

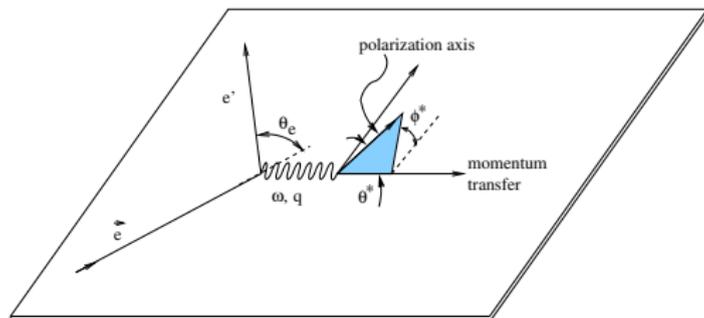
The Electric Form Factor of the Neutron for SBS

Seamus Riordan
Stony Brook University
seamus.riordan@stonybrook.edu

July 21, 2016

G_E/G_M at high Q^2 - Spin Observables, Pol. Target

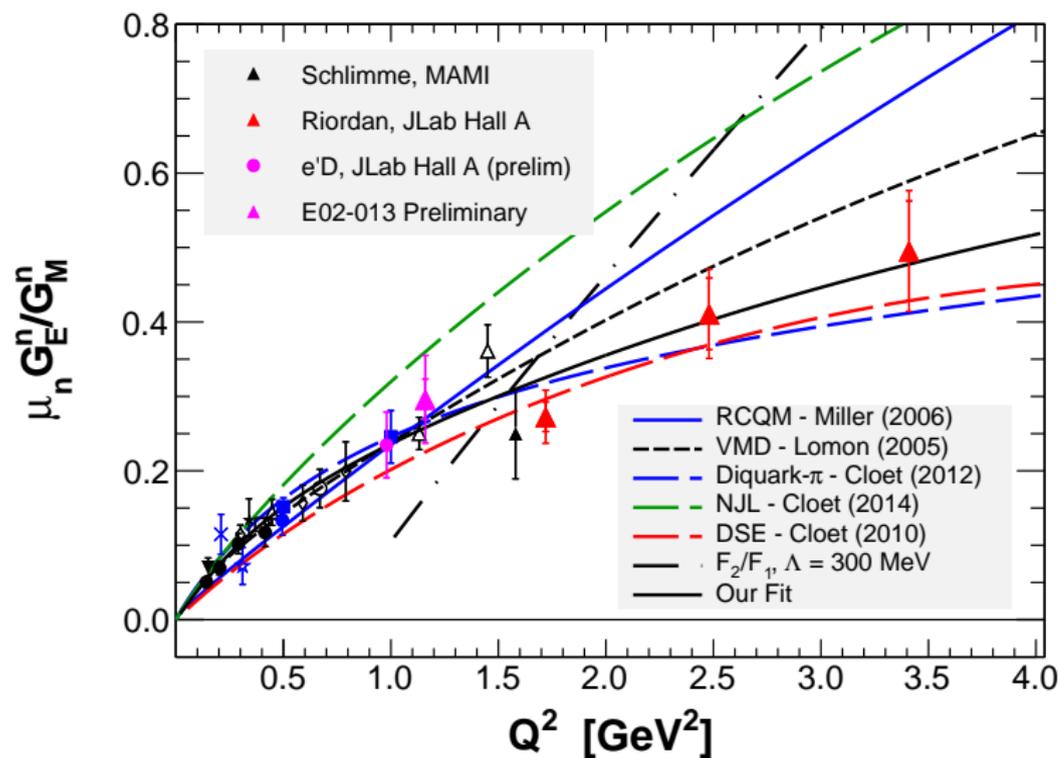
Long. polarized beam/polarized target transverse to \vec{q} in scattering plane



