$$

$$F_2(t) = \sum_a e_a \int_0^1 \mathcal{K}^a(x; t) dx$$

Pauli form factor

$$R_T(t) = \sum_a e_a^2 \int_0^1 \mathcal{K}^a(x; t) \frac{dx}{x}$$

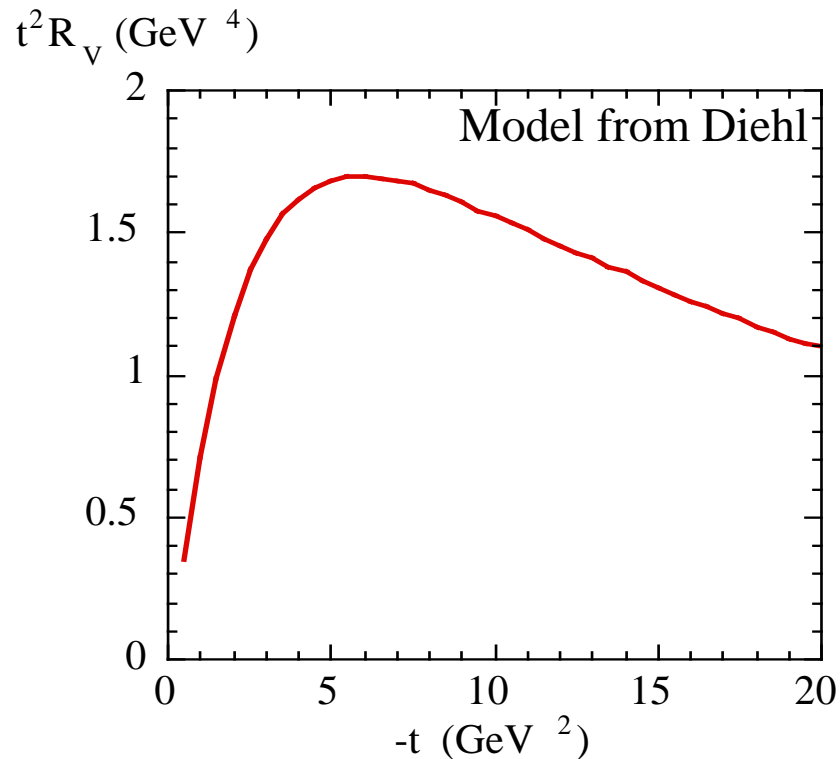
$$G_A(t) = \sum_a e_a \int_0^1 \mathcal{G}^a(x; t) dx$$

Axial form factor

$$R_A(t) = \sum_a e_a^2 \int_0^1 \mathcal{G}^a(x; t) \frac{dx}{x}$$

RCS form factors

- As fundamental as elastic form factors G_{Ep} , G_{Mp} etc.
- Connected to SPD's (constraints to models)
- Have to be measured at high $-t$
- E99114 measures up to $-t = 6 \text{ GeV}^2$

