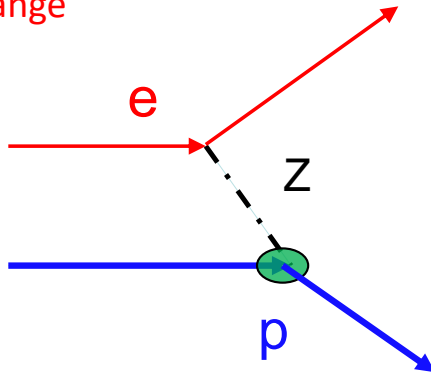


The proton weak form factor (Z exchange) -

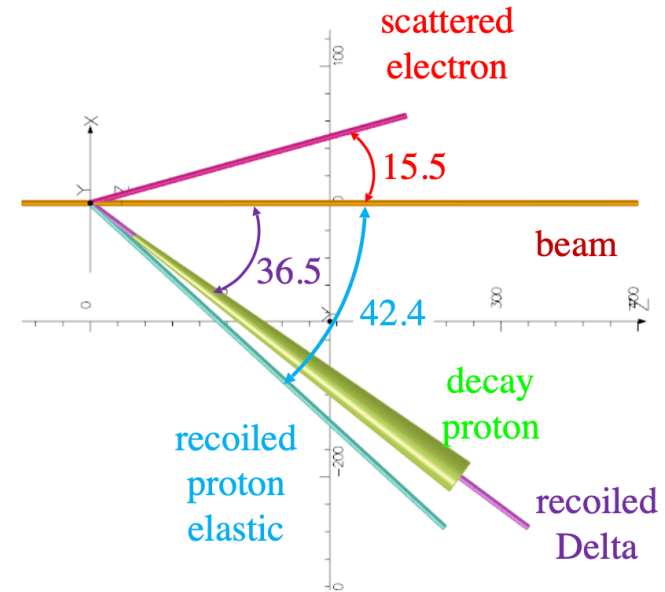
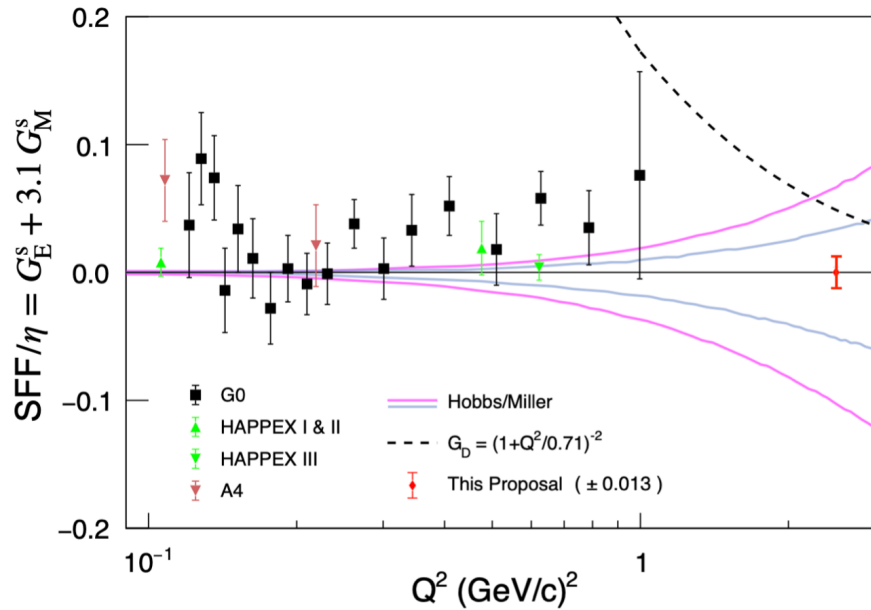
E12-23-004

Z exchange



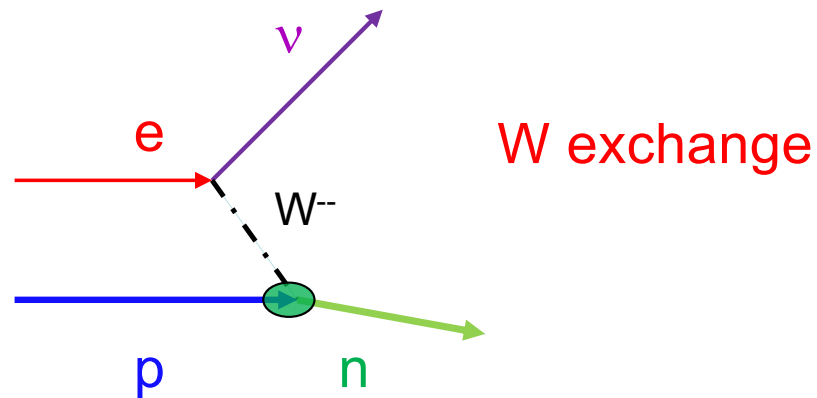
$\gamma$ -Z interference  $\rightarrow$  PV !