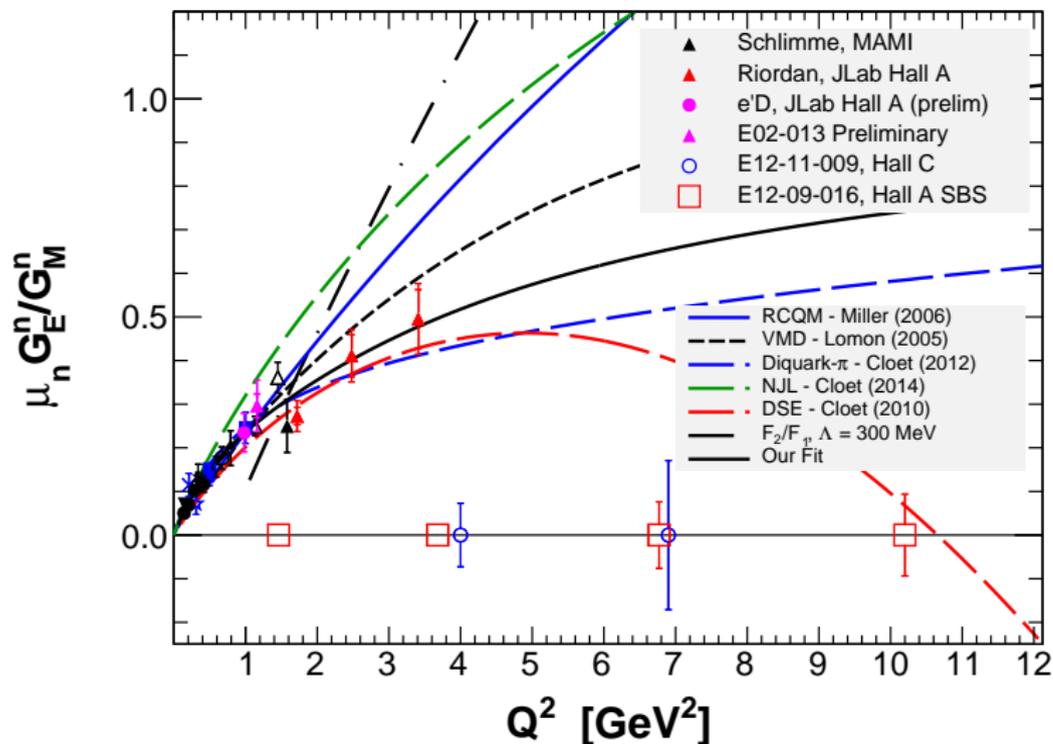
Helicity-dependent asymmetry roughly proportional to G_E/G_M

$$\frac{\sigma_+ - \sigma_-}{\sigma_+ + \sigma_-} \approx A_{\perp} = -\frac{2\sqrt{\tau(\tau+1)} \tan(\theta/2) G_E/G_M}{(G_E/G_M)^2 + (\tau + 2\tau(1 + \tau) \tan^2(\theta/2))}$$

