

BRIEF UPDATE ON MODULE FLIPPING TEST

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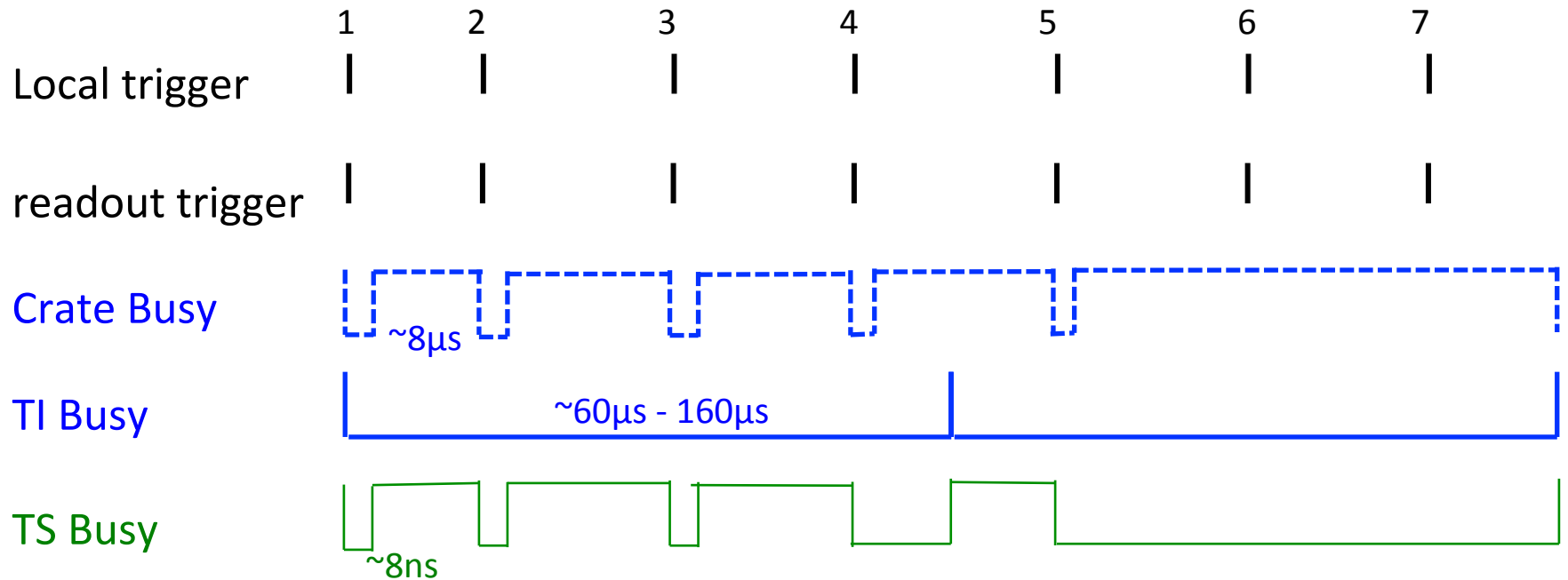
SBS Weekly Meeting

November 11, 2015

Module flipping test

- Reduce the dead time by switching the trigger between 3 crates.
- Local trigger (level 1) trigger $\sim 100 - 200$ kHz
- Readout trigger (level 2) trigger ~ 5 kHz
- SBS trigger supervisor (TS)
 - Receive TI busy and frond-end busy from Fastbus crates
 - Send the local trigger to the next non-busy crate
 - Send readout trigger to all crates.
 - Send fast clear signal when there is no readout.
- Current test setup
 - 3 crates (8ADCs on each)
 - Distribute triggers via TD and SD modules

