

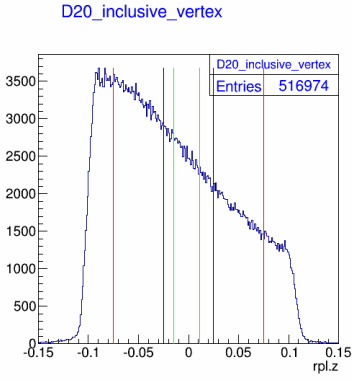
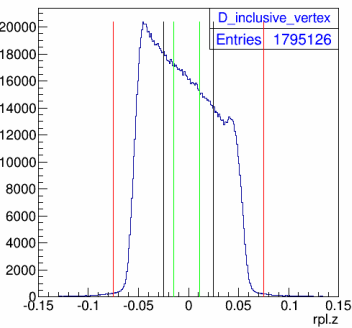
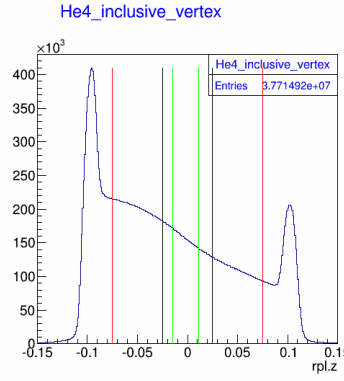
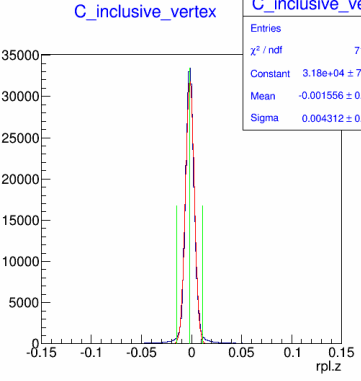
Inclusive Ratio.

Cut\_1: T3 no edtm  $|L_{\theta}| \leq 0.06$  &&  $|L_{\phi}| \leq 0.03$   
 Cut\_2: electron PID: with  $(prl\_sum\_E/p) \geq 0.7$  && single track in LHRS  
 Cut\_3: End-cap (vertex) cut: D-20cm: at  $|rpl.z| \leq 7.5$  cm  
 D-10cm: at  $|rpl.z| \leq 2.5$  cm  
 He-20cm: at  $|rpl.z| \leq 7.5$  cm  
 C-slatted: at  $|rpl.z + 0.16| \leq 1.30$  cm (3\*sigma fit)

Table 1:

Comparing targets	End-cap (vertex) cut & vertex data selection
D-20cm & He-20cm	at $ rpl.z  \leq 7.5$ cm (red-line)
D-10cm & He-20cm	at $ rpl.z  \leq 2.5$ cm (black-line)
(He    D) & C-slatted	at $ rpl.z + 0.16  \leq 1.30$ cm (green-line)

Table 2:

<p>D2</p>  <p>V1:          int runlist_D20[2] =          {2975,2976}; //20cm</p> <p>D_inclusive_vertex</p>  <p>V2:          int runlist_D10[8] =          {3171,3172,3173,3174,3175,3176,3177,3178}; //10cm</p>	<p>He4</p>  <p>V3:          All kin 12 data</p>	<p>C12</p>  <p>V4:          runlist_C[] = {2977,2979,2981}</p> <p>the target is 0.25mm(?) thick with 20 degree slatted.          The area-density =  <math>0.0419 \pm 0.0005</math> g/cm<sup>2</sup>          if 90 degree to the beam.          But with slatted angle, we have to modify the area-density (where the beam seen) with  <math>0.0419/\sin(20)</math></p>
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Now we can calculate cross section with the following parameters.

