

## R\_function

R-function is used to optimized the cut on HRS acceptance. i.e. selects maximum region of “flat” acceptance.

We consider parameters:  $y_{tg}$ ,  $\theta_{tg}$ ,  $\phi_{tg}$  and  $\delta_{p_{tg}}$ .  
 $x_{tg}$  is bounded by the beam raster which is very small.

Two components:

I. the Initial acceptance cuts:

give the boundary for which only data within the cut of two parameters are accepted.

II. The calculation of f1 function

Let the mini-r-function call “prod” be

1.  $\min(X, Y)$  or
2.  $X + Y - \sqrt{X^2 + Y^2}$

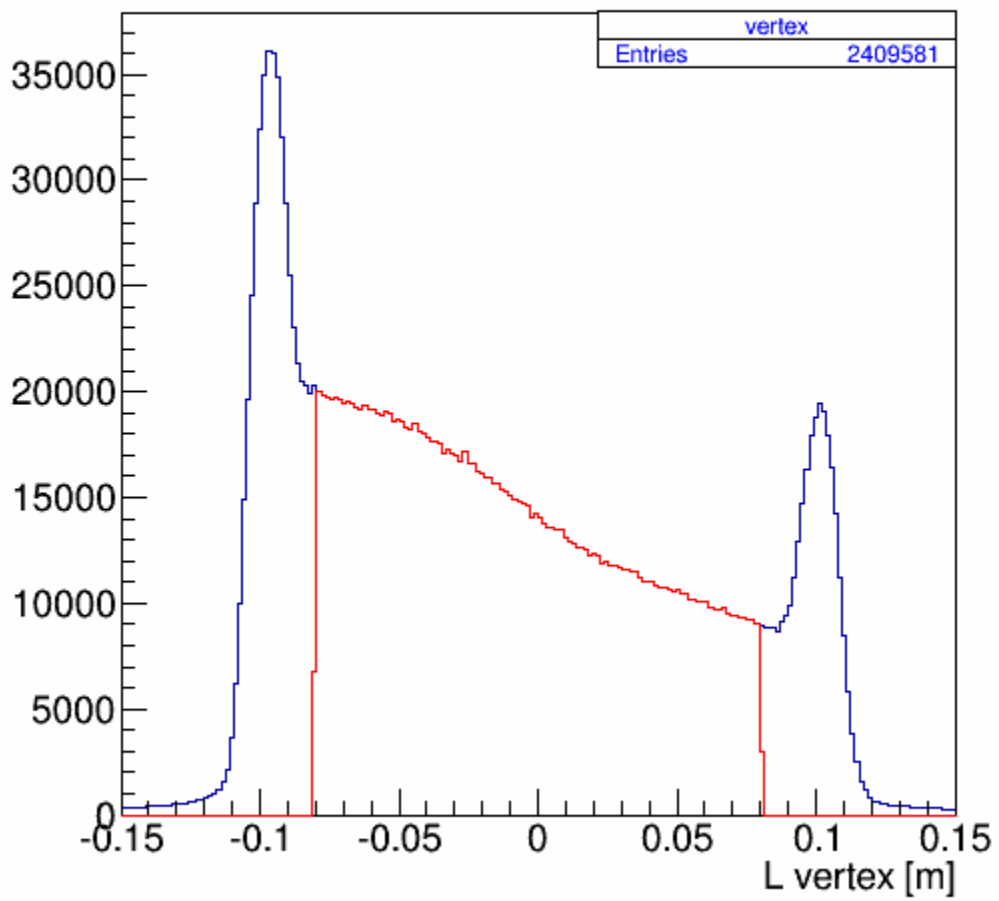
Let  $C_i$  be the function of all the line cuts.

1. Start with identify the value of  $\text{prod}(\text{prod}(C_1, C_2), C_3)$  (from graph 1)
  2.  $\text{prod}(C_{10}, C_{11})$  ( from graph 2)
- and so on until the last value survive and it is call the f1

The selection of the f1 is on the other hand rely on some simulation but we can use what other people make a cut before at  $f1 > 0.001$  or  $0.002$