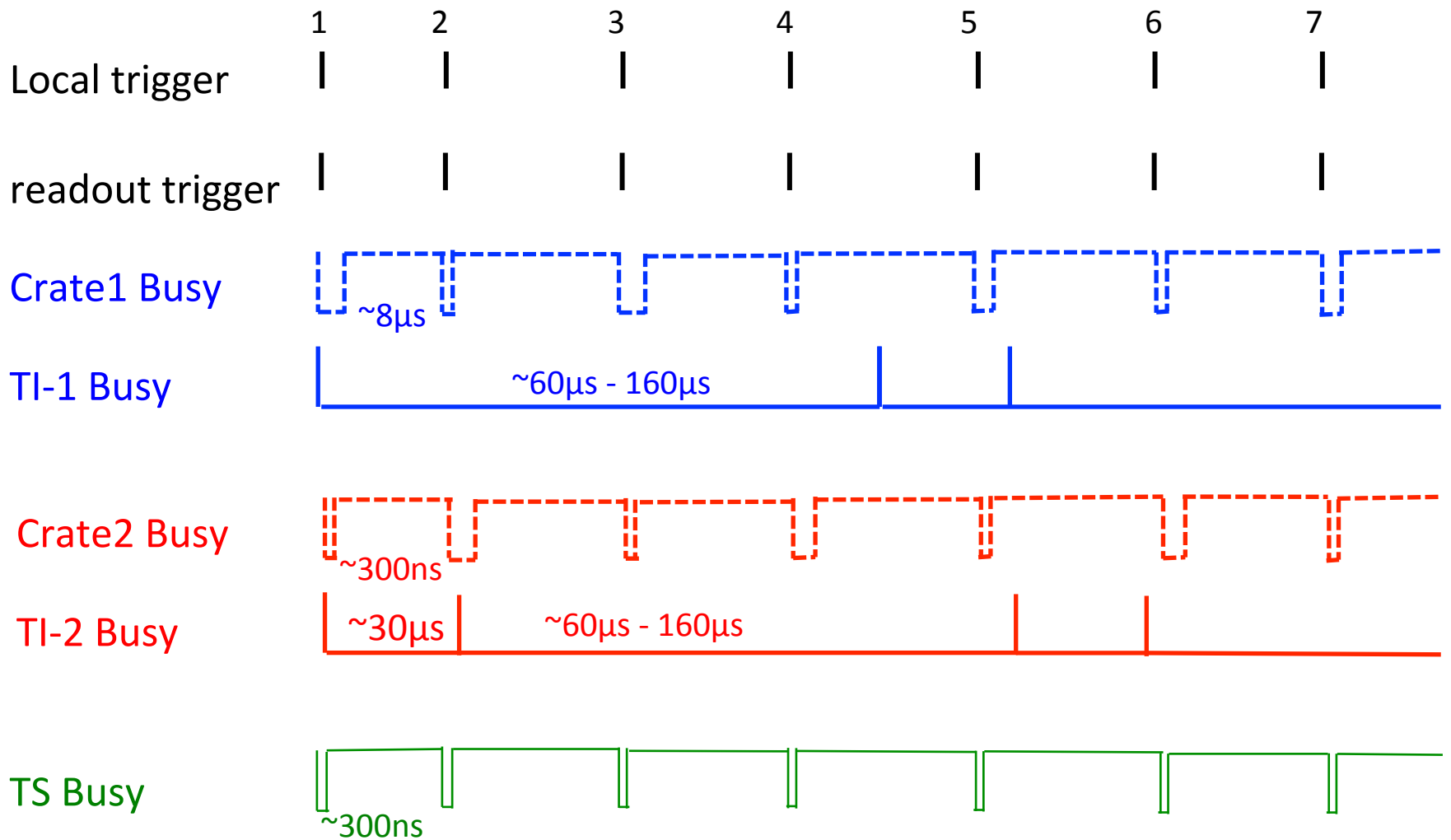
Single Crate, Buffer Level = 4



TI busy (readout) $\sim 60\mu\text{s}$ when we read no data from ADC (pedestal suppressed)

