

Figure 1.1
 $q_z = |q| \cdot \cos(\theta_q)$

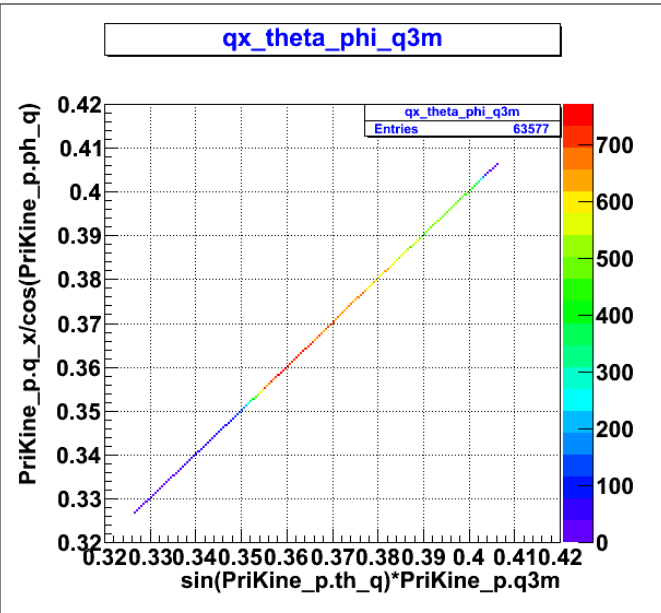


Figure 1.2
 $q_x / \cos(\phi_q) = |q| \cdot \sin(\theta_q)$
 $q_x = |q| \cdot \sin(\theta_q) \cdot \cos(\phi_q)$

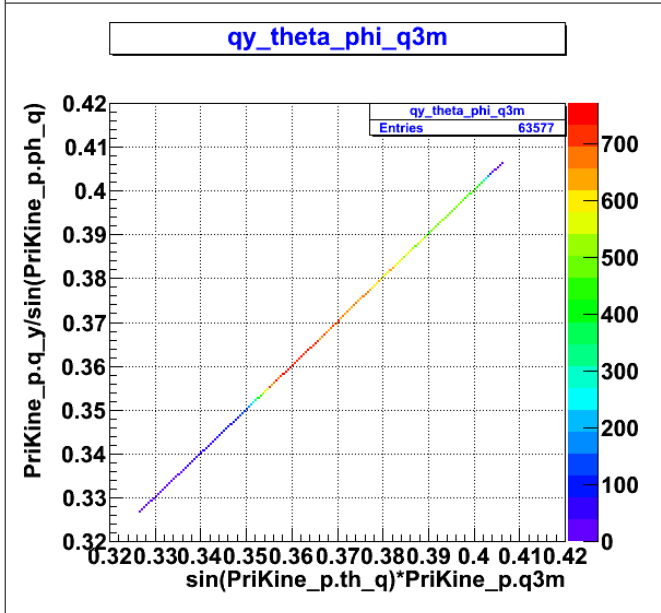


Figure 1.3
 $q_y / \sin(\phi_q) = |q| \cdot \sin(\theta_q)$
 $q_y = |q| \cdot \sin(\theta_q) \cdot \sin(\phi_q)$