R.Beminiwattha  
 D.Hamilton  
 C.Palatchi  
 K.Paschke  
 B.Wojtsekhowski

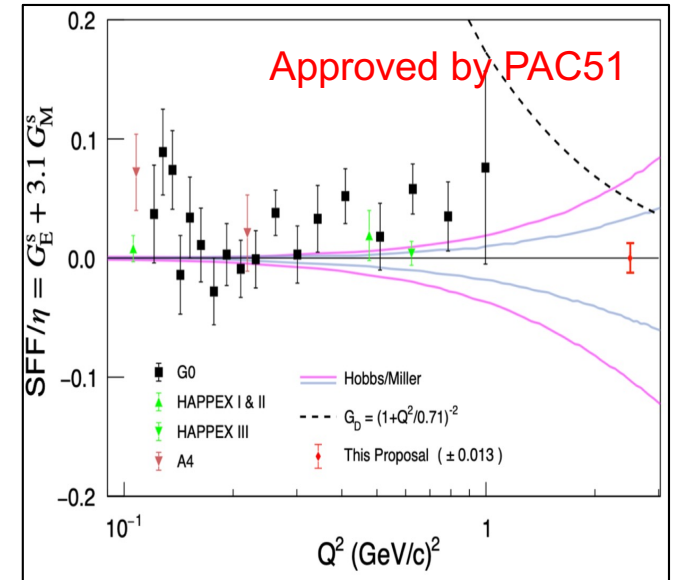
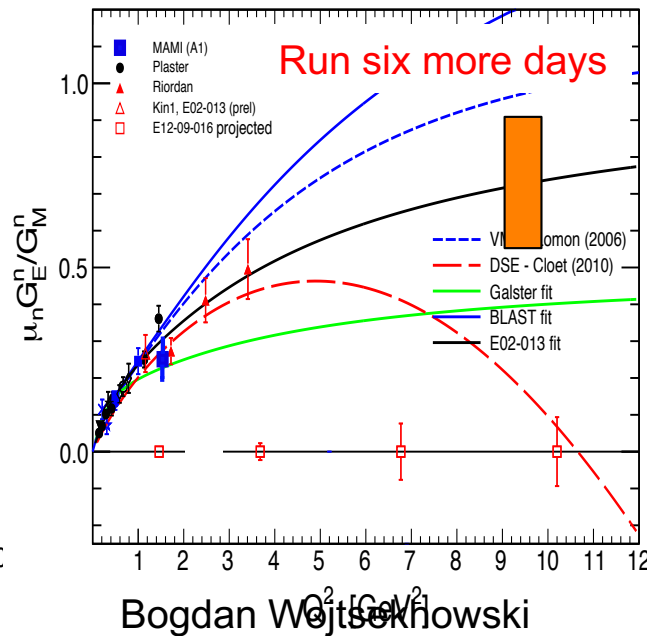
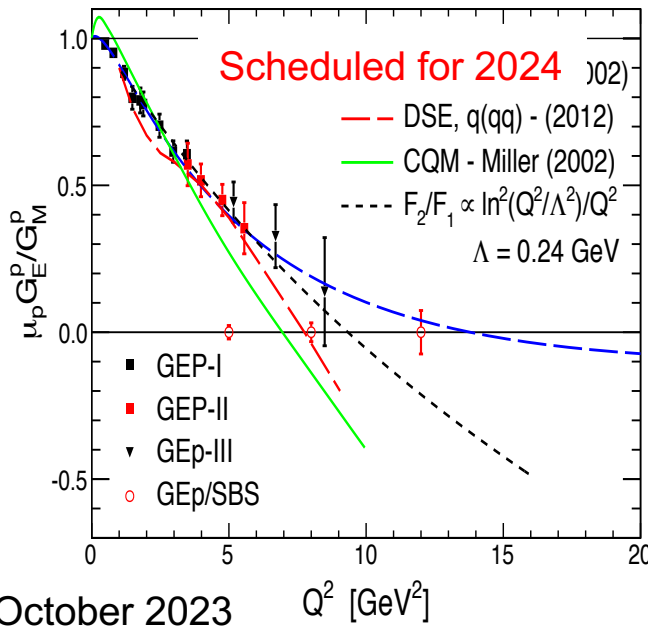
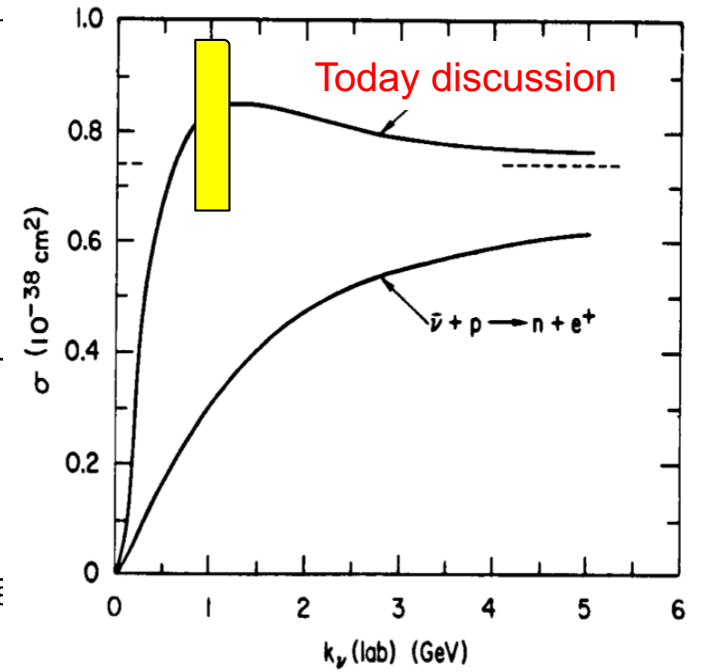
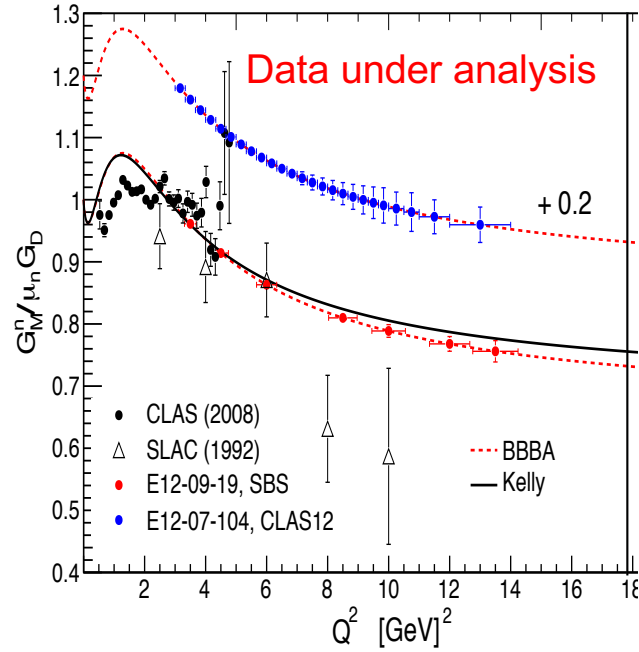
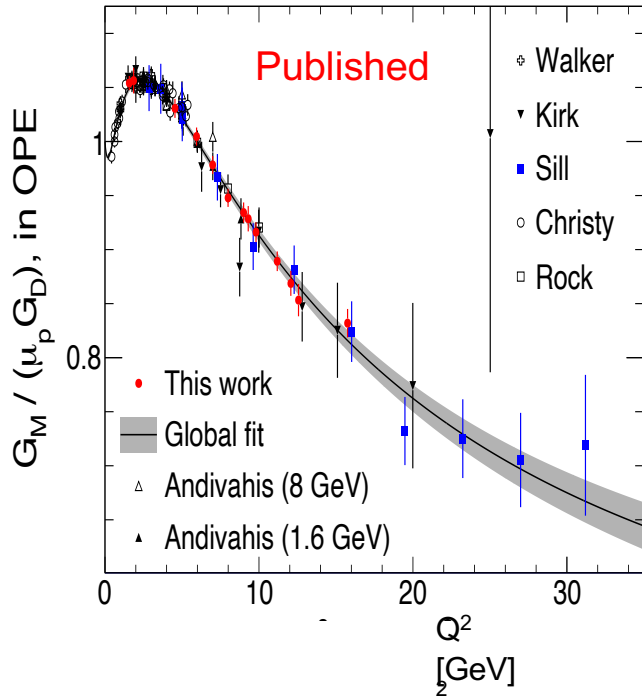


“Another weak FF experiment” (slides in July SBS-2023 meeting):

The proton weak form factor (W exchange)



# The nucleon FFs



# 1988 LOI by J. Napolitano

Nov 14, 1988 : this probably is impossible.  
 $\gamma + p \rightarrow \pi^+ + n$

## Measurement of the Nucleon Weak Axial Vector Form Factor

A CEBAF Letter of Intent

Oct 31, 1988

J. Napolitano\*, ~~S.J. Freedman~~, ~~D.F. Geesaman~~, R.J. Holt, H.E. Jackson, ~~B. Zeidman~~,  
Argonne National Laboratory

R. Carlini  
CEBAF and The College of William and Mary

M. Finn and R. Siegel  
The College of William and Mary

\*Present Address: CEBAF and The College of William and Mary

### Abstract

It may be possible to carry out direct measurements of the weak axial vector form factor  $F_A(Q^2)$  at CEBAF by detecting the neutron in the reaction  $p(e^-,n)\nu_e$  as a function of energy and angle. Such a direct measurement is not complicated by the usual assumptions and experimental uncertainties in neutrino reaction measurements. In addition, it may be possible to extend the present range of  $Q^2$ . However, the viability of the experiment depends crucially on background rates in the neutron detector. It appears that the beam microstructure of the accelerator, as well as the availability of longitudinally polarized beam, can be used to reduce the dependence on these background rates. We also discuss the possibility of using the data to search for right handed weak currents.