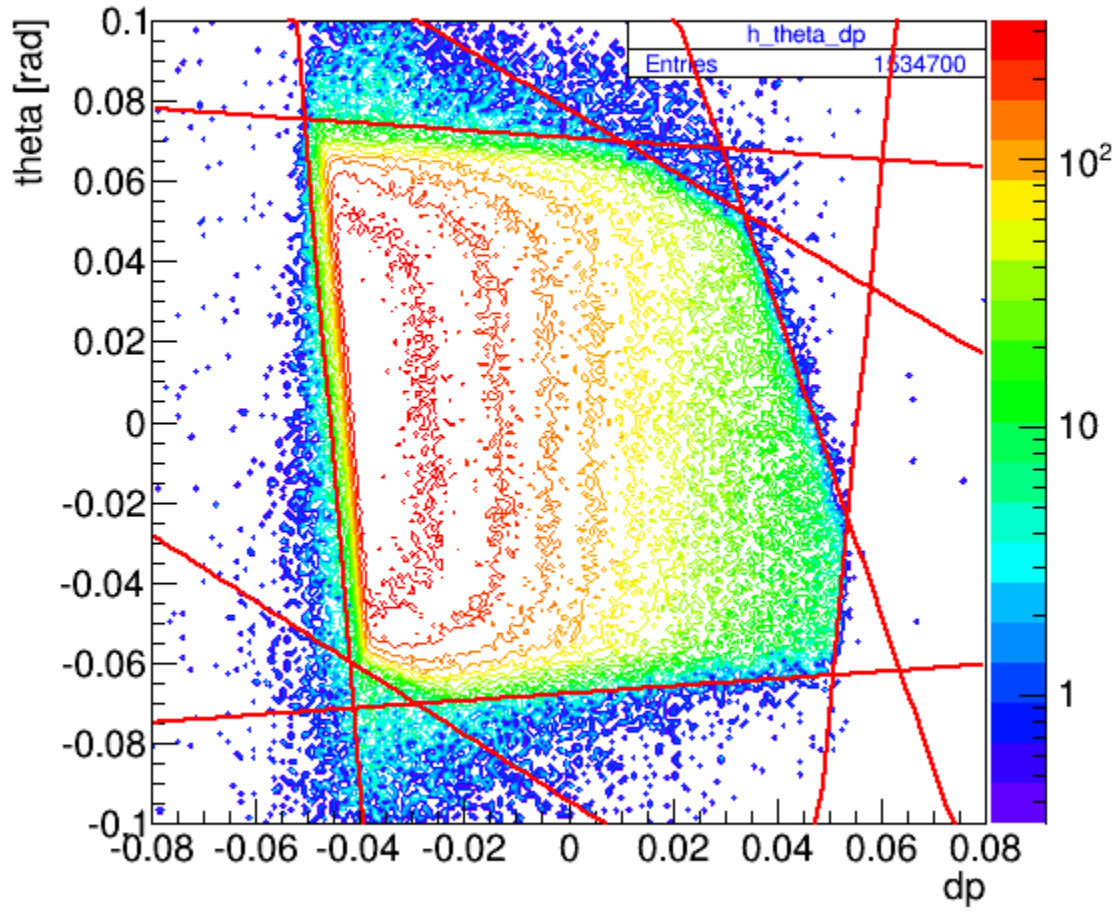
require as the event are electron from electron PID.  
with additional requirement on  $|L_{\text{vertex}}| \leq 0.08$  m.  
\*\*\* add vertex cut figure.

## vertex



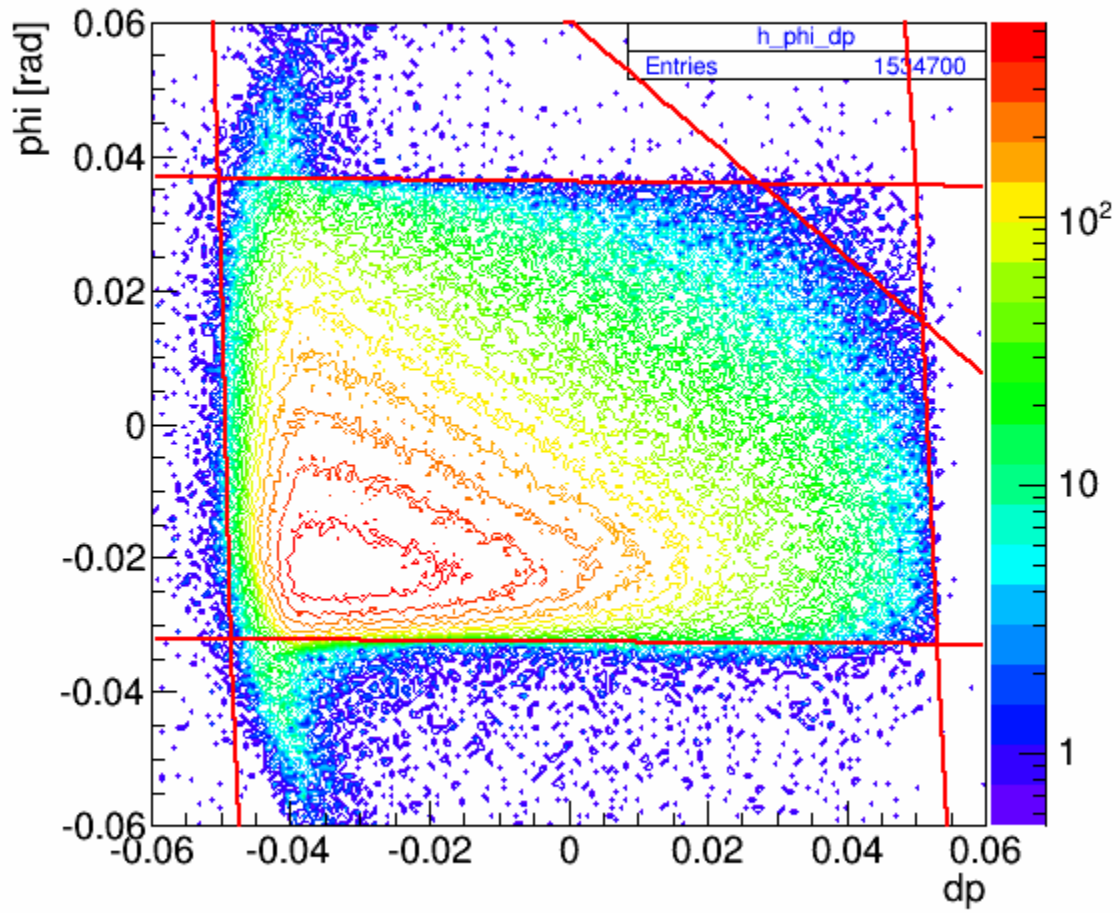
I0. vertex cut to eliminate the end caps.

