

The g_2^P Analysis Update

Detectors & Simulation

Jie Liu

University of Virginia



Outline

- **Detector Calibration**

- ✓ VDC t_0
- ✓ LHRS Cherenkov
- ✓ LHRS Pion Rejector

- **Efficiency Study**

- ✓ LHRS PID Optimization
- ✓ VDC Multi-track Efficiency

- **Data Quality Check**

- ✓ VDC t_0 , Tracking variable
- ✓ Multi-track Efficiency

- **Simulation Study**

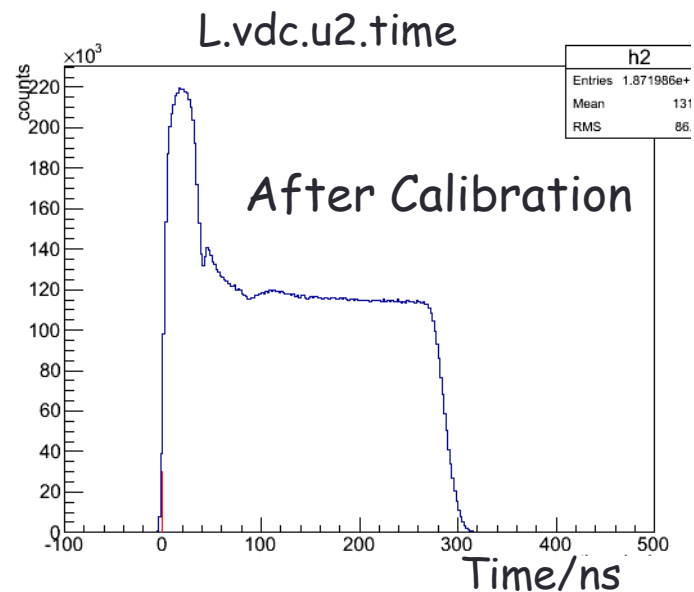
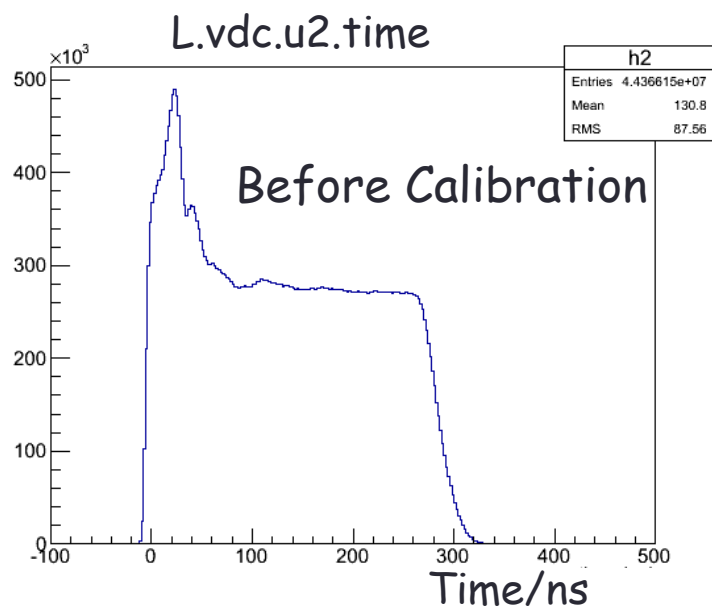
- ✓ Energy Loss Model
- ✓ Packing Fraction Simulation

☐: Completed

☐ In progress

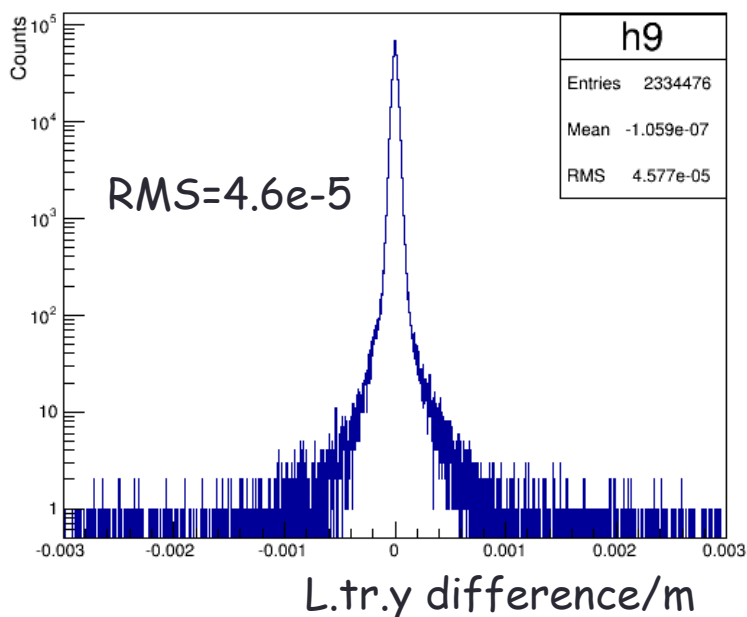
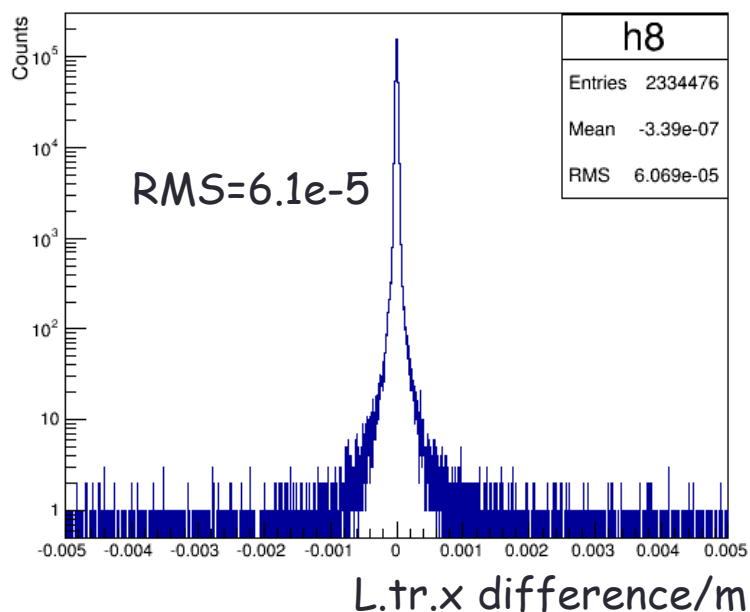
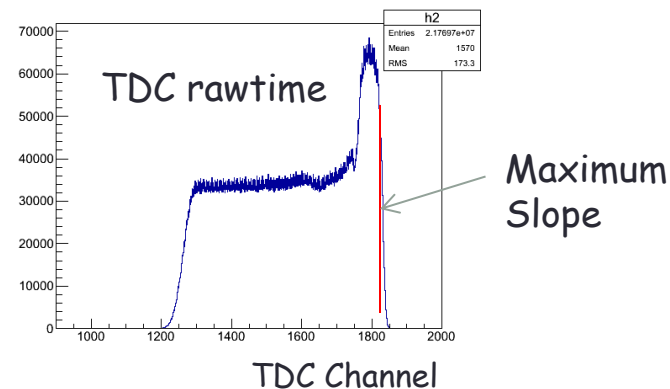
VDC t_0 Calibration

