

# E08-008: Exclusive Study of Deuteron Electrodisintegration near Threshold

Charles Hanretty

University of Virginia, Charlottesville, VA

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Spokespersons: B. Norum (UVA), A. Kelleher (MIT),  
S. Gilad (MIT), D. Higinbotham (JLab)



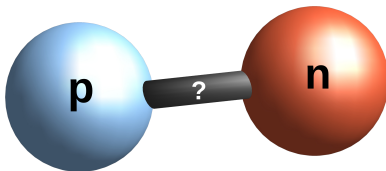
# Outline

- 1 Motivation
  - Questions
  - Why electrodisintegration?
- 2 The E08008 Experiment
  - General Characteristics
  - LHRS Detector Stack
- 3 Preliminary Analysis
  - $p(\vec{e}, e'p)$
  - $d(\vec{e}, e'p)n$

# Questions

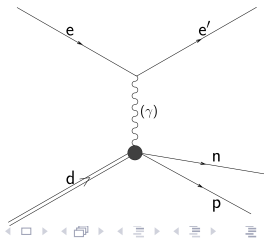
## The major question:

- How do the proton and neutron interact?
- Can this interaction be described using only nucleon degrees of freedom or do non-nucleon degrees of freedom also play a role?



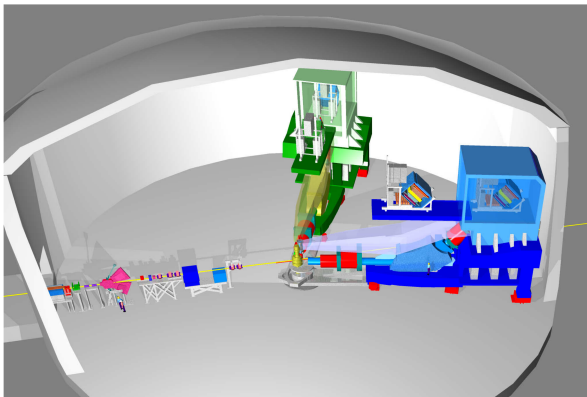
# Why Electrodisintegration of Deuterium at Threshold?

- Why electrodisintegration?
  - It is a well-known probe.
  - “Simple”: Scattering dominated by exchange of single virtual photon.
  - Strong sensitivity to non-nucleon degrees of freedom.
- Why Deuterium?
  - Deuterium ( ${}^2\text{H}$ ) is a simple, loosely bound 2-body object.
  - Provides way to study N-N interactions without having to consider 3-nucleon forces.
- The exclusivity of the reactions studied ( $p(\vec{e}, e'p)$ ,  $d(\vec{e}, e'p)n$ ) allow for access to the ratio  $G_{Ep}/G_{Mp}$  (for  $x_B \in [1,2]$ ).
- Why at threshold?
  - At low  $Q^2$  ( $x_B \rightarrow 2$ ), the ratio  $G_{Ep}/G_{Mp}$  is sensitive to N-N interactions inside Deuterium.



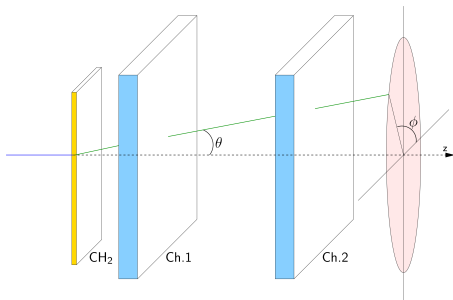
## E08008: General Characteristics

- Ran from February 17<sup>th</sup> to February 23<sup>rd</sup>, 2011
- Took data on  $p(\vec{e}, e'p)$ ,  $d(\vec{e}, e'd)$  and  $d(\vec{e}, e'p)n$  exclusive reactions.
- $E_e = 3.358$  GeV
- $Q^2$  acceptance:  $[0.71, 0.90]$   $(\text{GeV}/c)^2$