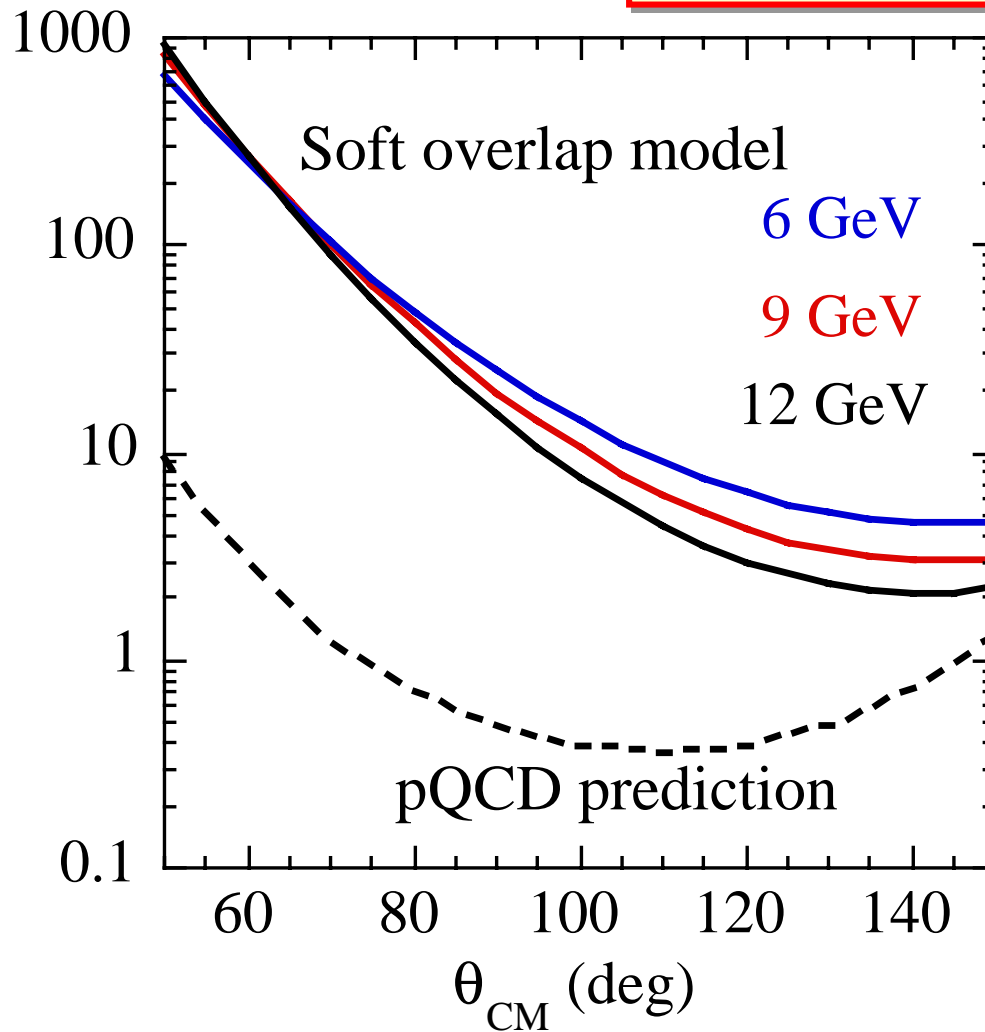


- $R \sim 1/t^2$ for $-t = 3-10 \text{ GeV}^2$
 $\Rightarrow 1/s^6$ scaling of X-section
- Asymptotically $R \sim 1/t^4$
 $\Rightarrow 1/s^{10}$ scaling of X-section
 \Rightarrow subdominant
compared to pQCD

