

Testing the variation on the omega vs y cut at the separation of proton to quasi-elastic & Delta-pion

omega_vs_y_scaling_all_kin_12_sub_bg

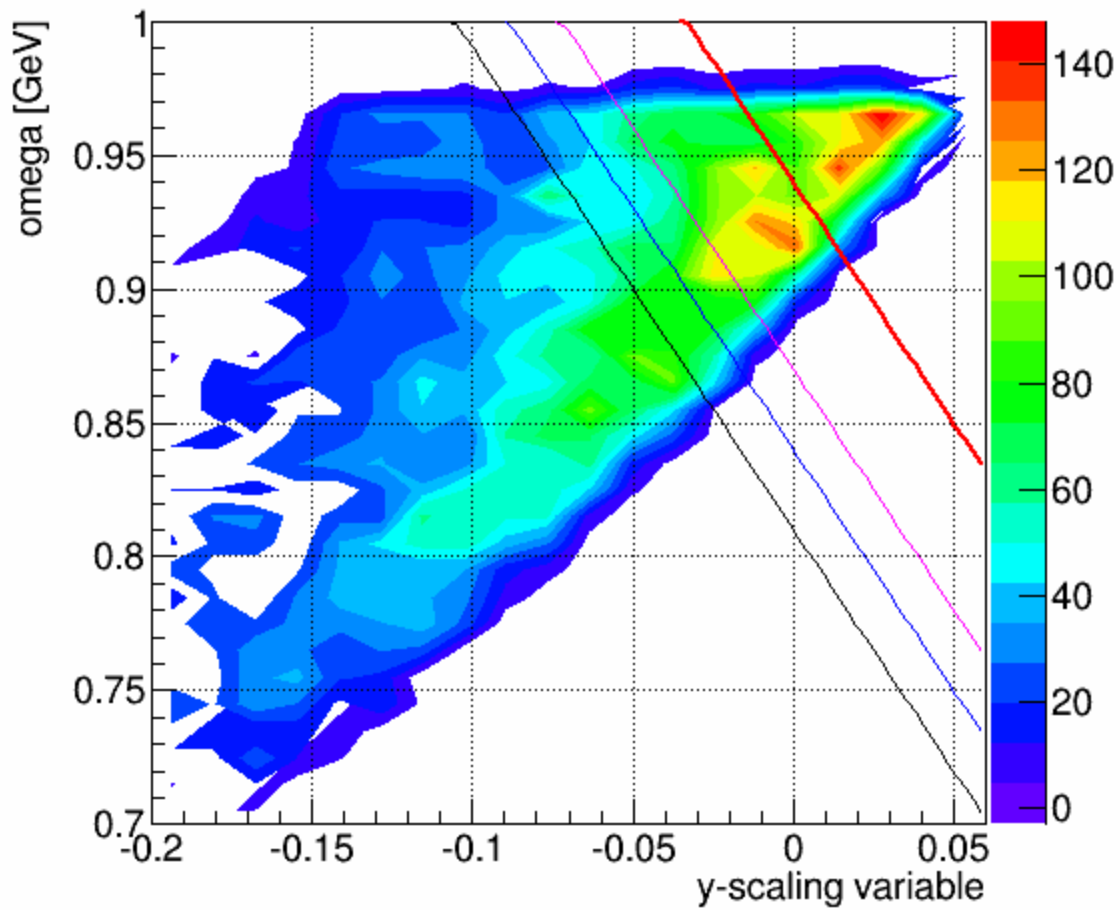


Figure 1: Omega vs y-scaling:
variation at the separation of proton to quasi-elastic & Delta-pion
at $\Omega = 0.84 (+/- 0.03) - 1.8*y$

wycut1: (blue): $\Omega = 0.84 - 1.8*y$
wycut2: (pink): $\Omega = 0.84 (+0.03) - 1.8*y$
wycut3: (black): $\Omega = 0.84 (-0.03) - 1.8*y$

P_detected_all_kin_12_sub_bg

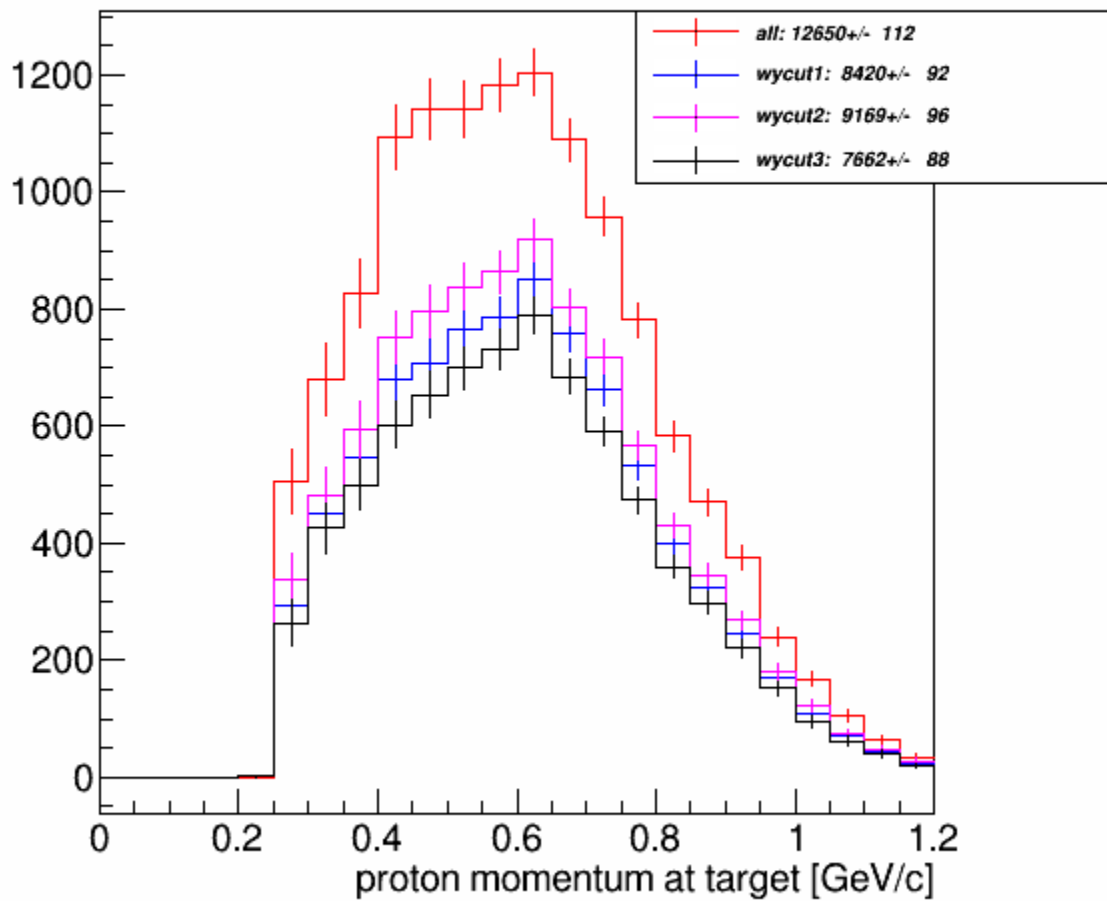


Figure 2.1: detected proton-momentum at target after background subtraction.