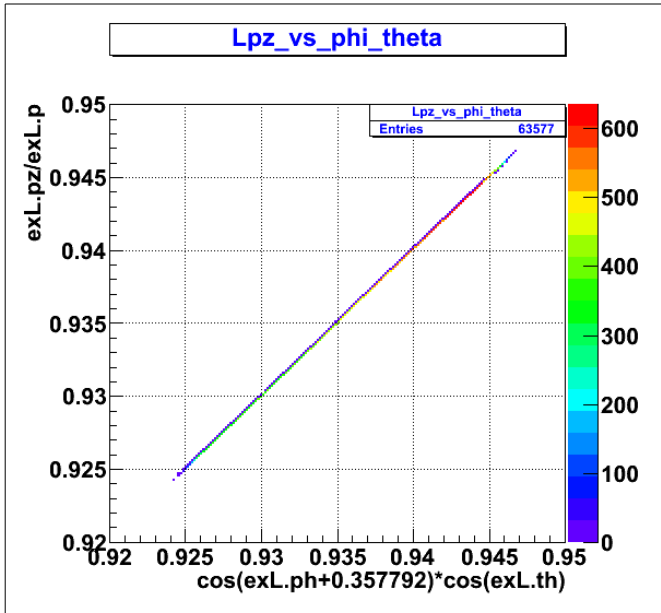


Figure 2.1
 $L_{p_z} = |L_p| \cdot \cos(\theta_L) \cdot \cos(\phi_L + \text{scatt}_0)$
 with for this run (2033) $\text{scatt}_0 = 20.5 \text{ deg} = 0.3578 \text{ rad}$.

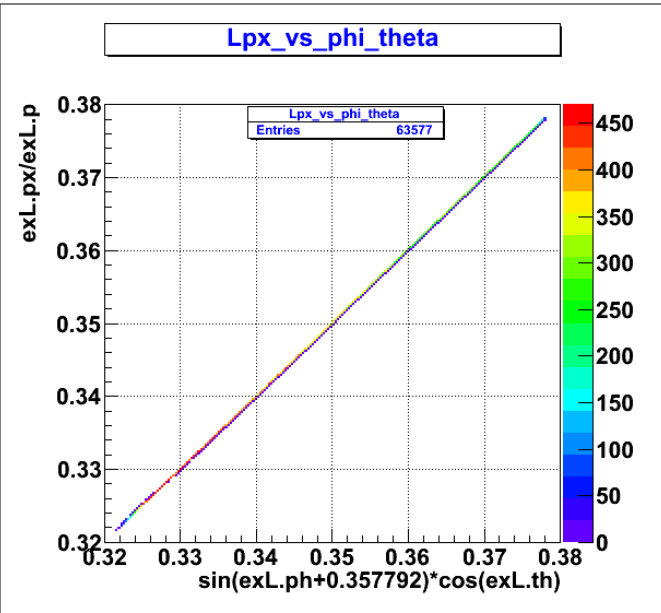


Figure 2.2
 $L_{p_x} = |L_p| \cdot \cos(\theta_L) \cdot \sin(\phi_L + \text{scatt}_0)$

