

# A Precision Measurement of $d_2^n$ : Color Field Response to Nucleon Polarization

On behalf of the d2n/E06014 Collaboration

Graduate Students:

Matthew Posik<sup>1</sup>   David Flay<sup>1</sup>   Diana Parno<sup>2</sup>

<sup>1</sup>Temple University, Philadelphia, PA

<sup>2</sup>CMU

# A Precision Measurement of $d_2^n$

## Outline

- Introduction to  $d_2^n$
- The Experiment Setup
- Analysis Progress
- Future Work

# Probing QCD through Quark-Gluon Dynamics

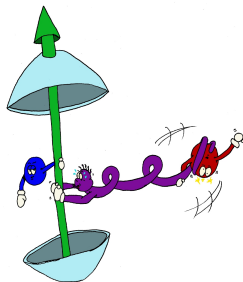
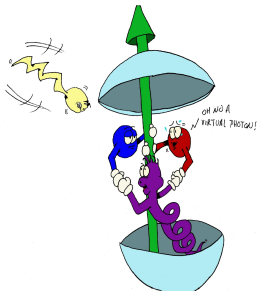
$d_2^n$  gives access to quark-gluon correlations

$$d_2^n = \int_0^1 x^2 (2g_1(x, Q^2) + 3g_2(x, Q^2)) dx$$

- What is  $d_2^n$ ?
  - Average Lorentz color transverse force acting on a quark immediately after being struck by a virtual photon (M. Burkardt)
  - $d_2^n$  is dominated by large  $x$  contributions

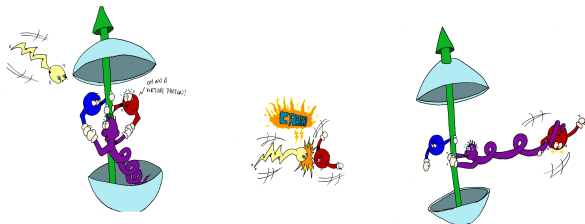
# What is $d_2^n$ ?

So I still don't get it...



# What is $d_2^n$ ?

So  $d_2^n$  is...



- A measure of **quark-gluon** correlations
- A **force** felt between the **quark** and **gluon** due to a **virtual photon** knocking a **quark** out of the **nucleon**

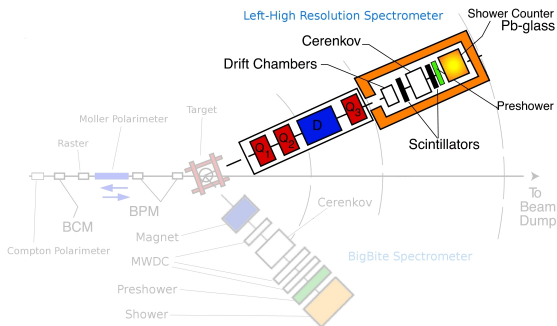
# The E06014 Experiment

## The E06014 Game Plan

- A longitudinally polarized electron beam at 4.7 and 5.9 GeV was scattered off polarized  $^3\text{He}$  target
- Target polarization is changed to measure transverse and parallel asymmetries and unpolarized cross section.
- Two single arm detectors at  $45^\circ$ :
  - Big Bite (BB)
  - Left High Resolution Spectrometer (LHRS)
- Kinematic Range:  $0.2 < x < 0.7$  and  $2 \text{ GeV}^2 < Q^2 < 6 \text{ GeV}^2$

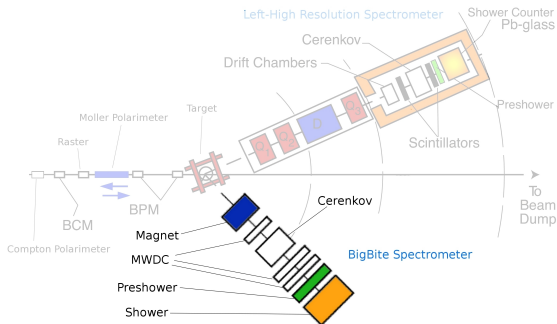
# The E06014 Setup: LHRS

- LHRS used to measure  $\sigma_0$
- Well understood
- Past **absolute cross section** measurements  $\sim 4\%$  total error