wycut1: (blue): $\Omega = 0.84 - 1.8*y$
wycut2: (pink): $\Omega = 0.84 (+0.03) - 1.8*y$
wycut3: (black): $\Omega = 0.84 (-0.03) - 1.8*y$

P_detected_wycut2_to_wycut1_ratio

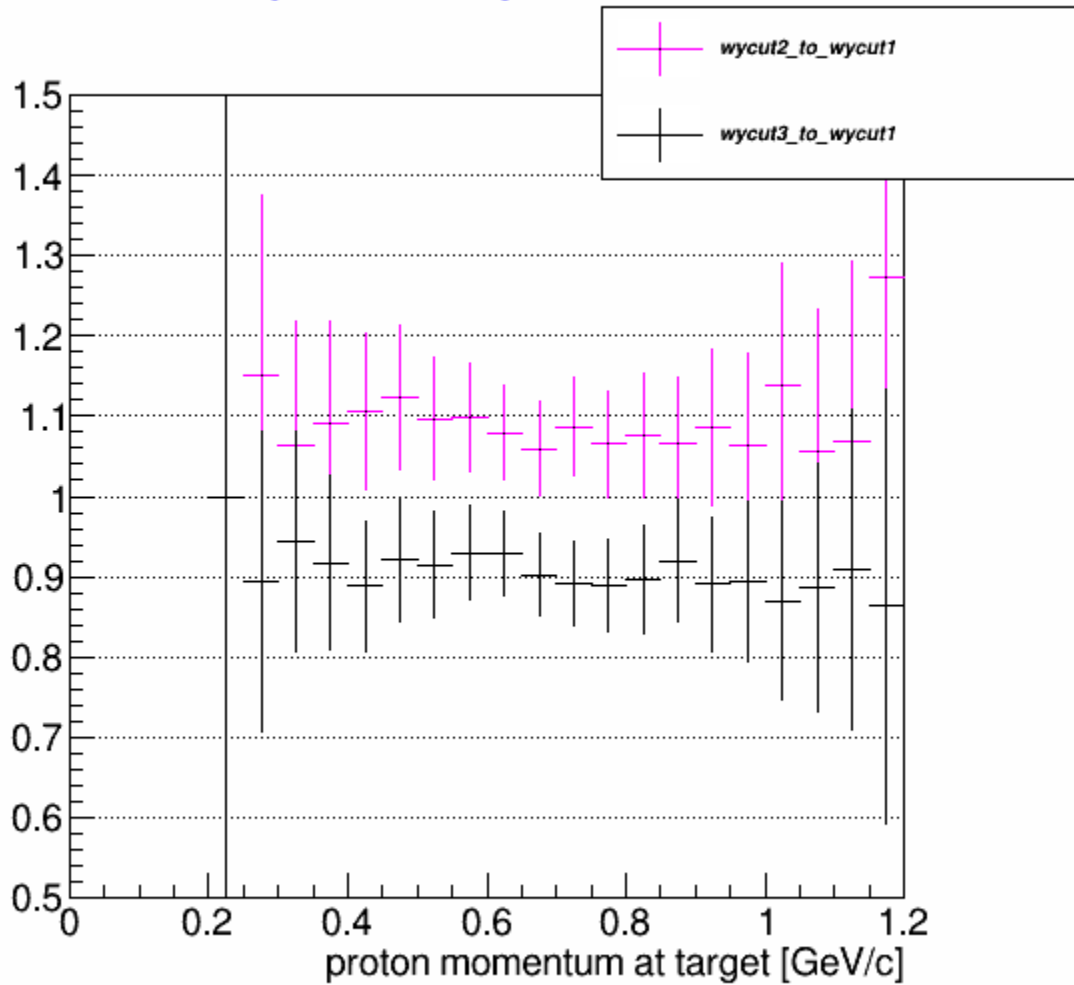


Figure 2.2: The wycut ratio of detected proton-momentum at target after background subtraction

wycut2 to wycut1: (pink): $\Omega = 0.84 (+0.03) - 1.8*y$ to $\Omega = 0.84 - 1.8*y$

wycut3 to wycut1: (black): $\Omega = 0.84 (-0.03) - 1.8*y$ to $\Omega = 0.84 - 1.8*y$

