

# SoLID Simulation Software Development

Seamus Riordan  
Stony Brook University  
`seamus.riordan@stonybrook.edu`  
for the SoLID Software Group

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- Several active collaborators in software development:

Rakitha Beminiwattha    Syracuse University

Ole Hansen                Jefferson Lab

Richard Holmes         Syracuse University

Seamus Riordan         Stony Brook University

Lorenzo Zana             Edinburgh

Zhiwen Zhao             Old Dominion/JLab

- Framework Overview
- Event generators
- GEM digitization
- Optics

## Ultimate software goals in planning SoLID:

- Optimize figure-of-merit for experiments
- Understand experimental background rates and asymmetries
- Optimize detector designs and verify experimental needs
  - Tracking detectors
  - PID
  - Calorimetry
- Understand magnetic optics and produce optimized PVDIS baffle design
- Produce fully digitized simulated experiment events for analysis

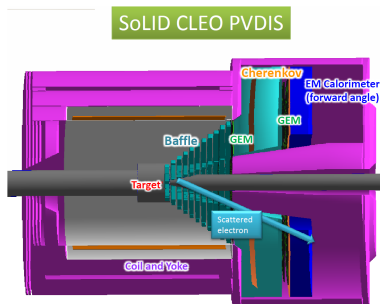
## Design philosophy:

- Use modern simulation package
- Have flexible event input for stand-alone generators
- Have standard set of output
- Avoid hardcoding geometries to allow ease of design changes
- Avoid reinventing the wheel

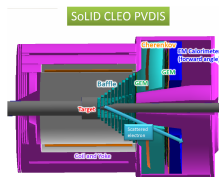
- GEANT3/comgeant used for original PVDIS and SIDIS proposals, but no longer supported
- Geant4 still actively being developed, can be implemented to meet our needs

## GEMC - Geant4 base:

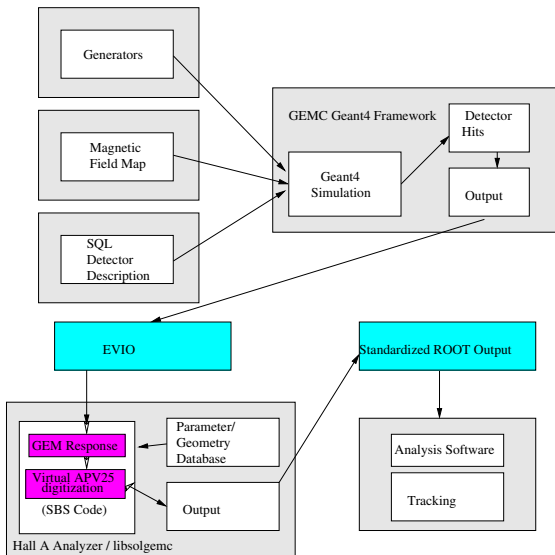
- Originally developed for CLAS12 simulations
- Uses SQL (or stand alone with v2.0) for storing geometry, materials, fields - no hardcoded geometries
  - perl script interface for generating geometries
  - Magnetic field maps are stored locally but described in tables



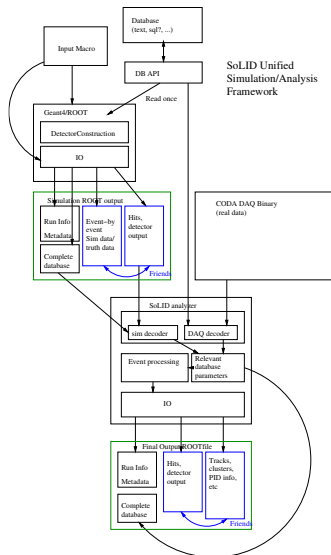
- GEMC, cont'd
  - Advanced GUI and visualization included
  - Modularized event hit processing
  - Input using LUND format - text file tables
  - Output to EVIO - used in JLab CODA data
    - Data organized into banks storing float and integer data
    - Tools available to decode into ROOT or other formats
- solgemc extension
  - Can replace/add capabilities without interfering with gemc
  - Extend data input formats
    - SOLLUND format - includes event weights
  - Write new hit processes, customize output data
- libsolgem
  - Additional library for analysis
  - Built using Hall A analyzer, ROOT, evio as toolkit