# The E06014 Setup: BB

- BB used to measure  $A_{\perp}$  and  $A_{\parallel}$
- Large acceptance allows more statistics
- Error dominated by statistics
- Many systematics will cancel in asymmetries





Measuring  $d_2^n$ 

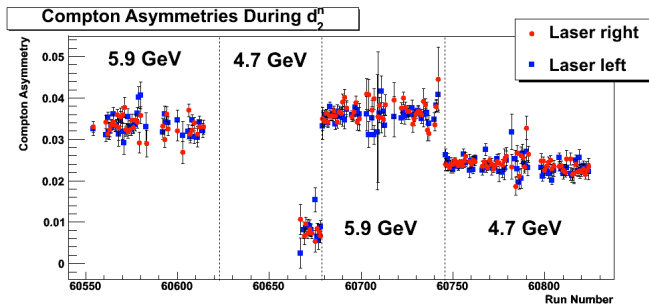
- $d_2^n$  can be measured through the total cross section and the asymmetries

$$A_{\perp} = \frac{\sigma^{\downarrow\uparrow} - \sigma^{\uparrow\uparrow}}{2\sigma_0}, \quad A_{\parallel} = \frac{\sigma^{\downarrow\Rightarrow} - \sigma^{\uparrow\Rightarrow}}{2\sigma_0}$$

$$d_2^n = \int_0^1 dx \left( \frac{MQ^2}{4\alpha^2} \frac{x^2 y^2 \sigma_0}{(1-y)(2-y)} \right) \left[ \left( 3 \frac{1 + (1-y) \cos\theta}{(1-y)} + \frac{4}{y} \tan \frac{\theta}{2} \right) A_{\perp} + \left( \frac{4}{y} - 3 \right) A_{\parallel} \right]$$

# Compton

Compton Asymmetry is proportional to beam polarization



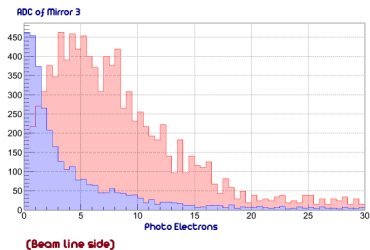
For more Compton fun see Diana Parno's talk [Feb. 16th, 2:42pm room Maryland B.](#)

## Big Bite

## 5.9 GeV Čerenkov Performance

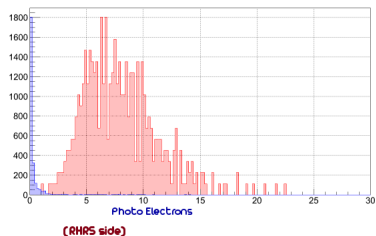
## 5.9 GeV He3 Production Run

~8uA

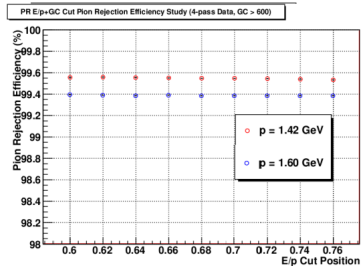
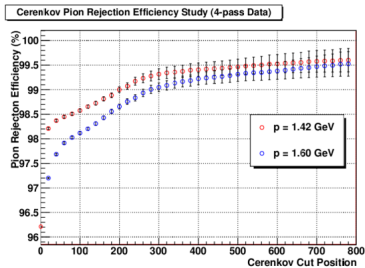


← Rate ~1 MHz

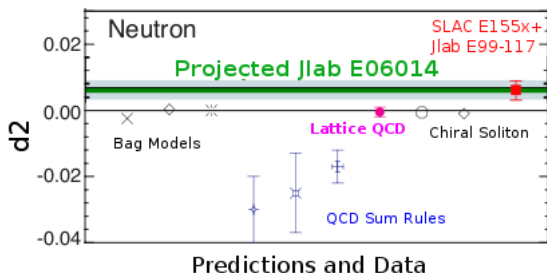
Rate ~0.1 MHz



# LHRS Pion Rejection At 4.7 GeV



- Select  $\pi$  in Pion Rejector and see how many  $\pi$  show up in *Cerenkov*
- Plot E/p and compare to E/p with *Cerenkov* cut ( $\sim 2.5pe$ )

