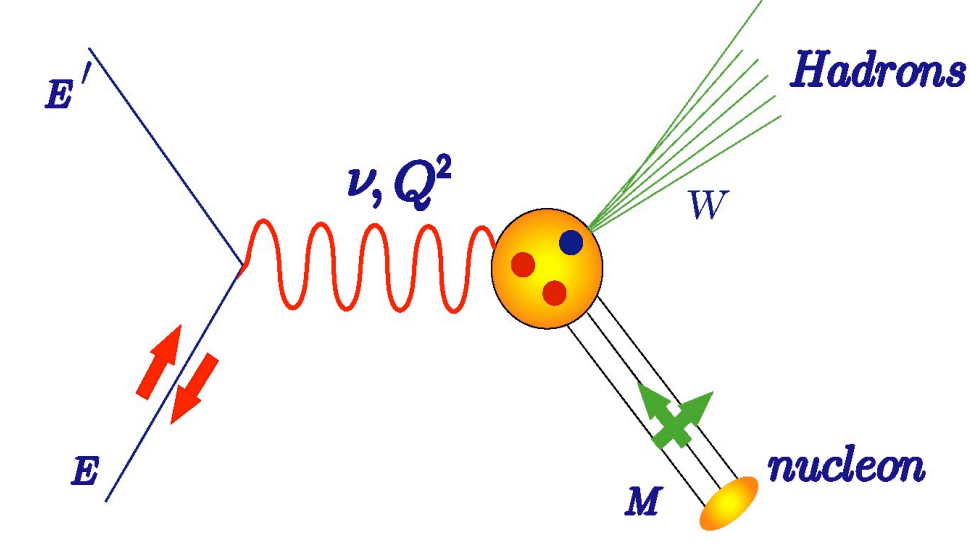
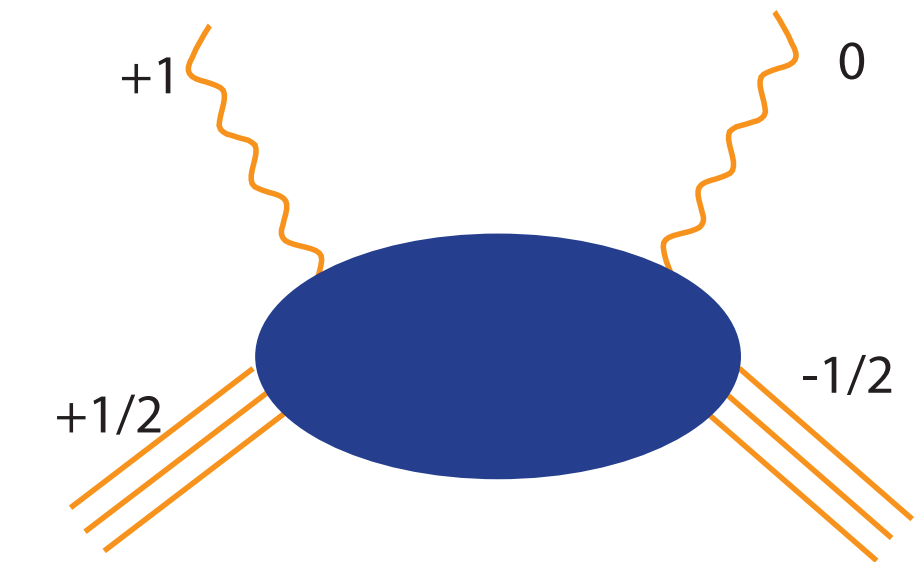


## INTRODUCTION

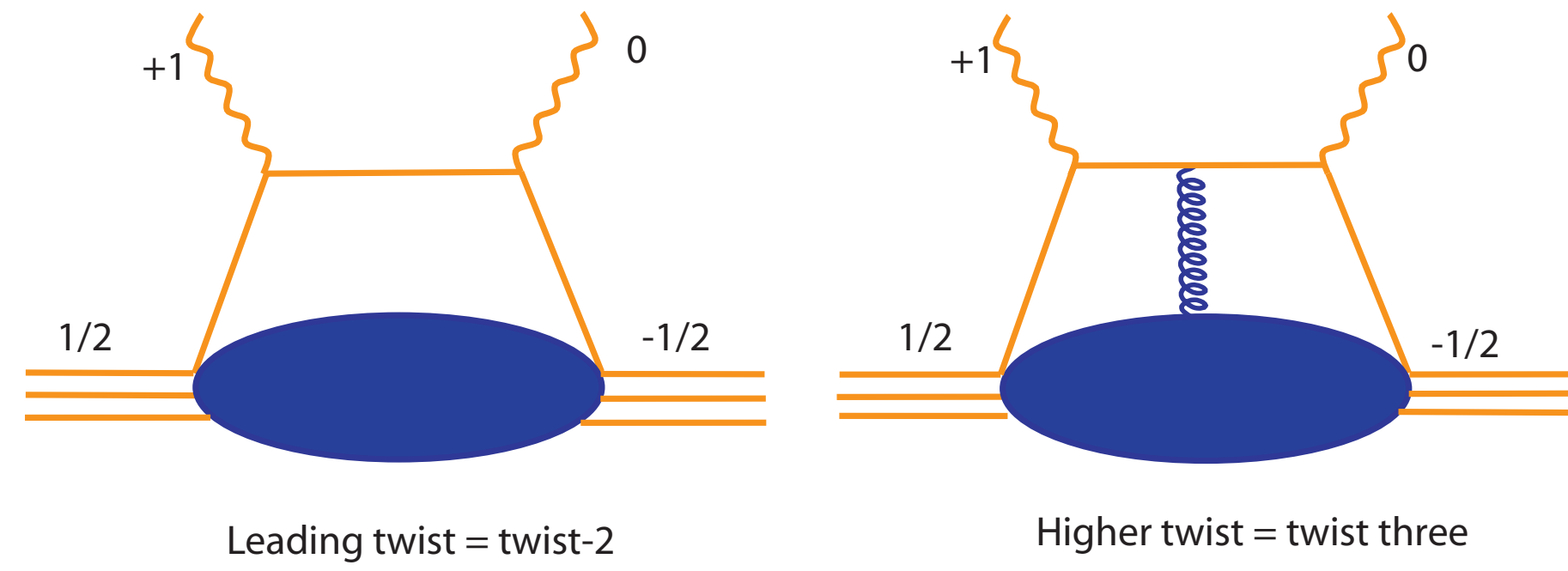
Our experiment focuses on the spin structure of the neutron. To better understand this spin content, we probe the nucleon using a high energy longitudinally polarized electron beam focused on a polarized <sup>3</sup>He target, acting as an effective neutron target. The electrons will then interact with the neutrons in the target via the exchange of a virtual photon, which probes inside the neutron:



This exchange gives access to the *spin structure functions*  $g_1$  and  $g_2$ . These structure functions may be accessed due to having a polarized beam and two different polarizations of the target.  $g_2$  contains information concerning quark-gluon correlations via the imaginary part of the process:



This is a *t*-channel helicity exchange process, composed of two parts:



$d_2^n$  is written as the second moment of a linear combination of  $g_1$  and  $g_2$ :

$$d_2^n = \int_0^1 x^2 [2g_1(x, Q^2) + 3g_2(x, Q^2)] dx = \int_0^1 \bar{d}_2^n dx$$