## h\_theta\_dp



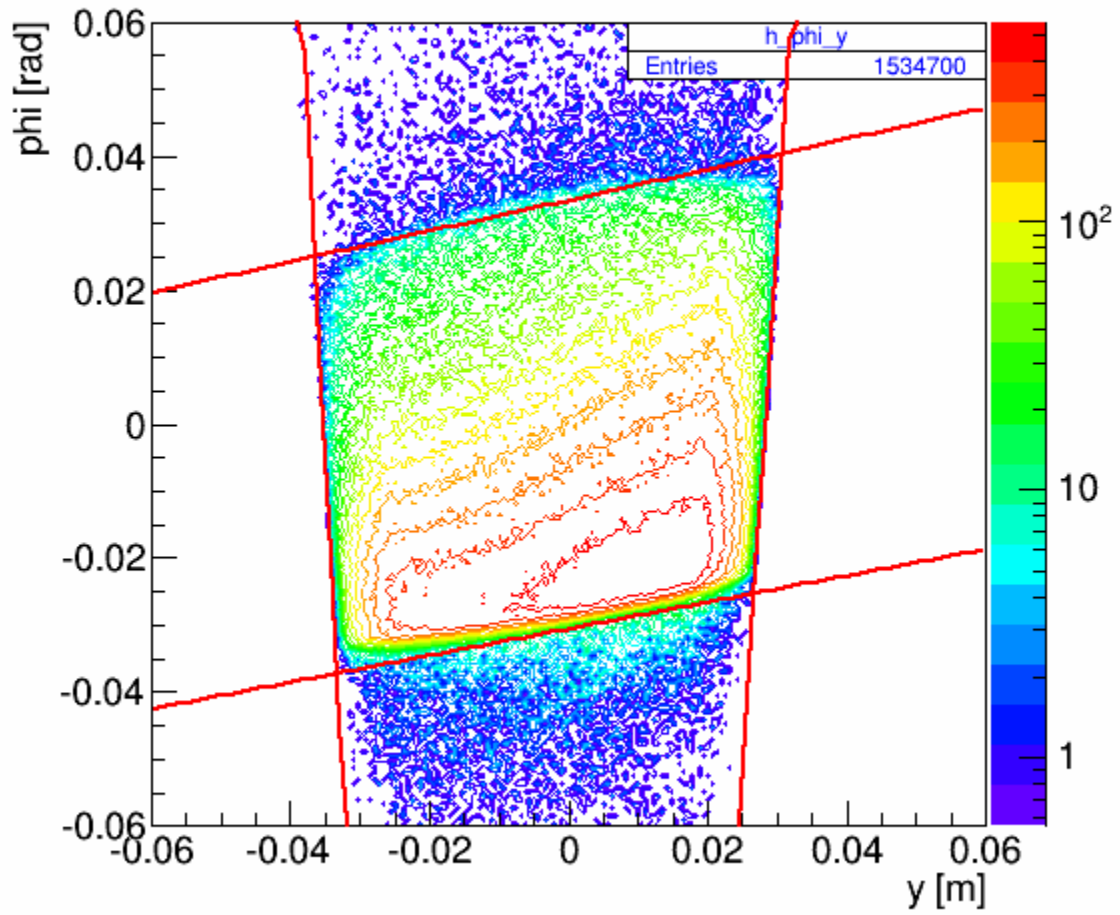
11. Theta vs dp cut (still look the same with/without vertex cut)

## h\_phi\_dp



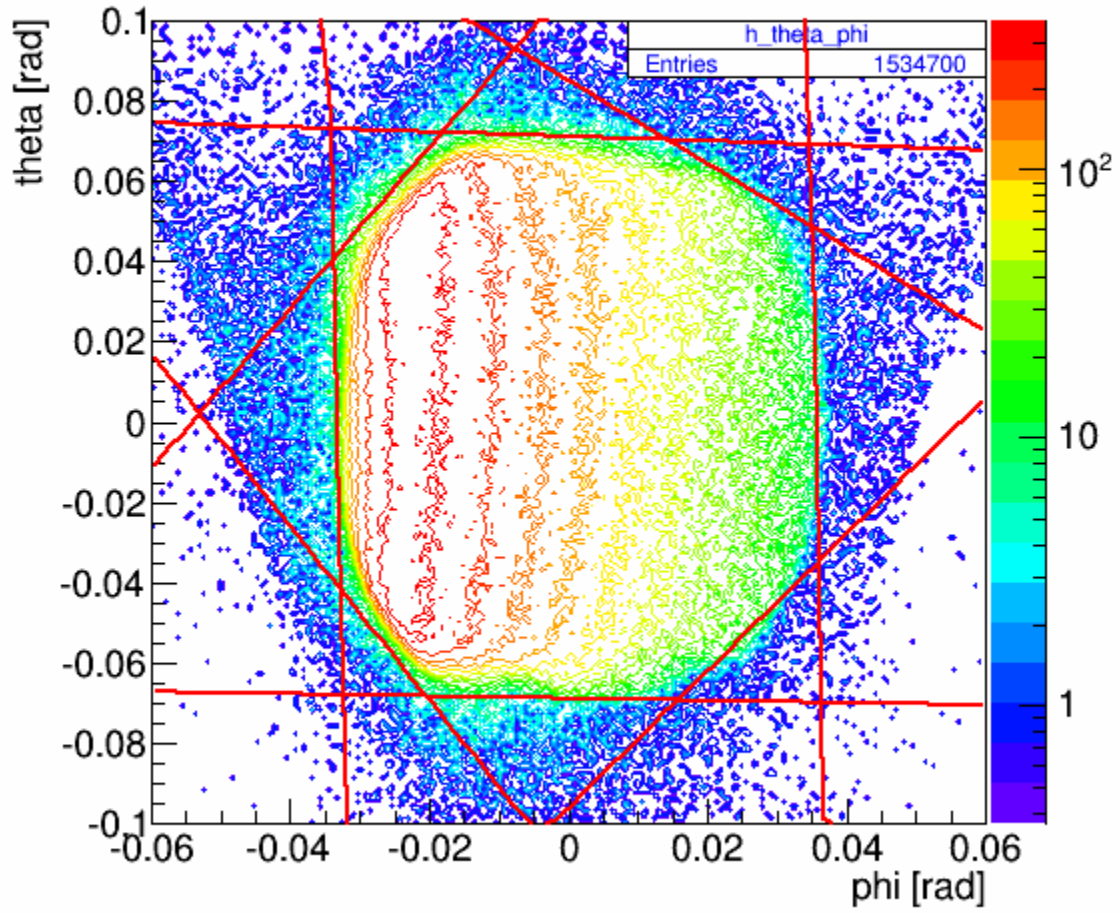
I2. phi and dp cut (still look the same with/without vertex cut)