The Effect on the choice of wycut is ~10% differ in momentum bin

p_miss_all_kin_12_sub_bg

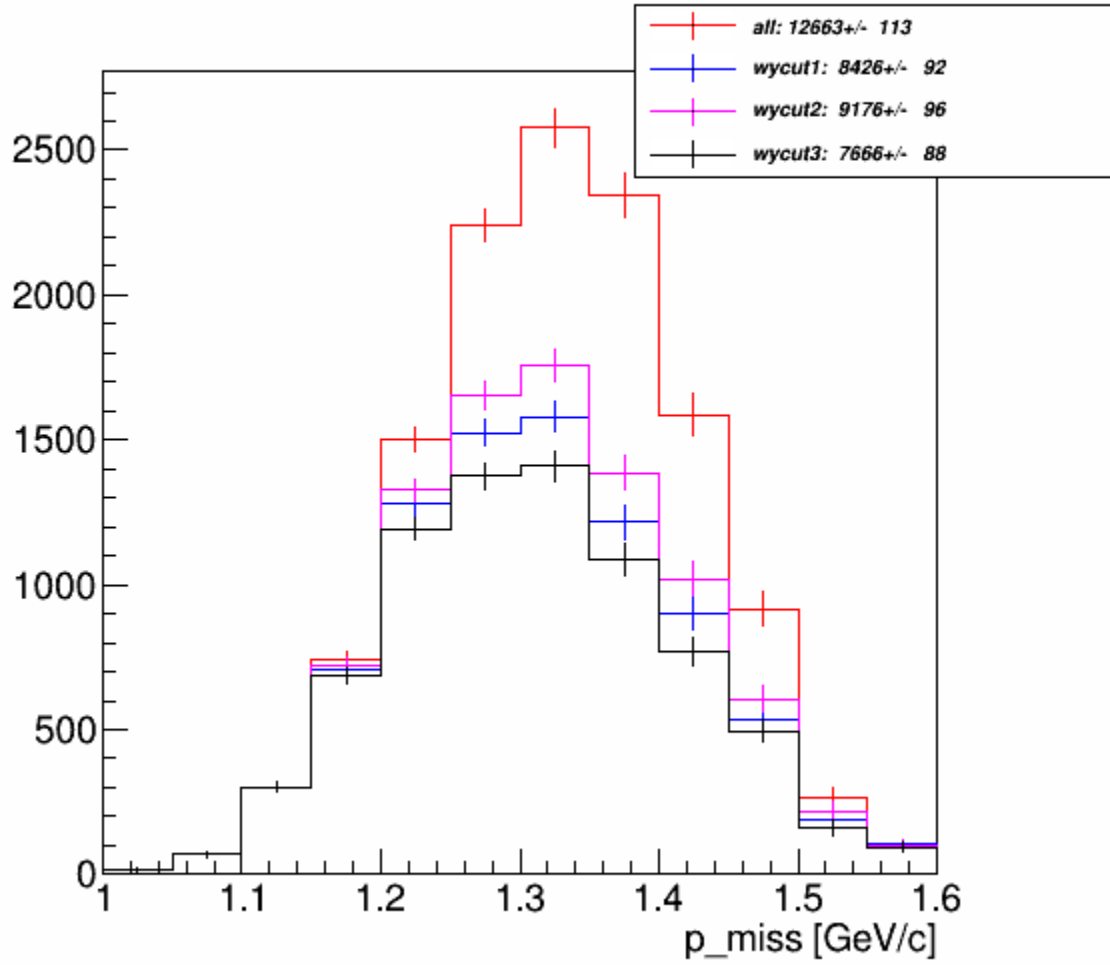


Figure 3.1: $[p_{\text{miss}}]$ at target after background subtraction.

wycut1: (blue): $\Omega = 0.84 - 1.8 \cdot y$
wycut2: (pink): $\Omega = 0.84 (+0.03) - 1.8 \cdot y$
wycut3: (black): $\Omega = 0.84 (-0.03) - 1.8 \cdot y$

p_miss_wycut2_to_wycut1_ratio

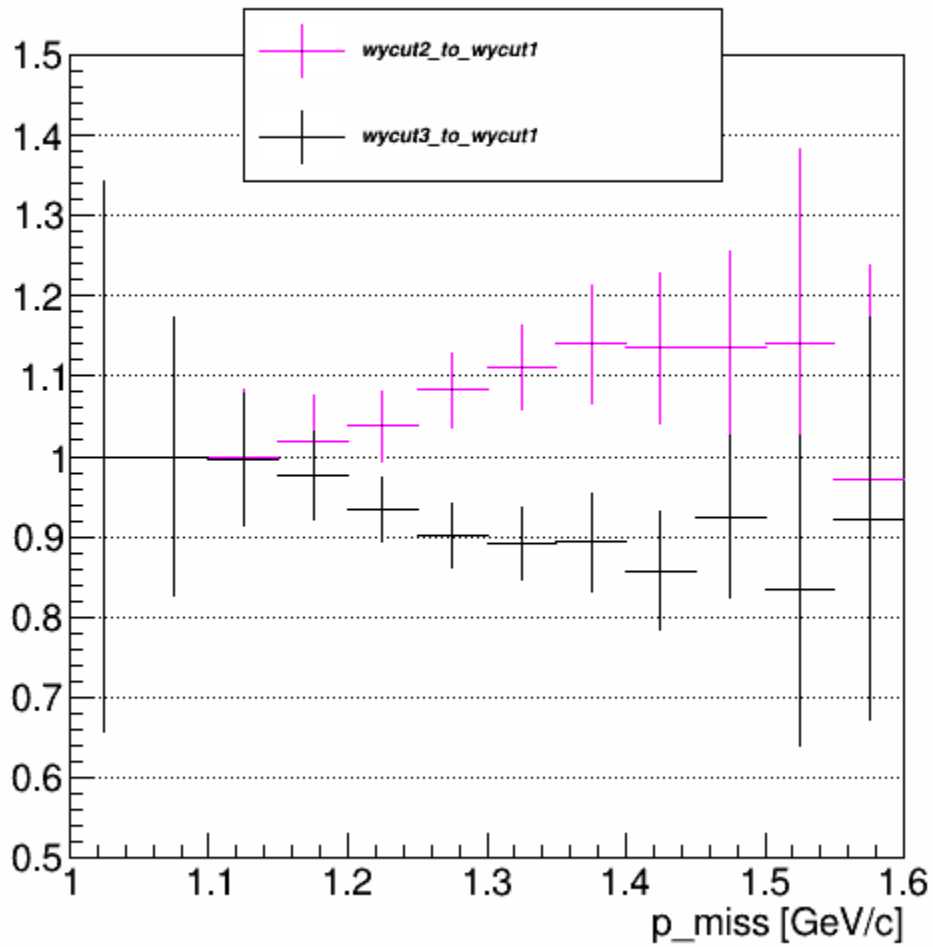


Figure 3.2: The wycut ratio of $[p_{\text{miss}}]$ at target after background subtraction

wycut2 to wycut1: (pink): $\Omega = 0.84 (+0.03) - 1.8*y$ to $\Omega = 0.84 - 1.8*y$
wycut3 to wycut1: (black): $\Omega = 0.84 (-0.03) - 1.8*y$ to $\Omega = 0.84 - 1.8*y$

The choice of omega-y cut effect more in the high missing momentum.