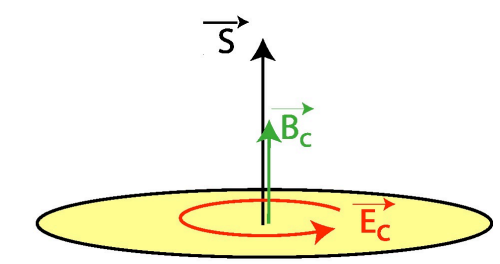
## INTERPRETATIONS OF $d_2^n$

In terms of the electric ( $\chi_E$ ) and magnetic ( $\chi_B$ ) 'polarizabilities':

$$d_2^n = \frac{1}{8} (\chi_E + 2\chi_B)$$

At low  $Q^2$ :

- Analogy to a polarized atom in an external electric field
- The virtual photon wavelength is larger than the nucleon size, the electromagnetic field of the virtual photons associated with  $g_2$  in the interaction will appear as uniform over the nucleon volume. Subsequently,  $d_2^n$  is associated with *spin polarizabilities*<sup>1</sup>



At high  $Q^2$ , the *interpretation* changes:

- When the incoming electrons interact with one of the quarks, it gains energy and tries to move. It feels a 'force' due to the other two quarks (and their associated gluons). This 'force' due to the unaffected constituents is precisely what we call the *response of the color field*<sup>1,2</sup>

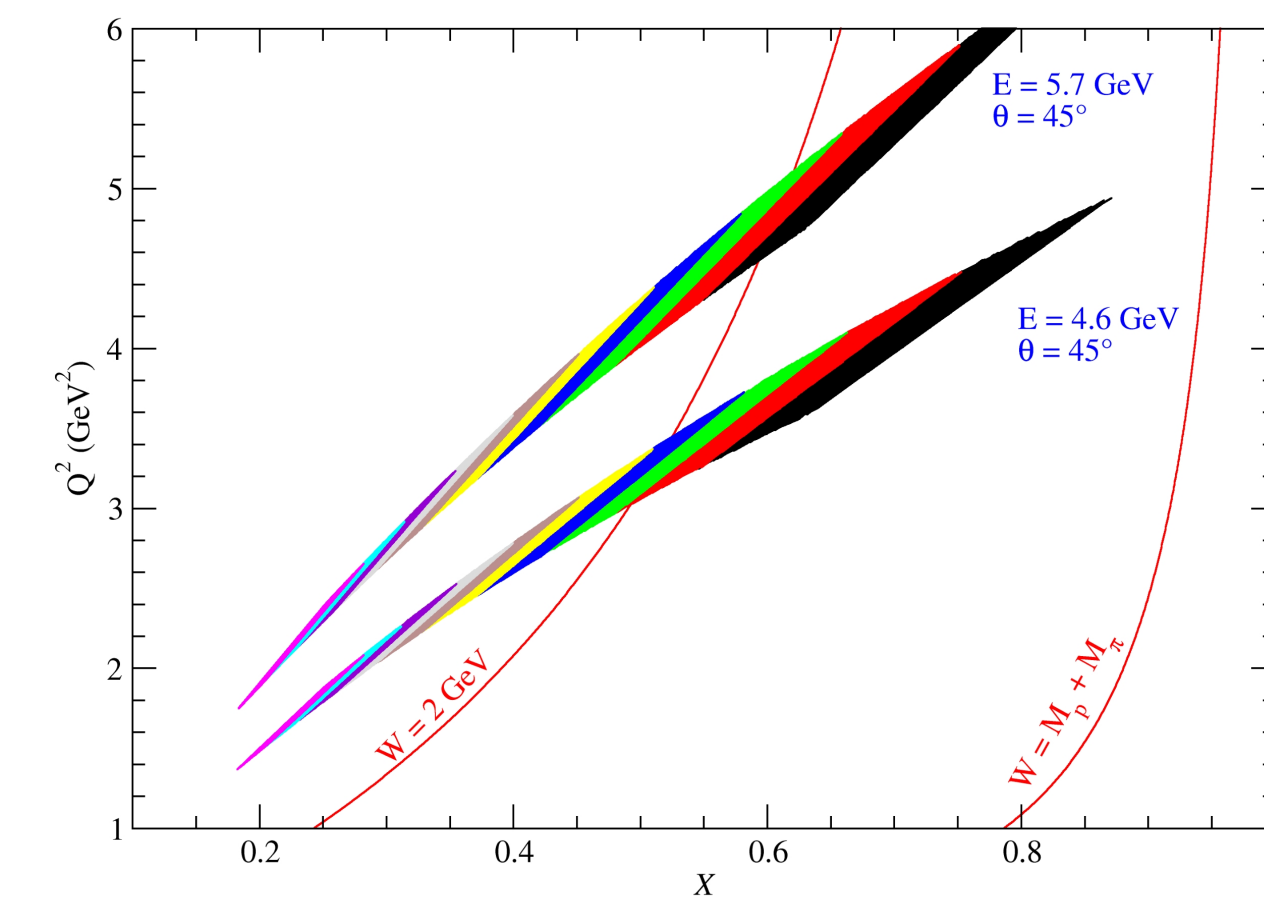
$$F^y(0) \equiv -\frac{\sqrt{2}}{2P^+} \langle P, S | \bar{\psi}_q(0) G^{+y}(0) \gamma^+ \psi_q(0) | P, S \rangle = -\frac{1}{2} M^2 d_2^n$$