h\_phi\_y



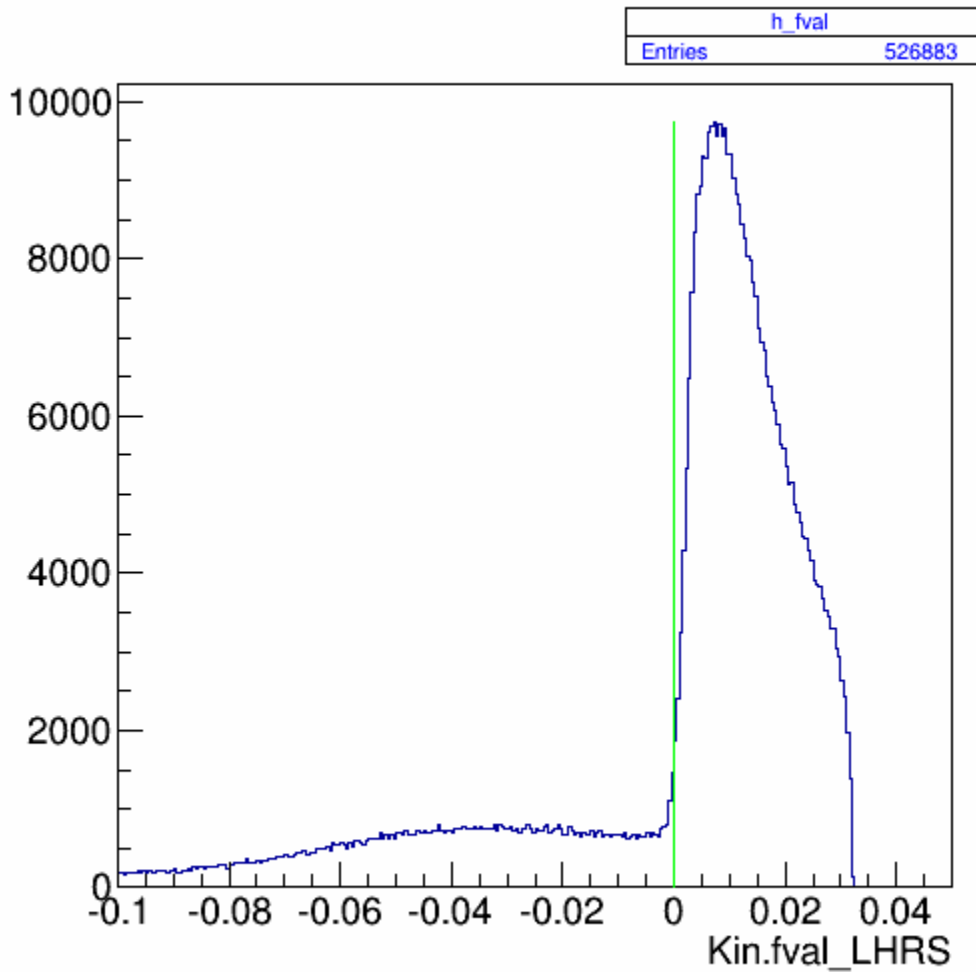
I3. phi vs y cut change when the vertex cut were impost before making the initial cut.

# h\_theta\_phi



I4. theta vs phi (still look the same with/without vertex cut)

h\_fval



I5. the result of the r-fuction.

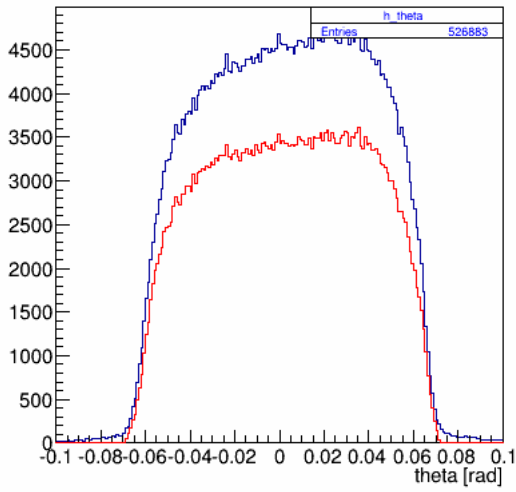
Let  $C_i$  be the function of all the intital line cuts such that it is **positive** if the value are within the interested area, **0** at the line, and **negative** outside the interested area.

Then using the  $\min(C_i, C_j)$  for all  $j, i$  represent all the lines.