Table 3:

parameter	unit	Ld2 (10cm) (3171-78) value	He4 Kin12 value	C12 (2977,2979,2981) value	Ld2 (20cm) (2975-6) value
Target Density	g/cm <sup>3</sup>	0.168	0.034	0.0419 g/cm <sup>2</sup>	0.168
Target Length	cm	5	15	*add: 1/sin(20 deg)	15
(Target Density)*(target Length)	g/cm <sup>2</sup>	0.838	0.508	0.123	2.513
N_A	atom/mol	6.020E+23	6.020E+23	6.020E+23	6.020E+23
A_z	g/mol	2	4	12	2
$(Target\ Density)*(target\ Length)*N_A/A_z$	$(g/cm^3)*(cm)$ $*(atom/mol)*(mol/g)$ $=atom/cm^2$	2.52E+23	7.64E+22	6.15E+21	7.57E+23
Total Charge	C	3.89E-02	2.27E+00	1.55E-01	6.50E-03
Electron charge	C/electron	1.60E-19	1.60E-19	1.60E-19	1.60E-19
$N_{electron} = (Total\ Charge)/(electron\ charge)$	$(C)/(C/electron)$ $=electron$	2.43E+17	1.42E+19	9.68E+17	4.06E+16
<b>N_electron_target_area_number_density</b> = [[Total Charge]/[electron Charge]] *[(Target Density)*(target Length)*N_A/A_z]	<b>electron*atom*cm<sup>-2</sup></b>	<b>6.13E+40</b>	<b>1.09E+42</b>	<b>5.95E+39</b>	<b>3.07E+40</b>
dE_electron	GeV	0.31	0.31	0.31	3.100E-01
sin(L_angle)		0.347	0.347	0.347	0.347
L_theta	rad	0.12	0.12	0.12	0.12
L_phi	rad	0.06	0.06	0.06	0.06
<b>dE_e*d2_omega_e</b> = <b>dE_electron*sin(L_angle)*L_theta*L_phi</b>	<b>GeV*srad</b>	7.744E-04	7.744E-04	7.744E-04	7.744E-04
<b>Factor</b> = <b>(dE_e*d2_omega_e)^-1*</b> <b>(N_electron_target_area_number_density)^-1</b>	<b>Cm<sup>2</sup></b> ----- <b>[GeV*srad*electron*atom]</b>	2.106E-38	1.190E-39	2.172E-37	4.201E-38
<i>[1 Barn = 1e-24 cm<sup>2</sup>]</i>	<b>barn</b> ----- <b>[GeV*srad*electron*atom]</b>	2.106E-14	1.190E-15	2.172E-13	4.201E-14
<i>[1 nBarn = 1e-33 cm<sup>2</sup>]</i>	<b>nbarn</b> ----- <b>[GeV*srad*electron*atom]</b>	<b>2.106E-05</b>	<b>1.190E-06</b>	<b>2.172E-04</b>	<b>4.201E-05</b>
<b>cross section = factor *N_pass_cut</b>					

Table 4: The Inclusive cross section in  $x_{bj}$  distribution for He4, C and D.