## THE MEASUREMENT OF $d_2^n$

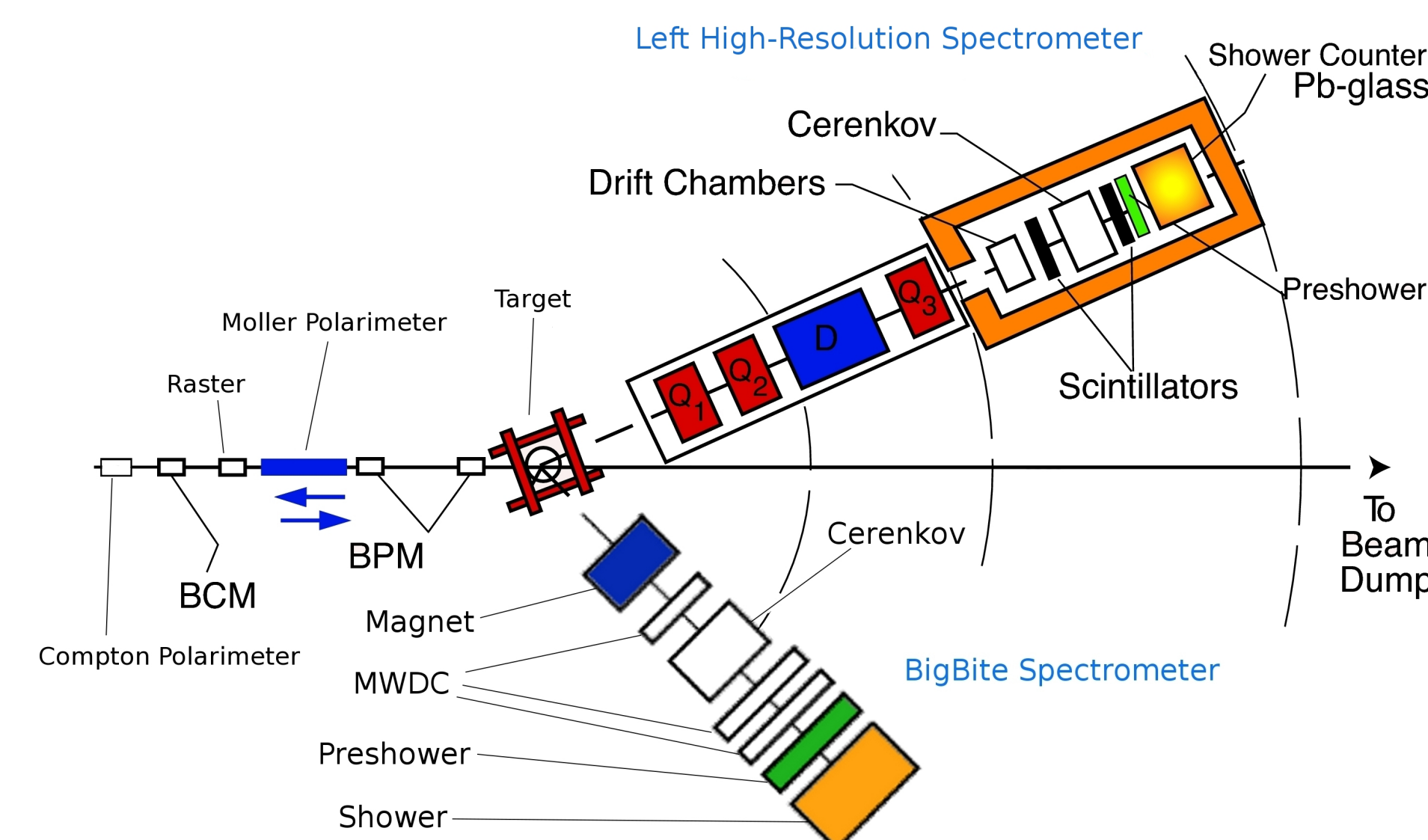
In order to determine  $d_2^n$  experimentally, we measure the unpolarized cross section ( $\sigma_0$ ) and the parallel ( $A_{\parallel}$ ) and perpendicular ( $A_{\perp}$ ) asymmetries. From these measurements, we determine the value of  $d_2^n$  through the relation<sup>3</sup>:

$$\bar{d}_2^n = \frac{MQ^2}{4\alpha^2(1-y)(2-y)} \sigma_0 \times \left[ \left( 3 \frac{1+(1-y)\cos\theta}{(1-y)\sin\theta} + \frac{4}{y} \tan\frac{\theta}{2} \right) A_{\perp} + \left( \frac{4}{y} - 3 \right) A_{\parallel} \right]$$

Kinematic range covered during the experiment:

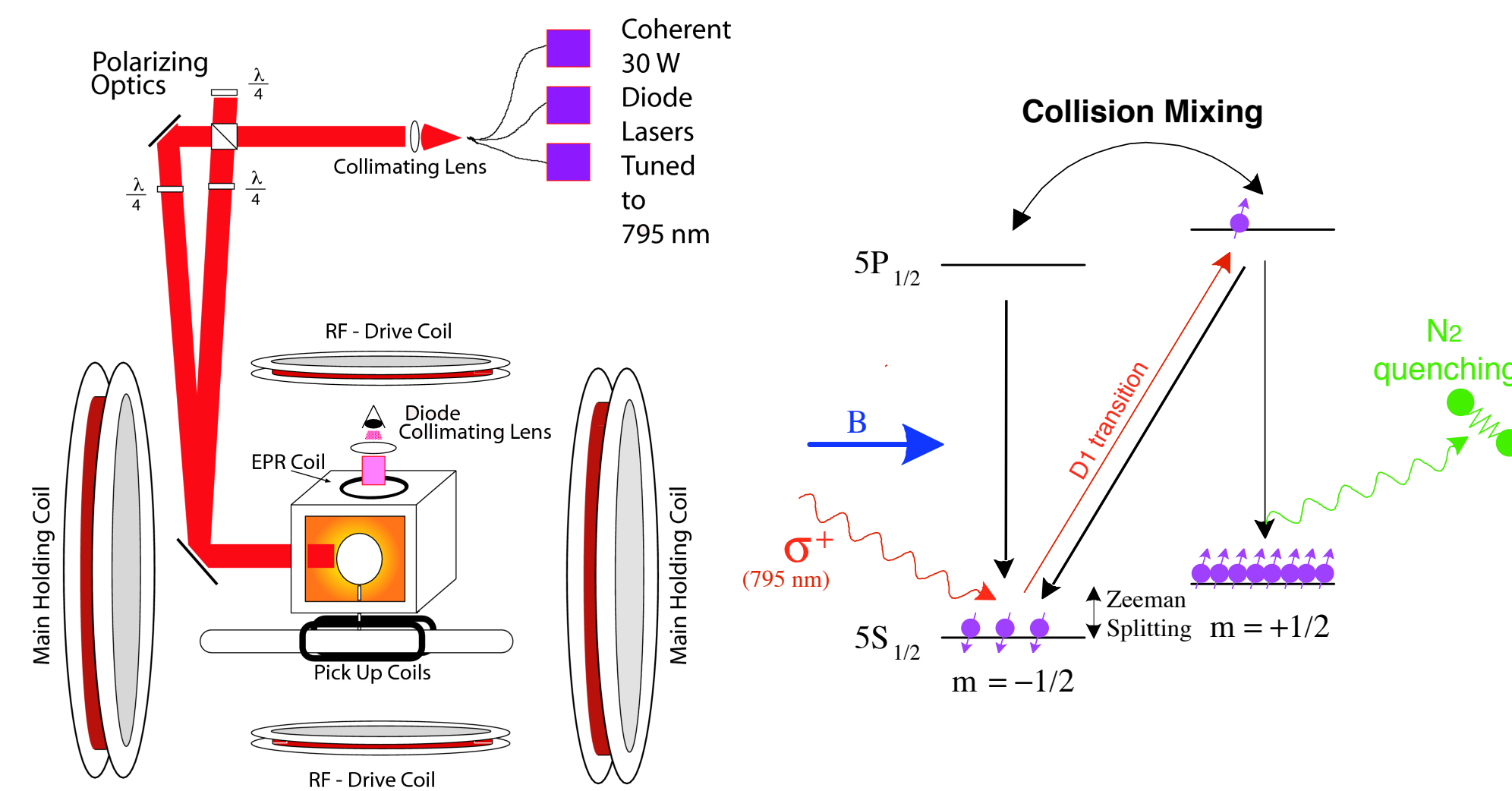


## THE EXPERIMENTAL SETUP (TOP VIEW)



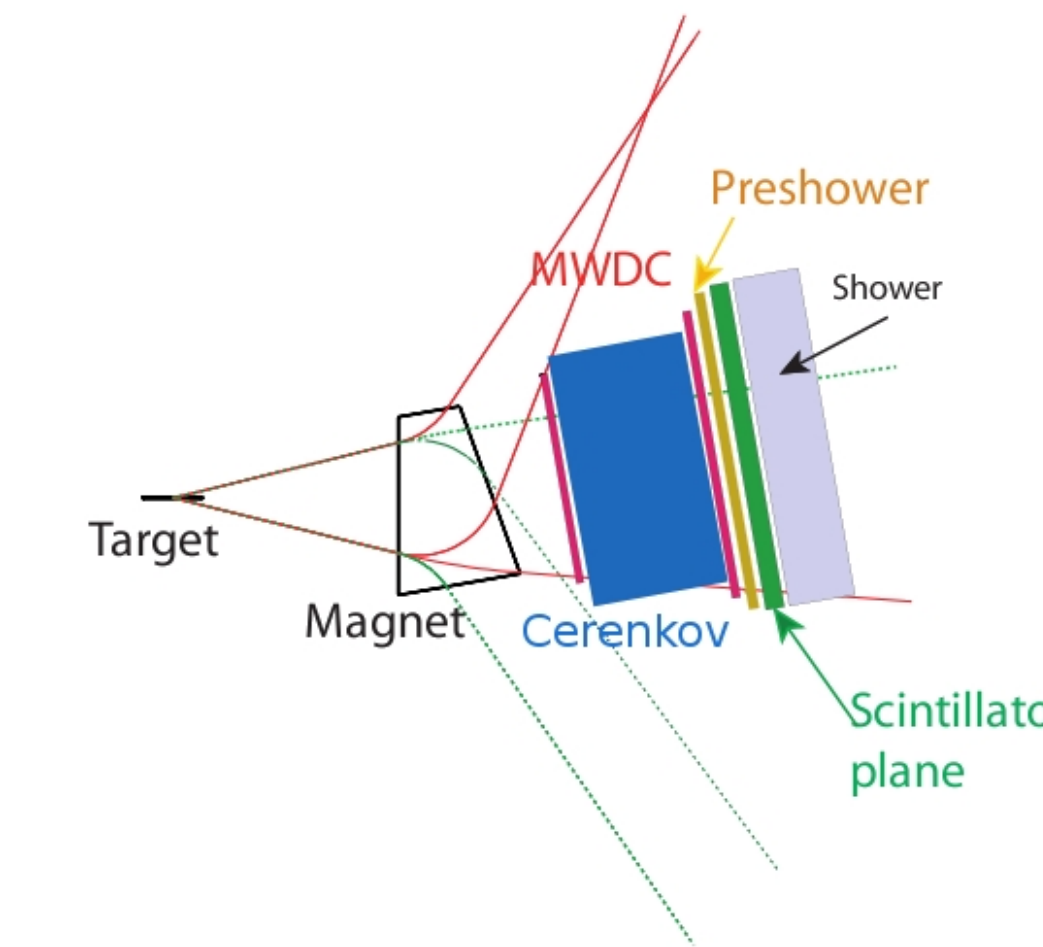
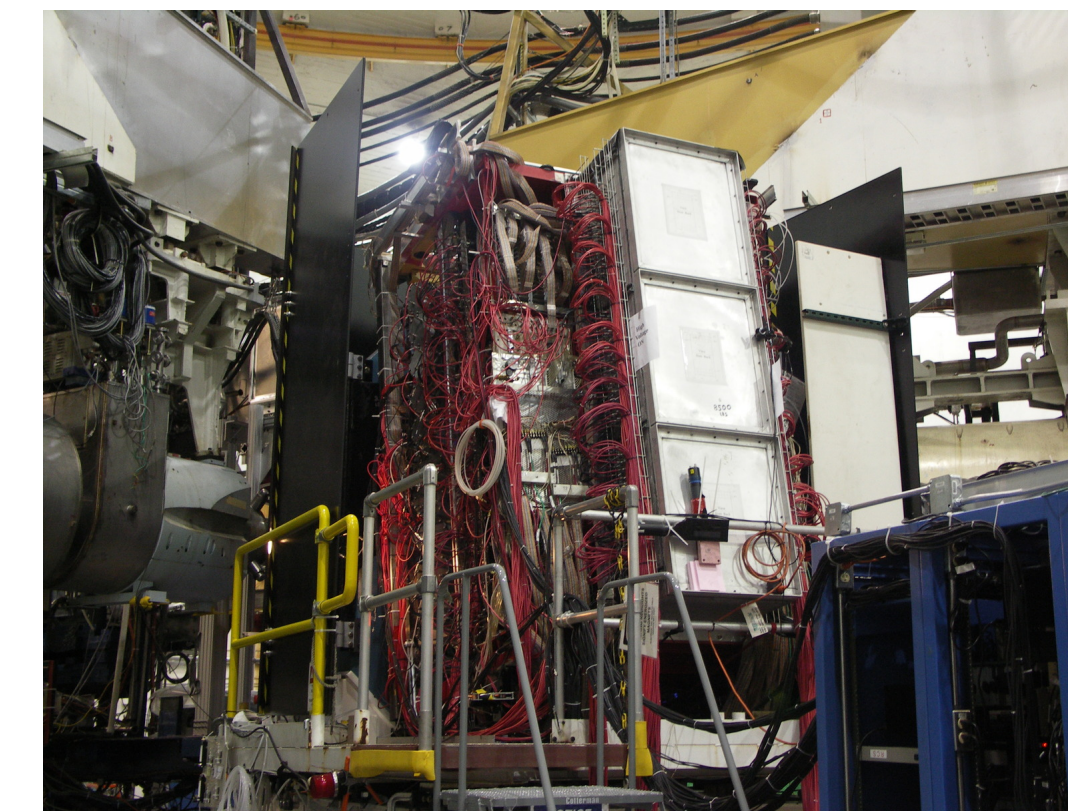
## TARGET

- <sup>3</sup>He serves as an effective neutron target since roughly 86% of the polarization is carried by the neutron. This is due to the two protons in the nucleus being primarily bound in a spin singlet state<sup>4,5</sup>
- The pumping chamber sits just above the target chamber filled with <sup>3</sup>He and small amounts of Rubidium and Potassium to assist in the polarization process
  - <sup>3</sup>He is polarized via *double spin exchange* from Rb to K, and then from K to <sup>3</sup>He