Neutron Form Factors

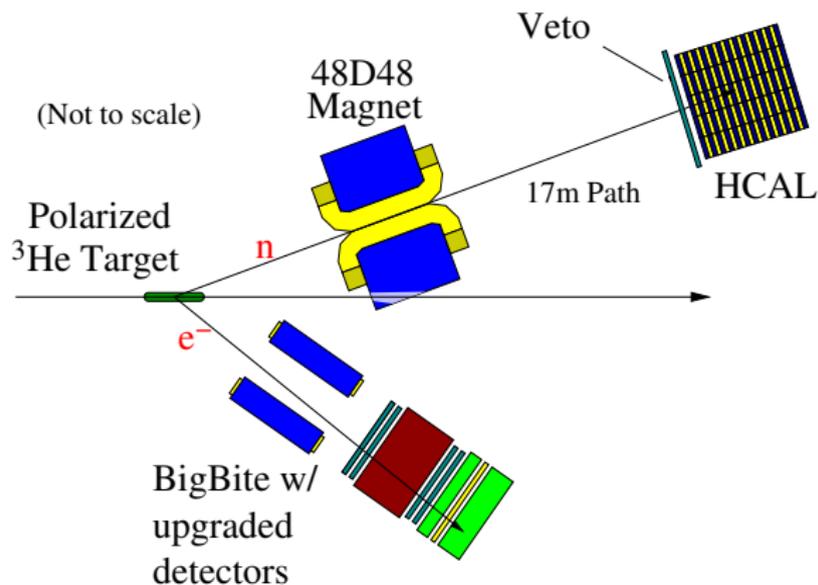


Neutron Form Factors



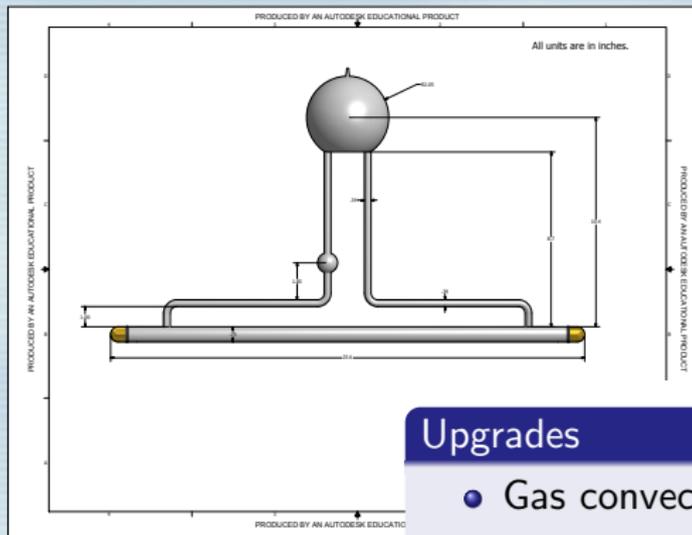
• Models for G_E^n are highly divergent for high Q^2

High Q^2 G_E^n Experimental Layout



- Upgraded Bigbite detector stack for higher rates, better PID
- Hadron calorimeter at 17 m
- Place magnet $B \cdot dl = 1.7 \text{ T} \cdot \text{m}$ at 2.8 m from target to deflect protons

Target cell design for SBS G_E^n experiment



- 60 cm target-chamber length will deliver design
- Convection-based design, now well tested in Pro
- Contains 6 STP liters of ^3He in 750 cm^3 volume
- Will use copper metal end windows with gold el

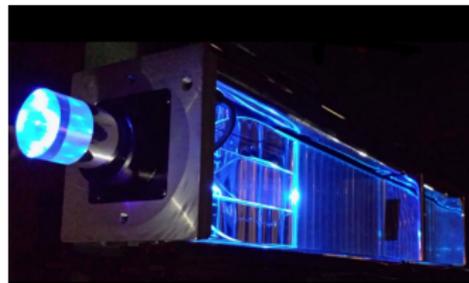
Upgrades

- Gas convection
- Metal windows
- $10\ \mu\text{A} \rightarrow 60\ \mu\text{A}$
- 40 cm \rightarrow 55 cm
- $P = 45\% \rightarrow 60\%$

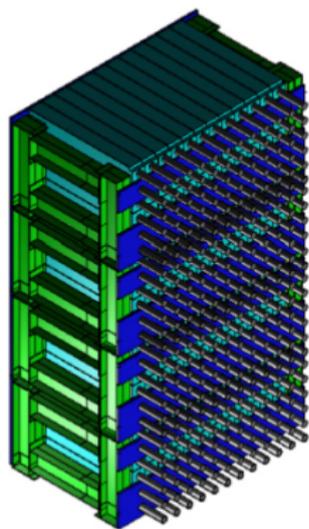
Wednesday, October 21, 15

Stolen from Gordon Cates

- HCAL uses $12 \times 24 \times 15 \times 15 \text{ cm}^2$ iron/scintillator design for hadron calorimetry
- 48D48 removes background and deflects protons out of QE acceptance - loss of 20% statistics at 2.8 m for extended target
 - Spatial resolution of 1.5 cm \rightarrow 10 mrad
 - ToF resolution critical for QE selection - see later slides
 - Detector plane can provide additional PID