Experimental Hall A  
Experimental Hall B  
Experimental Hall C  
Experimental Hall D  
Experiment Research  
Experiment Schedule  
Program Advisory Committee

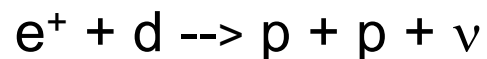
2010 Proposals  
2009 Proposals  
2008 Proposals  
2007 Proposals  
2006 Proposals  
2005 Proposals  
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1995 Proposals  
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1993 Proposals  
1991 Proposals  
1990 Proposals  
1989 Proposals

2003 LOI to PAC25 by A.Deur  
2023 LOIs to PAC51: one by A.Deur  
and a second by D.Datta

In LOI 2003 the focus was on  $Q^2 \sim 1-3 \text{ GeV}^2$ . Interest is large, some questions about how to proceed

In LOI 2023 AD made focus on low  $Q^2$ , low beam energy so the pion can not be produced

DD proposed a different idea (also for low  $Q^2$ ) based on TDIS proton detector and the reaction with a positron beam:



# Reference papers

## NEUTRINO REACTIONS AT ACCELERATOR ENERGIES

C.H.LLEWELLYN SMITH

*Stanford Linear Accelerator Center, Stanford University, Stanford, California 94305, USA*

1972

### The reaction $e^- + p \rightarrow \nu_e + n$ at intermediate-energies

S.L. Mintz (Florida Intl. U.), M.A. Barnett (Florida Intl. U.), G.M. Gerstner (Florida Intl. U.), M. Pourkaviani (MP Consulting, Altamonte Springs)

Mar, 1997

9 pages

Published in: *Int.J.Mod.Phys.E* 6 (1997) 111-119

1996

At first glance the reaction  $e^- + p \rightarrow \nu_e + n$  might seem an unlikely one for calculation in support of possible experimental work. Because both final state particle, the neutrino and the neutron, are neutral, the reaction on the face of it would seem to be very difficult to observe. However we have been assured by experimentalists<sup>1</sup> that it is now very possible to observe this reaction by detecting the outgoing neutron.

The reaction itself offers a number of advantages over other weak electron scattering reactions<sup>2-4</sup> which have been proposed for possible experiments at facilities such as CEBAF.

# Cross section calculation

Paper by L-Smith

$$\frac{d\sigma}{d|q^2|} \begin{pmatrix} \nu n \rightarrow \ell^- p \\ \bar{\nu} p \rightarrow \ell^+ n \end{pmatrix} = \frac{M^2 G^2 \cos^2 \theta_c}{8\pi E_\nu^2} \left[ A(q^2) \mp B(q^2) \frac{(s-u)}{M^2} + \frac{C(q^2)(s-u)^2}{M^4} \right]$$

$$(s-u = 4ME_\nu + q^2 - m^2).$$

*C.H. Llewellyn Smith, Neutrino reactions at accelerator energies*

303

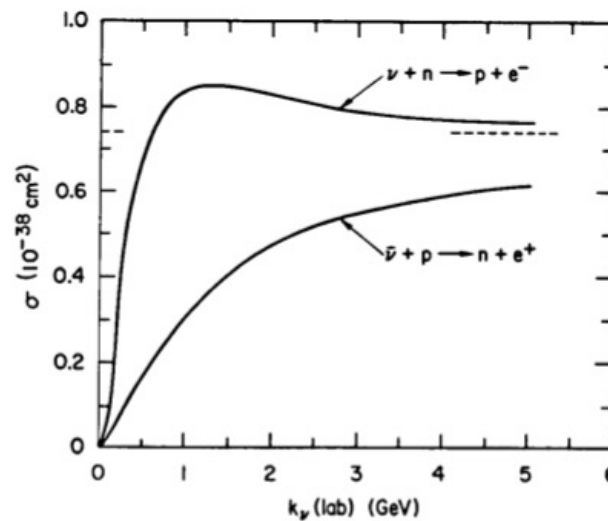


Fig. 10. Cross sections for the quasielastic process in the conventional theory with  $m = 0$  and dipole forms  $F(0)/(1 - q^2/0.73 \text{ GeV}^2)^2$  for the form factors  $F_A$  and  $F_V^2$  [L12] (the dotted line is the limit for  $\sigma_\nu$  and  $\sigma_{\bar{\nu}}$  as  $E \rightarrow \infty$ ).

# Cross section calculation

In LOI by Alex Deur

$$\frac{d\sigma}{d\omega'} = M \frac{G^2 \cos^2 \theta_c}{\pi} \frac{\omega'}{\omega} \left[ \cos^2(\theta_l/2) f_2 + \left( 2f_1 + \frac{\omega+\omega'}{M} f_3 \right) \sin^2(\theta_l/2) \right]$$

Last month I got a code from Jacek Golak  
also see PRC 107, 024617 (2023)

In[1]: `<< FeynCalc``

**FeynCalc** 9.3.1 (stable version). For help, use the  
documentation center, check out the wiki or visit the forum.

To save your and our time, please check our FAQ for answers to some common FeynCalc questions.

See also the supplied examples. If you use FeynCalc in your research, please cite

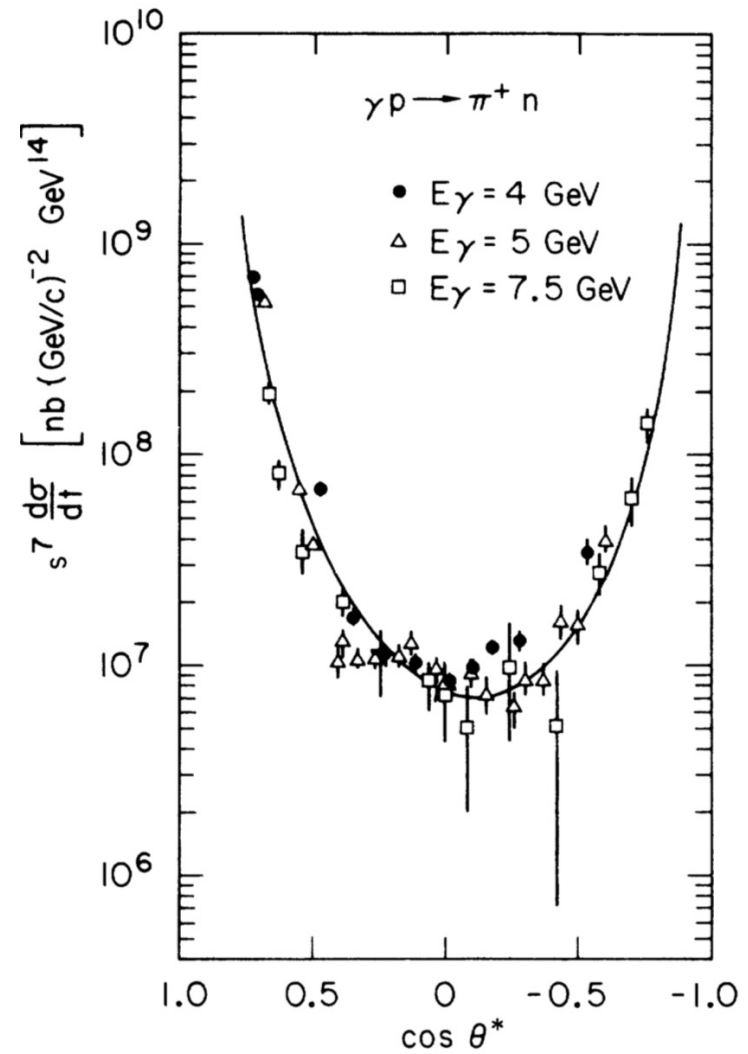
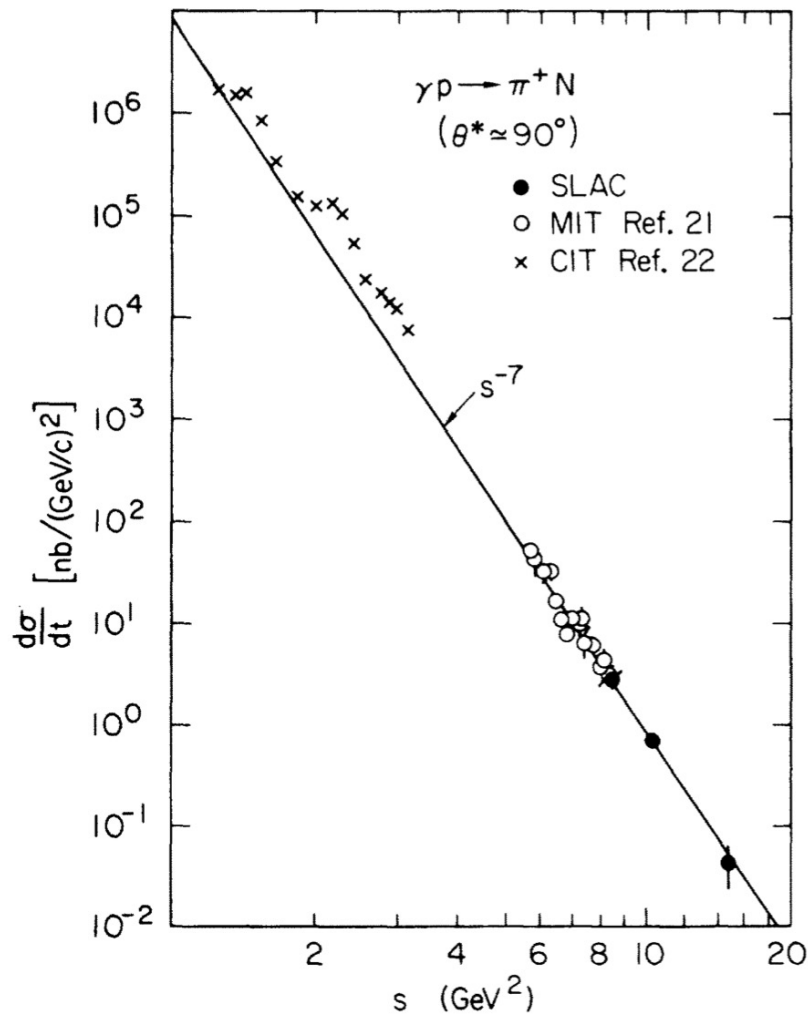
- V. Shtabovenko, R. Mertig and F. Orellana,  
Comput.Phys.Commun. 256 (2020) 107478, arXiv:2001.04407.