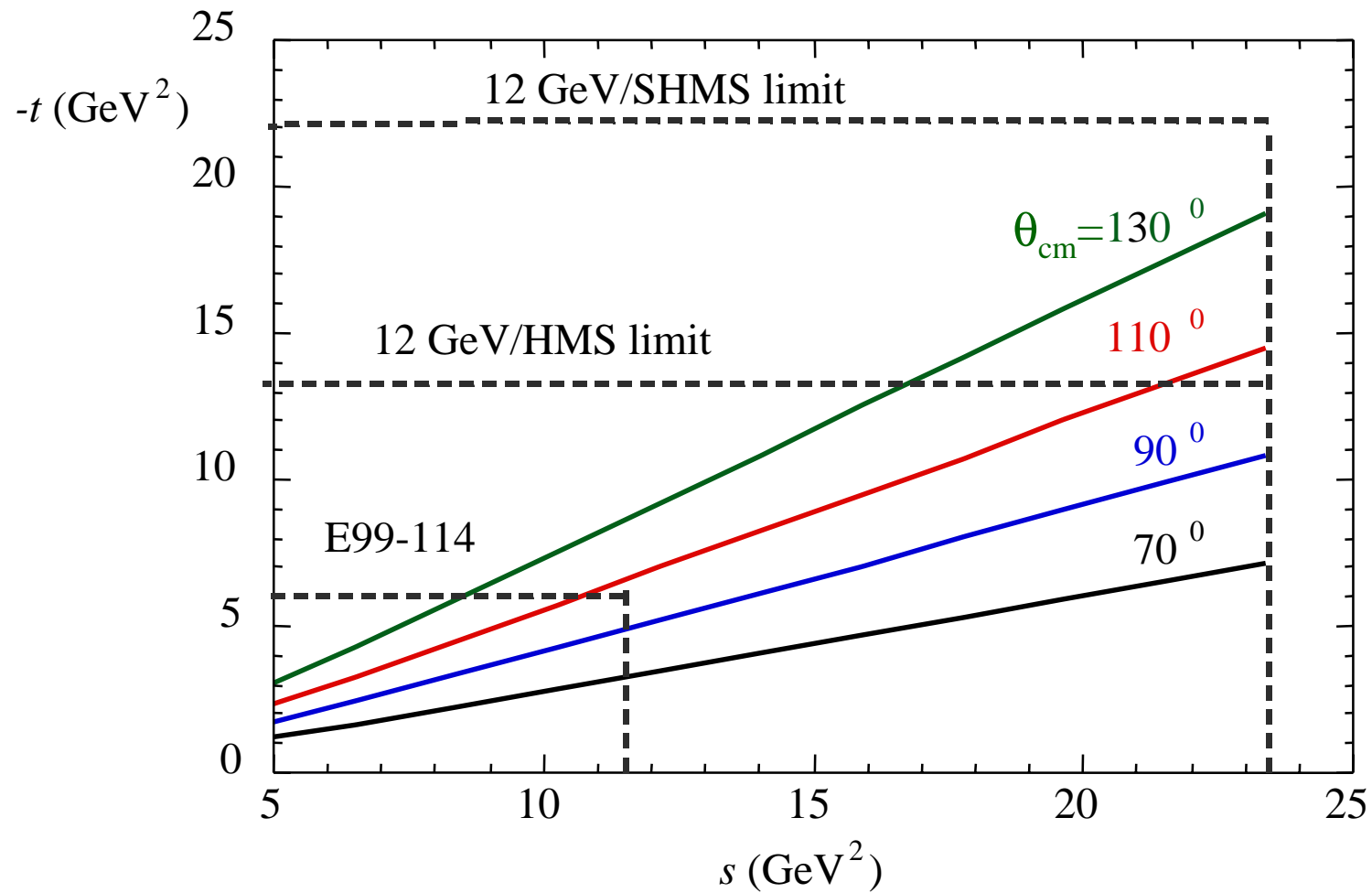
Scaling at fixed θ_{cm}

$s^6 d\sigma/dt$ ($\mu\text{b-GeV}^{10}$)

Soft overlap:
 s^{-6} scaling only **approximate**



What kinematics with a 12 GeV beam



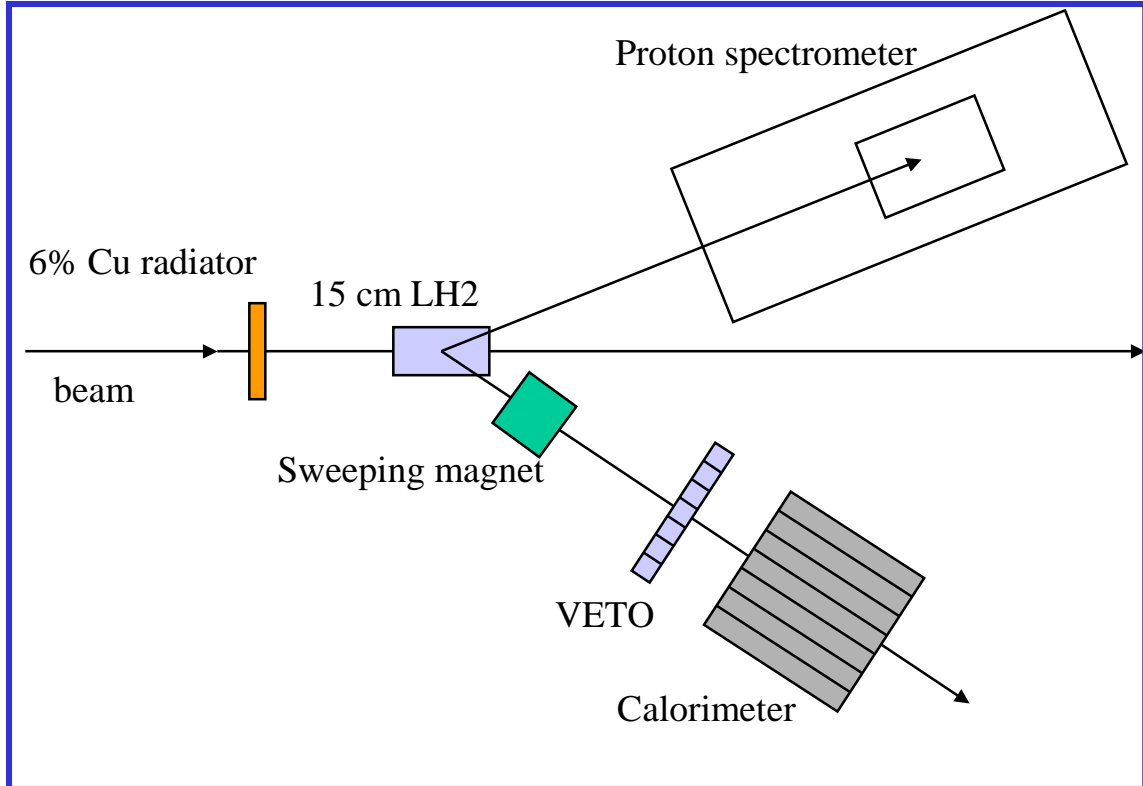
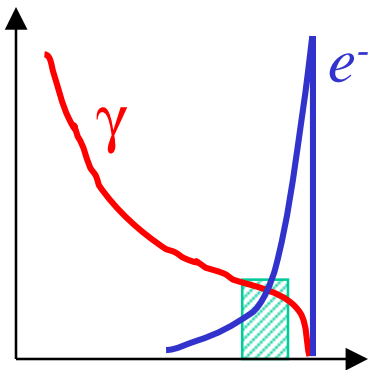
Experimental setup