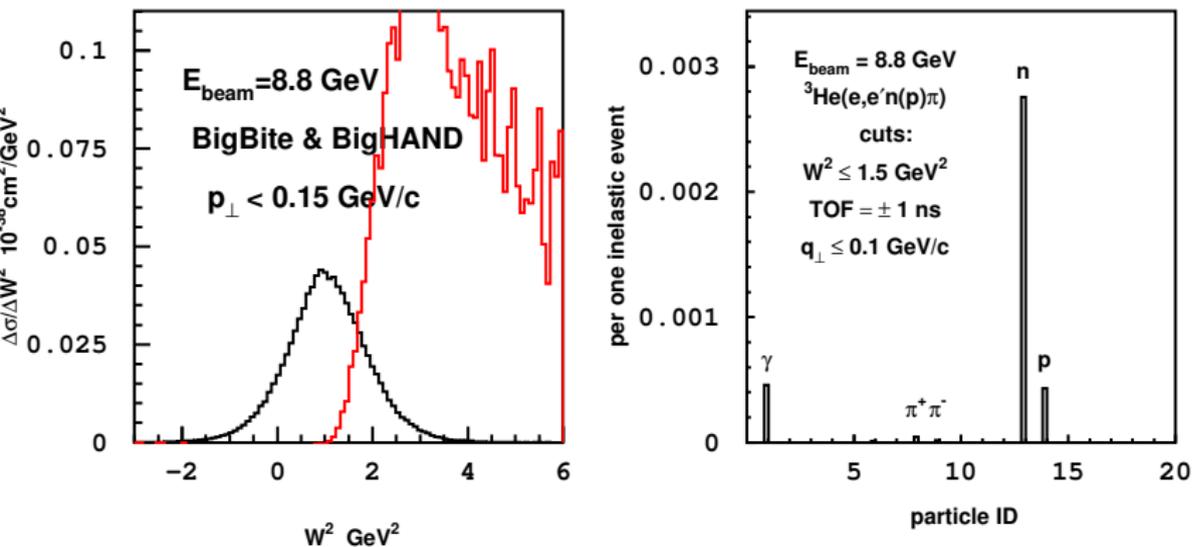
- HCAL uses $12 \times 24 \times 15 \times 15 \text{ cm}^2$ iron/scintillator design for hadron calorimetry
- 48D48 removes background and deflects protons out of QE acceptance - loss of 20% statistics at 2.8 m for extended target



- Spatial resolution of 1.5 cm \rightarrow 10 mrad
- ToF resolution critical for QE selection - see later slides
- Detector plane can provide additional PID

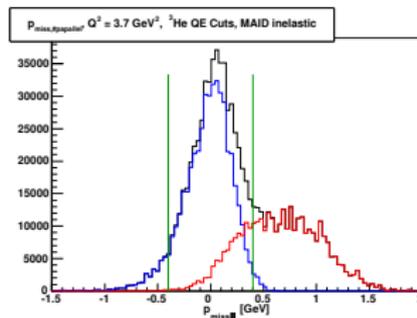
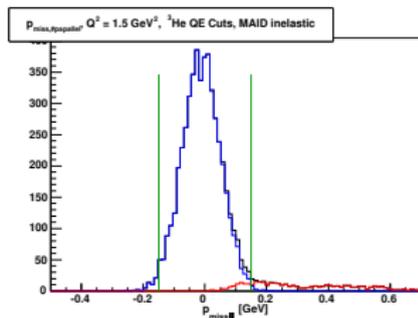
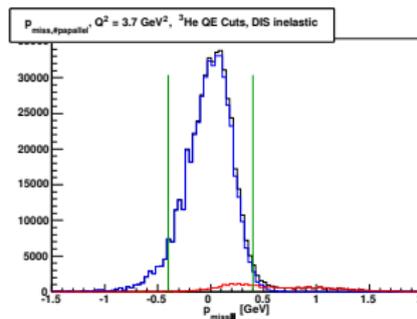
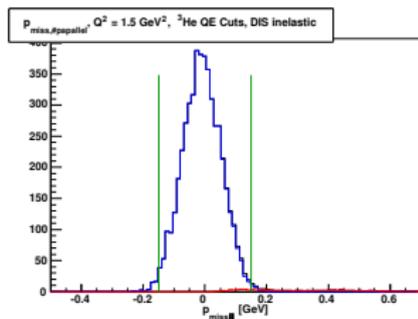
Quasielastic Selection and Backgrounds

- Cuts on missing momenta (θ_{pq} and ToF), invariant mass allow for suppression of inelastic events
- Inelastics can be corrected using Monte Carlo with MAID or sideband subtraction/deconvolution