$d_2^n$  World Data

- Provide **benchmark test** for Lattice QCD
- We can achieve statistical uncertainty of  $\Delta d_2^n = 5 \times 10^{-4}$
- **Four times** better than existing world average

# Future Work

- Continue Calibrations:
  - Update Analyzer Čerenkov class to use multi-hit TDCs
  - BB optics/beam calibration
  - BB Shower calibration
  - Target analysis
  - LHRS optics
- Simulation work:
  - Pion rejector
  - Pion background
  - Compton Photon Detector

## I Would Like to Thank...

- Seonho Choi, Xiaodong Jiang, Zein-Eddine Meziani
- Brad Sawatzky, Gregg Franklin, Patricia Solvignon, Vince Sulkosky, Yi Qiang, Lamiaa El Fassi
- Xin Qian, Jin Huang, Kalyan Allada, Chiranjib Dutta
- The Hall A Staff, The run coordinators and shift crew during the experiment

Work supported in part by DOE:

- [DE-FG02-94ER40844](#)
- [DE-FG02-87ER40315](#)

## $g_2$ Structure Function

$$g_2(x, Q^2) = g_2^{WW}(x, Q^2) + \overline{g_2}(x, Q^2)$$

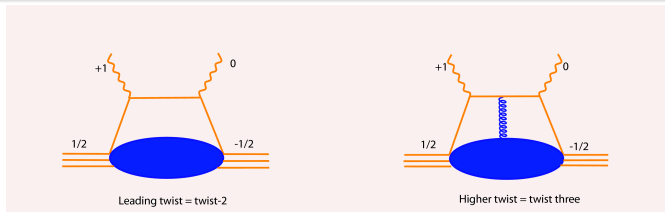


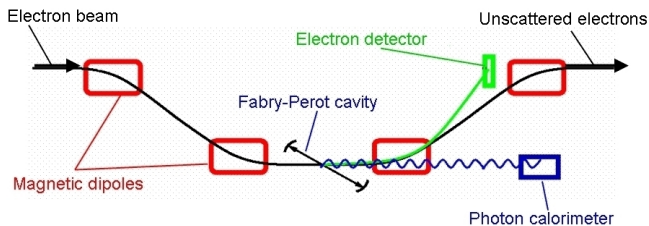
Figure: QCD allows helicity exchange through two principle means

- $g(x, Q^2)_2^{WW} = -g_1(x, Q^2) + \int_x^1 g_1(y, Q^2) \frac{dy}{y}$
- $\overline{g_2}(x, Q^2) = - \int_x^1 \frac{\partial}{\partial y} \left[ \frac{m_q}{M} h_T(y, Q^2) + \xi(y, Q^2) \right] \frac{dy}{y}$



## Compton Polarimeter (2)

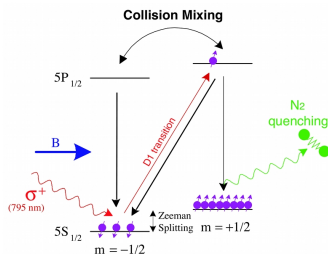
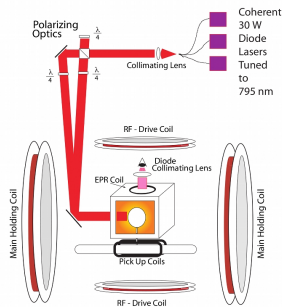
### Asymmetries and Cross Sections



Drawing provided by D. Parno

- The final Compton asymmetry is the weighted average of the mean asymmetries for the two polarization states (L,R)

# $^3\text{He}$ Target



- $^3\text{He}$  is polarized through double spin exchange
  - Spin exchanged from Rb to K
  - Then K to  $^3\text{He}$