# Big challenges in the study of $e + p \rightarrow \nu + n$ process

- Cross section for the weak process is of a few  $10^{-40}$  cm<sup>2</sup>/sr
- Pion photo-production cross section  $\sim 10^8$  of the weak one
- Proton rate from electron elastic e-p  $\sim 10^6$  of the weak one

# Pion photo production cross section



# Proposed solution for the $e + p \rightarrow \nu + n$ experiment

1. High **momentum resolution** neutron detector
2. High **angular resolution** neutron detector
3. **Reconstruction of the incident lepton energy to 1%**
4. High efficiency of the charge particle rejection in BB
5. Analysis of the distribution (3.) shape for tagged events
6. Determination of the extra rate at the elastic “peak”

# Weak Proton Form Factor at 1 GeV<sup>2</sup>

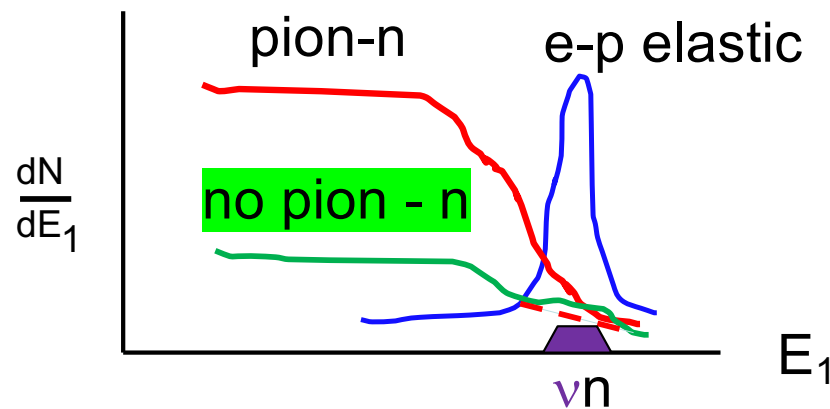
## Estimation of the experiment parameters:

- Beam energy **2.2 GeV** with a LH2 target
- Electron/pion/neutrino angle **54** degrees
- Recoil proton/neutron **30** degrees,  $p_n = 1$  GeV/c
- $\pi^+$  in BigBite; efficiency  $\sim$  **95%+4%** ( $\mu$  are forward)
- Electron in BigBite: efficiency **99.9%**; solid angle 60 msr
- Neutron in LND: 1m x1m, solid angle 40 msr;  $\delta\theta \sim$  **1mrad**
- Initial lepton momentum reconstruction accuracy  $\sim$  **1%**
- Photon flux  $0.02 \times$  **1/100**  $\times$   $\frac{1}{4} \Rightarrow 0.5/10^4$  per electron
- Electron-proton luminosity 10 cm LH2 x 100  $\mu$ A =  **$3 \times 10^{38}$**
- Rate of elastic ep events 6 kHz
- Rate of  $\nu(e)p$  events 6 Hz,  $\nu(e)n < 0.6$  Hz or  $\sim$  **2k per hour**
- Rate of  $\pi^+n$  events 15 Hz
- Rate of  $\nu(\pi^+)n$  events 500 per hour
- Rate of “weak” neutrons 110 per hour
- Signal/Background 1/20 at location of the elastic “peak”
- 100 hours, 10% neutron efficiency (free protons only):

$$\text{S/B} = 0.050 \pm 0.01$$

# Lepton initial energy

$$E_1 = (E_n - m) / \left[ 1 + \frac{P_n \cos \theta_n - E_n}{m} \right]$$



- Signal/Background 1/20 at location of the elastic “peak”
- 100 hours, 10% neutron efficiency (free protons only):

$$S/B = 0.050 \pm 0.01$$

# Time-of-Flight resolution

$$\frac{\sigma_p}{p} = \gamma^2 \times \frac{\sigma_\beta}{\beta}$$

$$\frac{\sigma_\beta}{\beta} = \frac{\sigma_{ToF}}{ToF}$$

for 10 m path and 0.12 ns time resolution

using  $Q^2=1 \text{ GeV}^2$  ( $\gamma=1.5$ )

$$\frac{\sigma_p}{p} = \gamma^2 \times 1/275 \sim 0.4\%$$

**0.12 ns time resolution is hard**

# Traditional ToF system

Number of channels  $\sim 25 \times (1\text{m} \times 1\text{m}) \times 0.5\text{m}$   
using  $5\text{ cm} \times 5\text{ cm} \times 100\text{ cm}$  bars  $\rightarrow 5000$  bars

With  $25\text{ m}$  distance it will allow  $40\text{ msr}$  solid angle

Angular resolution  $\sim 1\text{ mrad}$

Cost per bar  $\sim \$2\text{k}$  for 2 PMT + scintillator  
Cost of HV+DAQ per bar  $\sim \$2\text{k}$

CH, aver. density  $0.79\text{ g/cm}^3$

1 m long detector with  $0.25\text{ ns}$  resolution

Cost is high  $\sim \$20\text{M}$

# Scintillator fiber systems

## Scintillating fiber detectors for the HypHI project at GSI

D. Nakajima<sup>a,b,\*</sup>, B. Özel-Tashenov<sup>a,c,\*\*</sup>, S. Bianchin<sup>a</sup>, O. Borodina<sup>a,d</sup>, V. Bc M. Kavatsyuk<sup>e</sup>, S. Minami<sup>a</sup>, C. Rappold<sup>a,f</sup>, T.R. Saito<sup>a,d</sup>, P. Achenbach<sup>d</sup>, S. P T. Fukuda<sup>h</sup>, Y. Hayashi<sup>i</sup>, T. Hiraiwa<sup>i</sup>, J. Hoffmann<sup>a</sup>, K. Koch<sup>a</sup>, N. Kurz<sup>a</sup>, O. I Y. Mizoi<sup>h</sup>, T. Mochizuki<sup>k</sup>, M. Moritsu<sup>i</sup>, T. Nagae<sup>i</sup>, L. Nungesser<sup>d</sup>, A. Okamu A. Sakaguchi<sup>k</sup>, M. Sako<sup>i</sup>, C.J. Schmidt<sup>a</sup>, H. Sugimura<sup>i</sup>, K. Tanida<sup>l</sup>, M. Träger

A two-dimensional scintillation-based neutron detector with wavelength-shifting fibers and incorporating an interpolation method

T. Nakamura<sup>a,\*</sup>, K. Toh<sup>a</sup>, T. Kawasaki<sup>a</sup>, M. Ebine<sup>b</sup>, A. Birumachi<sup>b</sup>, K. Sakasai<sup>a</sup>, K. Soyama<sup>a</sup>

### 3.3. Spatial resolution

Fig. 7 shows the spatial resolution measured while scanning the collimated beam over the detector. The spatial responses were fitted with a Gaussian function to extract the variance ( $\sigma$ ) for each incidence position. The spatial resolution, which was calculated as the full width at half maximum (FWHM) by  $2.35\sigma$ , was better when the neutron beam was incident on top or near the WLS fiber than when it was incident between the fibers. Measurements made over a distance of 10 mm revealed a periodicity in the spatial resolution of 2.5 mm for all of the MPC logics, which reflected the pitch of the WLS fibers. These observations were consistent with the spatial responses shown in Figs. 4 and 5.