Kinematics range:

$$E \leq 6 \text{ GeV}$$

$$6 \leq s \leq 12 \text{ GeV}^2$$

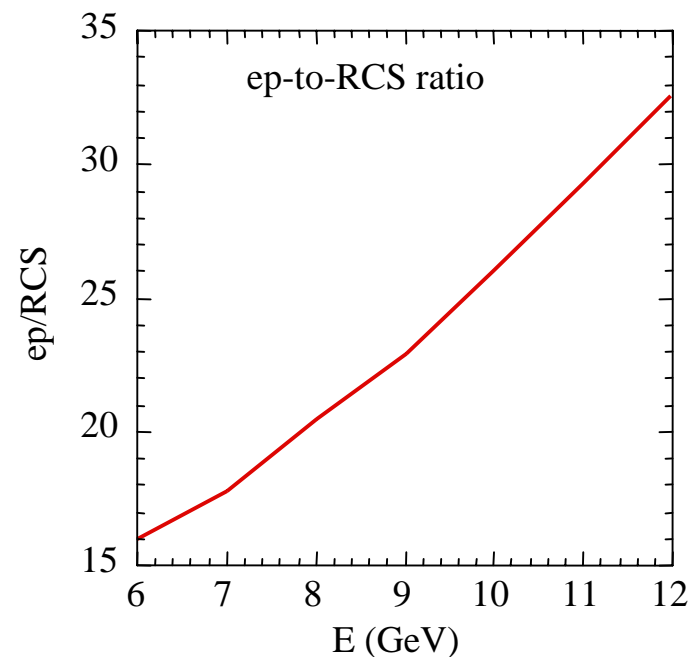
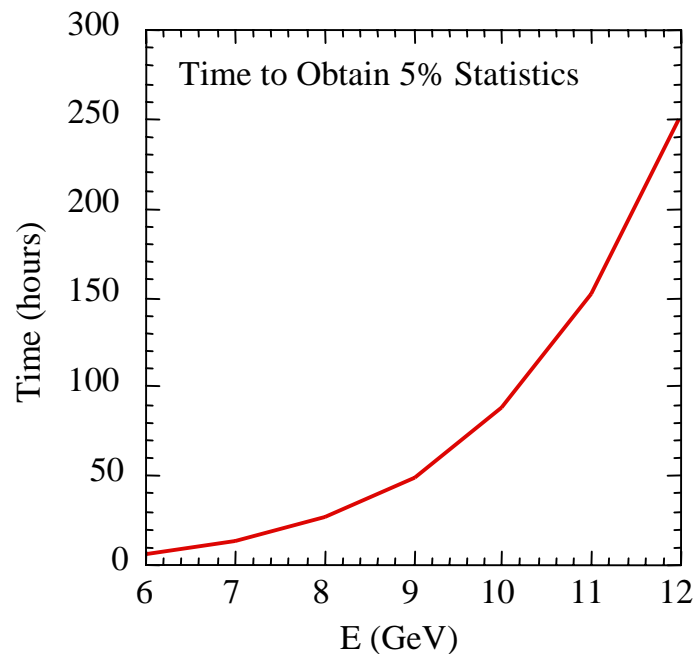
$$1.5 \leq -t \leq 7 \text{ GeV}^2$$



