

Deuteron Quasi-Elastic  
Run: 2035

INFORMATION

target: LD2 4 cm

LD2 density: 0.16756 g/cm<sup>3</sup> at T 22 K & p = 30 psi

beam E0 1.16 GeV

current 10.2 uA

L\_p0 = 1.055

L\_theta0 = 20.5

prescale → ps1=0 ps2=0 **ps3=280** ps4=0 ps5=0 ps6=170 ps7=0 ps8=0

**Dead time 14.02%**

**BCM charges 0.006384 (C)**

## Quasi-Elastic Identification from D(e,e') invariant mass (W).

Let

M = electron mass

MA = target Mass (input)

f\_A = (0\_vector, M) → Target At rest

f\_Q = f\_P0 - f\_P1 = (q\_vector, omega)

f\_A1 = f\_A + f\_Q  
= (q\_vector, MA+omega)

The invariant mass<sup>2</sup>:

W<sup>2</sup> = A1<sup>2</sup>

= MA<sup>2</sup> + 2\*MA\*omega + omega<sup>2</sup> - |q3m|^2 (\*)

= MA<sup>2</sup> + 2\*MA\*omega - Q<sup>2</sup> (\*)

For elastic:

2\*MA\*omega - Q<sup>2</sup> = 0 (\*\*)

which give W<sup>2</sup> = MA<sup>2</sup>

But for quasi-elastic W<sup>2</sup> is not at MA<sup>2</sup>

In our case, since we are NOT at the elastic scattering from deuteron, so the W<sup>2</sup> is not exactly at the M\_deuteron<sup>2</sup>.