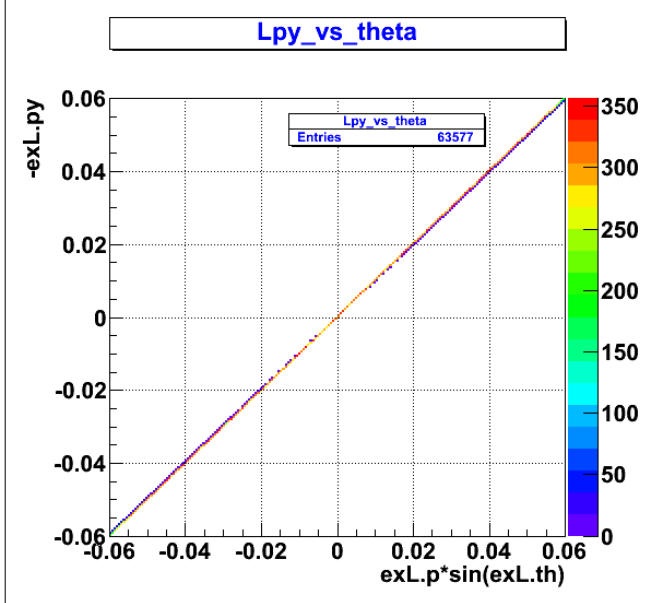


Figure 2.3
 $L_{p_y} = |L_p| \cdot \sin(\theta_L)$

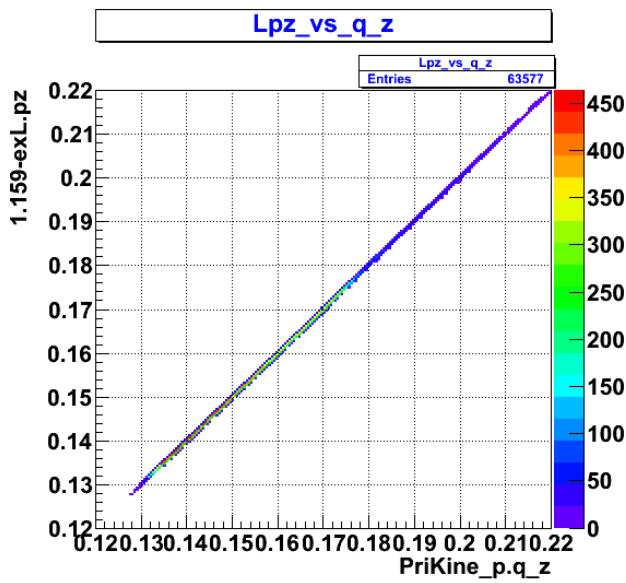


Figure 3.1
 $q_z = E_{\text{beam}} - L_{p_z}$

$$|q| \cos(\theta_q) = E_{\text{beam}} - |L_p| \cos(\theta_L) \cos(\phi_L + \text{scatt}_0)$$

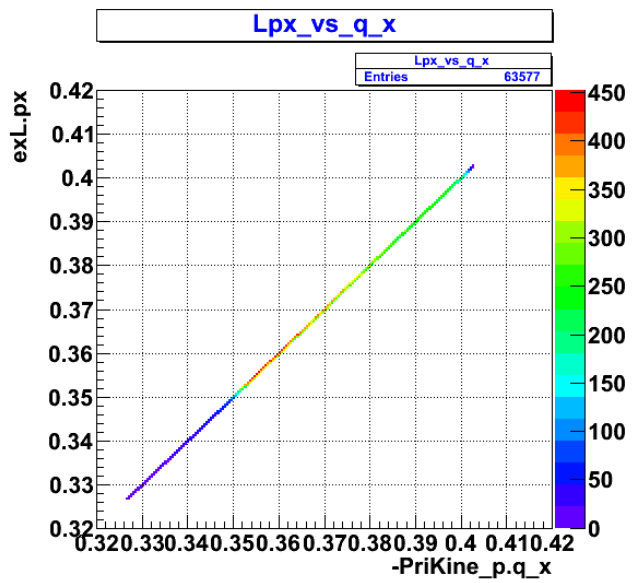


Figure 3.2
 $q_x = -L_{p_x}$

$$|q| \sin(\theta_q) \cos(\phi_q) = -|L_p| \cos(\theta_L) \sin(\phi_L + \text{scatt}_0)$$