# Framework Diagram



# Framework Diagram - Forward



- Some restructuring is desired to meet our needs for a large project
- For development of reconstruction/analysis software integration with is imperative
- Coherent descriptions with configurations, simulation input need to be tied with output files
- Final analysis framework needs to be identified and developed



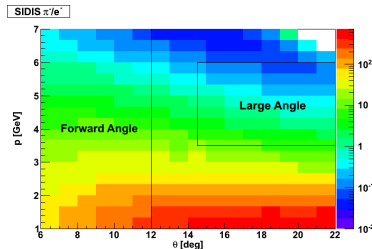
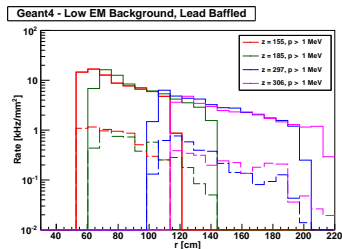
# Event Generators

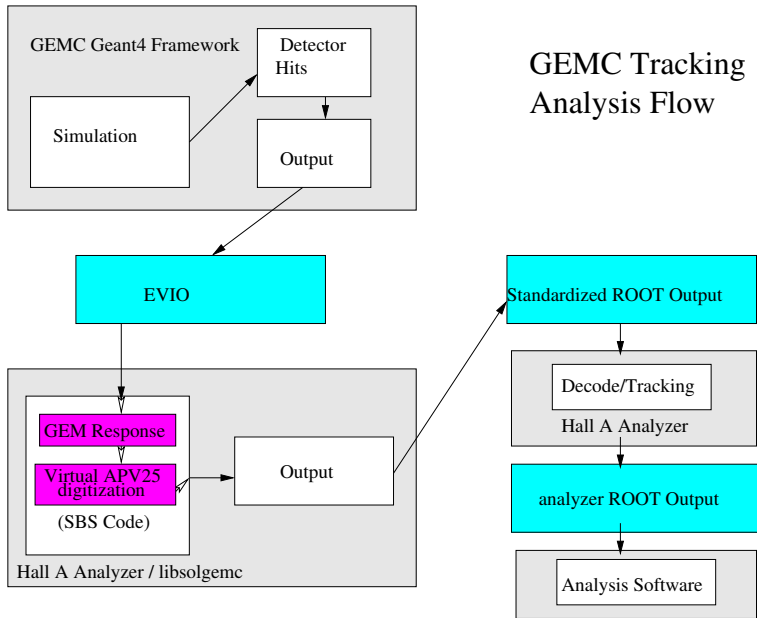
Written several stand-alone event generators

- DIS rates, PV asymmetries with CTEQ6
- $\pi^\pm, \pi^0 \rightarrow \gamma\gamma, K^\pm, p$  with Wisener code
  - Param. SLAC data from  $\pi$  prod. with equivalent  $\gamma$  approx.
- SIDIS generator
- Elastic with nucleon FFs

To incorporate:

- $\Lambda$  decay - self-analyzing (exists)
- Resonance (exists)
- Radiative effects - have working group

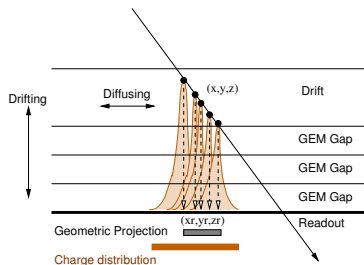
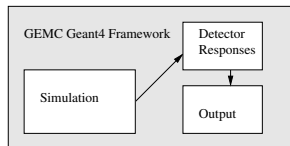




# GEMC Integration with SBS GEM Code

## Overview

- GEMC outputs raw hits in G4 volumes
  - Wrote generic interface for postprocessing in libsolgemc
  - Can be extended to other detector systems
- 
- Digitization needs to have several regions in GEM read out
  - Diffusion and evolution of charge cloud done in post-processing using data-based models