h\_W2

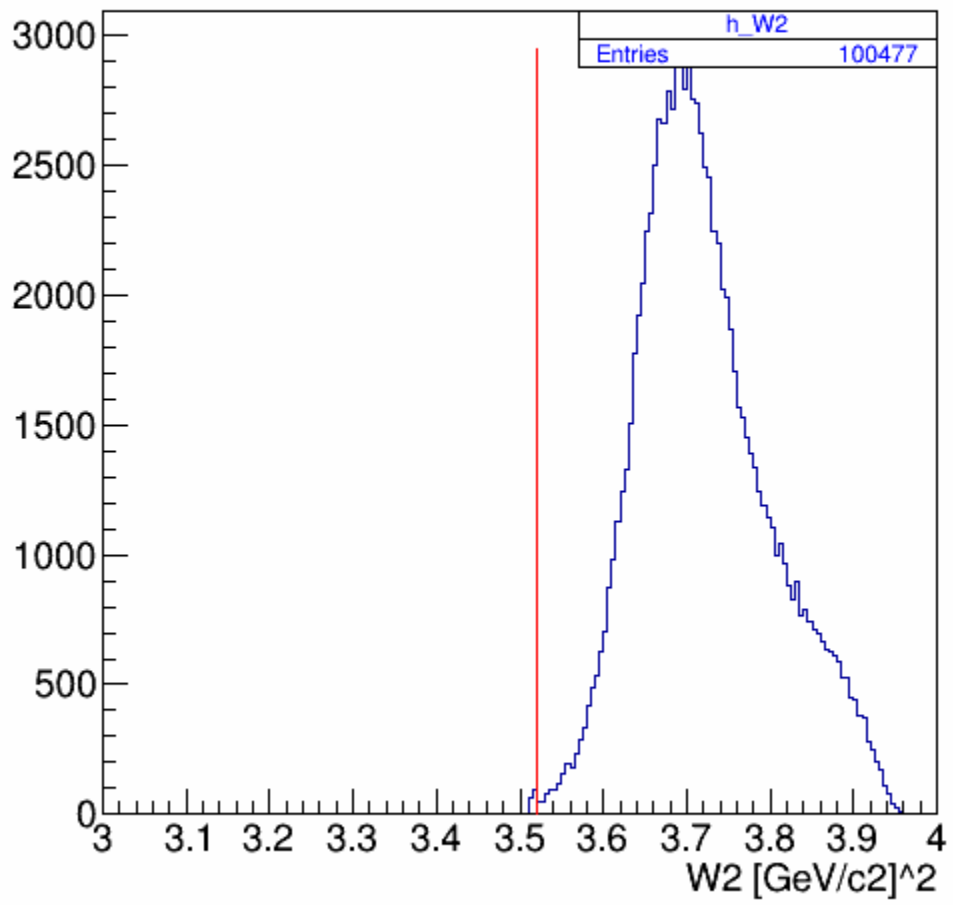


Figure 1.1: Invariant mass  $^2$  ( $W^2$ )  
redline indicate the deuteron mass $^2$

## h\_W2\_2Mw\_Q2

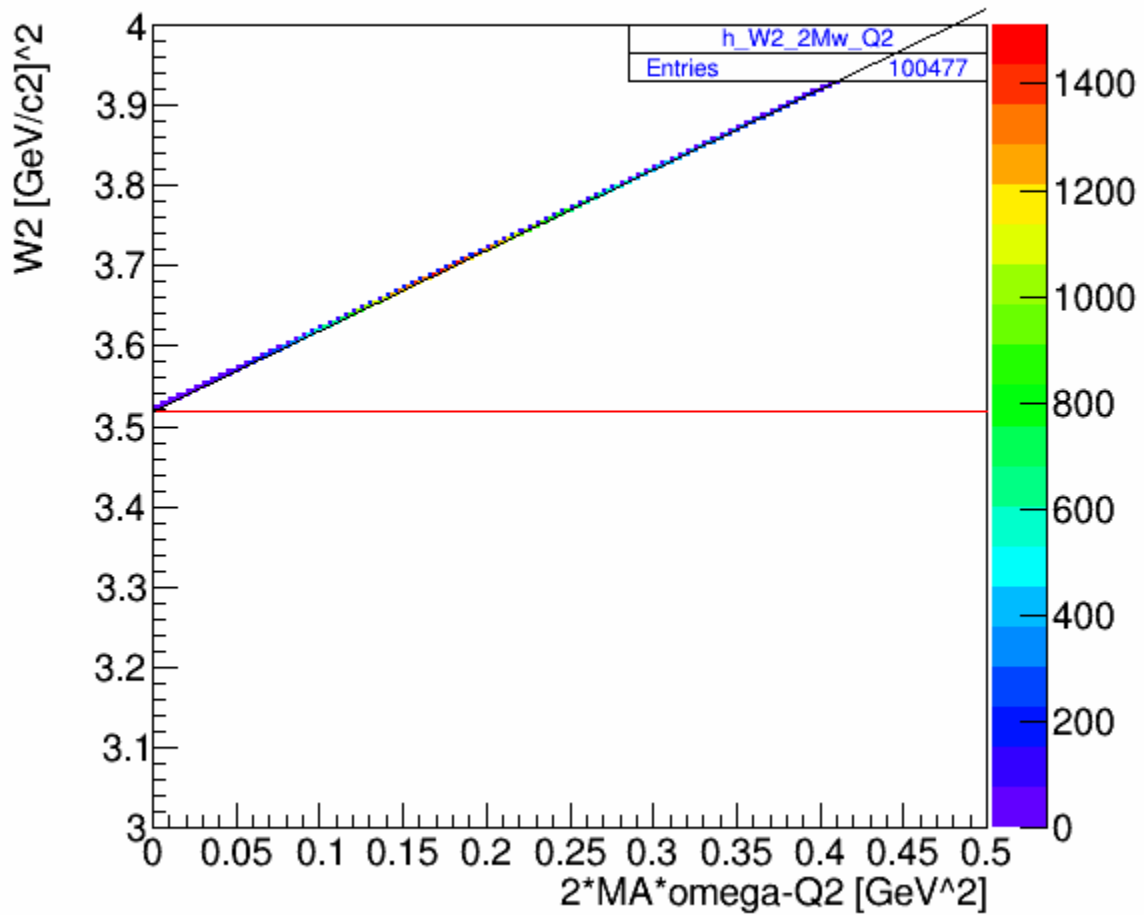


Figure 1.2 invariant mass<sup>2</sup> ( $W^2$ ) vs  $2 \cdot M \cdot \omega - Q^2$  (the quantity that would be zero for elastic).