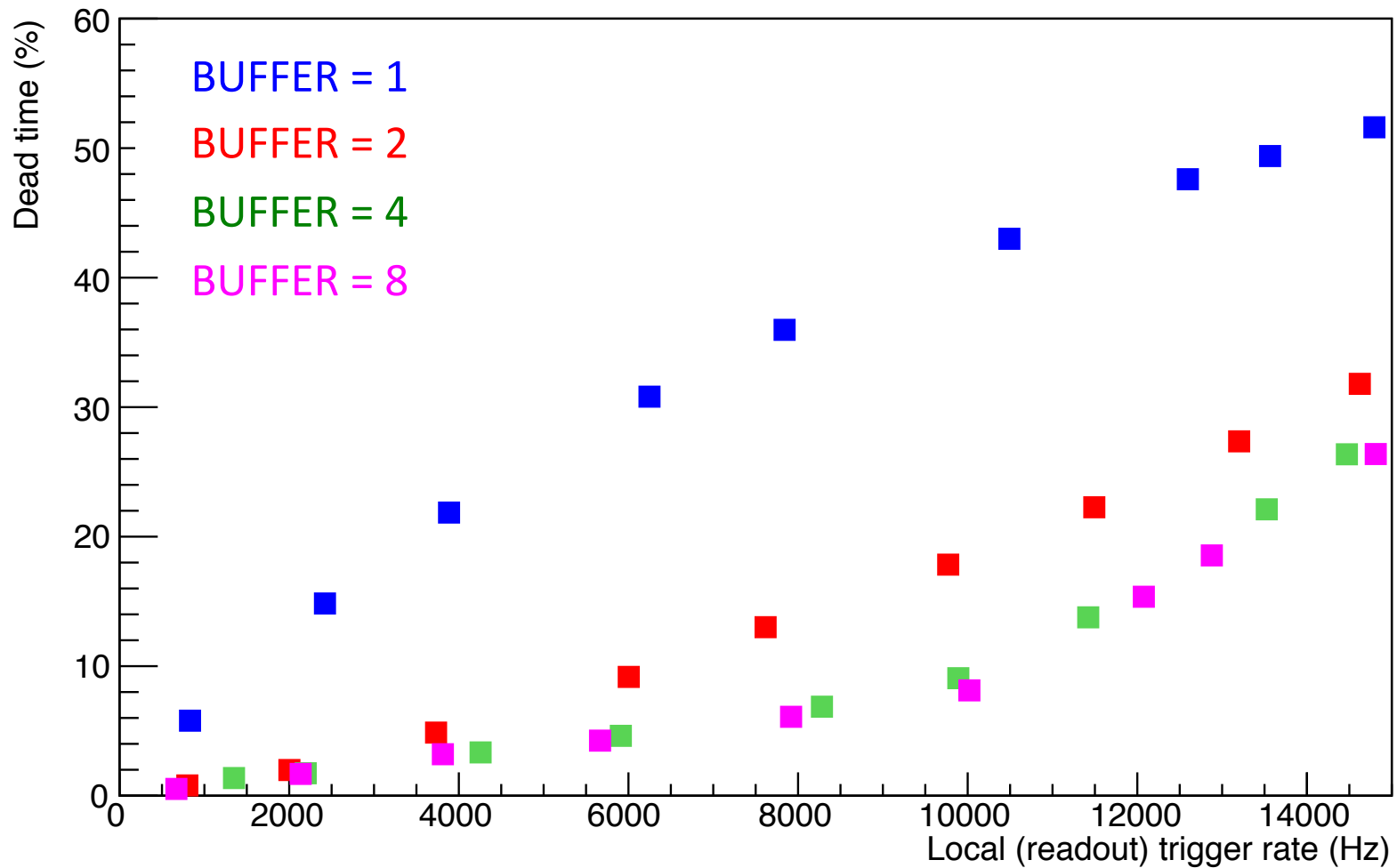
TI busy (readout) $\sim 160\mu\text{s}$ when we read 8ADC (No pedestal suppression)