E_miss_all_kin_12_sub_bg

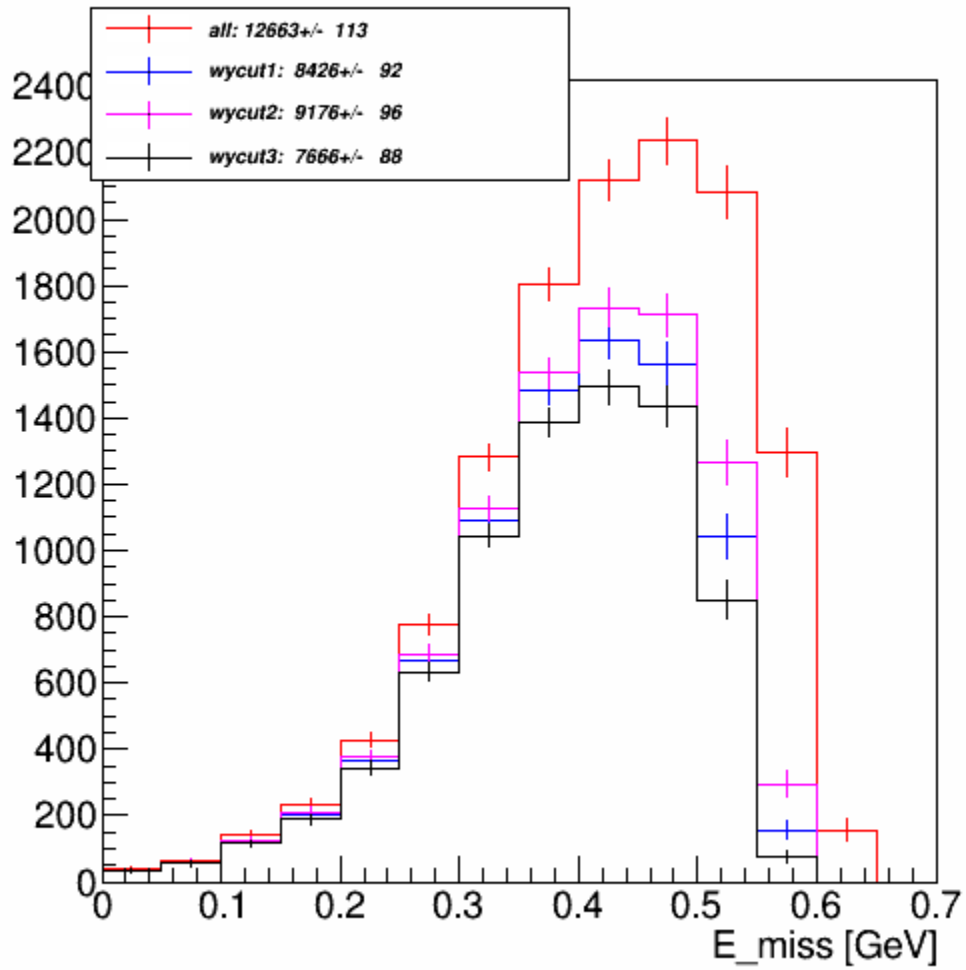


Figure 4.1: $[E_{\text{miss}}]$ at target after background subtraction.

wycut1: (blue): $\Omega = 0.84 - 1.8 \cdot y$
wycut2: (pink): $\Omega = 0.84 (+0.03) - 1.8 \cdot y$
wycut3: (black): $\Omega = 0.84 (-0.03) - 1.8 \cdot y$

E_miss_wycut2_to_wycut1_ratio

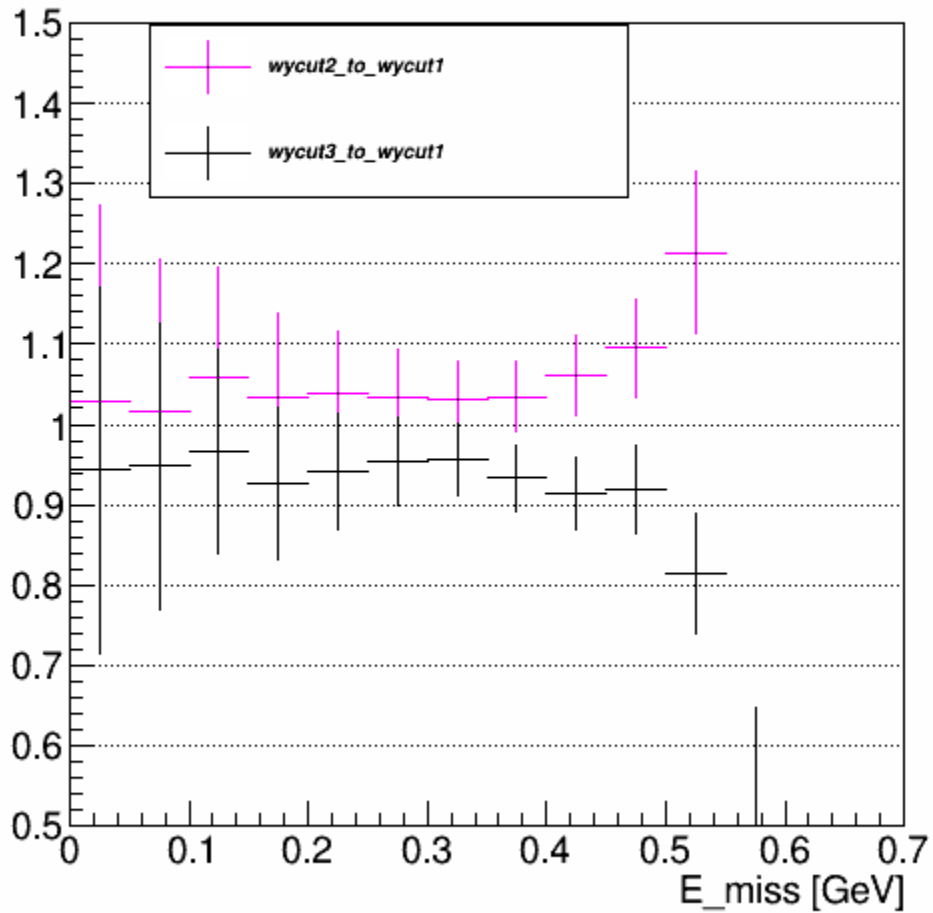


Figure 4.2: The wycut ratio of $[E_{\text{miss}}]$ at target after background subtraction

wycut2 to wycut1: (pink): $\Omega = 0.84 (+0.03) - 1.8^*y$ to $\Omega = 0.84 - 1.8^*y$
wycut3 to wycut1: (black): $\Omega = 0.84 (-0.03) - 1.8^*y$ to $\Omega = 0.84 - 1.8^*y$