If the target is proton  $2 \cdot M_A \cdot \omega - Q^2 = 2 \cdot M_A \cdot \omega \cdot (1 - X_{bj})$

**The invariant mass distribution shows that we are not at the elastic scattering from deuteron.**

Kinematic coverage in term of  $Q^2$  and  $|q|$

h\_Q2\_vs\_q3m

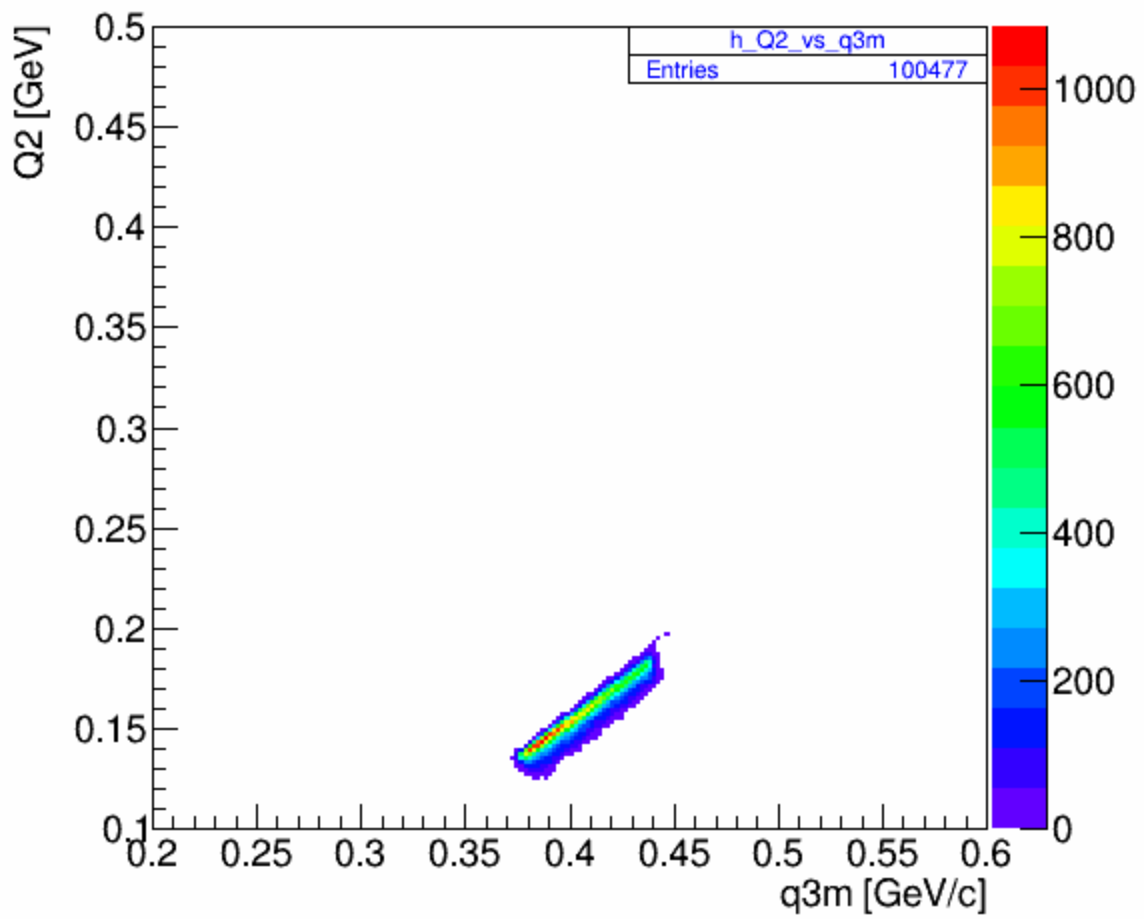


Figure 2  $Q^2$  vs  $|q|$

## Data Selection in BigBite

1. has track in BigBite  $BB.tr.n \geq 1$
2. has hit in either E or dE or both
3. track data match to hit data either fullhit (has both E and dE) or parthit (either E or dE)
4. Using CT to eliminate most of the MIP above  $CT > -100$  ns