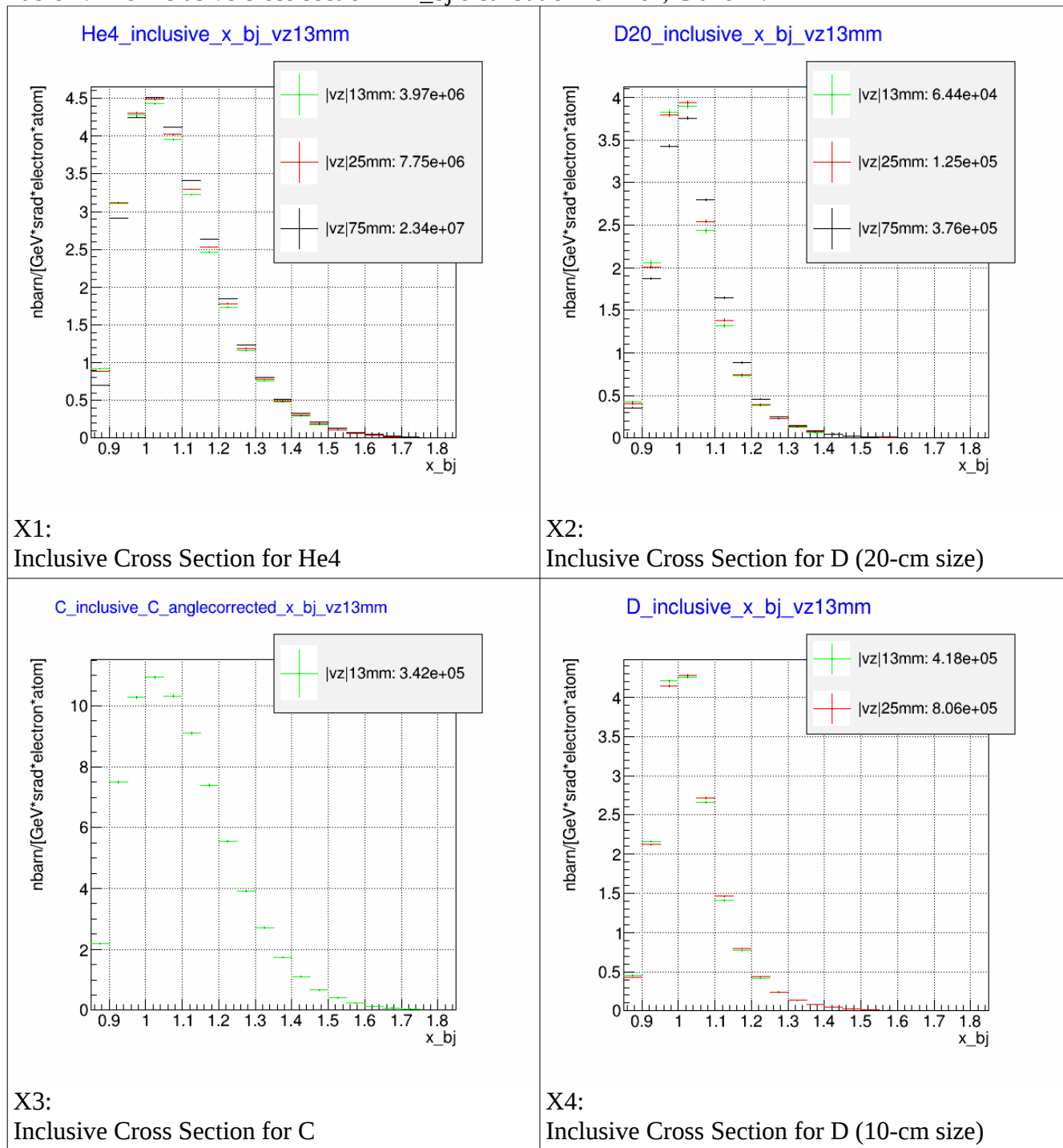