Module Flipping (2 crates), Buffer Level = 4



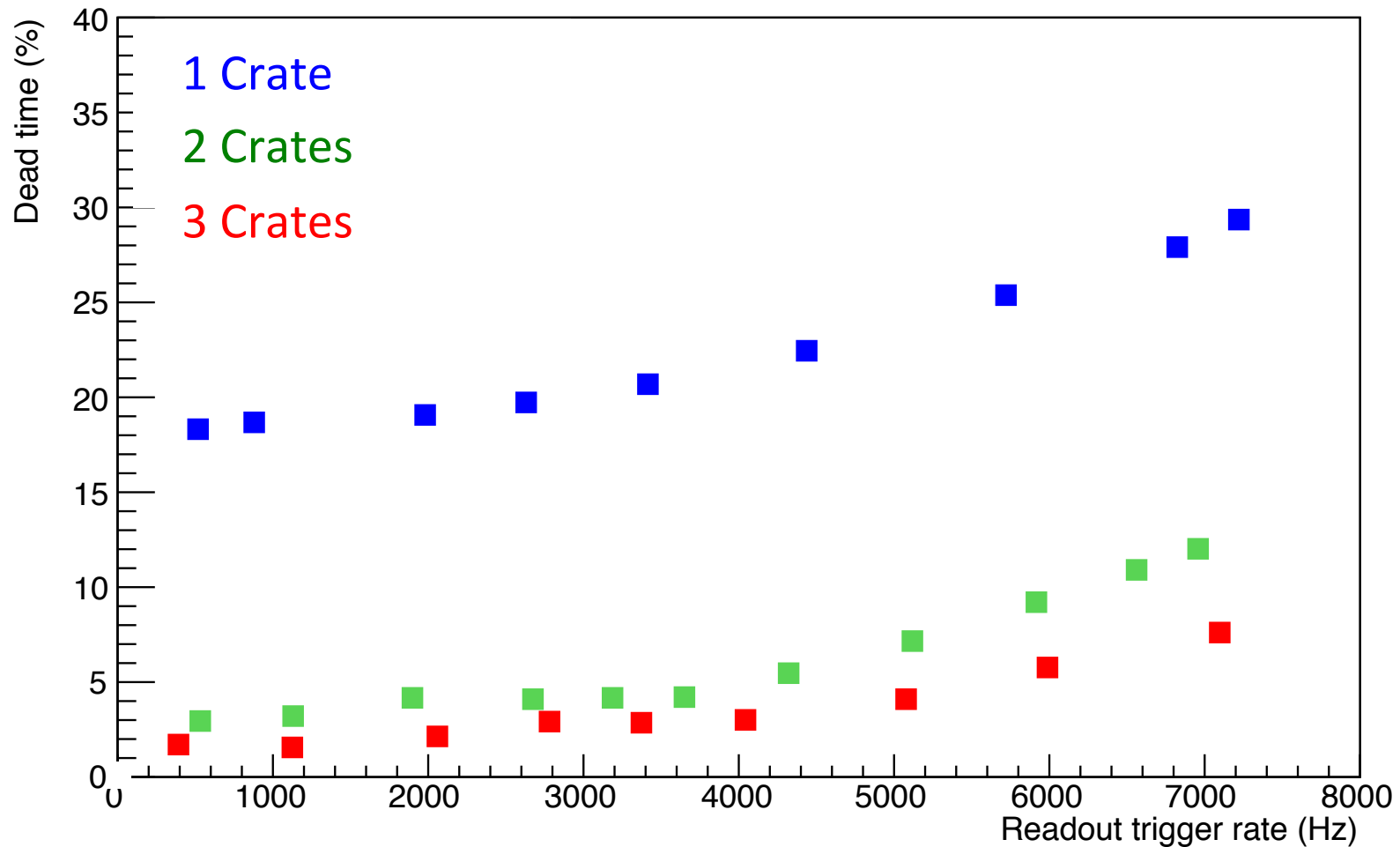
Buffering

Single Crate, 8ADCs (reading pedestals on 6 channels on each ADC)
Local trigger rate = Readout trigger rate