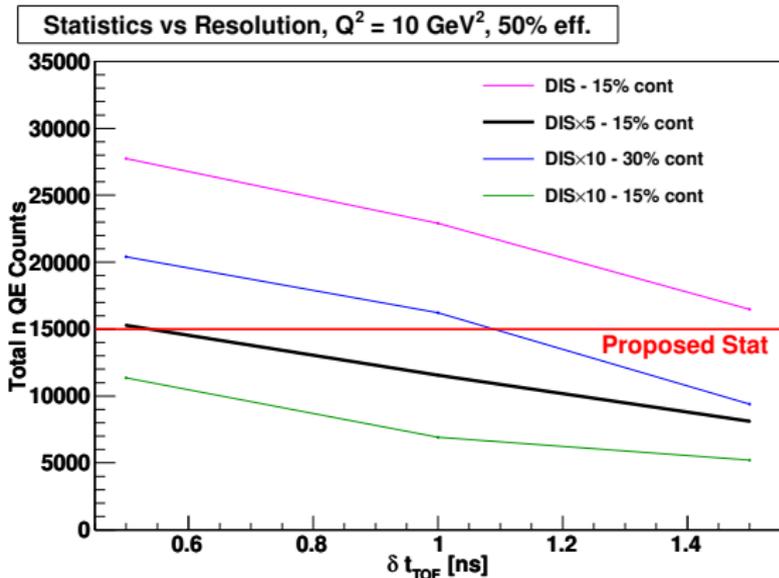
- Background mostly neutrons, photons probably removable with energy resolution, some inelastic protons

$$\delta t = 0.5 \text{ ns}$$



Black - all, blue - QE, red - Inelastic

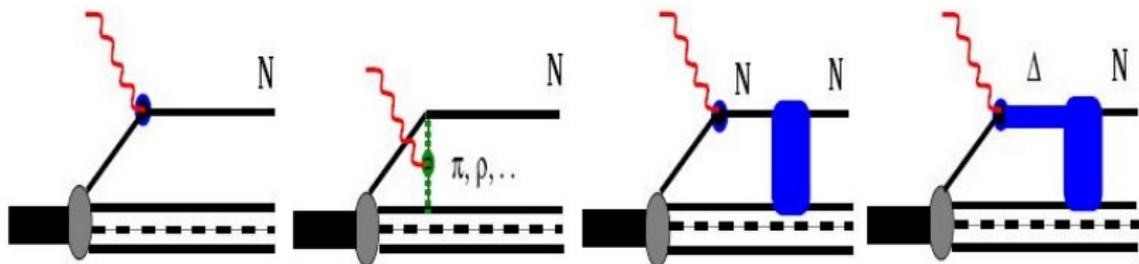
Counts vs. Time of Flight Resolution



- Scaling DIS $\times 5$, 15% contamination needs about 0.5 ns resolution
- Could probably do OK with 1 ns resolution, loss of 20% statistics

Nuclear Corrections

- Nuclear effects evaluated by M. Sargsian in Generalized Eikonal Approximation
 - Determine effective neutron/proton polarization
 - Evaluate rescattering effects on asymmetry
- Considers four main diagrams

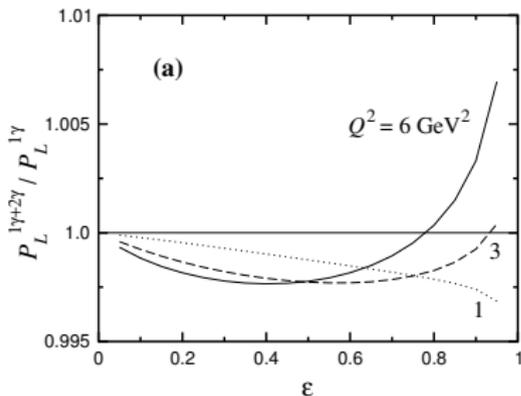
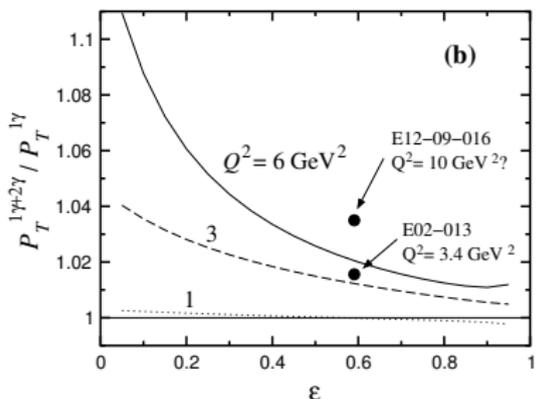


- PWIA, MEC, FSI, IC

Needs to be redone for new kinematics

Two Photon Effects

- Two photon effects for polarized target related to effects in polarization transfer
- Only considered proton ground state for box diagrams
- Assuming similar size correction as proton:



Blunden, Melnitchouk, Tjon, Phys. Rev. C 72, 034612 (2005)

Requirements for Instrumentation in G_E^n/G_M^n Measurement

To achieve $\sim 10\%$ at $Q^2 = 10 \text{ GeV}^2$ given luminosity $6 \times 10^{36} \text{ Hz/cm}^2$
 (60 cm target, 60 μA), 60% polarization:

BigBite Requirements		Nucleon Arm Requirements	
	2 $150 \times 40 \text{ cm}^2$ chambers	N acceptance	30 msr
	2 $200 \times 50 \text{ cm}^2$ chambers	p_n	1 – 10 GeV
e^- acceptance	40 msr	Angular Range	17 – 40°
p_e	1 – 3.0 GeV	$\delta\theta_{p_n}$	10 mrad
δp_e	1%	δt_{ToF}	0.5 ns
Angular Range	35 – 40°	$B \cdot dl$	1.7 T · m
e^- detector rates	100 kHz/cm ²	Total rate	20 kHz
e^- ToF	0.25 ns		
δE	$\sim 10\%$		
π rejection	100-300:1		
$\delta\theta_e$	~ 1 mrad		
δv_z	~ 0.5 cm		

- G_E^n can be measured to $Q^2 = 10 \text{ GeV}^2$ with SBS to $\sim 10 - 20\%$ accuracy
- HCAL needs ToF resolution on order of $0.5 - 1 \text{ ns}$
- Upgraded target that can handle $60 \mu\text{A}$ with 60% polarization required
- Other requirements fall within SBS definitions

BACKUP SLIDES

Polarized Target Measurements - Nulling asymmetry

Long. polarized beam/polarized transverse to \vec{q} in scattering plane

$$\begin{aligned}\frac{\sigma_+ - \sigma_-}{\sigma_+ + \sigma_-} &= A_{\perp} \sin \theta^* \cos \phi^* + A_{\parallel} \cos \theta^* \\ &= -\frac{2\sqrt{\tau(\tau+1)} \tan(\theta/2) G_E/G_M \sin \theta^* \cos \phi^*}{(G_E/G_M)^2 + (\tau + 2\tau(1+\tau) \tan^2(\theta/2))} \\ &\quad -\frac{2\tau\sqrt{1+\tau + (1+\tau)^2 \tan^2(\theta/2)} \tan(\theta/2) \cos \theta^*}{(G_E/G_M)^2 + (\tau + 2\tau(1+\tau) \tan^2(\theta/2))}\end{aligned}$$

- A_{\parallel} provides “reference asymmetry” that is mostly dependent just on kinematic variables
- Setting A_{\parallel} and A_{\perp} to cancel by rotating target pol. angle reduces uncertainties contributed by scaling effects in asymmetry such as target and beam polarization
- Need to know G_E^n a priori to do it correctly, only for low Q^2

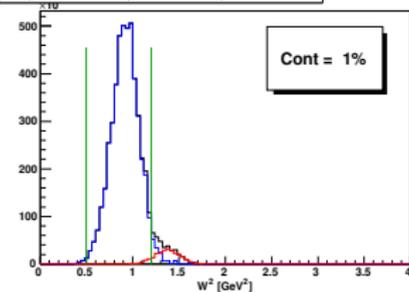
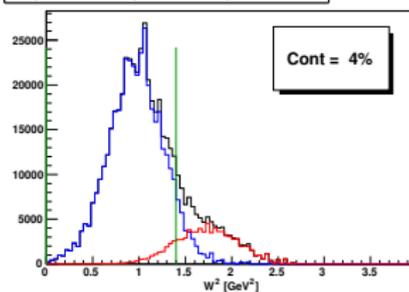
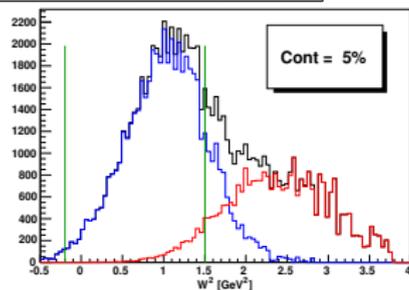
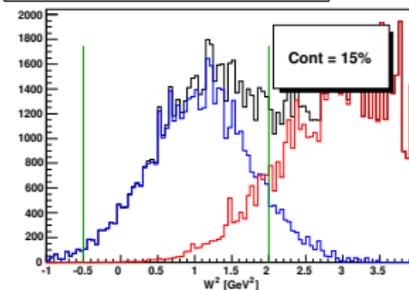
Assuming Galster for G_E^n , Kelly for G_M^n :