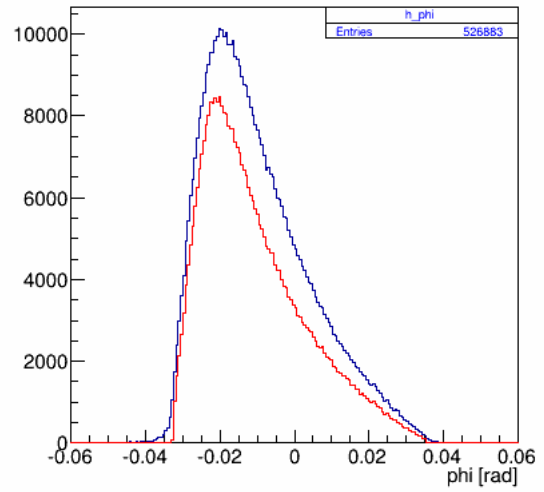
We have the final value as  $fval = \min(C_i, C_j)$  for all  $j, i$  represent all the lines.

So for event with  $fval \geq 0$ , that event are within all the initial acceptance cuts in all 4 parameters combines.

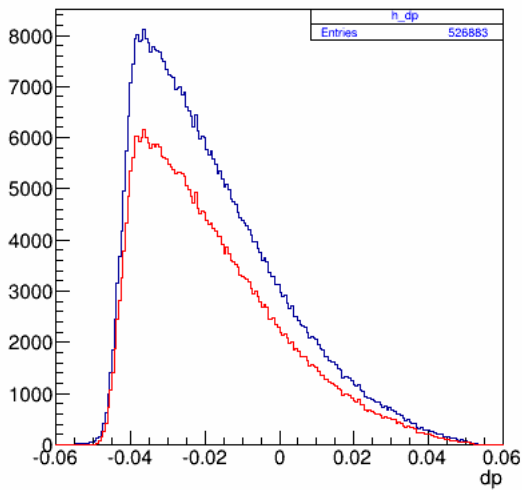
h\_theta



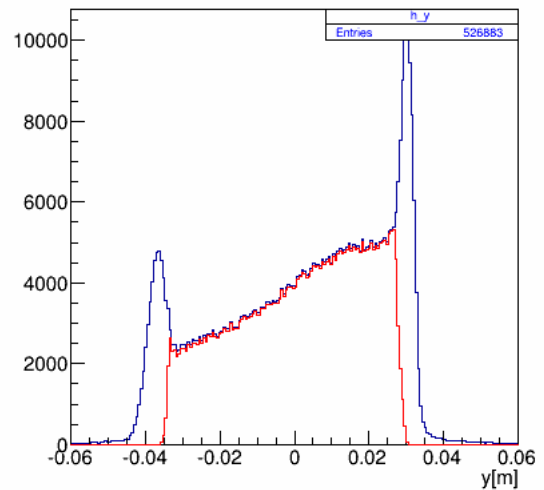
h\_phi



h\_dp

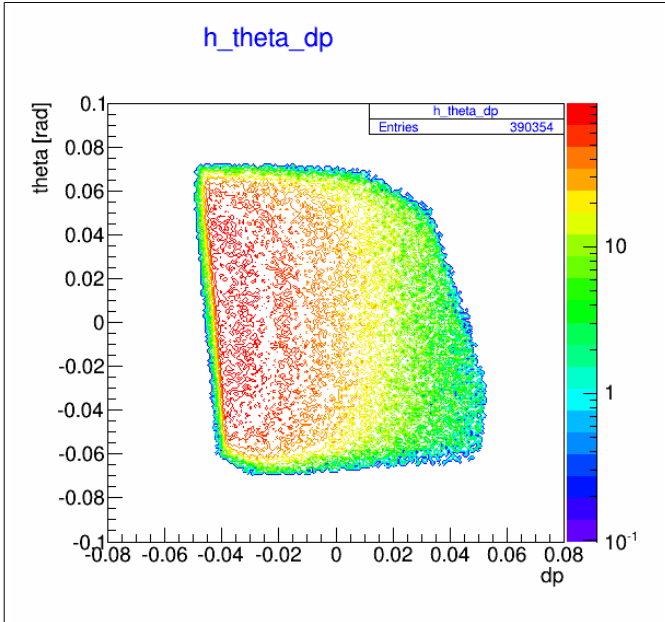


h\_y

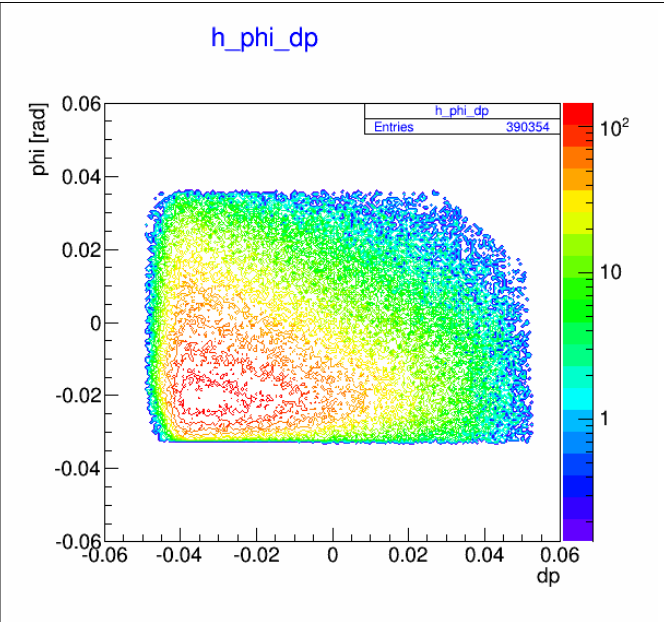


15.1 theta, phi, dp, and y without fval cut (blue) and with fval >= 0 cut (red).