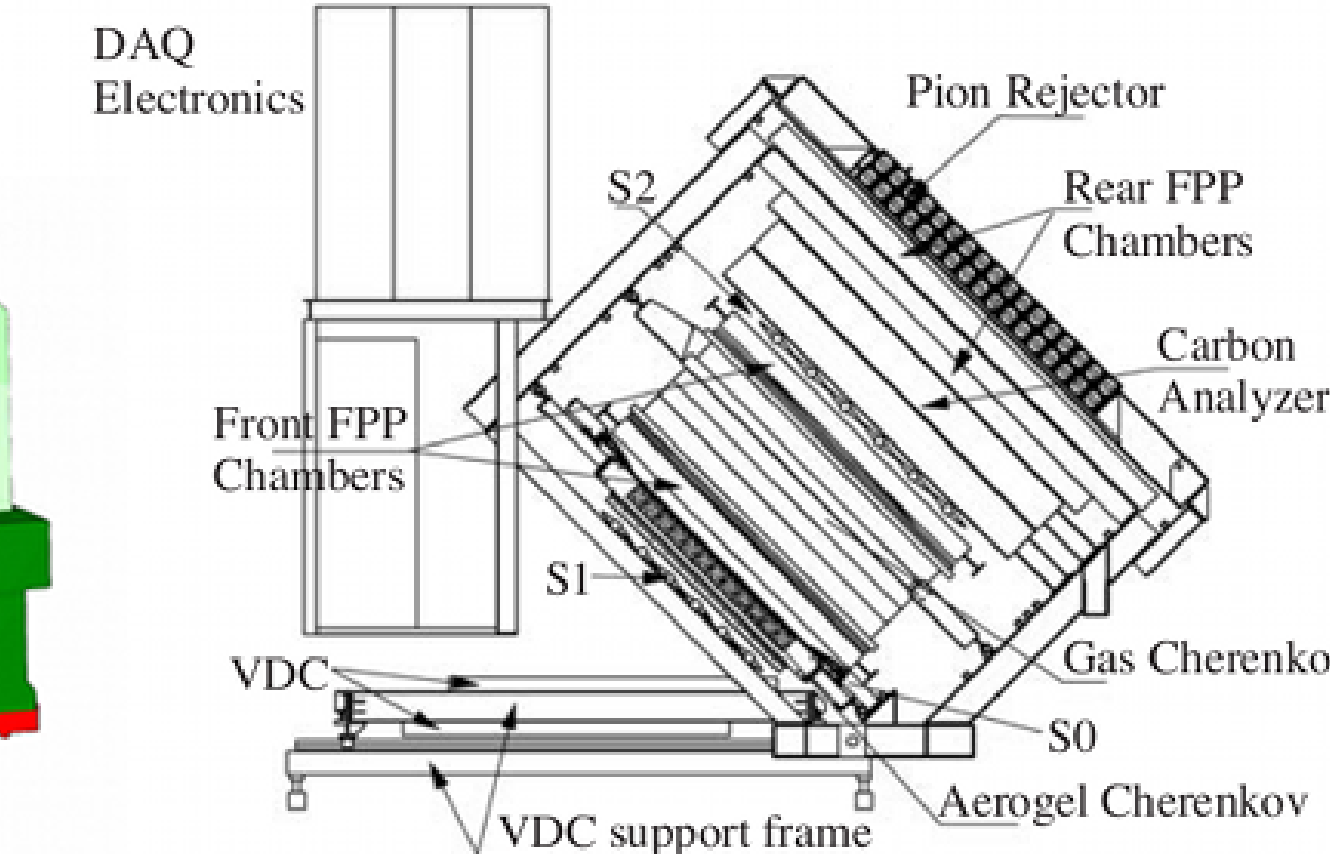
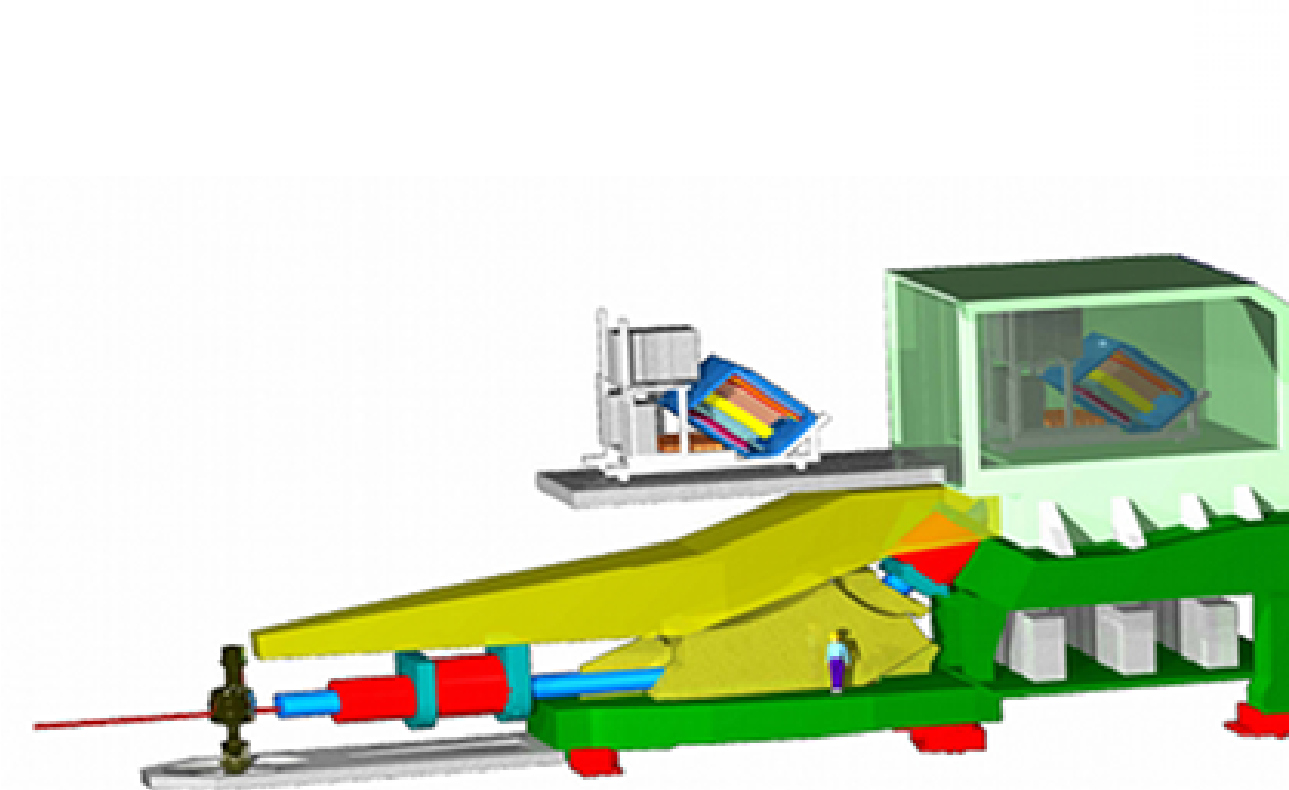
## BIGBITE SPECTROMETER

- Three sets of Multiwire Drift Chambers (MWDC) to track the particle trajectories
- A gas Čerenkov counter and a double layer lead glass calorimeter for pion rejection
- A set of scintillators for triggering on charged particles
- Measures parallel ( $A_{\parallel}$ ) and perpendicular ( $A_{\perp}$ ) asymmetries