Q^2 [GeV ²]	time [days]	stat [%]	sys [%]
1.5	1	1.3	2.4
3.7	2	6.0	4.4
6.8	4	19.8	7.3
10.2	31	22.5	6.6

Systematic uncertainties to asymmetries at highest Q^2

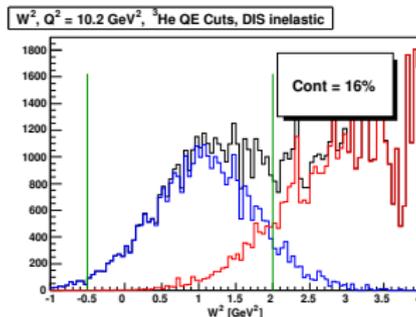
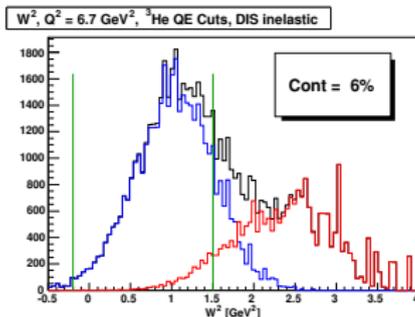
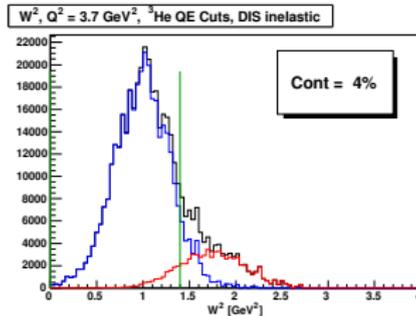
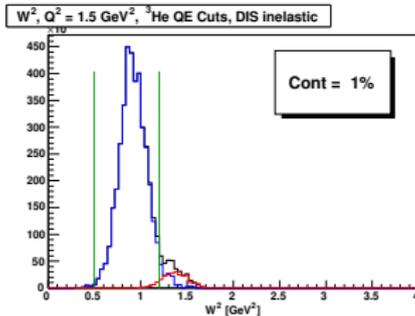
Quantity	Expected Value	Rel. Uncertainty
Beam polarization P_e	0.85	2.4%
Target polarization $P_{3\text{He}}$	0.60	3.3%
Neutron polarization P_n	0.86	2.3%
Nitrogen dilution D_{N_2}	0.94	2.1%
Background dilution D_{back}	0.95	< 1%
Final state interactions	0.95	2.1%
Inelastic correction	0.8-1.2	5.0%
Angular error from A_{\parallel}		< 1%
Systematic error in G_E^n/G_M^n		6.6%

$$\delta t = 1.0 \text{ ns}$$

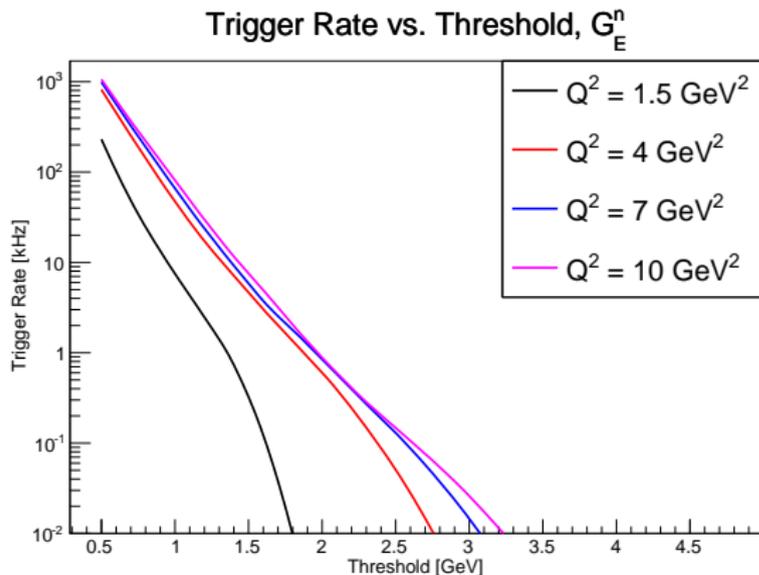
 $W^2, Q^2 = 1.5 \text{ GeV}^2, {}^3\text{He QE Cuts, DIS inelastic}$