The high E_{miss} has more change with the choice of omega-y cut

x_bj_all__kin_12_sub_bg

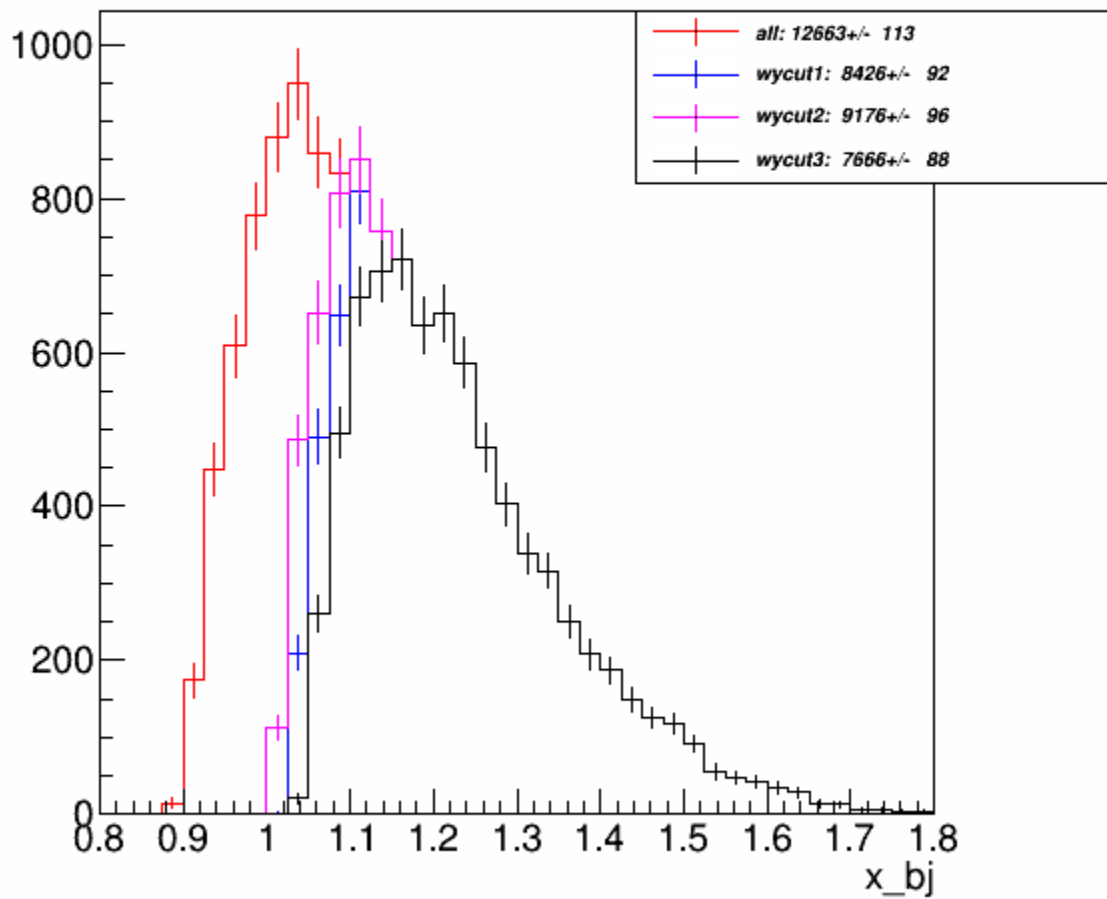


Figure 5.1: $[x_{bj}]$ at target after background subtraction.

wycut1: (blue): $\Omega = 0.84 - 1.8*y$
wycut2: (pink): $\Omega = 0.84 (+0.03) - 1.8*y$
wycut3: (black): $\Omega = 0.84 (-0.03) - 1.8*y$