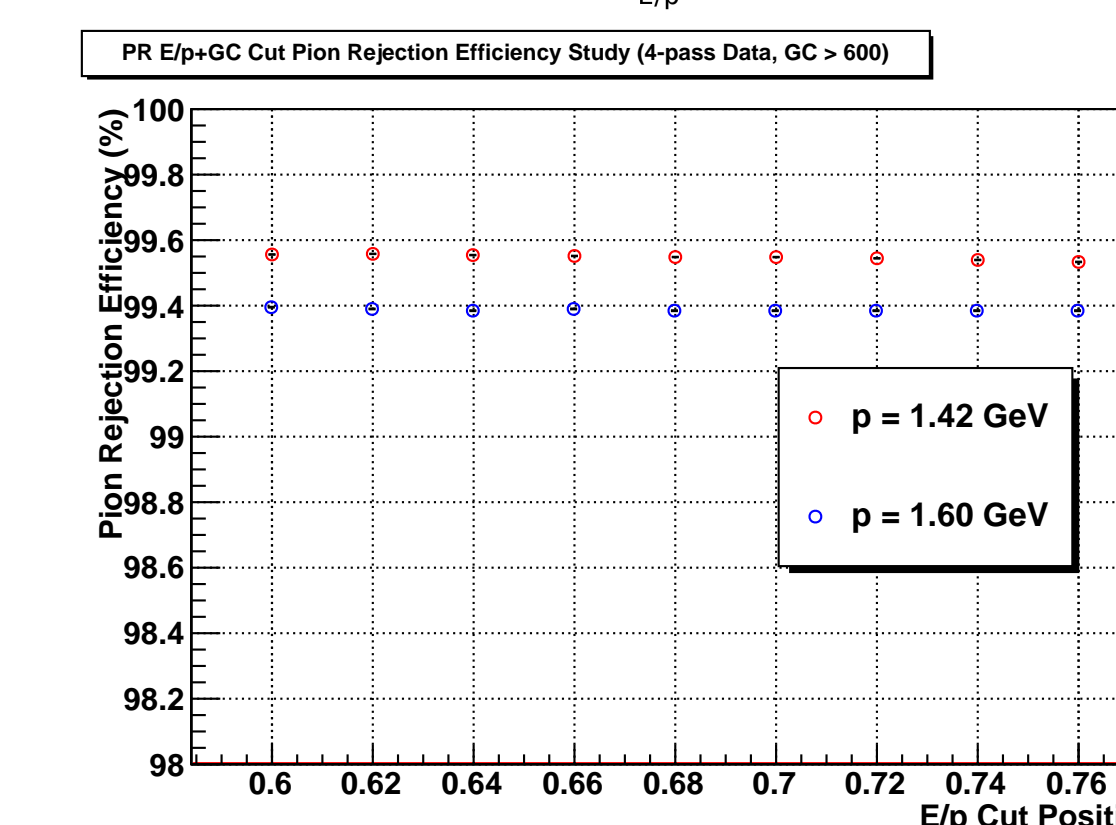
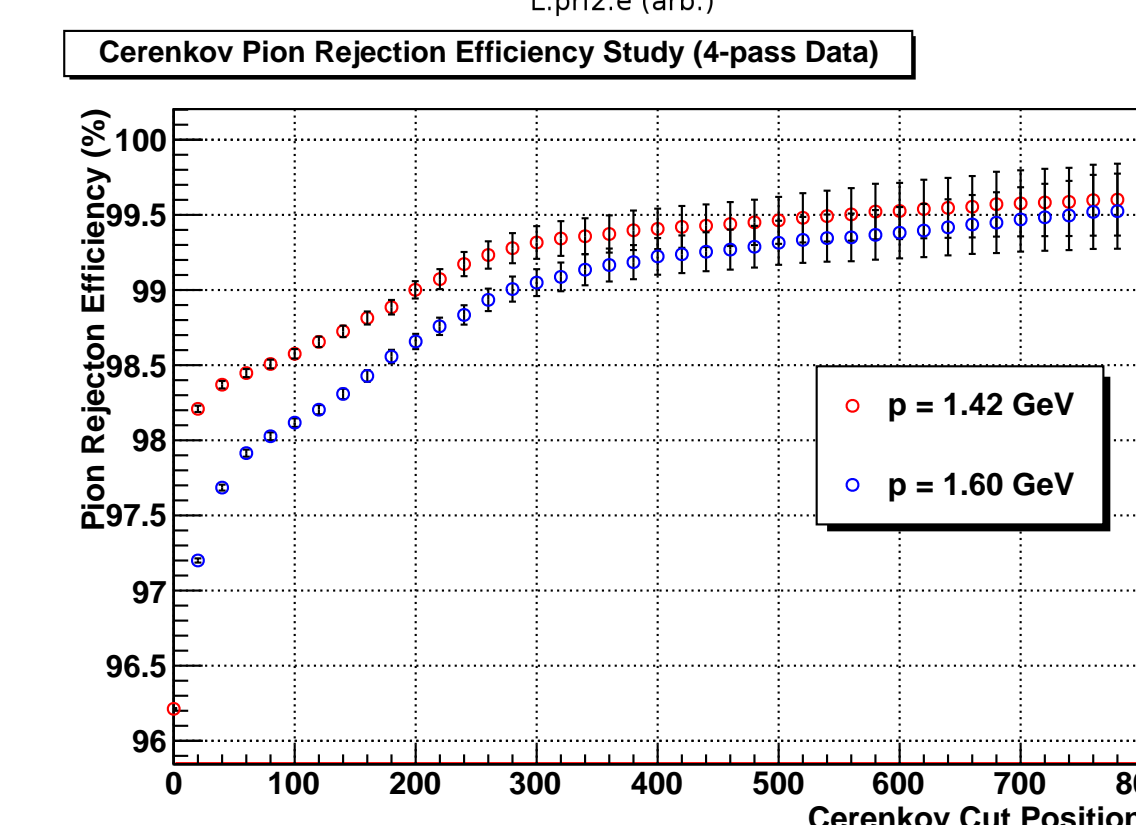