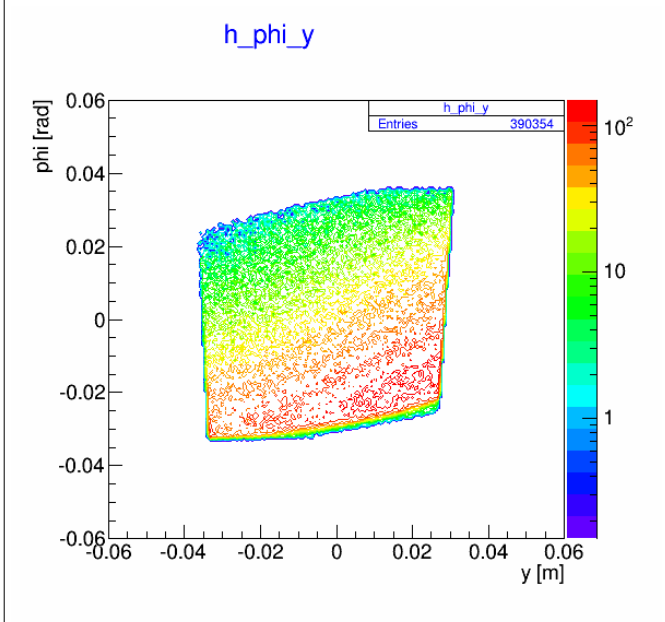




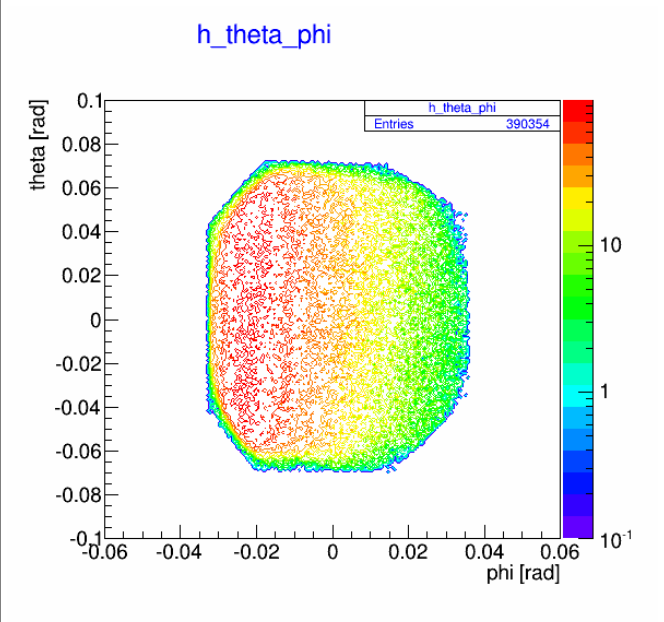
I6. Theta vs dp when required fval>=0



I7. phi vs dp when required fval>=0

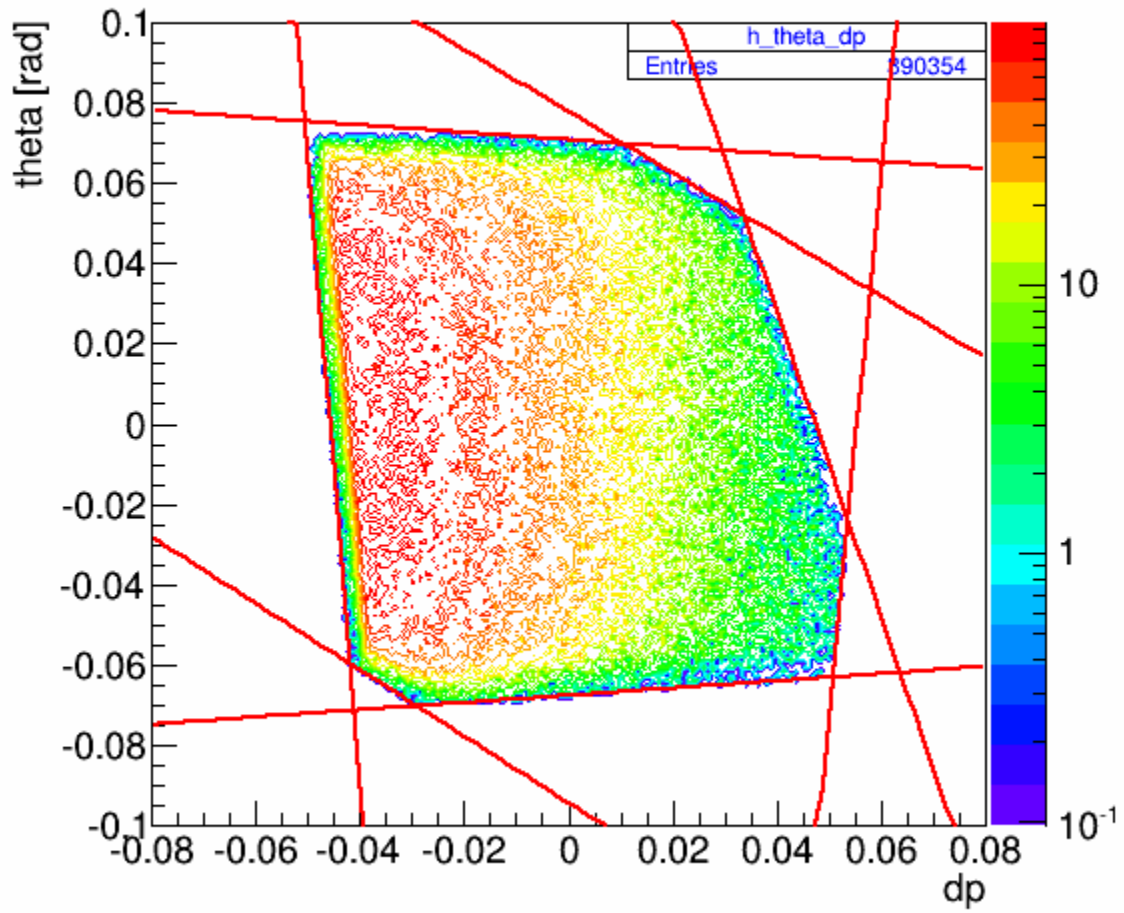


I8. phi vs y when required fval>=0



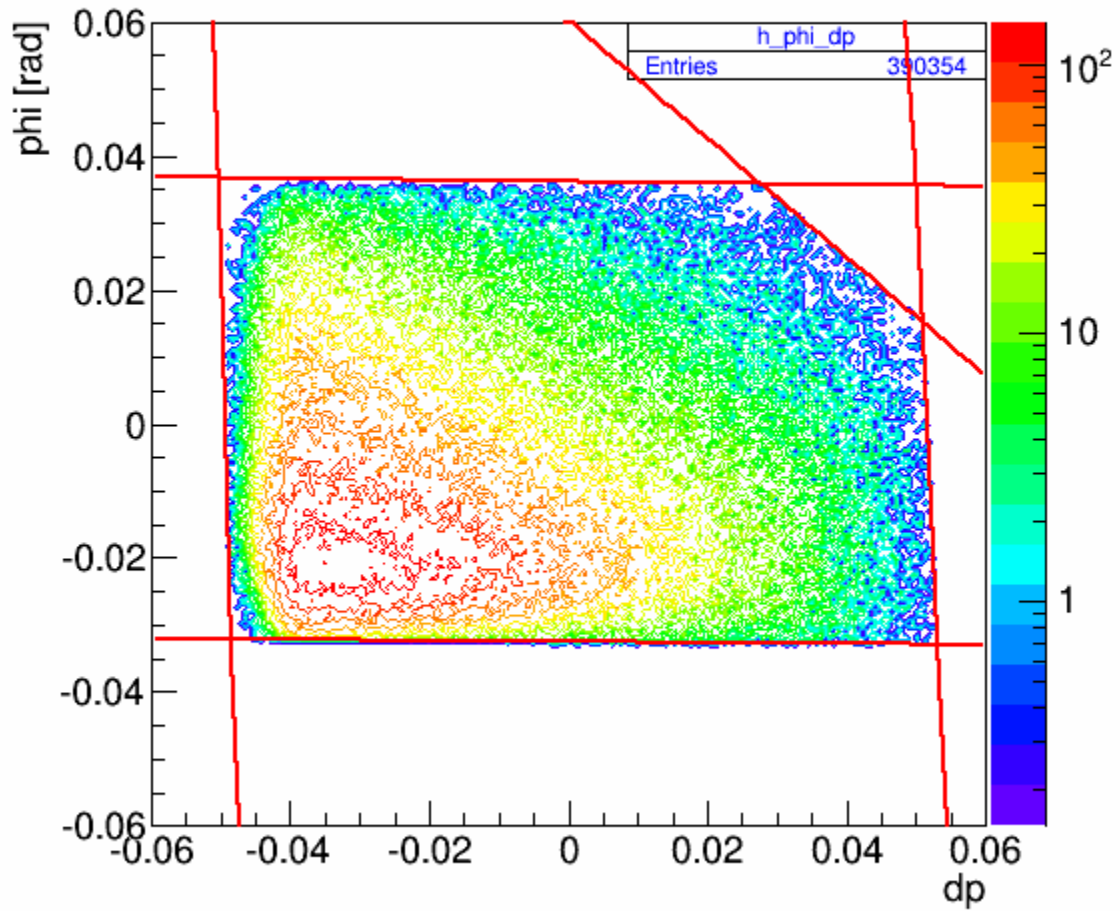