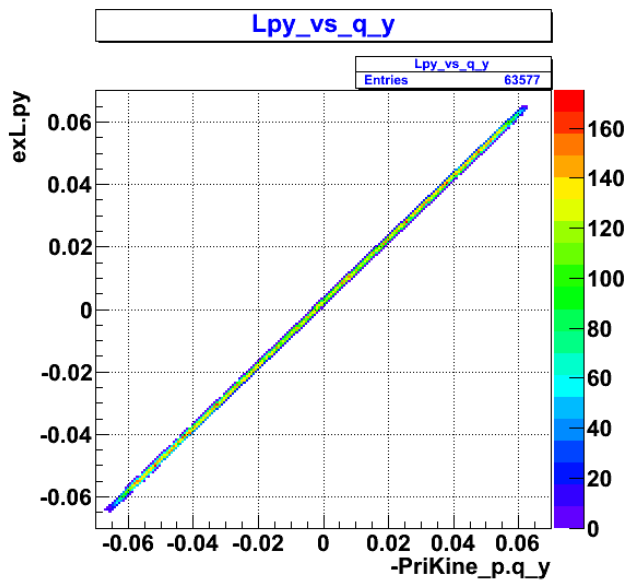


Figure 3.3
 $L_{p_y} = -q_y$

$$|L_p| \sin(\theta_L) = -|q| \sin(\theta_q) \sin(\phi_q)$$

1. $|q| \cdot \cos(\theta_q) = E - |L_p| \cos(\theta_L) \cdot \cos(\phi_L + \text{scatt}_0)$
2. $\tan(\phi_q) = -\tan(\theta_L) / \sin(\phi_L + \text{scatt}_0)$
3. $|q|^2 = E^2 + |L_p|^2 - 2 \cdot E \cdot |L_p| \cdot \cos(\theta_L) \cdot \cos(\phi_L + \text{scatt}_0)$
4. $E' = |L_p| = E / \{1 + E/M \cdot (1 - \cos(\theta_L) \cdot \cos(\phi_L + \text{scatt}_0))\}$

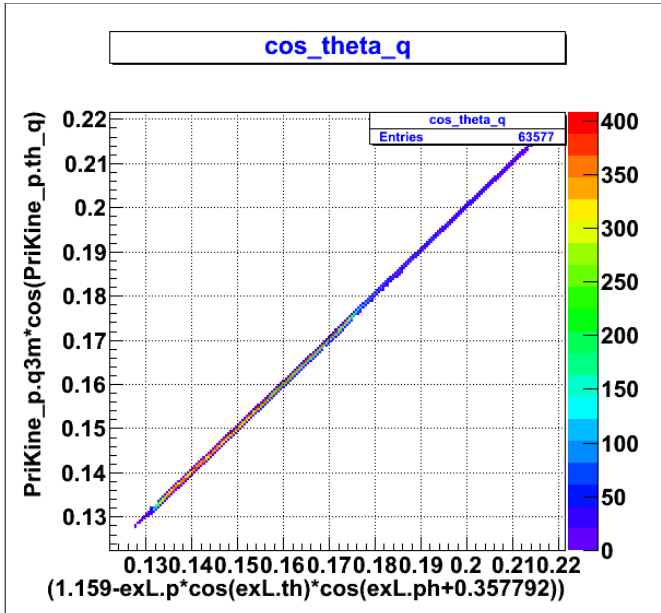


Figure 4.1
equation (1)

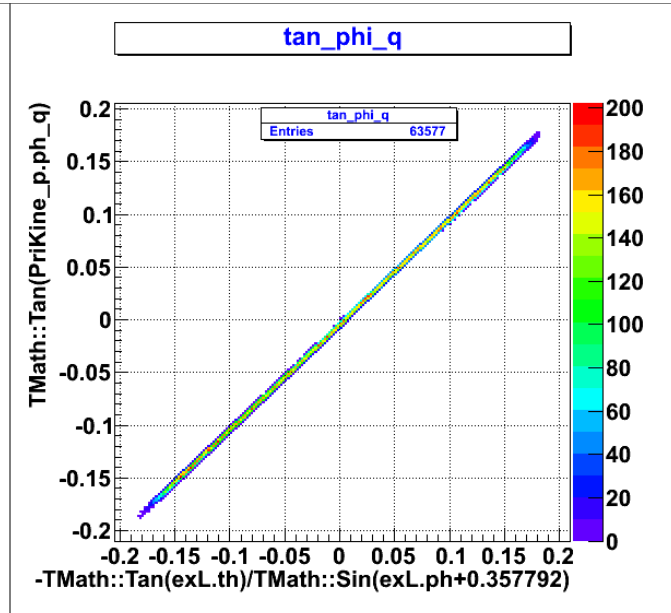


Figure 4.2
equation (2)