APV25 Chips used for digitization

- Provides zero suppression
- Adjustable shaping time
- Pipelined readout into custom VME

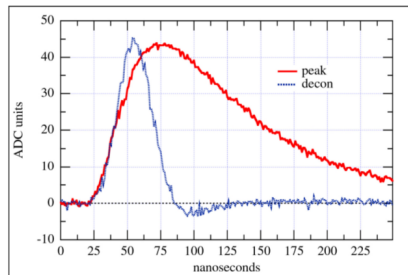
Multipeak timing analysis

- Using the timing shape from above, online peak finding can be done with three samples
- Using a CR-RC filter and form of timing on previous page, only three samples are necessary to find peak amplitude

$$S_k = w_1 v_k + w_2 v_{k-1} + w_3 v_{k-2}$$
$$w_1 = e^{x-1}, w_2 = -2e^{-1}/x, w_3 = e^{-x-1}/x$$

$x = \Delta t / T_p$ ,  $\Delta t$  is sampling interval

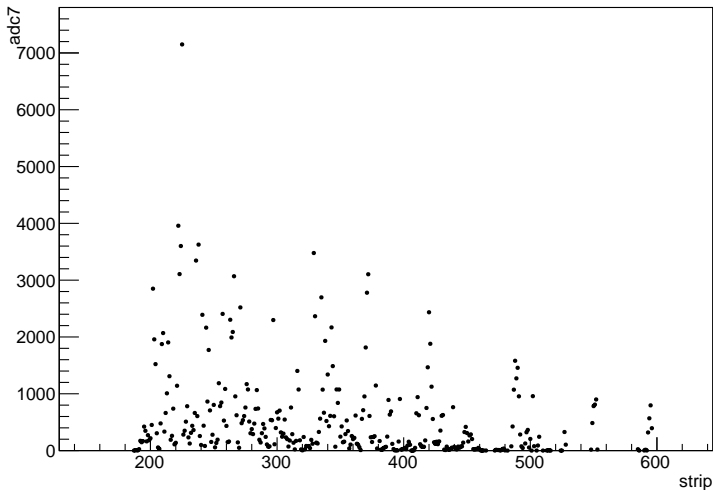
S. Gadomski, et al., Nucl. Instr. and Meth. A 320 (1992) 217.



# Digitization Results

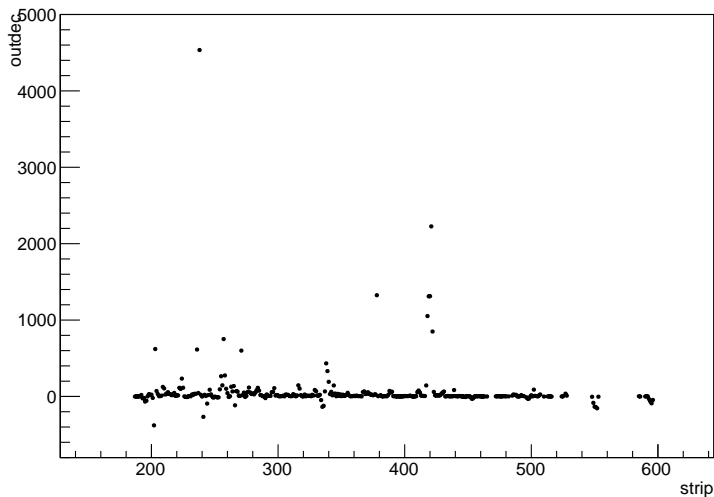
- Now getting first full simulation digitization results

One PVDIS Background Event - No Deconvolution



- Now getting first full simulation digitization results

## One PVDIS GEM Event - Deconvoluted



Rates for 1  $\mu\text{A}$ :

E [GeV]	Rate Range [Hz/mm <sup>2</sup> ]	$p$ Range [GeV]	$p$ Spread [%]
4.4	0.5 - 22	2.2 - 3.5	15
8.8	$2 \times 10^{-3}$ - 0.15	3.0 - 6.0	15
11	$5 \times 10^{-4}$ - 0.025	3.0 - 7.0	15