x_bj_wycut2_to_wycut1_ratio

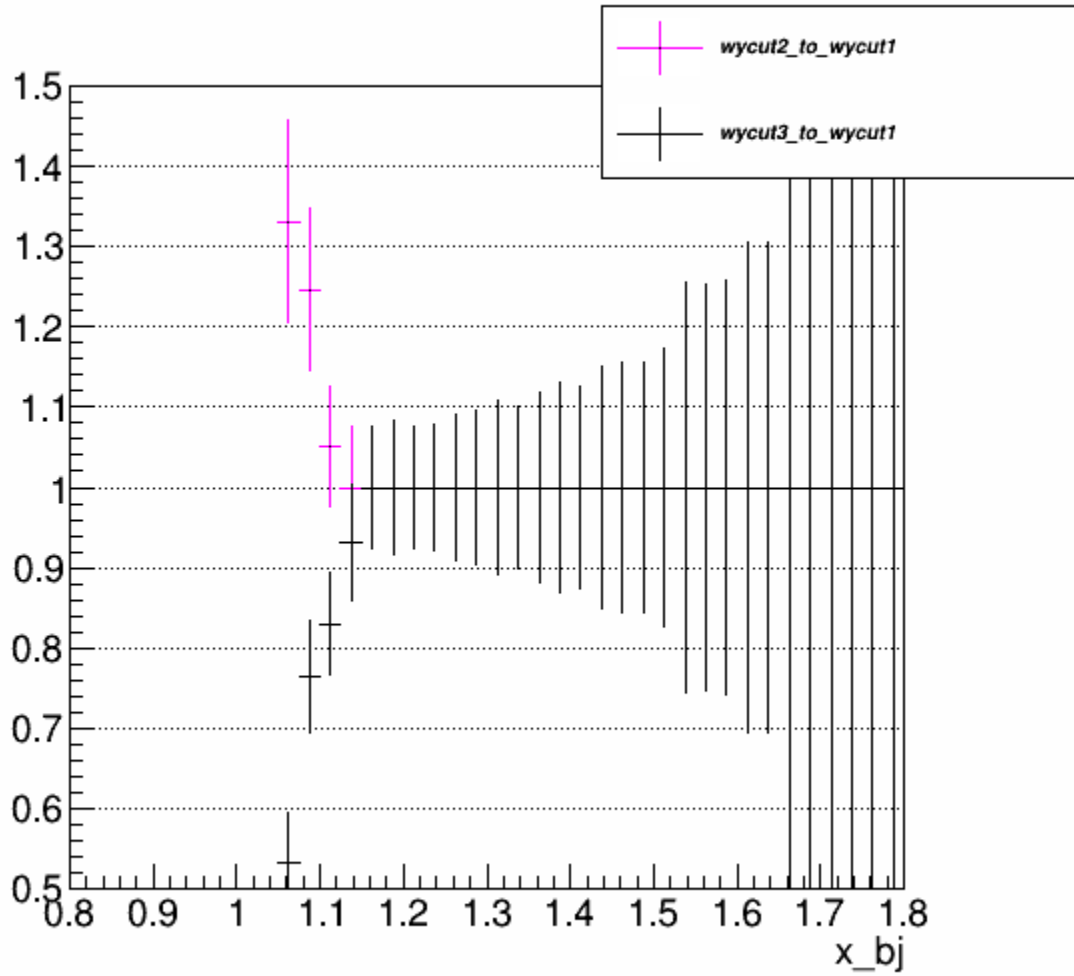


Figure 5.2: The wycut ratio of $[x_{bj}]$ at target after background subtraction

wycut2 to wycut1: (pink): $\Omega = 0.84 (+0.03) - 1.8*y$ to $\Omega = 0.84 - 1.8*y$
wycut3 to wycut1: (black): $\Omega = 0.84 (-0.03) - 1.8*y$ to $\Omega = 0.84 - 1.8*y$

Q2_all__kin_12_sub_bg

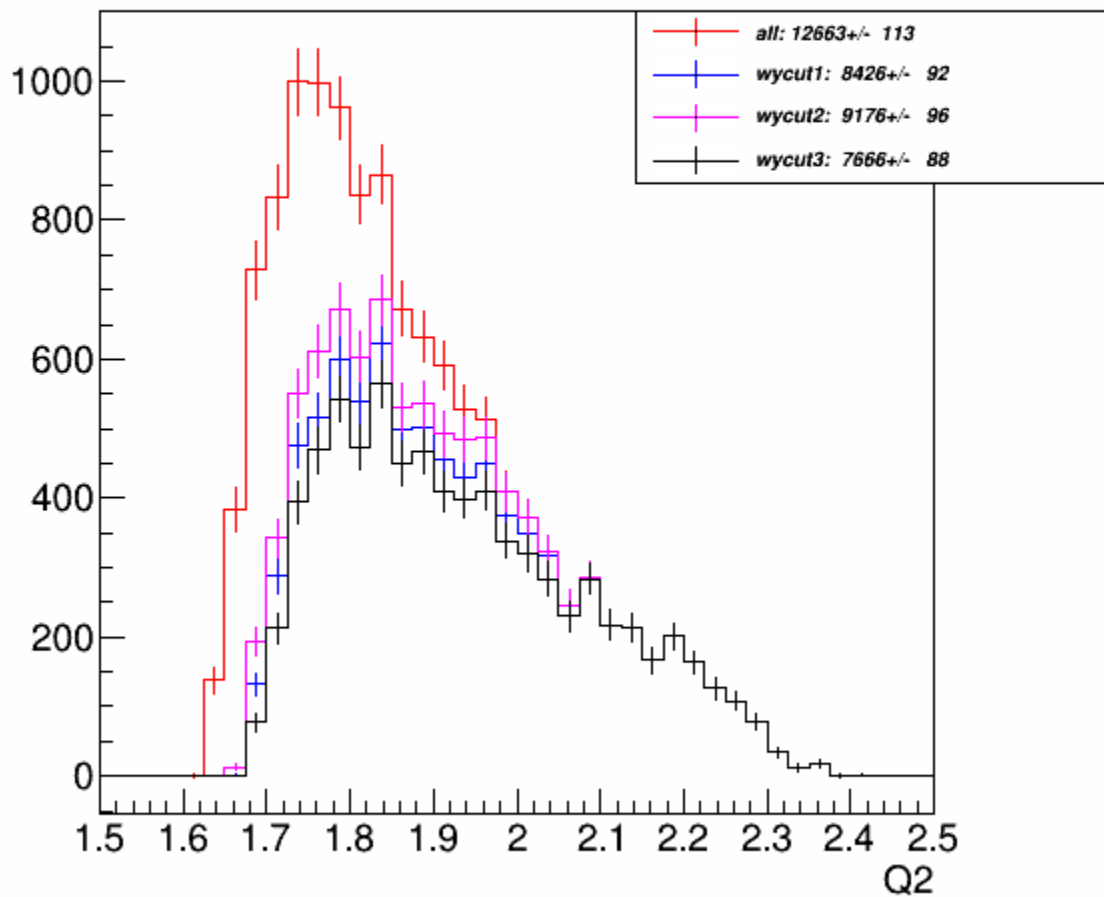


Figure 6.1: [Q2] at target after background subtraction.

wycut1: (blue): $\Omega = 0.84 - 1.8*y$
wycut2: (pink): $\Omega = 0.84 (+0.03) - 1.8*y$
wycut3: (black): $\Omega = 0.84 (-0.03) - 1.8*y$