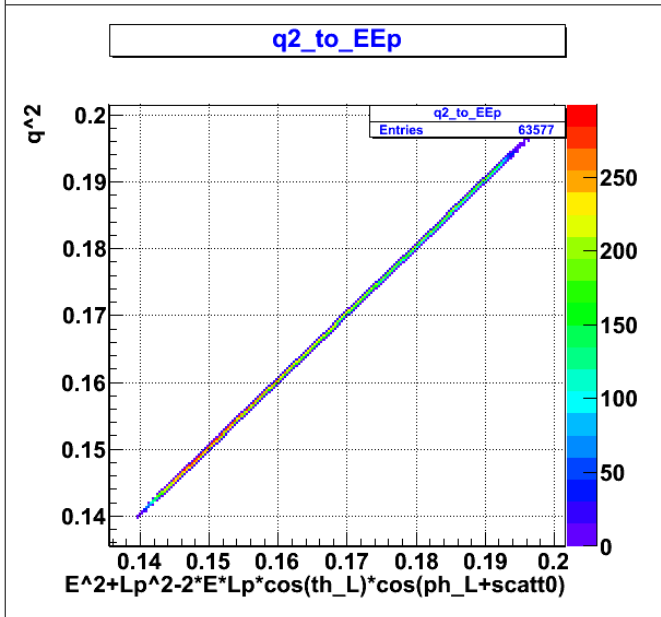


Figure 4.3
equation (3)

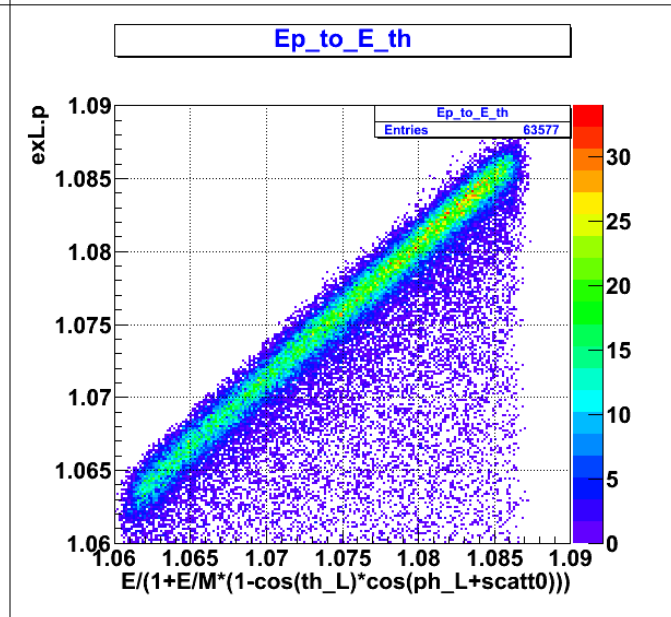


Figure 4.4
equation (4)

5. $\Omega_e = \cos(\phi_L + \text{scatt}_0) \cdot \theta_L$
6. $\Omega_q = \cos(\theta_q) \cdot \phi_q$
7. $\frac{d(\Omega_e)}{d(\Omega_q)} = \frac{(\Omega_{e1} - \Omega_{e2})}{(\Omega_{q1} - \Omega_{q2})}$
 $= \text{slope of } \Omega_e \text{ vs } \Omega_q$
8. $\frac{d(\sigma)}{d(\Omega_q)} = \frac{d(\sigma)}{d(\Omega_e)} \cdot \frac{d(\Omega_e)}{d(\Omega_q)}$
 $= (0.87474) \cdot \frac{d(\sigma)}{d(\Omega_e)}$