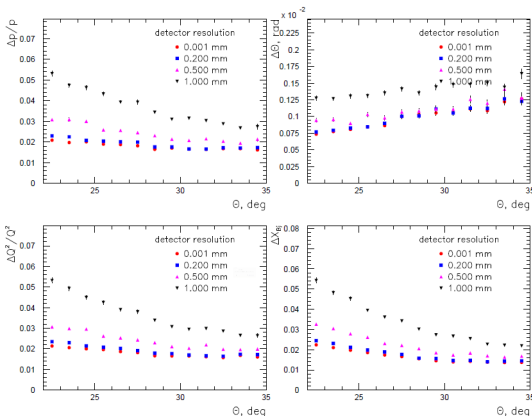
To get at least 200/cm/sector at 50  $\mu\text{A}$ :

E [GeV]	$t$ [hr]
4.4	0.006
8.8	1.6
11	6

- Need to calibrate 2 – 6 GeV for the experiment
- 8.8 matches that pretty well for  $p$  range at given  $\theta$
- Few days at 6.6 and 8.8 probably gives very good  $p$  coverage. Combining with 4.4 GeV with field scan would probably be sufficient
- Working on simulated calibration

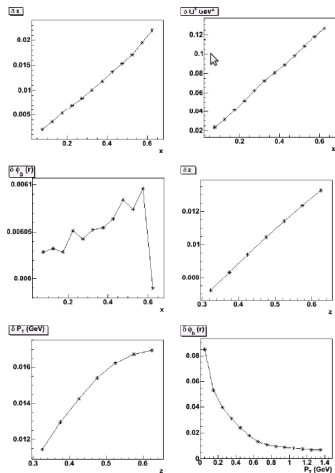
# PVDIS Resolution

- Previous studies showed that multiple scattering effects will dominate over GEM resolutions in PVDIS
- Reconstructed variables fit to uniform field equations with perturbations
- $\delta Q^2 \sim 1.5\%$ ,  $\delta x \sim 1\%$ ,  $\delta z \sim 0.7$  mm



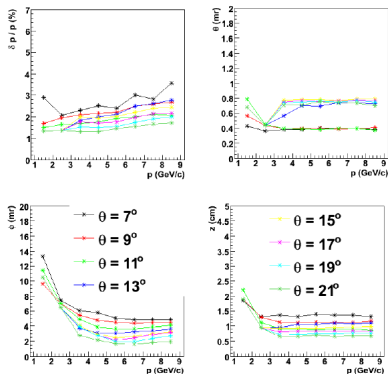


# SIDIS Resolution



1.8%  $\delta p/p$ , 0.6 mr in polar angle  
6 mr in azimuthal angle.

Acceptable in azimuthal angle and PT



- Resolution for SIDIS kinematics also sufficient
- Multiple scattering with  $^3\text{He}$  target effects negligible

- Development of necessary software inplace, portions ongoing
- Suitable framework chosen for scale of project and needs
- Realistic event generators developed
- Auxiliary software for digitization available and is useable for tracking

BACKUP

GEM response parameters tuned on realistic responses observed at COMPASS

- Discrete ionization points and energy deposited defined by Geant4, written out
- Poisson defines distribution, average number of pairs given by

$$\bar{n}_{\text{ion}} = \Delta E / W_i$$

- Diffusion and drift, governed by diffusion coefficient  $D$ , assume constant  $v$

$$\sigma_s(t) = \sqrt{2Dt}$$

- Multiplication by Furry or Poisson distribution

$$f_{\text{Furry}} = \frac{1}{\bar{n}} \exp\left(-\frac{n}{\bar{n}}\right)$$

- Now have Gaussian distribution - associate with set of strips (strip geometry first relevant here)

- Timing given by amplitude  $A$  and time constant  $T_p$

$$v = A \frac{t}{T_p} \exp(-t/T_p)$$