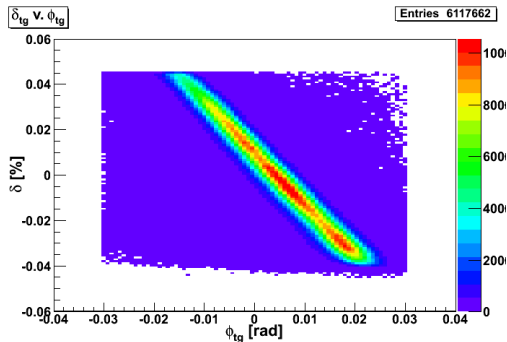
## E08008: LHRS Detector Stack

- Detector stack slightly modified for E08008.
- Two FPPs used:
  - Four straw chambers, two analyzers.
  - CH<sub>2</sub> analyzing material placed in front of Chamber 1 and 2.
  - S2m used as second analyzer. Placed in front of Chamber 3 and 4.
- Spin-orbit interactions between recoil proton and analyzer material result in  $\phi$  asymmetries  $\Rightarrow$  reveals polarization of proton.



# Preliminary Analysis of $p(\vec{e}, e' p)$

- $E_{e^-} = 3.358$  GeV
- Target: 4 cm LH<sub>2</sub>
- LHRS
  - $p = 0.968$  GeV/c
  - $\theta = 57^\circ$
- RHRS
  - $p = 2.95$  GeV/c
  - $\theta = 16^\circ$



## Applied Cuts:

- Kinematic cuts:

- $|\delta| \leq 0.045$
- $|\phi_{tg}| \leq 0.03$
- $|\theta_{tg}| \leq 0.06$
- $-2 \text{ cm} \leq z_{vertex} \leq 2 \text{ cm}$

- FPP cuts:

- “Conetest” (= 1)
- $5^\circ < \theta_{fpp} < 30^\circ$

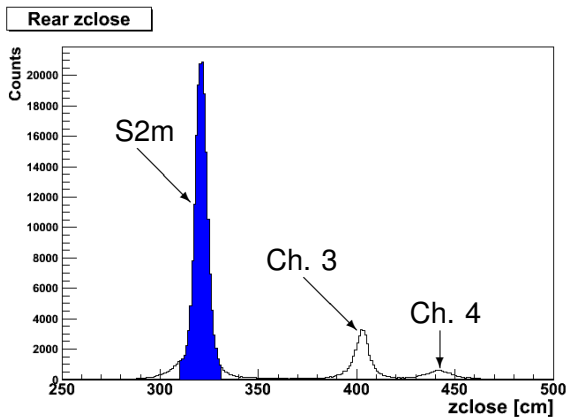
- Other cuts:

- DBB.evtypebits (= 32) (T5 trigger)
- $0.875 \text{ GeV} < W^2 < 0.92 \text{ GeV}$



## Preliminary Analysis of $p(\vec{e}, e'p)$

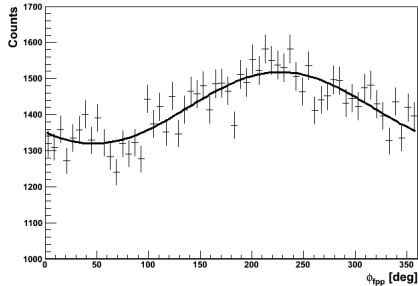
- One more cut on position of analyzing material (S2m)



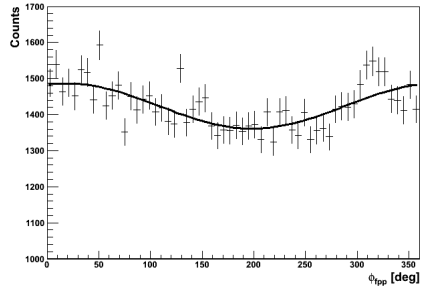
# Preliminary Analysis of $\rho(\vec{e}, e' \rho)$

- Form  $\phi$ -distributions ( $\phi_{az}$ ) for each helicity setting.