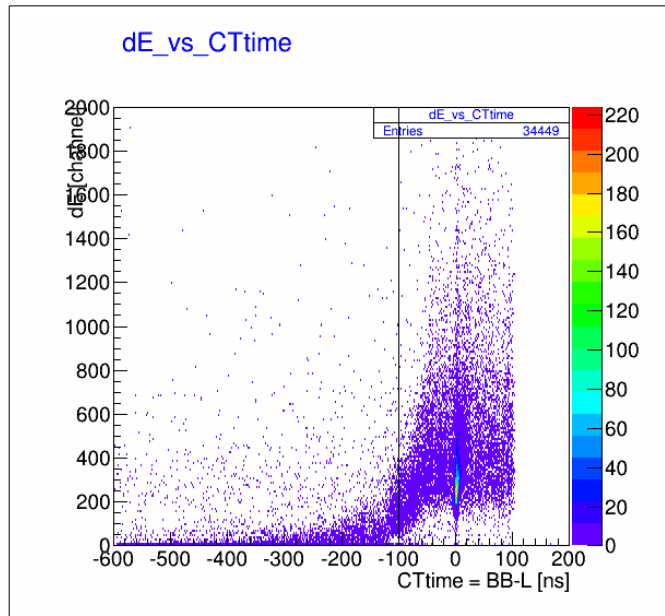


Figure 3.1 E vs CT time

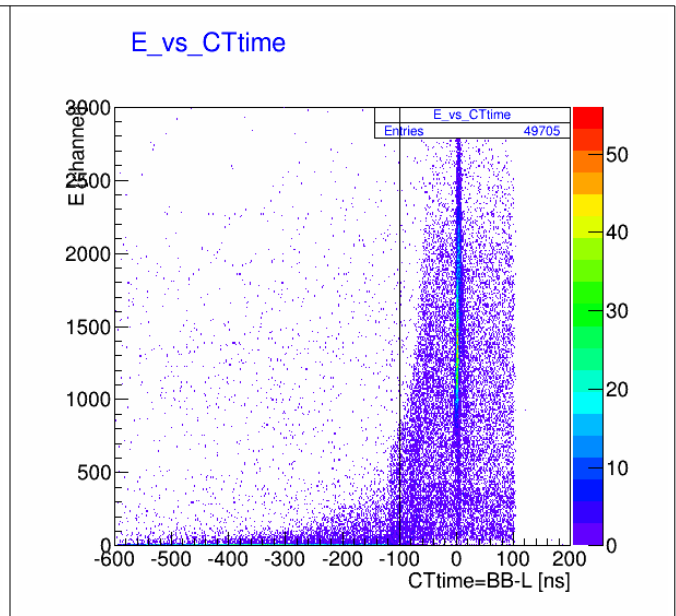


Figure 3.2 dE vs CT time

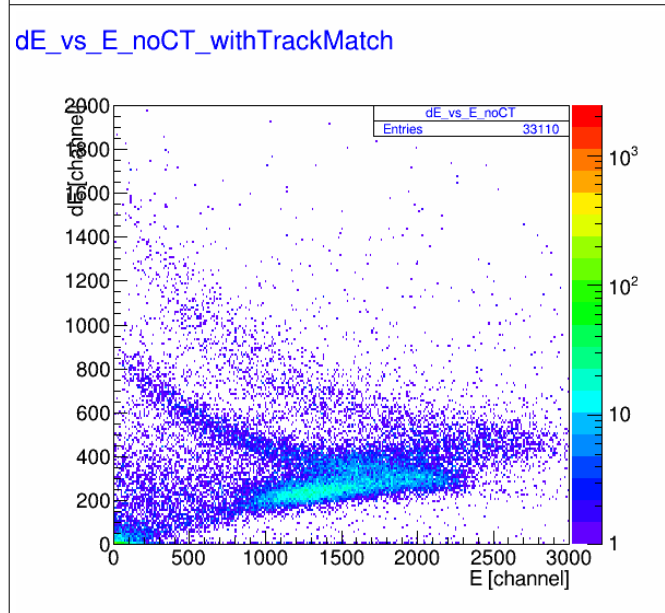


Figure 3.3 dE vs E with NO CT cut

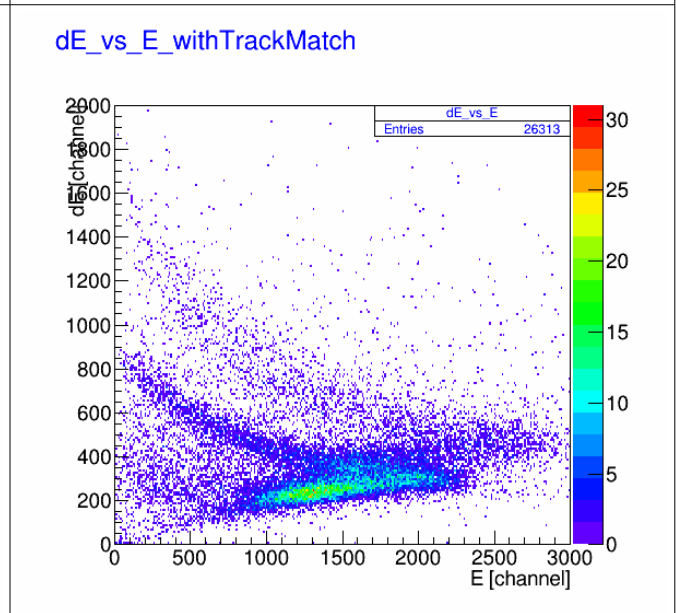


Figure 3.4 dE vs E with minimum CT cut  $> -100$

5. Three option for Proton PID using graphical cut after CT minimum cut