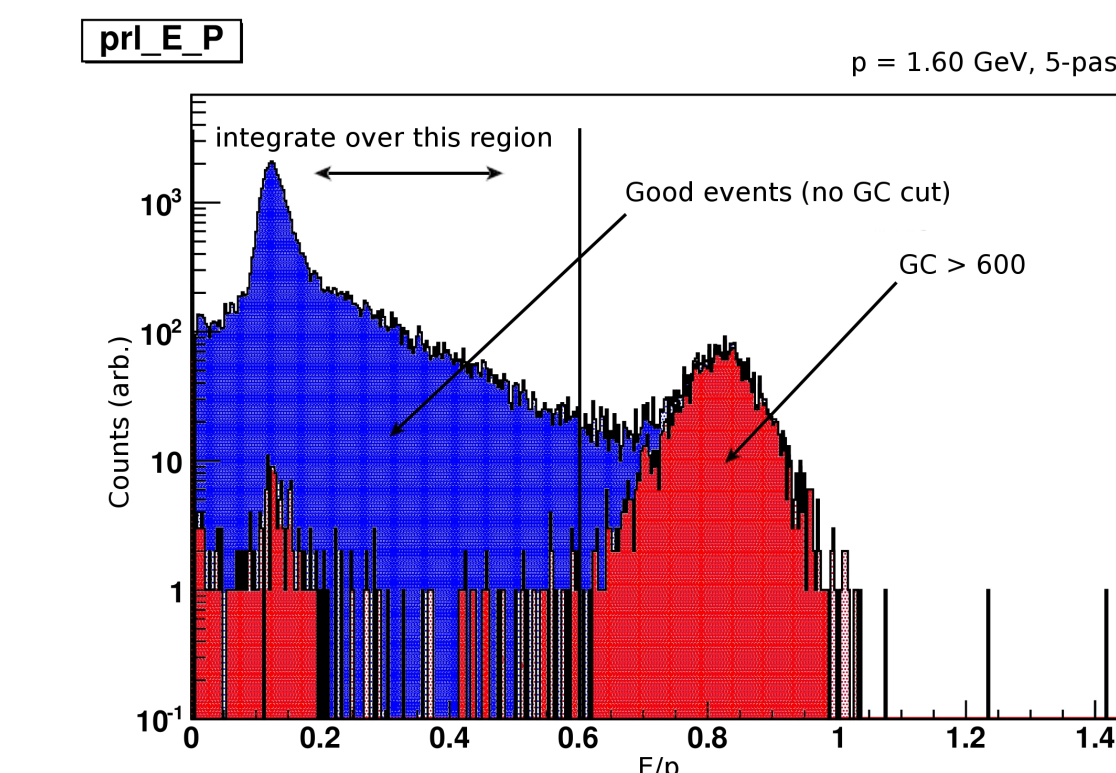
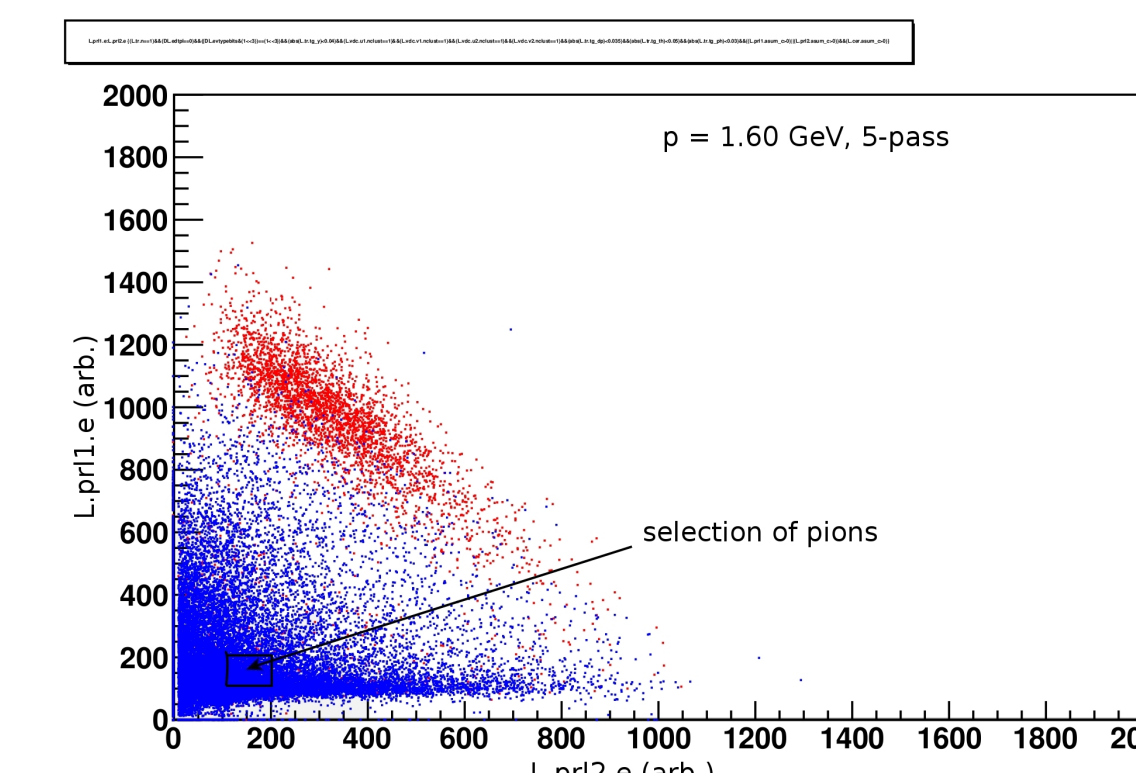
## LEFT HIGH-RESOLUTION SPECTROMETER