$\phi$ -Dist Rear (Pos. Helicity)



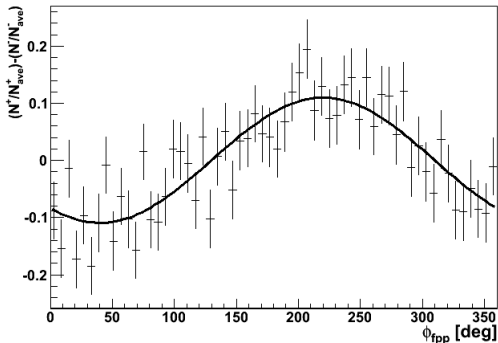
$\phi$ -Dist Rear (Neg. Helicity)



## Preliminary Analysis of $\rho(\vec{e}, e' p)$ : At the Focal Plane

- Form  $\phi$ -distributions ( $\phi_{az}$ ) for each helicity setting.
- Form Helicity Asymmetry  $\Rightarrow \left(\frac{N^+}{N_{ave}^+}\right) - \left(\frac{N^-}{N_{ave}^-}\right)$
- Fit eqn:  $y_0 + A_y [ P_x^{fpp} \cos(\phi) - P_y^{fpp} \sin(\phi) ]$

$\phi$  Asymmetry (Pos and Neg Helicity),  $\theta_{fpp} \in [5, 30]$



$$Q^2 = [0.71, 0.84] \text{ (GeV/c)}^2$$

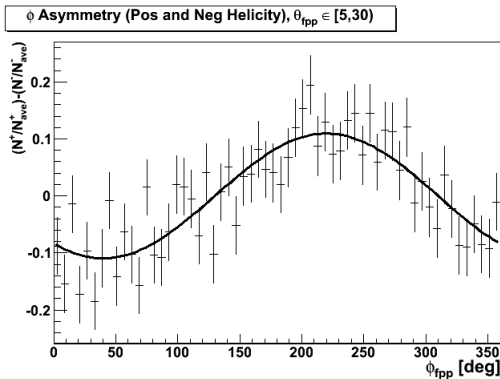
$$y_0 = 2.894e-04 \pm 0.004839$$

$$P_x^{fpp} = -0.2866 \pm 0.0313$$

$$P_y^{fpp} = 0.2396 \pm 0.0313$$

## Preliminary Analysis of $p(\vec{e}, e' p)$ : Phase Shift Method

- Fit eqn:  $C \cdot \cos(\phi + \delta)$  ;  $\tan(\delta) = \frac{P_y^{fpp}}{P_x^{fpp}}$
- In dipole approximation:  $\mu_p \frac{G_{Ep}}{G_{Mp}} = \mu_p \cdot K \sin(\chi) \left( \frac{P_y^{fpp}}{P_x^{fpp}} \right)$   
 $K = \frac{E+E'}{m_p} \tan^2(\theta_e/2)$  ;  $\chi = \gamma(\mu_p - 1)\Theta_{bend}$



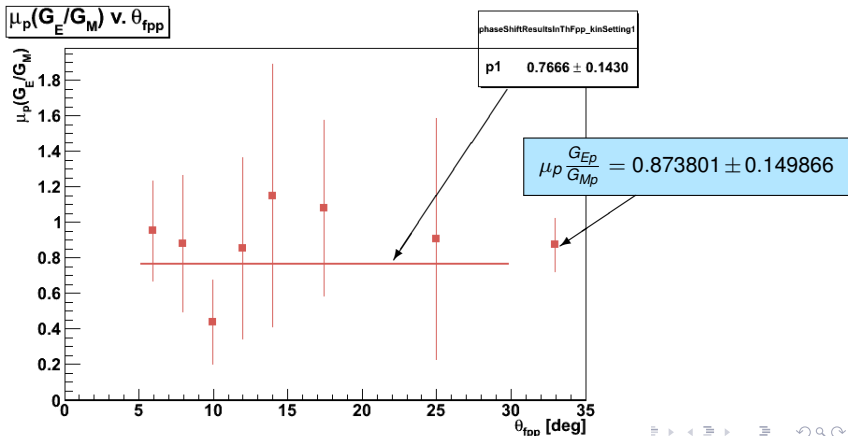
$$Q^2 = [0.71, 0.84] \text{ (GeV/c)}^2$$

$$\delta = -0.6962 \pm 0.0838 \text{ rad}$$

$$\mu_p \frac{G_{Ep}}{G_{Mp}} = 0.873801 \pm 0.149866$$

# Preliminary Analysis of $\rho(\vec{e}, e' \rho)$ : Phase Shift Method

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# Preliminary Analysis of $\rho(\vec{e}, e' \rho)$ : Sago