The average FWHM spatial resolutions were  $3.3 \pm 0.3$ ,  $2.7 \pm 0.1$ , and  $2.5 \pm 0.1$  mm for standard-, half-, and quarter-pitch logics, respectively. The spatial resolution improved from 1.2- to 1.3-fold

noise. At a single photon threshold the SiPM suffers from the same problems as a GAPD. Current state of the art SiPMs have thermal noise rates<sup>6</sup> at  $\mathcal{O}(100 \text{ kHz})$ <sup>7</sup> at single photon level. This value depends on the temperature and the bias voltage. The typical pixel sizes of SiPMs are between  $25 \times 25 \mu\text{m}^2$  and  $100 \times 100 \mu\text{m}^2$ . One single device can cover active areas up to  $6 \times 6 \text{ mm}^2$  (fig. 3.9).

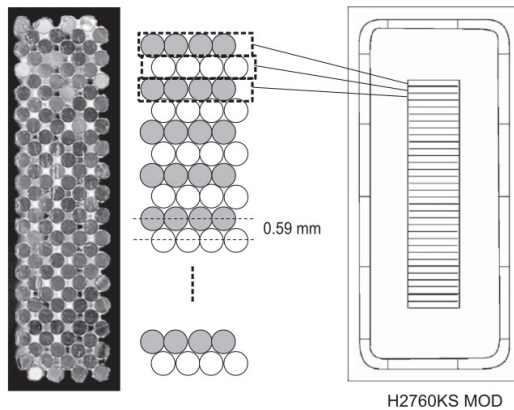
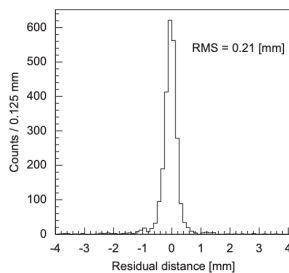
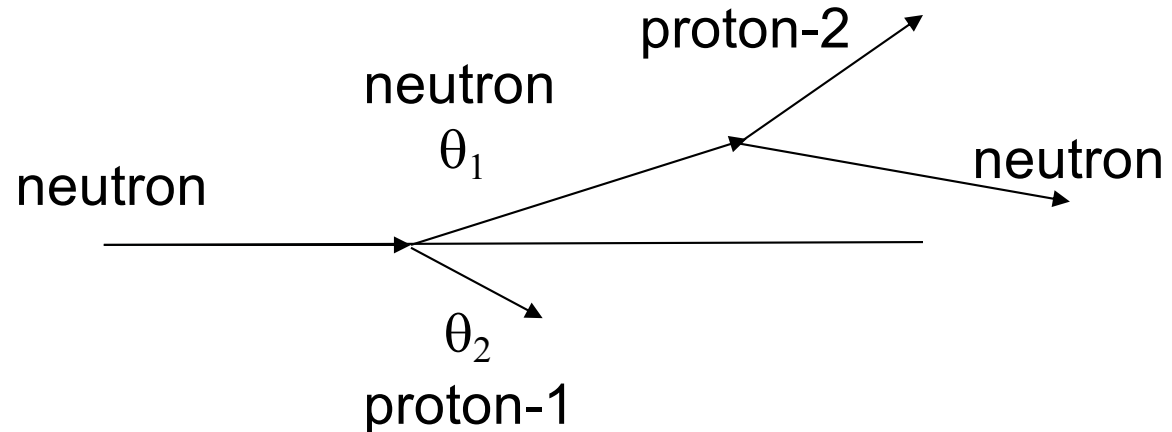


Fig. 2. (a) Cross-section of a 32-channel fiber bundle and (b) corresponding enlarged schematic drawing. The panel (c) shows a scheme of the surface of PMT H2760KS MOD.





# Neutron/proton tracking detector



$$E = \frac{2mc^2}{\tan \theta_1 \tan \theta_2} - mc^2$$

Mostly sensitive to the sum ( $\theta_1 + \theta_2$ )

for  $E = 1.5 mc^2$

$$\frac{\sigma_p}{p} = 8 \times \sigma_\theta [\text{rad}] \Rightarrow 0.8\% \text{ with } 1 \text{ mrad angular resolution}$$

# Neutron/proton tracking detector

## Preliminary results on the feasibility of a liquid methane detector for fast neutrons

G. Bressi <sup>a</sup>, M. Cambiaghi <sup>a</sup>, G. Carugno <sup>b</sup>, S. Centro <sup>c</sup>, E. Conti <sup>c</sup>, B. Dainese <sup>c</sup>, G. Prete <sup>b</sup> and N. Toniolo <sup>b</sup>

<sup>a</sup> INFN, Sezione di Pavia, Via A. Bassi, 6 Pavia, Italy

<sup>b</sup> INFN, Laboratori Nazionali di Legnaro, Via Romea 4, Legnaro PD, Italy

<sup>c</sup> INFN, Sezione di Padova, Via Marzolo, 8 Padova, Italy

Received 11 May 1990 and in revised form 10 September 1990

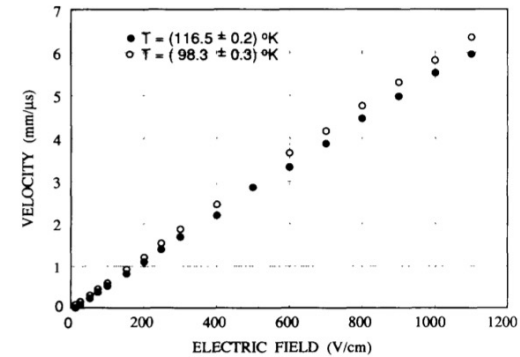


Fig. 7. Electron drift velocity vs electric field for two different liquid temperatures.