I9. Theta vs phi when required fval>=0

## h\_theta\_dp



16. Theta vs dp when required  $f_{val} \geq 0$  with the initial line cuts drawn.

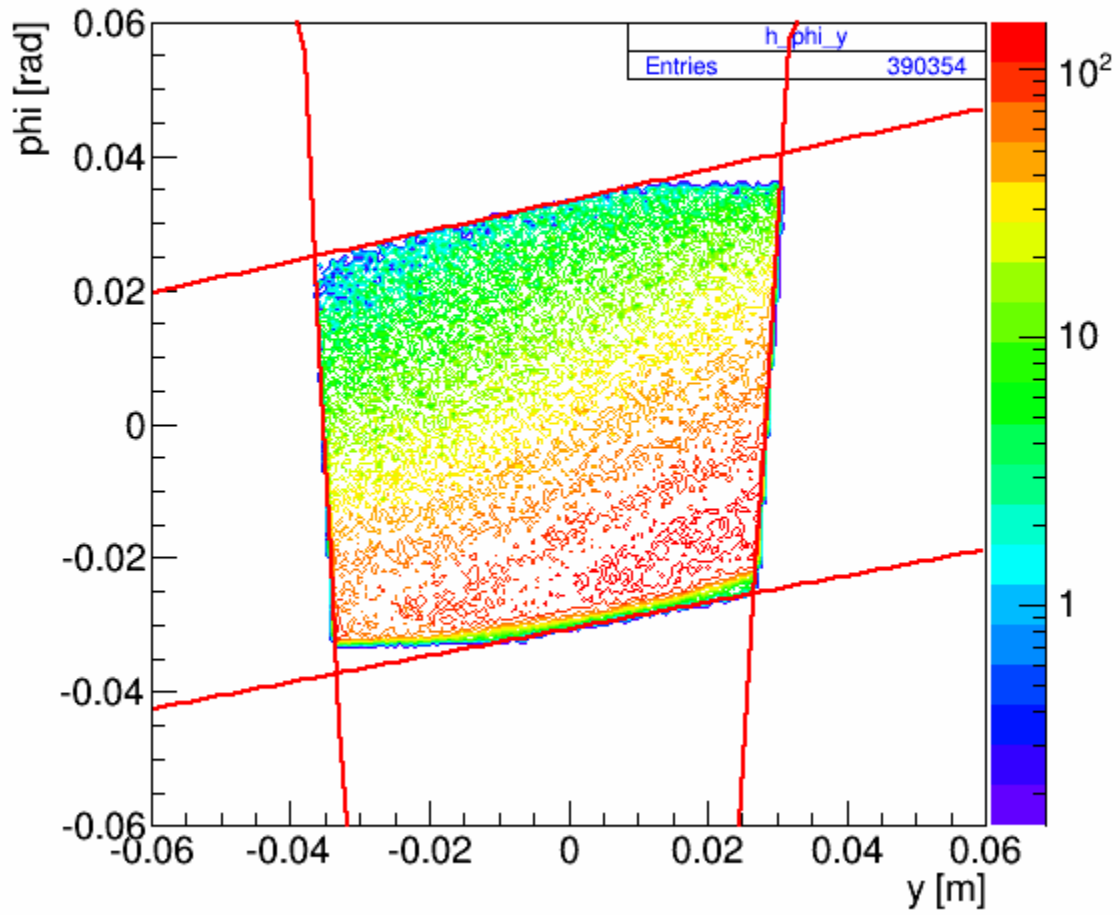
# h\_phi\_dp



I7. phi vs dp when required fval >= 0 with the initial line cuts drawn.