- Mixed e^- - γ beam
- High luminosity ($>10 \mu\text{A}$ beam and radiator close to the target)
- Good angular resolution required to handle $\pi^0 \rightarrow \gamma\gamma$ background
 - ➡ segmented calorimeter, accurate proton kinematics
- ep scattering:
 - deflection magnet + veto counter
 - calibration (energy and position with wire chamber)
 - normalization

Experimental issues at higher energy

- Cross-sections are small (s^{-6} behaviour !)
- Background from π^0 worse
 - $\pi^0 \rightarrow \gamma\gamma$ cone smaller but...
 - $(\gamma, \pi^0)/(\gamma, \gamma) \sim 1/s$
- Background from ep scattering worse (θ smaller) but manageable !
- Need MUCH more time for 5% statistical accuracy



A reasonable compromise, 10 GeV beam with HMS

- $s = 20 \text{ GeV}^2$
- $\theta_{\text{cm}} = 70^\circ\text{-}120^\circ \Rightarrow -t = 6\text{-}13 \text{ GeV}^2$
- 6 data points, 5% statistical accuracy, 33 days of beam time
- Same measurement at 12 GeV (same θ_{cm})
 $\Rightarrow 95 \text{ days !}$
- **Can run as soon as the energy is upgraded to 10 GeV !**

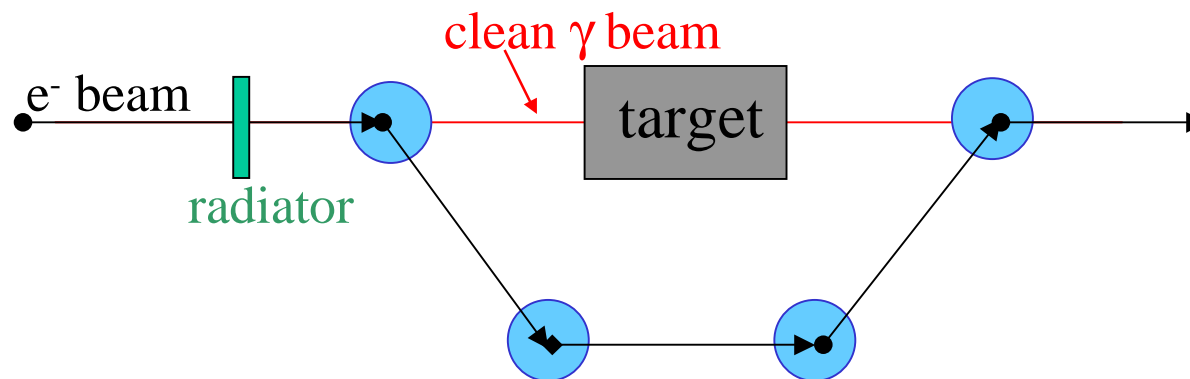
We will need a 2 m² radiation-hard,
high resolution (and high granularity)
electromagnetic calorimeter

For further measurements, at higher energy/luminosity

We need higher luminosity to go to higher energy:

Produce a clean γ beam with a **chicane**

- possibility of **higher L**
- no ep background
- polarized target possible => **large asymmetry !**



To overcome spectrometer maximum momentum limitation:

=> use hadronic calorimeter + MWPC instead

- modest energy resolution
- good angular resolution

Summary and conclusions

- **RCS up to 10 GeV** allows measurements of new form factor up to $-t = 13 \text{ GeV}^2$
- **E99114 technique** can be used in Hall C with the HMS as soon as the energy is upgraded to **10 GeV !**
- **Further measurements at higher energy** requires new ideas (and we have some)