 $W^2, Q^2 = 3.7 \text{ GeV}^2, {}^3\text{He QE Cuts, DIS inelastic}$

 $W^2, Q^2 = 6.7 \text{ GeV}^2, {}^3\text{He QE Cuts, DIS inelastic}$

 $W^2, Q^2 = 10.2 \text{ GeV}^2, {}^3\text{He QE Cuts, DIS inelastic}$


- Adjusting cuts so contamination is about the same, loss of statistics is about 20%

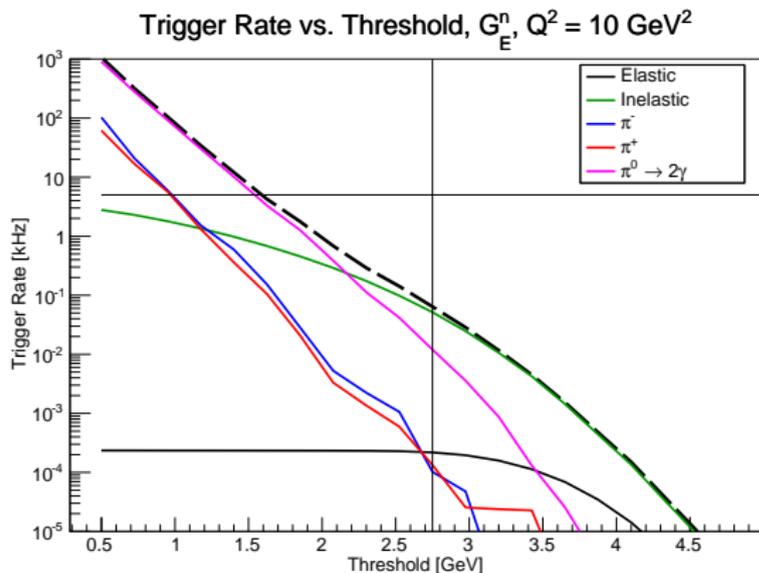
$$\delta t = 1.5 \text{ ns}$$



- Adjusting cuts so contamination is about the same, loss of statistics is about 50%

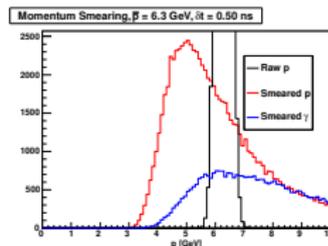
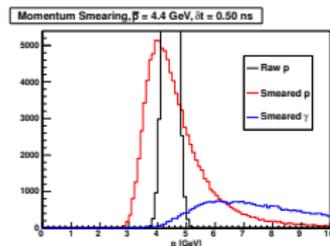
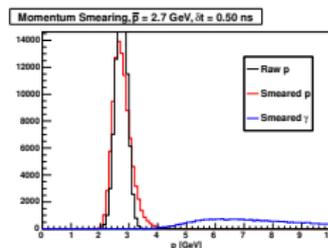
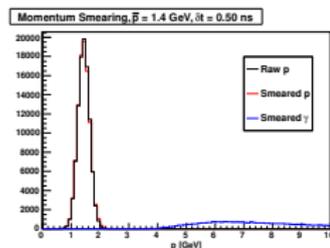


- Rates above include elastic e^- , DIS e^- , and π^{+-0}
- Single arm shower/preshower (with ps cut) keeps will have $< 2 \text{ kHz}$ trigger rate without affecting QE cuts
- Need to allow some inelastic in trigger - prescale lower threshold



- Rates above include elastic e^- , DIS e^- , and π^{+-0}
- Single arm shower/preshower (with ps cut) keeps will have $< 2 \text{ kHz}$ trigger rate without affecting QE cuts
- Need to allow some inelastic in trigger - prescale lower threshold

Smearing and Photons



- Smearing ToF is asymmetric in p
- For highest momentum transfers $\beta = 1$ particles can get smeared in (from small $p_{m,\parallel}$)
- 48D48 and energy resolution of HCAL should suppress
- π^0 production could contribute - need to study responses, rates