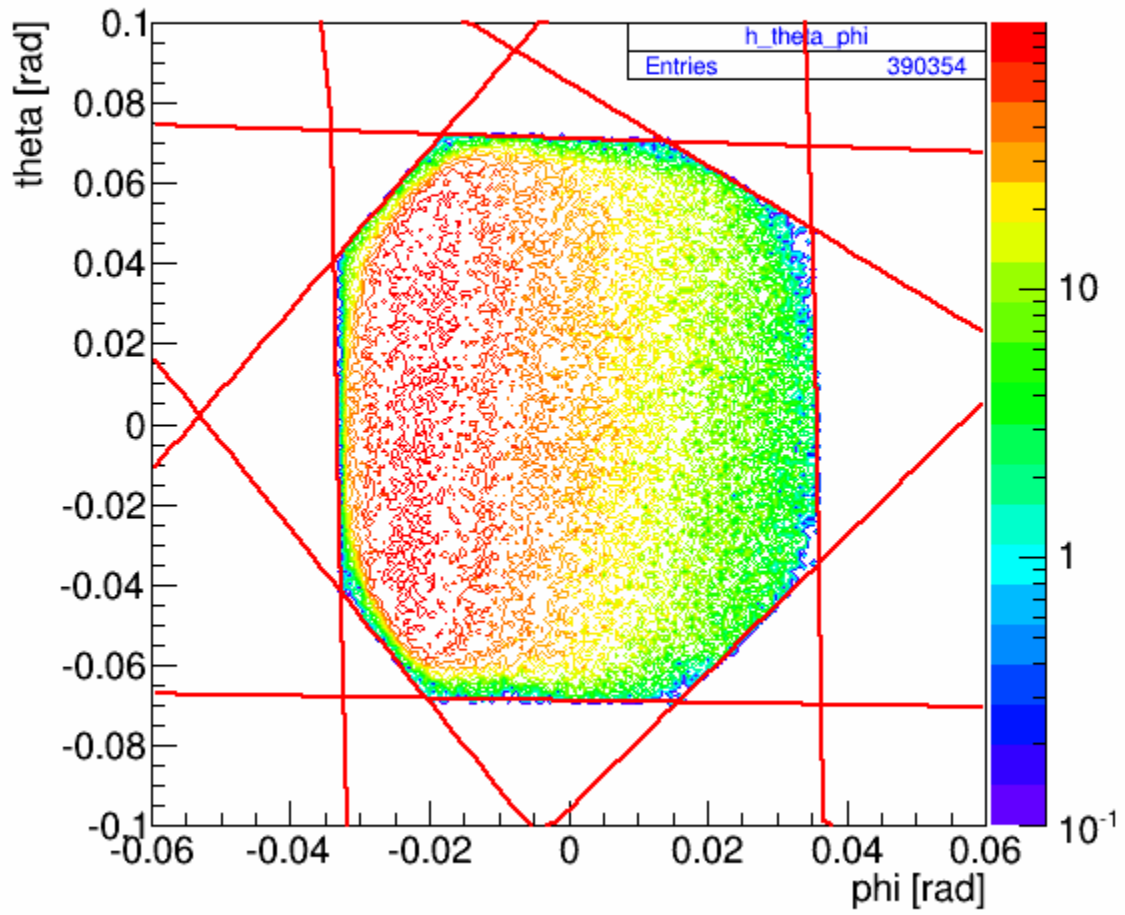
Tighten the conners.

h\_phi\_y



18. phi vs y when required fval >= 0 with the initial line cuts drawn.

# h\_theta\_phi



19. theta vs phi when required  $f_{val} \geq 0$  with the initial line cuts drawn.