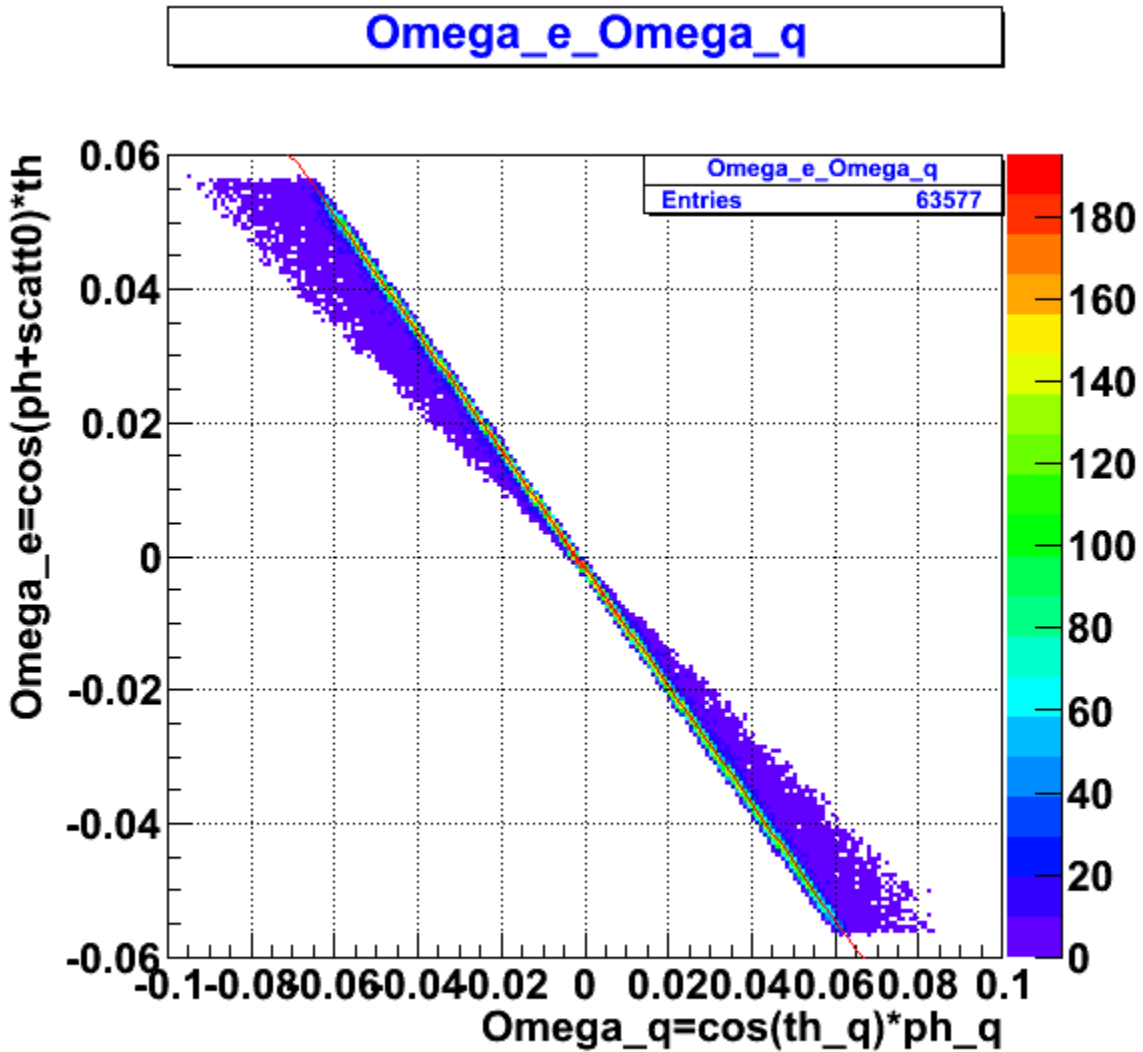


Figure 5.
 $Y = \Omega_e$ (equation (5)),
 $X = \Omega_q$ (equation(6)),
 $|\text{slope}| = \frac{d(\Omega_e)}{d(\Omega_q)} = 0.874743$ (equation(7)). The fitting value is from figure 5.2 when the W2 max is imposed to remove the blur area.