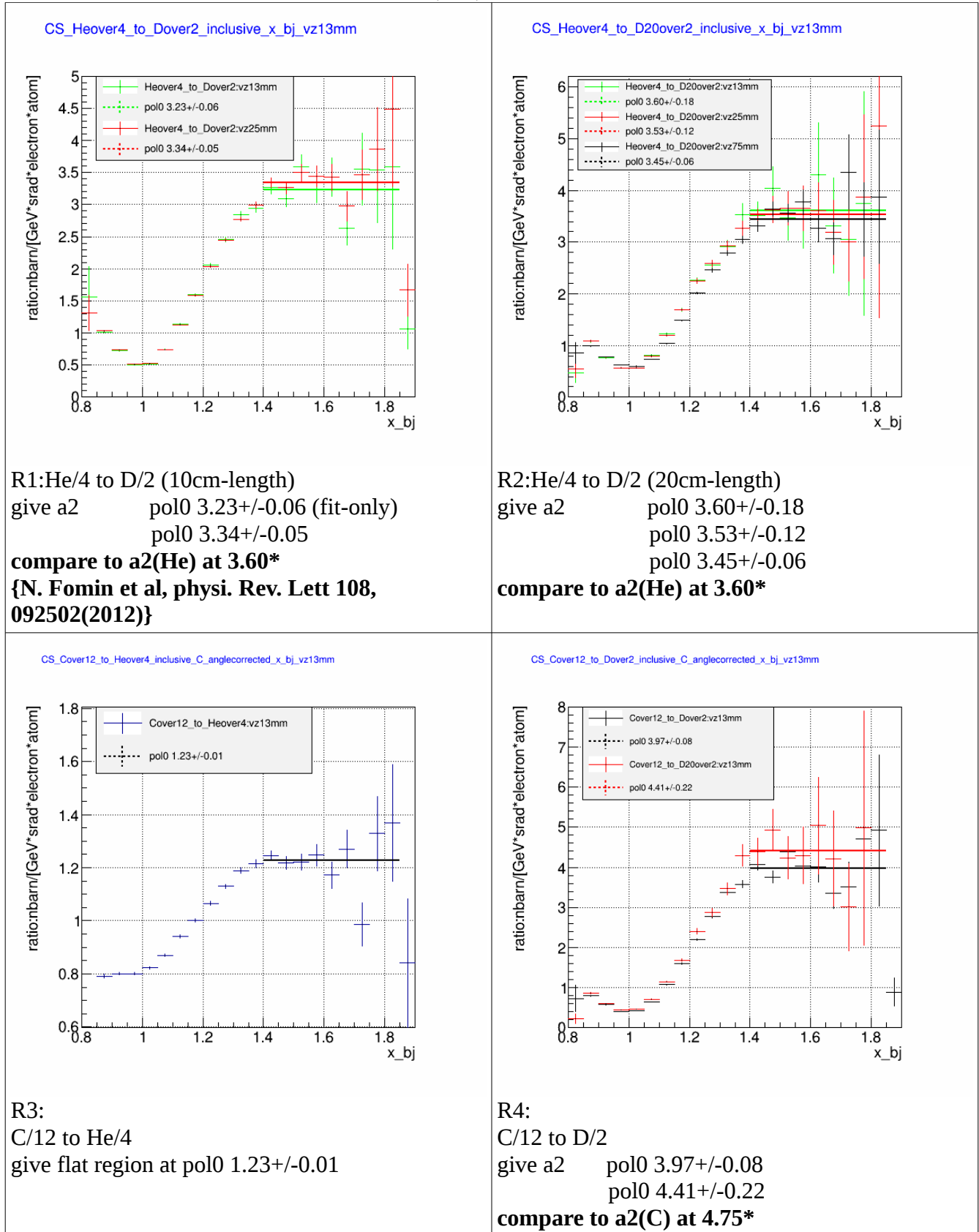