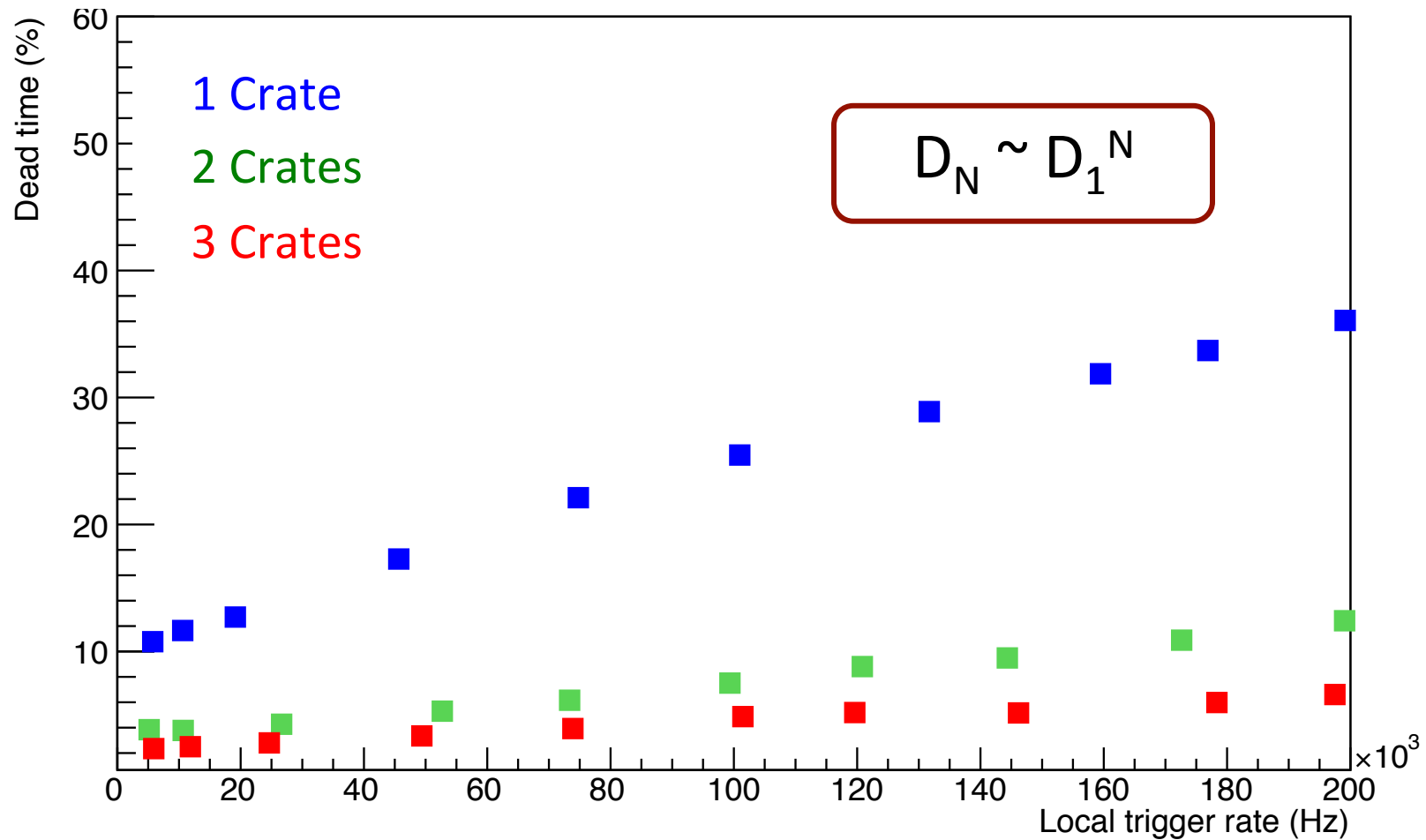
Single Crate vs. Module Flipping

8ADCs (reading pedestals on 6 channels on each ADC)
At fixed Local trigger $\sim 100\text{kHz}$



Single Crate vs. Module Flipping

8ADCs (reading pedestals on 6 channels on each ADC)
At fixed Readout trigger $\sim 5\text{kHz}$



FASTBUS Dead time Model

Poisson probability

If the expected number of occurrences in a given interval is λ , then the probability that there are exactly k occurrences ($k = 0, 1, 2, \dots$) is

$$f(k; \lambda) = \frac{\lambda^k e^{-\lambda}}{k!}$$

Assume that

- a trigger has been accepted and an event is being processed.
- time to process one event is τ
- triggers are being generated at the average random rate f

The total probability of n triggers occurring at time τ is,

$$P_n = \frac{(f\tau)^n e^{-f\tau}}{n!}$$

And the dead time,

$$DT = \sum_{n=1}^{\infty} \frac{(f\tau)^n e^{-f\tau}}{n!}$$

FASTBUS Dead time Model

- Dead time can be break down in to 3 infinite sums.