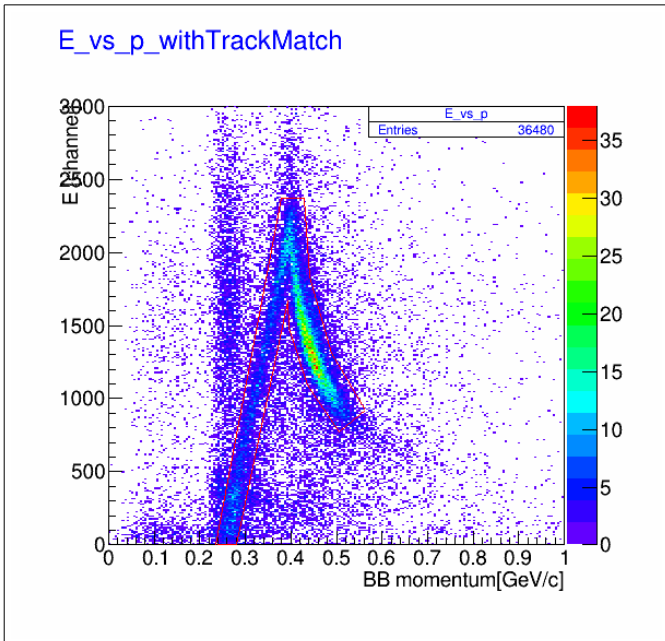


Figure 4.1 E vs BB momentum

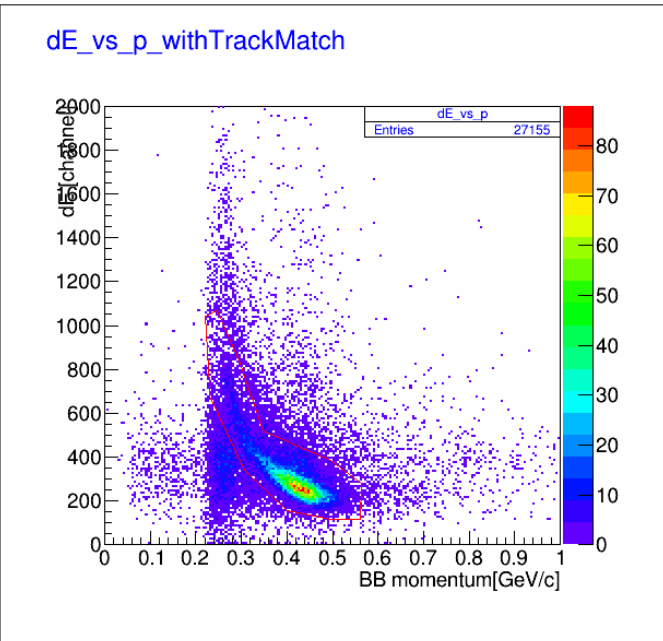


Figure 4.2 dE vs BB momentum

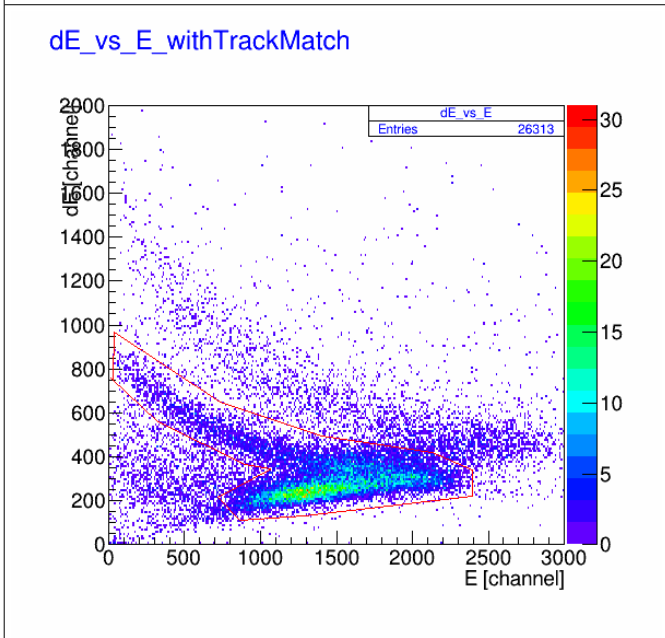


Figure 4.3 dE vs E

Option 1 apply to both fullhit and parthit in E  
 Option 2 apply to both fullhit and parthit in dE  
 Option 3 apply to only fullhit data

## Physics of D(e,e'p)B

1.  $p_{\text{miss}} = \sqrt{\sum (q_{xi} - p_{xi})^2}$
2.  $E_{\text{recoil}} = MA + \omega - \sqrt{p_{\text{proton}}^2 + m_p^2}$
3.  $M_{\text{miss}} = \sqrt{E_{\text{recoil}}^2 - p_{\text{miss}}^2}$

Below data is “NOT using proton PID”, but remove unknown section BB\_p < 0.3 GeV/c