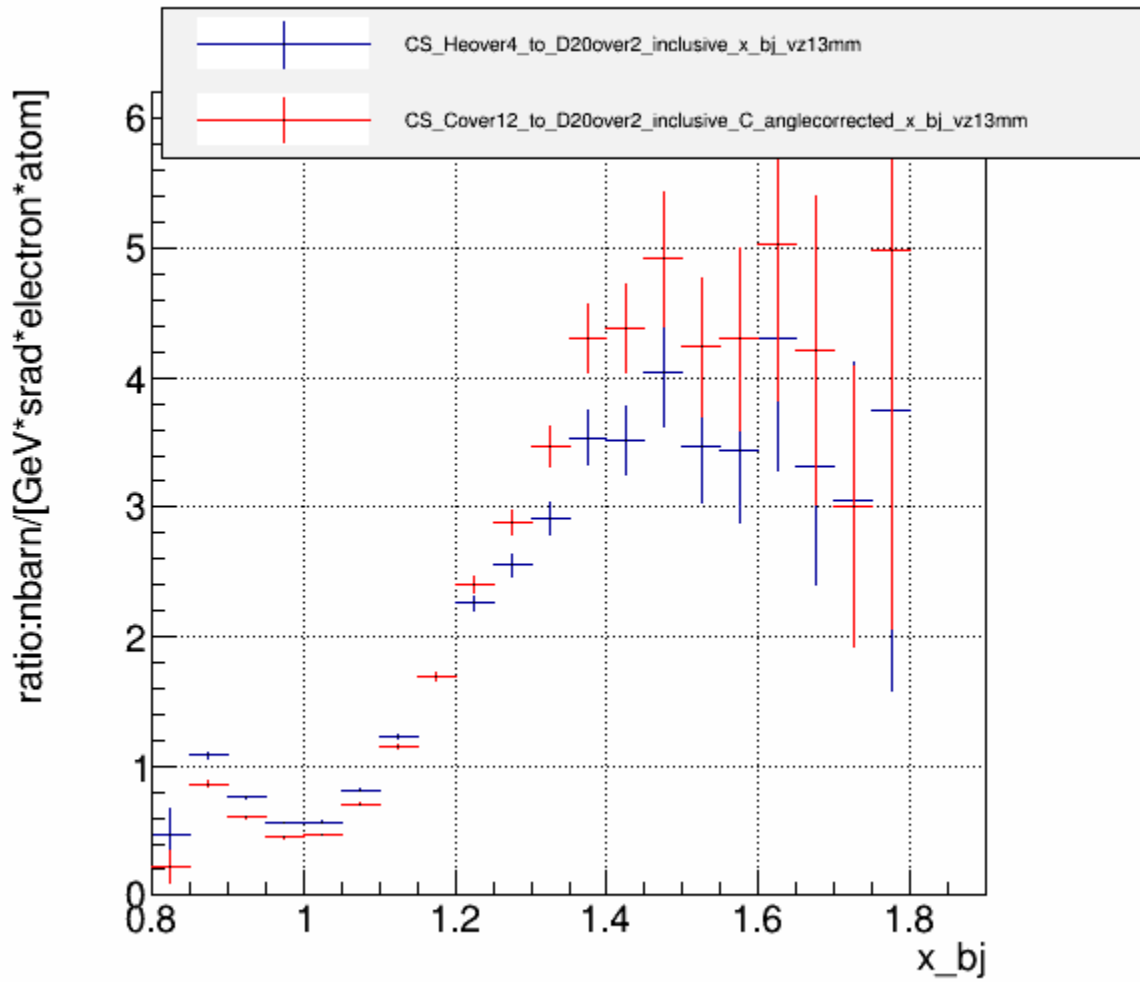