## Study of the liquid-methane ionization chamber

Hiroki Tanaka<sup>a,\*</sup>, Tetsuya Ariyoshi<sup>a</sup>, Takeshi Uemura<sup>a</sup>, Hidehiko Arima<sup>a</sup>,  
Keisuke Maehata<sup>a</sup>, Kenji Ishibashi<sup>a</sup>, Yuzuru Matsumoto<sup>b</sup>

<sup>a</sup>Department of Applied Quantum Physics and Nuclear Engineering, Kyushu University, Hakozaki, Higashi-ku, Fukuoka 812-8581, Japan

<sup>b</sup>Teikyoku University Fukuoka Junior College, Omuta, Fukuoka 836-8505, Japan

Received 13 August 2004; received in revised form 27 October 2004; accepted 30 October 2004

Available online 8 December 2004

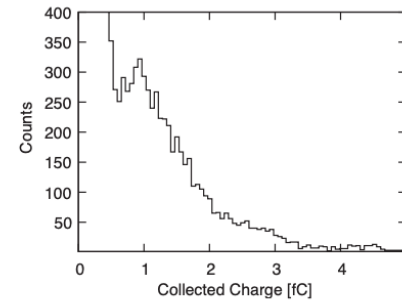
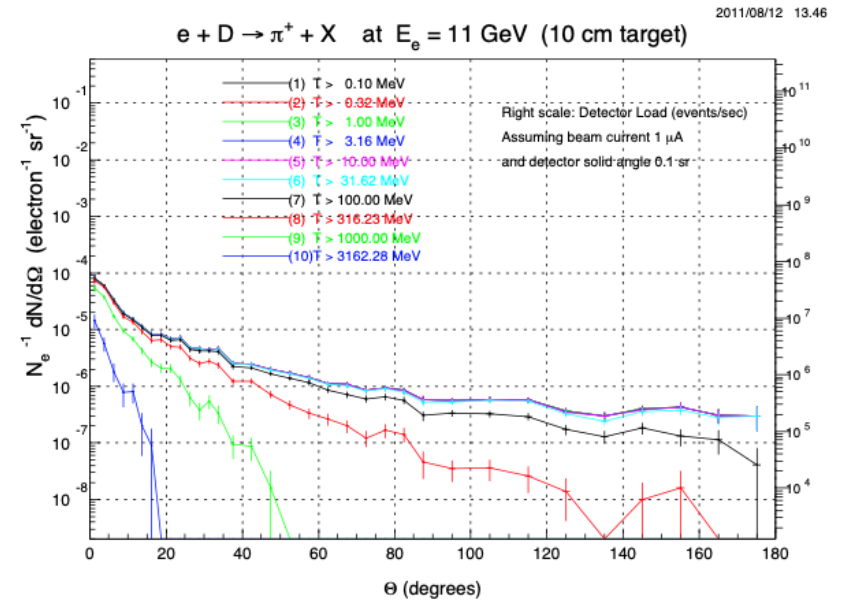
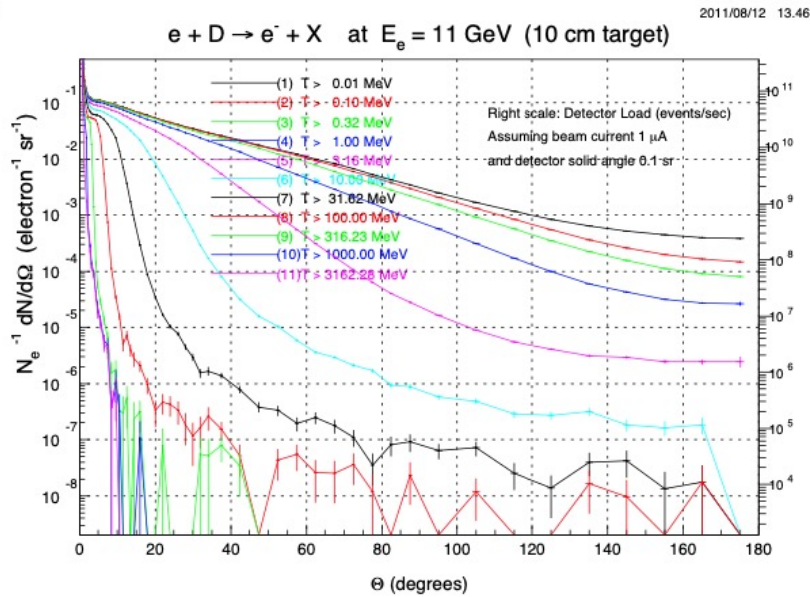


Fig. 8. Collected charge distribution at 10 kV/cm.

60 mm /μs with 2 mm wire spacing => 25 ns time window

# Rate in detector

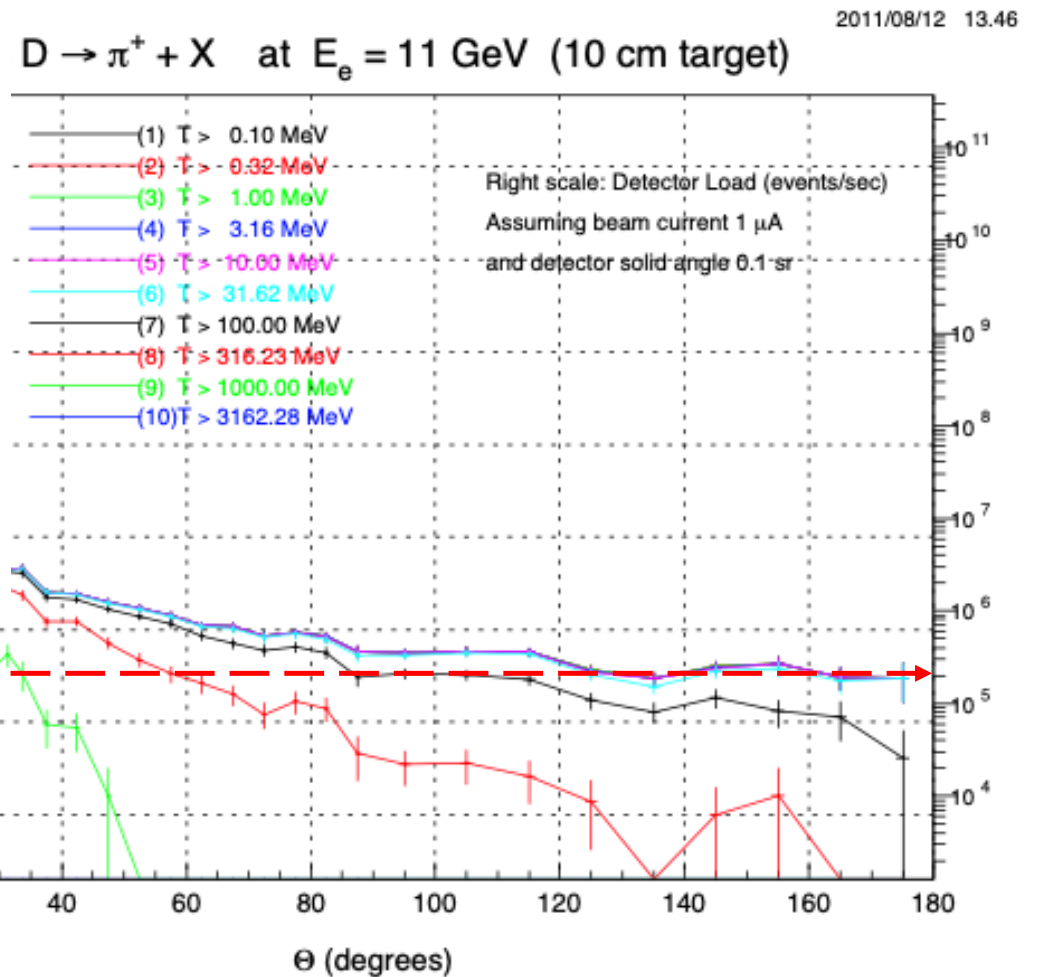
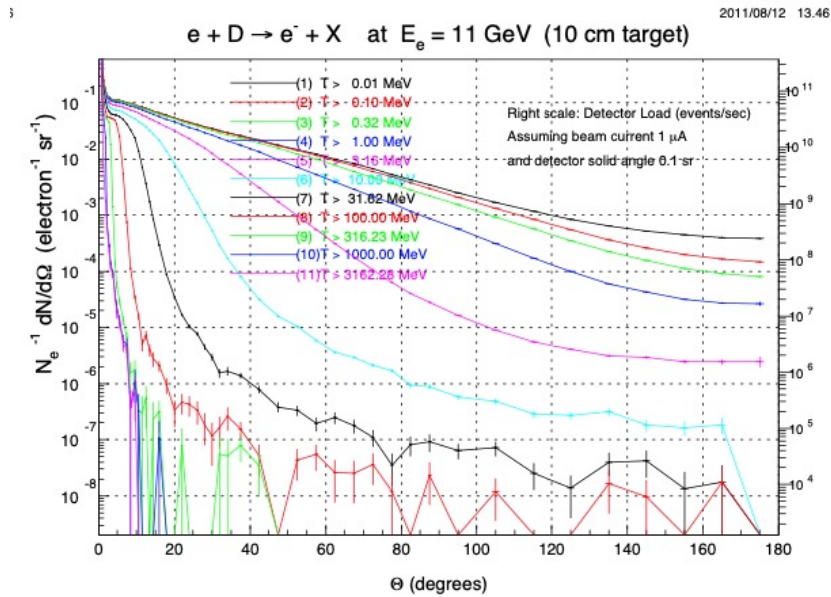
40 msr at 30 degrees for  $3 \times 10^{38}$  luminosity