Due to frond-end conversion

$$D_{FE} = \sum_{n=1}^{\infty} \frac{\mu_{FE}^n e^{-\mu_{FE}}}{n!}$$

$$\mu_{FE} = f_{L2} \times T_{FE}, T_{FE} \sim 8\mu s$$

Due to readout

$$D_R = \sum_{n=1}^{\infty} \frac{\mu_R^{n+b} e^{-\mu_R}}{(n+b)!}$$

$$\mu_R = f_{L2} \times (T_c - T_{FE}), T_c \sim (60 - 160)\mu s$$

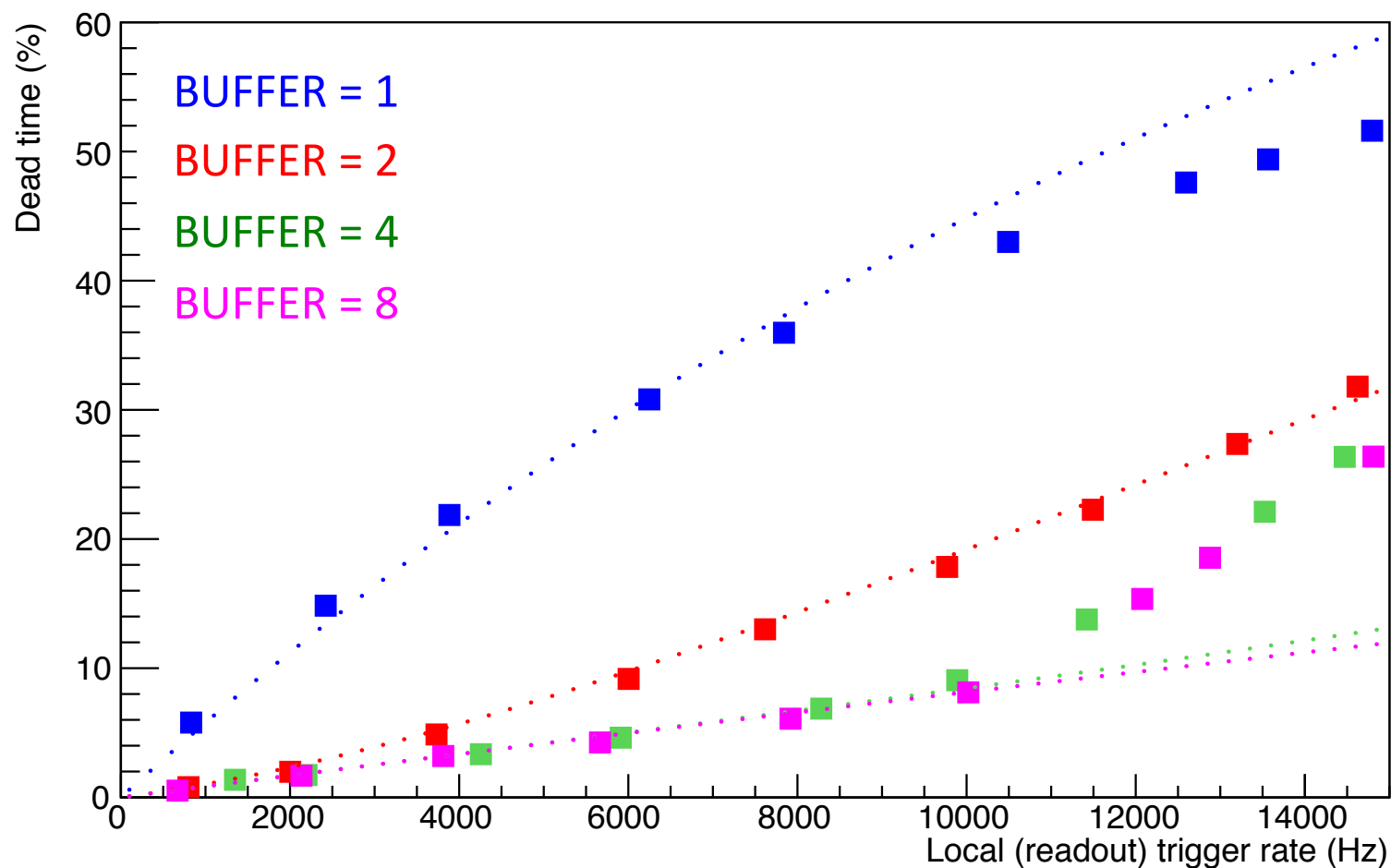
Due to Fast Clear

$$D_{FC} = \sum_{n=1}^{\infty} \frac{\mu_{FC}^n e^{-\mu_{FC}}}{n!}$$

$$\mu_{FC} = (f_{L1} - f_{L2}) \times T_{FC}, T_{FC} \sim 2\mu s$$

Data vs. Dead time model

Single Crate, 8ADCs (reading pedestals on 6 channels on each ADC)
Local trigger rate = Readout trigger rate



Future Work

- Improve the Dead time model to better understand the measurements.
- We still experience about ~3% Branch 0 events which needed to be studied and fixed.

Thanks Alexander Camsonne, Robert Michaels, William Gu, Bryan Moffit and Dave Abbott for support and guidance.