Q2_wycut2_to_wycut1_ratio

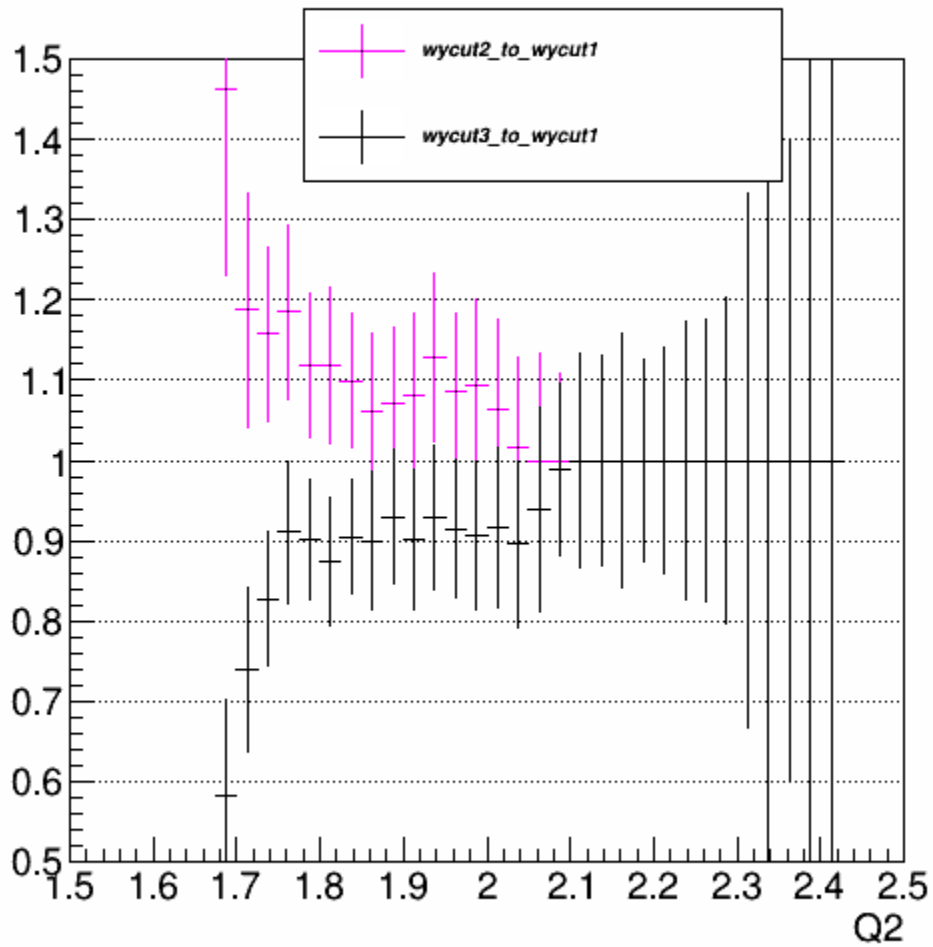


Figure 6.2: The wycut ratio of [Q2] at target after background subtraction

wycut2 to wycut1: (pink): $\Omega = 0.84 (+0.03) - 1.8*y$ to $\Omega = 0.84 - 1.8*y$
wycut3 to wycut1: (black): $\Omega = 0.84 (-0.03) - 1.8*y$ to $\Omega = 0.84 - 1.8*y$

Should we also make the cut on x_{bj} and Q^2 ?

$x_{bj_all_kin_12_sub_bg}$

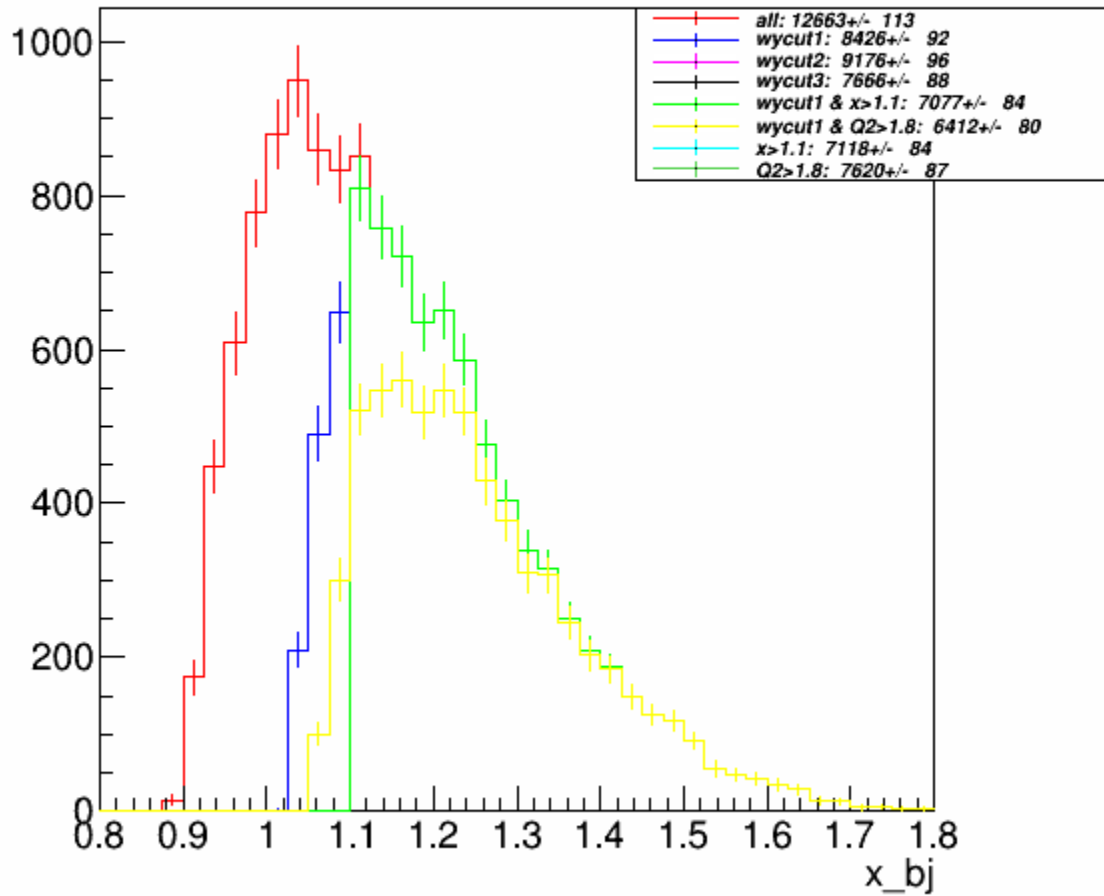


Figure 7.1: x_{bj} distribution with
blue: wycut1
green: wycut1 with $x_{bj} > 1.1$
yellow: wycut1 with $Q^2 > 1.8$