A magnetic sweeper to keep  $p < 1$  GeV/c out of detector

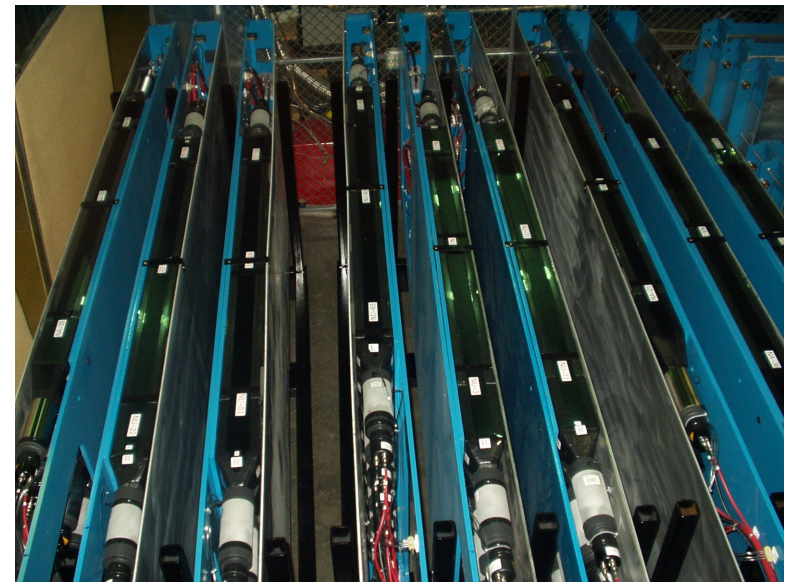
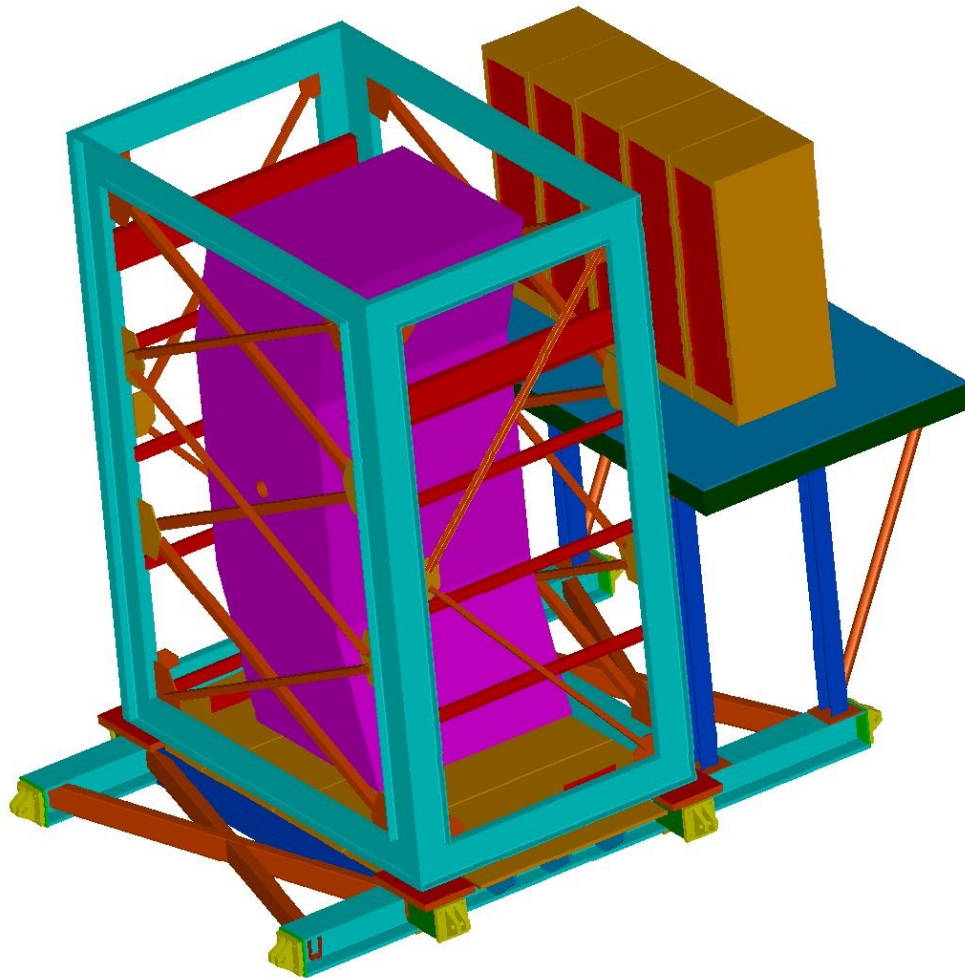
# Rate in detector