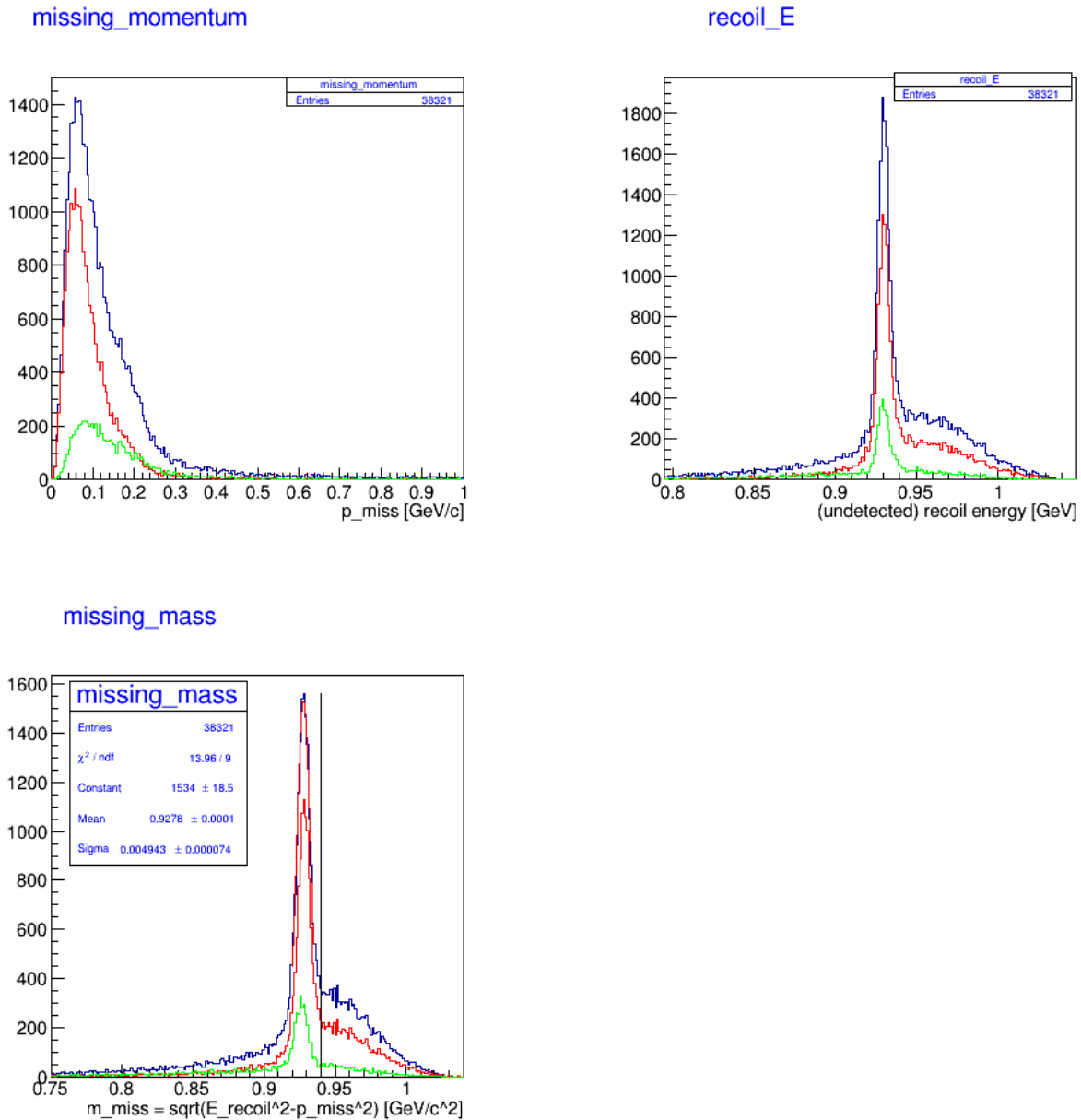


Figure 5.1/.2/.3 missing momentum, recoil\_energy, and missing mass respectively. Additional

restriction with BB\_p >= 300 MeV/c

Blue line: all data

red line: for fullhit data

green line: for parthit data in E



The missing mass peak at  $0.928 \text{ GeV}/c^2$  which is  $0.012 \text{ GeV}/c^2$  lower than the deuteron mass. This might be from the non-corrected momentum reconstruction with energy loss.