Palmetto



Sago

## Preliminary Analysis of $\rho(\vec{e}, e' \rho)$ : Sago

- Palmetto (re)written for e08008  $\Rightarrow$  Sago.
- Uses information from FPP and a total rotation matrix (**S**).
- $P^{fpp} = S \cdot P^{tg} = T_1 S_{sp} T_0 \cdot P^{tg}$ 
  - $T_1$   $\rightarrow$  rotation into FPP frame
  - $S$   $\rightarrow$  spin precession through HRS dipole
  - $T_0$   $\rightarrow$  rotation from target frame
- Briefly:

$$\begin{pmatrix} \sum_i \lambda_{x,i} \\ \sum_i \lambda_{z,i} \end{pmatrix} = \begin{pmatrix} \sum_i \lambda_{x,i} \lambda_{x,i} & \sum_i \lambda_{z,i} \lambda_{x,i} \\ \sum_i \lambda_{x,i} \lambda_{z,i} & \sum_i \lambda_{z,i} \lambda_{z,i} \end{pmatrix} \begin{pmatrix} P_x^{tg} \\ P_z^{tg} \end{pmatrix}$$

$$P^{fpp} = S \cdot P^{tg}$$

- $\lambda_j = \eta h A_y (S_{yj} \sin \phi - S_{xj} \cos \phi)$

helicity  $\nearrow$   $\uparrow$   $\nwarrow$  analyzing power  
 beam pol

- $\sum_i$  represents a summation over number of events,  $i$
- Is solved for  $P_x^{tg}$  and  $P_z^{tg}$

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$$P^{fpp} = S \cdot P^{tg}$$

- $\lambda_j = \eta h A$   
↑ helicity  
↑ beam p
- $\sum_i$  represents  
of events
- Is solved

After solving for  $P_x^{tg}$  and  $P_z^{tg}$  :

$$\mu_p \frac{G_{Ep}}{G_{Mp}} = K \frac{P_x^{tg}}{P_z^{tg}}$$

where:

$$K = -\mu_p \frac{E_e + E_{e'}}{2M_p} \tan \frac{\theta_e}{2}$$



## Preliminary Analysis of $\rho(\vec{e}, e' \rho)$ : Sago

- Palmetto (re)written for e08008  $\Rightarrow$  Sago.
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$$\text{Sago Results: } \mu_p \frac{G_{Ep}}{G_{Mp}} = 0.928243 \pm 0.155129$$

- $\Sigma_i$  represents  
of events
- Is solved

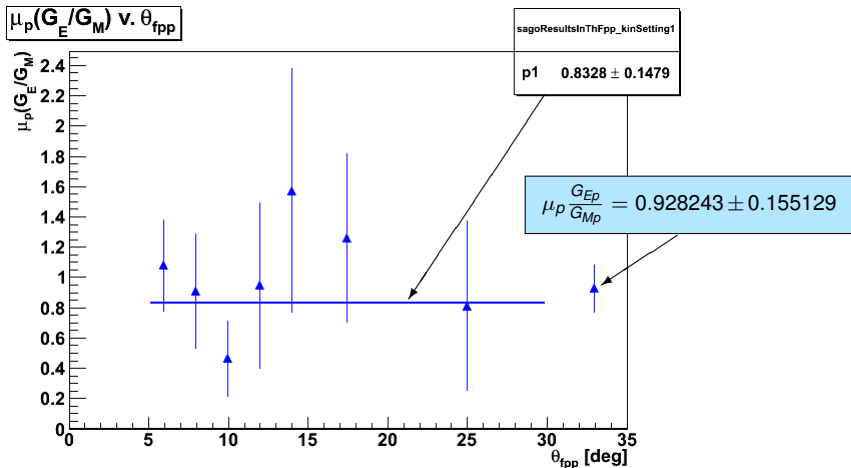
$$\mu_p \frac{G_{Ep}}{G_{Mp}} = K \frac{P_x^{tg}}{P_z^{tg}}$$

where:

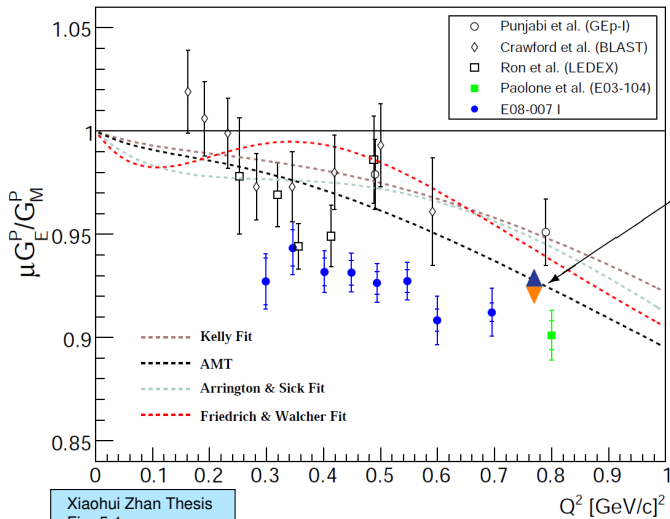
$$K = -\mu_p \frac{E_e + E_{e'}}{2M_p} \tan \frac{\theta_e}{2}$$

# Preliminary Analysis of $\rho(\vec{e}, e' p)$ : Results using Sago

- Sago results binned in  $\theta_{fpp}$ :



# Preliminary Analysis of $\rho(\vec{e}, e'p)$ : Results using Sago



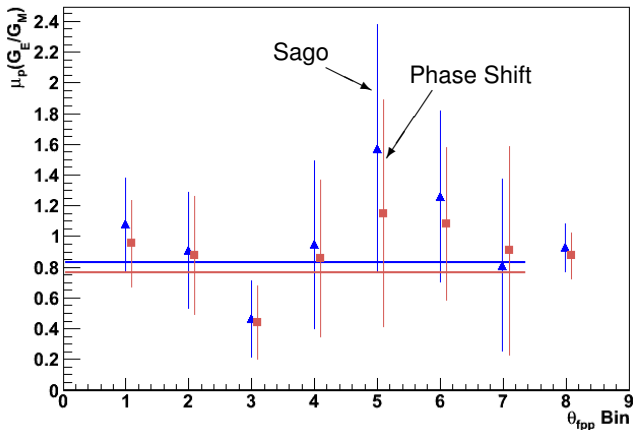
Preliminary Result  
 (for  $\rho(\vec{e}, e'p)$ )

Xiaohui Zhan Thesis  
 Fig. 5-1

# Preliminary Analysis of $\rho(\vec{e}, e'p)$ : Comparison of Methods

- Comparison between Phase Shift Method and Sago:

$\mu_p(G_E/G_M)$  v.  $\theta_{fpp}$  Bin



## Preliminary Analysis of $d(\vec{e}, e'p)n$

- Extraction of  $\mu_p \frac{G_{Ep}}{G_{Mp}}$  follows very similar procedure.

Method	$\rho(\vec{e}, e'p)$	$d(\vec{e}, e'p)n$
Phase Shift	$0.873801 \pm 0.149866$	$0.892813 \pm 0.092599$
Sago	$0.928243 \pm 0.155129$	$0.912247 \pm 0.108031$

## Summary

- While cross section measurements are needed to disentangle  $G_{Ep}$  and  $G_{Mp}$ , the **ratio** of the two can be “readily” extracted using double-spin asymmetries.
- At low  $Q^2$  ( $x_B \rightarrow 2$ ), the ratio  $G_{Ep}/G_{Mp}$  is sensitive to N-N interactions inside Deuterium.
- Preliminary Measurements of  $\mu_p(G_{Ep}/G_{Mp})$ :
  - $p(\vec{e}, e' p) \Rightarrow$  agrees with previous results
  - $d(\vec{e}, e' p)n$  (quasi-elastic)  $\Rightarrow$  agrees with expected value
- Still to do:
  - Study measurements for  $d(\vec{e}, e' p)n$  reactions where  $x_B = 1$ .
  - Continue measurements for lower momentum settings where  $x_B \rightarrow 2$ .