40 msr at 30 degrees for  $3 \times 10^{38}$  luminosity

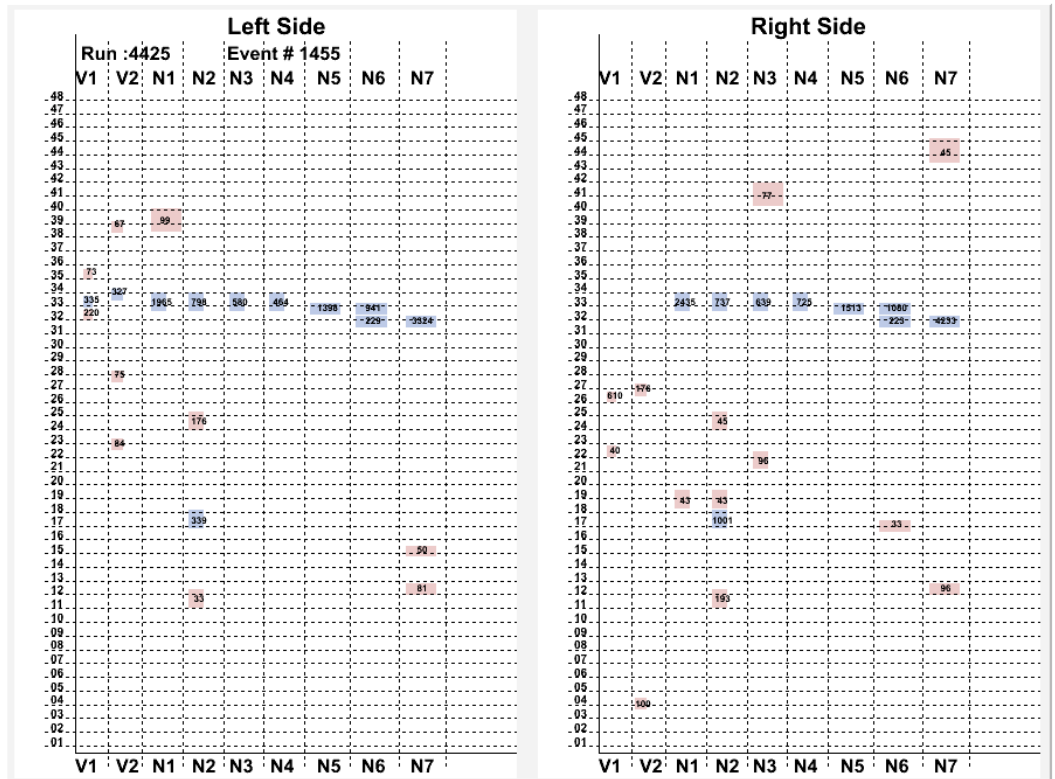


# Backup slides

# Neutron arm in GEn-I

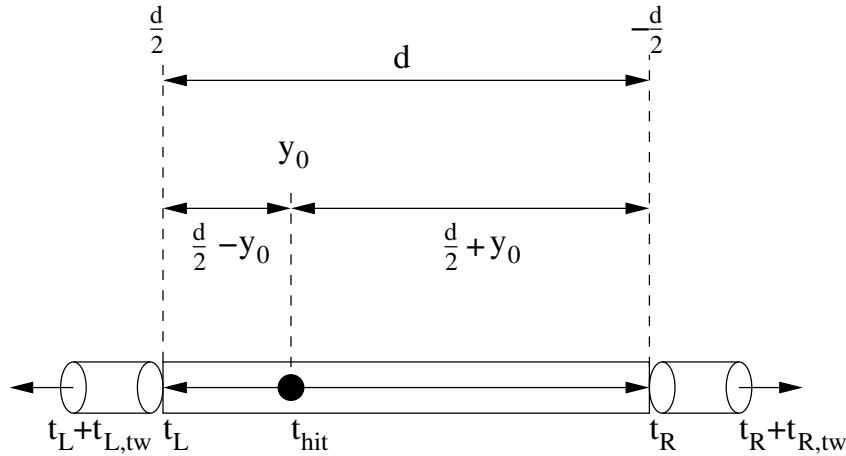


# GEN-I neutron arm

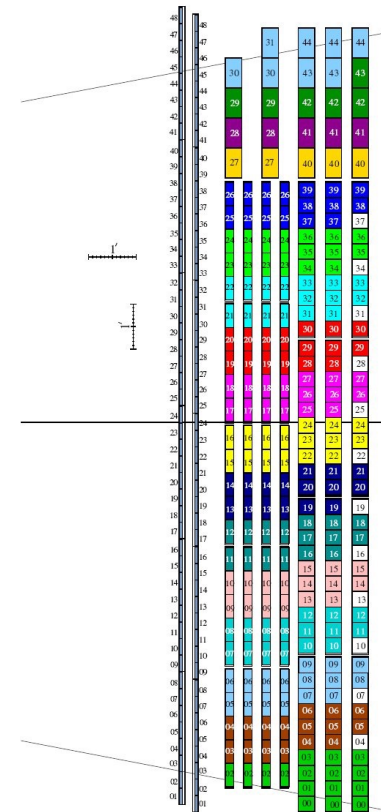
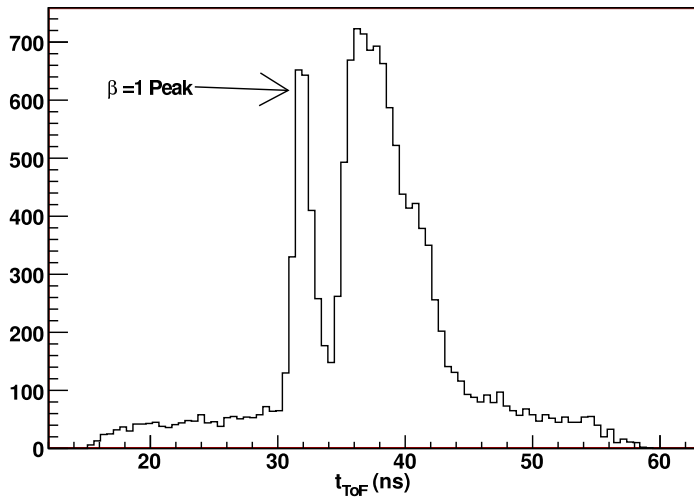


200 veto counters, ~300 neutron bars; ~800 PMTs

# Time-of-flight

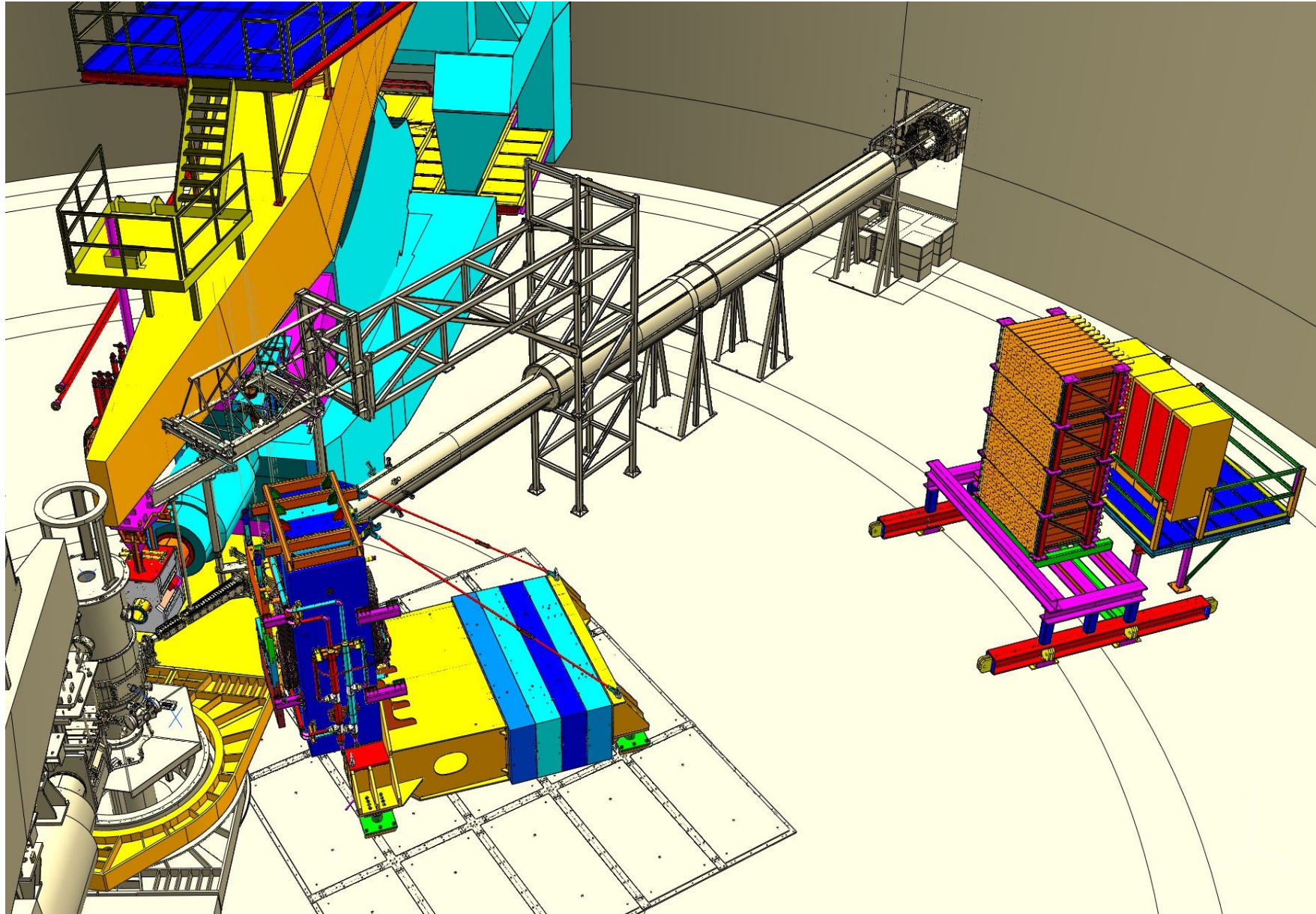


Time of Flight Distribution -  $W > 1.15$  GeV - Charged Clusters





# SBS neutron arm



# SBS neutron arm