By making Cut on W2 max = 0.888 GeV2, Figure 5 translated to:

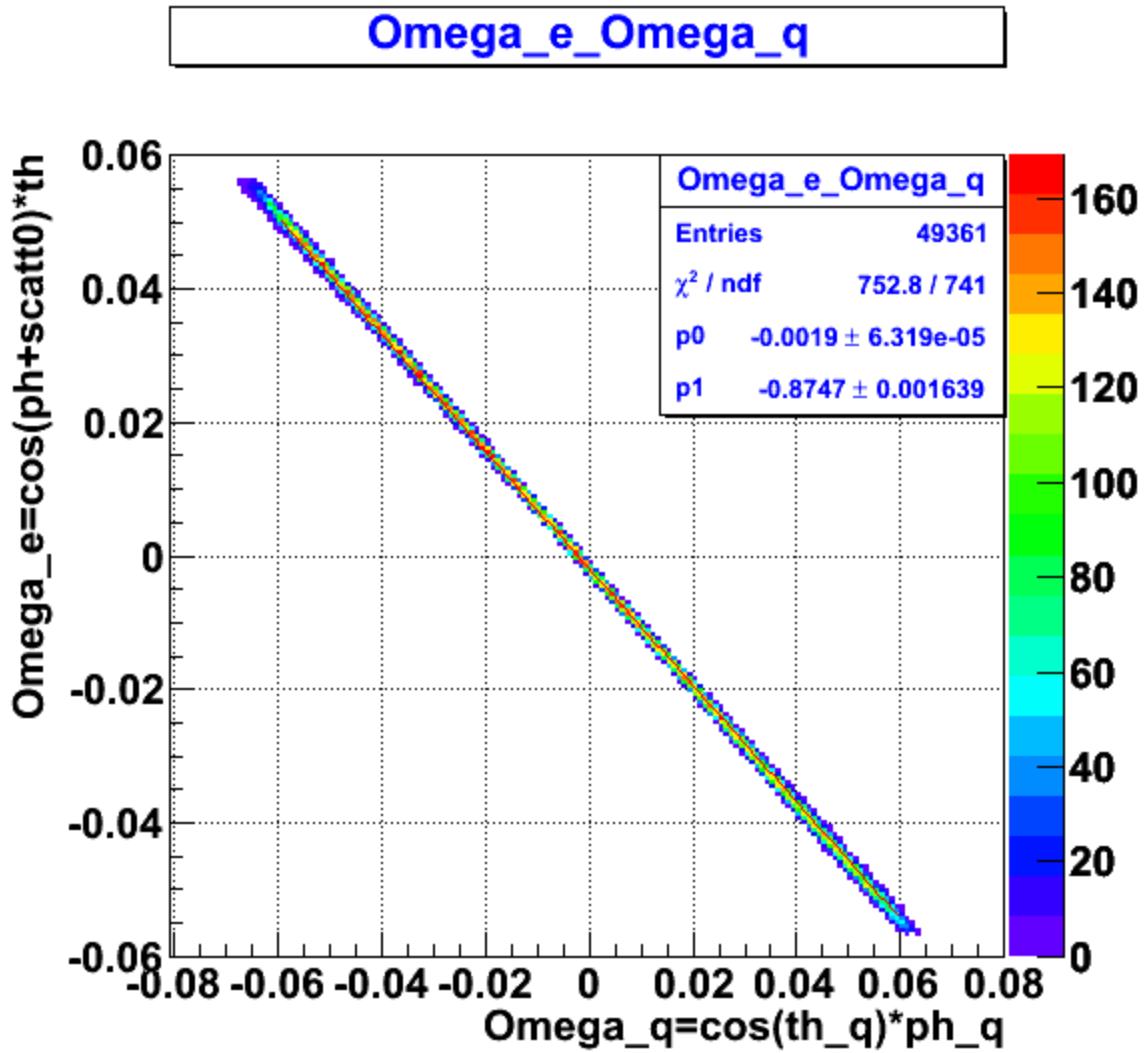


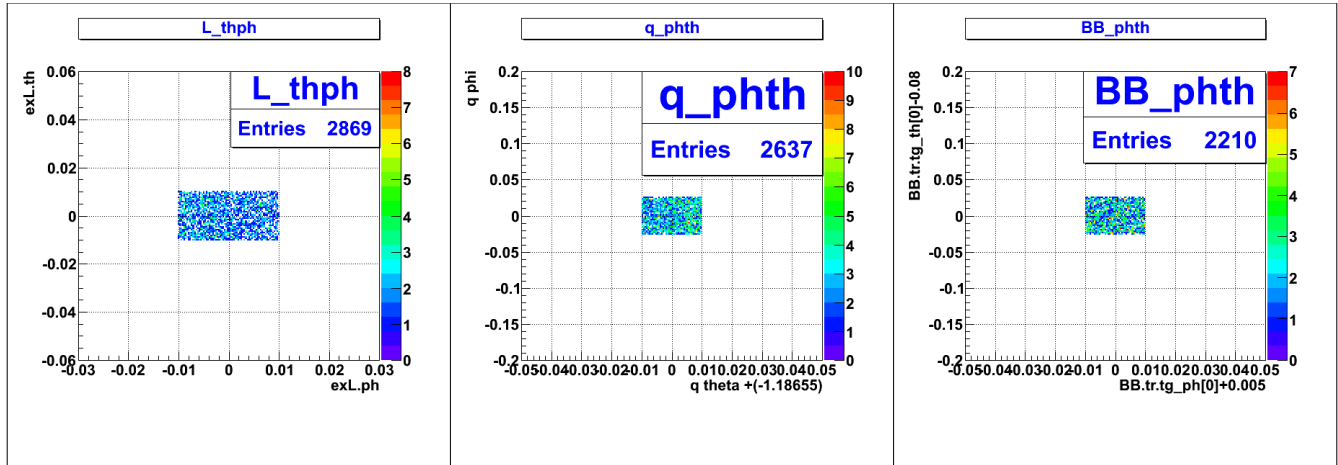
Figure 5.2: With W2 max cut at 0.888 GeV2 the radiative tail is eliminated from the blur area. This yeild $d(\Omega_e)/d(\Omega_q) = 0.8747$.

We can also derive the $d(\Omega_e)/d(\Omega_q)$ from they definitions and other equations.

$$\frac{d(\Omega_e)}{d(\Omega_q)} = \frac{\cos(\phi_e + \text{scattered}_0) * d(\theta_e) - \sin(\phi_e + \text{scattered}_0) * \theta_e * d(\phi_e)}{\cos(\theta_q) * d(\phi_q) - \sin(\theta_q) * \phi_q * d(\theta_q)}$$

$$\frac{d(\Omega_e)}{d(\Omega_q)} = \frac{[d(\theta_e)/d(\phi_e)] - \tan(\phi_e + \text{scattered}_0) * \theta_e}{[d(\phi_q)/d(\theta_q)] - \tan(\theta_q) * \phi_q}$$

where I need to calculated $[d(\theta_e)/d(\phi_e)]$ and $[d(\phi_q)/d(\theta_q)]$.



from	N_scattered	dOmega	N_scattered/dOmega	Exp CrossSection
LHRS	2869	1.40E-004	2.05E+007	1.543 ubarn/strad
q_vector	2637	9.27E-004	2.84E+006	0.214 ubarn/strad
BB	2210	9.29E-004	2.38E+006	0.179 ubarn/strad
ratio				
LHRS/q_vector	1.088	0.151	7.200	7.200
q_vector/BB	1.19	1	1.2	1.2