- Two Vertical Drift Chambers (VDC) for measurement of momentum and production (scattering) angle
- A gas Čerenkov counter and a double layer lead glass calorimeter for pion rejection
- A set of scintillators for triggering on charged particles
- Measures the absolute cross section ( $\sigma_0$ )

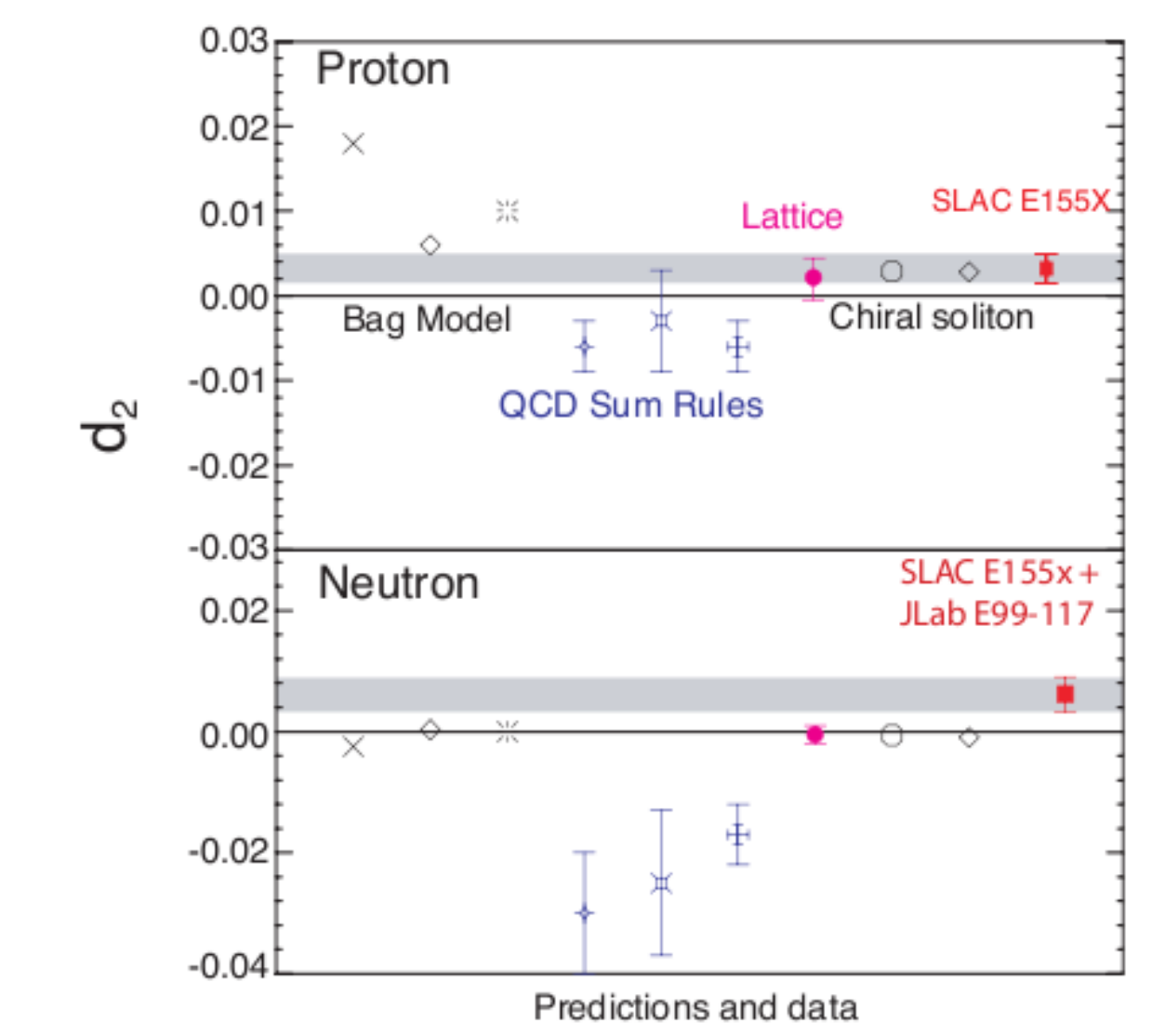


## LHRS PRELIMINARY ANALYSIS

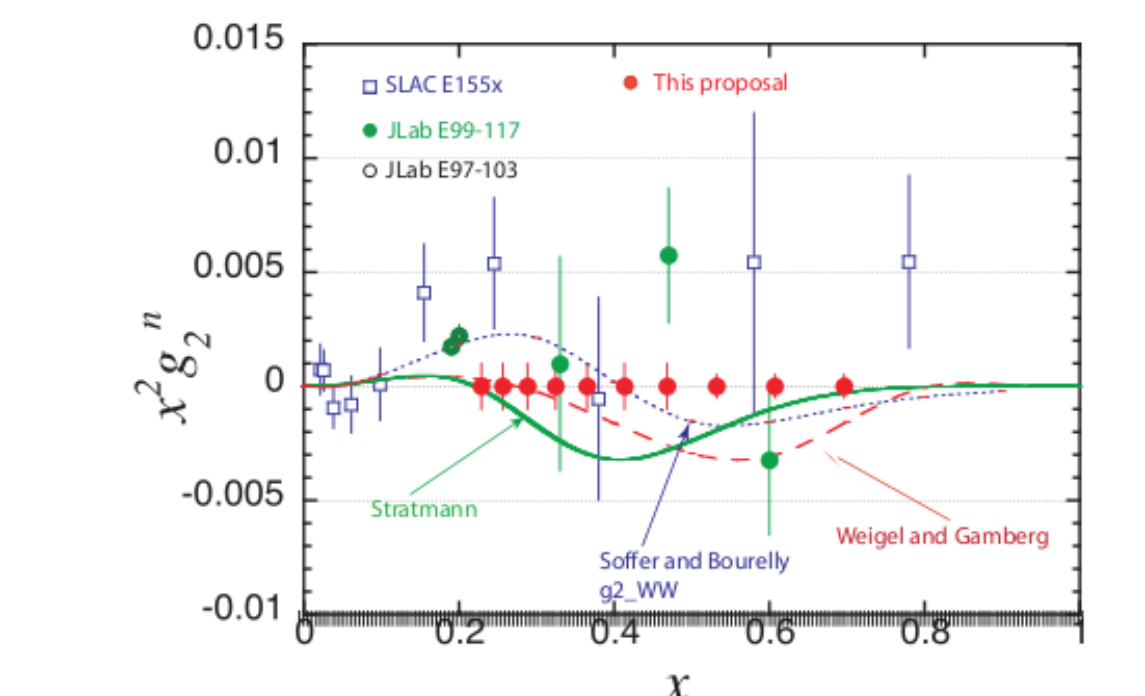
- $\pi^-$  rejection in the gas Čerenkov and Pion Rejector
  - pion rejection factor* = the ratio of the number of pions rejected by the detector to that of the number of pions that are mis-identified as electrons
- Gas Čerenkov Study*: We select  $\pi^-$  in the Pion Rejector and see how many events show up in the gas Čerenkov ADC spectrum
- Pion Rejector Study*: We plot the  $E/p$  distribution, and compare it to  $E/p$  subject to a cut on the gas Čerenkov ADC spectrum
- Sample calculations are shown below:



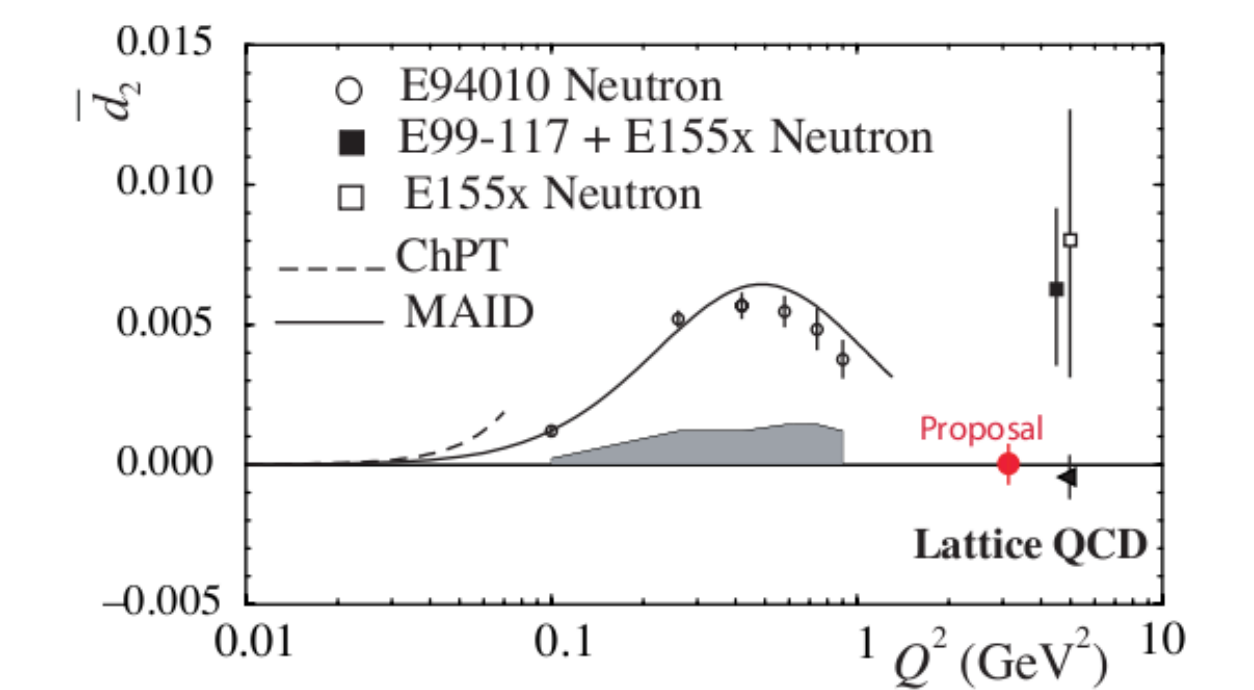
## PROJECTED RESULTS



Bag and soliton model calculations yield a value consistent with Lattice QCD. Current experimental values are approximately two standard deviations away from these predictions<sup>5</sup>.



In previous experiments, large error bars affect the overall sign of  $d_2^n$ . Therefore, the sign and magnitude of the neutron  $d_2$  is unclear.



The high precision of this experiment will provide for a more definitive statement regarding the overall value of  $d_2^n$ .

## ACKNOWLEDGEMENTS

- I would like to thank Brad Sawatzky, Patricia Solvignon, Zein-Eddine Meziani, Chiranjib Dutta, Kalyan Allada, and Vincent Sulkosky for their generous suggestions, insight, and continued support.
- Diagrams taken from [www.jlab.org](http://www.jlab.org), <http://hallaweb.jlab.org/experiment/E06-014/talks/pac29.pdf>, <http://hallaweb.jlab.org/experiment/E06-014/talks/poster.pdf>, and <http://hallaweb.jlab.org/equipment/Hall-A-NIM.pdf>
- This work is supported by DOE Award #: DE-FG02-94ER40844

## REFERENCES

- M. Burkardt, hep-ph/0905.4079v1.
- M. Burkardt, hep-ph/0902.0163v1.
- Seonho Choi, Z.-E. Meziani, B. Sawatzky, X. Jiang *et al.*, Jefferson Lab, 2005; PR-06-014
- J.L. Friar *et al.*, Phys. Rev. C **42**, 6 (1990).
- F. Bissey, A.W. Thomas and I.R. Afnan, Phys. Rev. C **64**, 024004 (2001).