Table 5: Inclusive Cross section ratio for C12, He, D

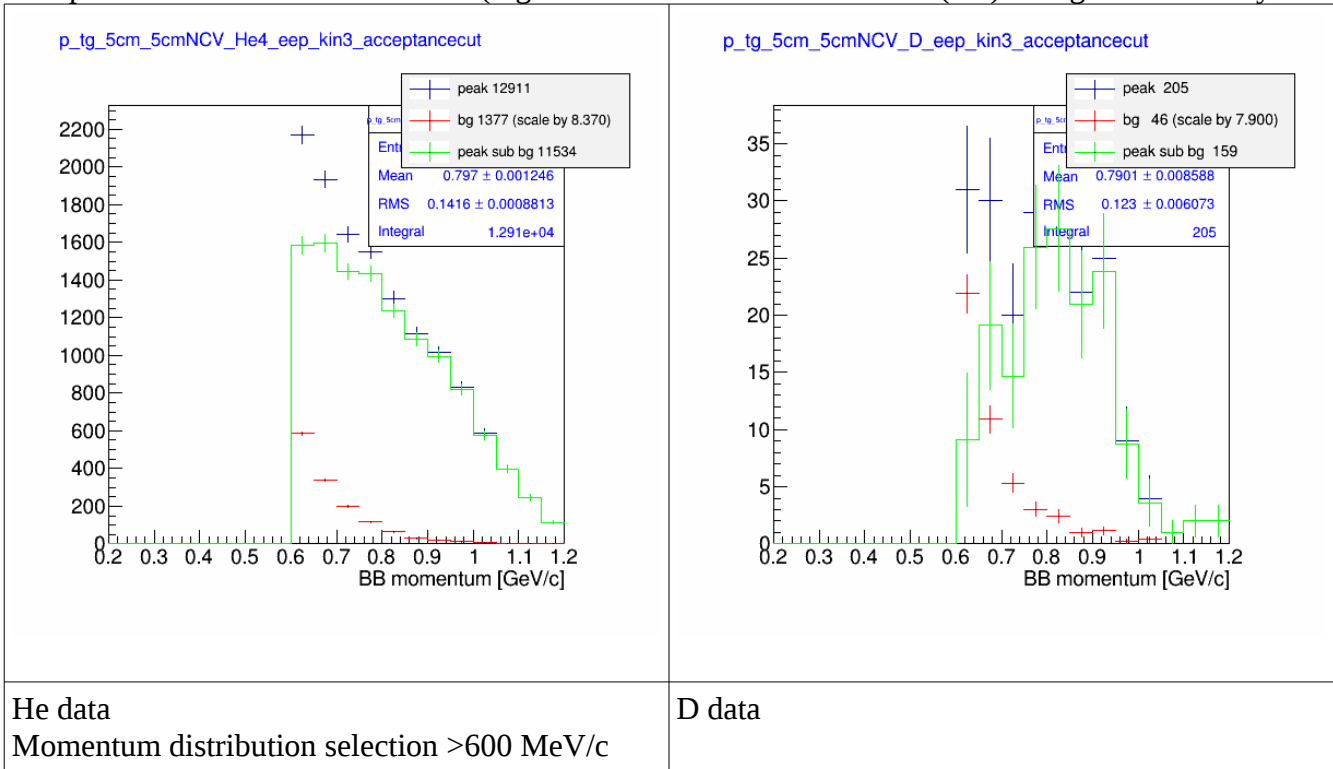


### CS\_Heover4\_to\_D20over2\_inclusive\_x\_bj\_vz13mm

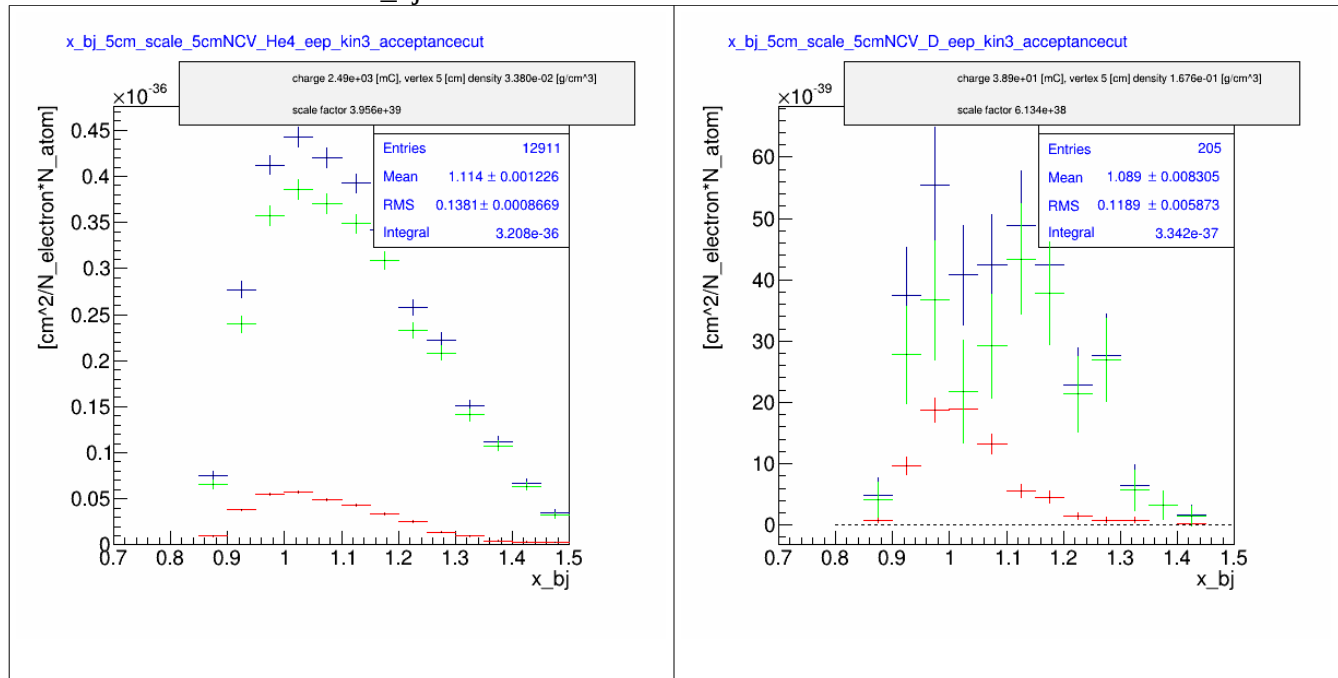


R5: this show the possibility that we have the flat region around 1 for C12/He4 ratio.

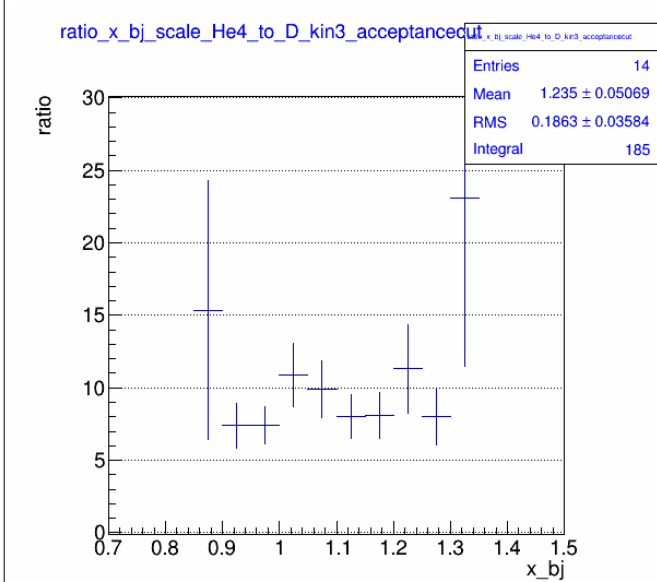
Semi-inclusive:D and He  
 with proton-momentum >600 MeV/c (region where the coincidence time (CT) background are very low



We have the distribution of  $x_{bj}$  as:

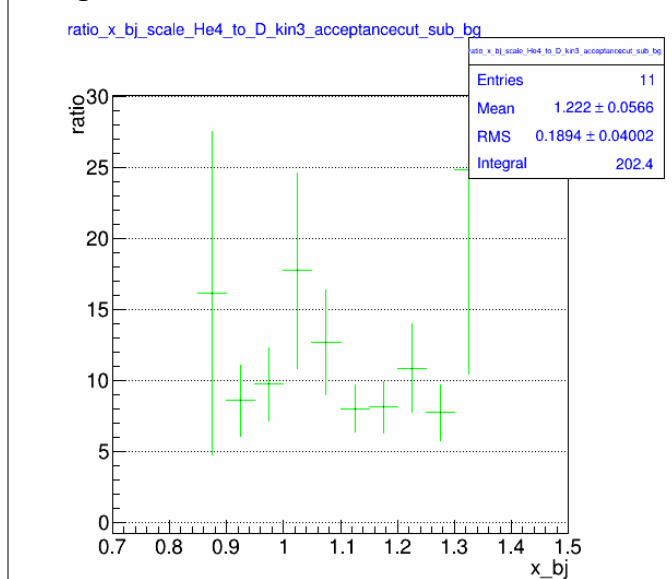


With the restrain on the momentum range (i.e. at  $p_{tg} > 0.6$  GeV/c) where the background is very low.



Even without background subtracted the flat region can be seen.

with the restrain on the momentum range (i.e. at  $p_{tg} > 0.6$  GeV/c) where the background is very low and does not change according to the cut of the coincidence time window in subtracting the background.



The ratio is quite flat

Next to do is with the C to He