Q2_all__kin_12_sub_bg

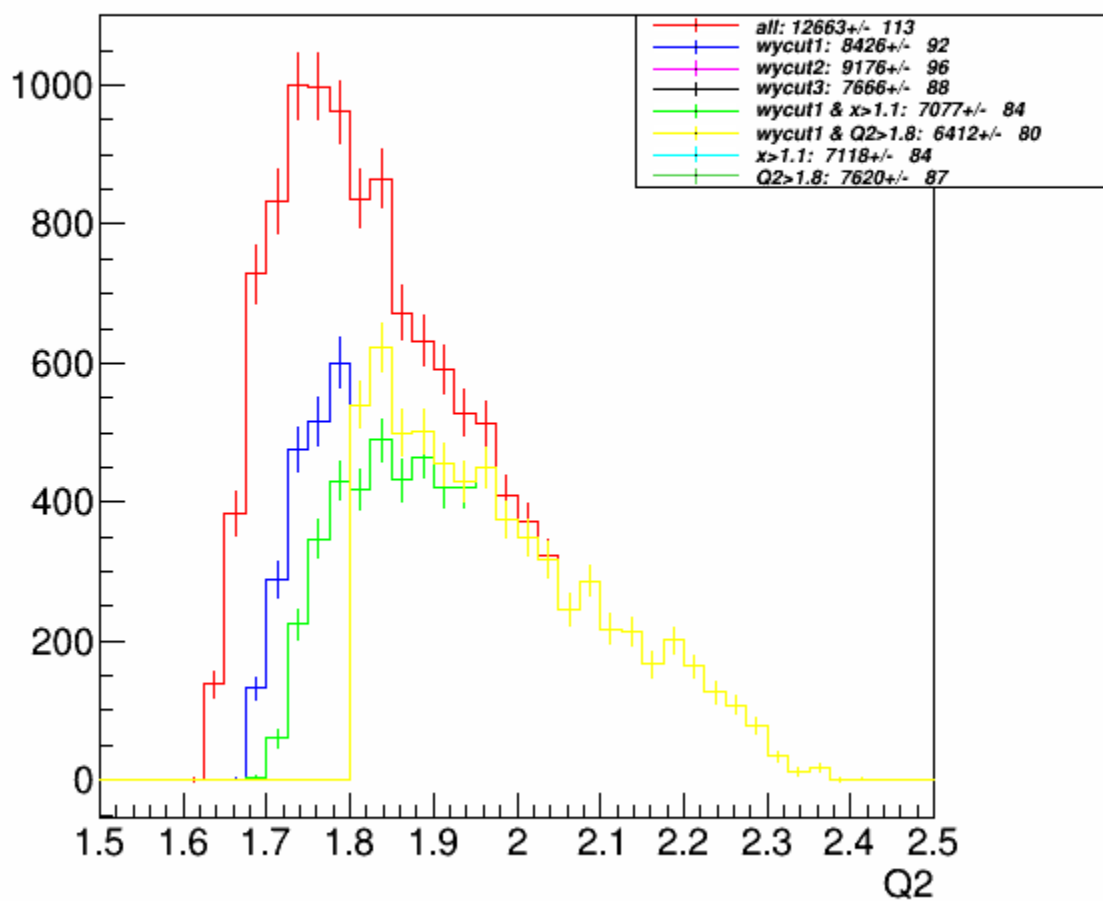


Figure 7.2 Q_2

blue: wycut1

green: wycut1 with $x_{bj} > 1.1$

yellow: wycut1 with $Q_2 > 1.8$

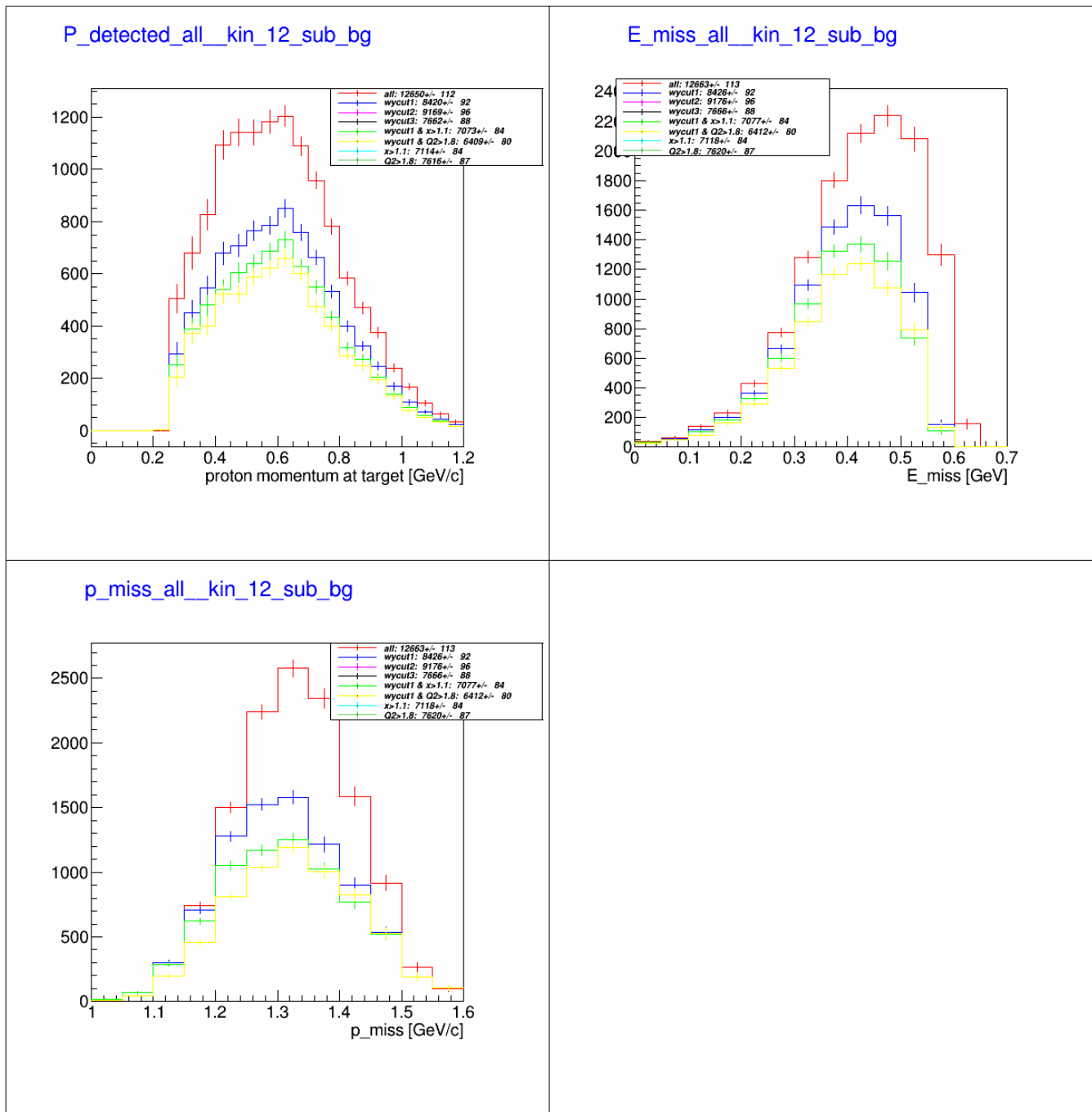


Figure 7.3-5 $p_{\text{detected}}, E_{\text{miss}}, p_{\text{miss}}$