- Align timing reference t_0 for each VDC wire
- Time = TDC resolution * (t_0 offset channel - rawtime channel)



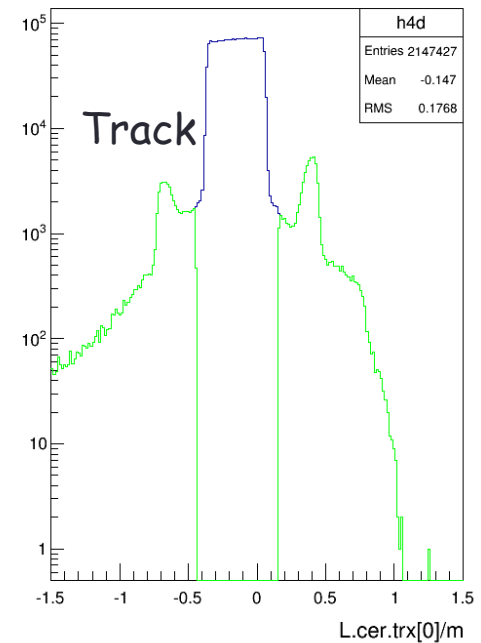
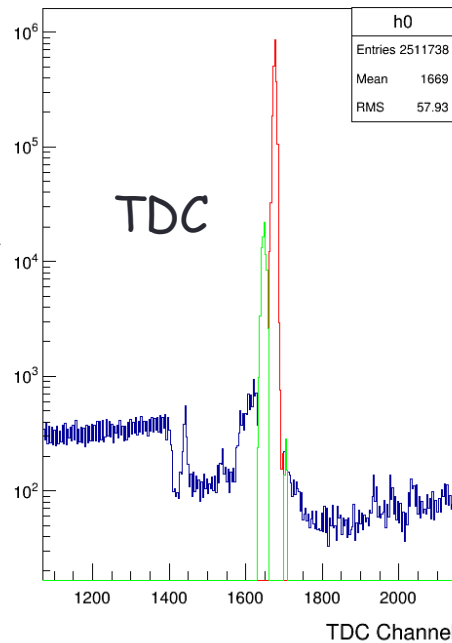
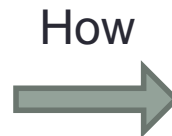
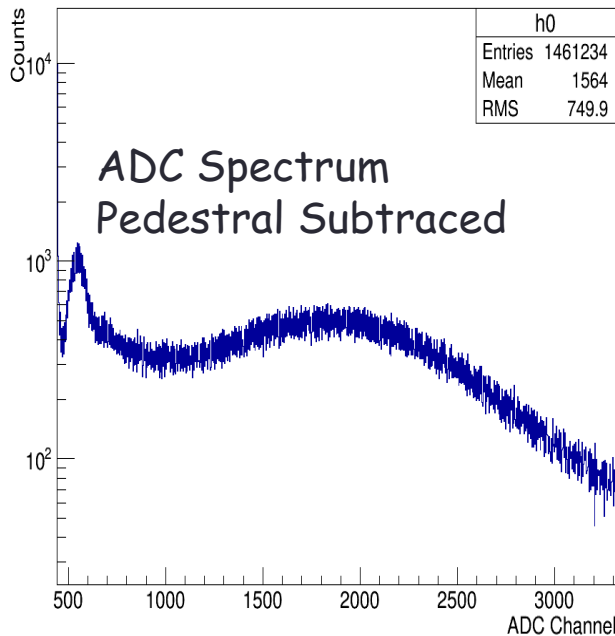
VDC t_0 Effects

- Timing reference t_0 choice
 - ✓ Maximum slope
 - ✓ Maximum slope extrapolate to zero



Cherenkov Calibration

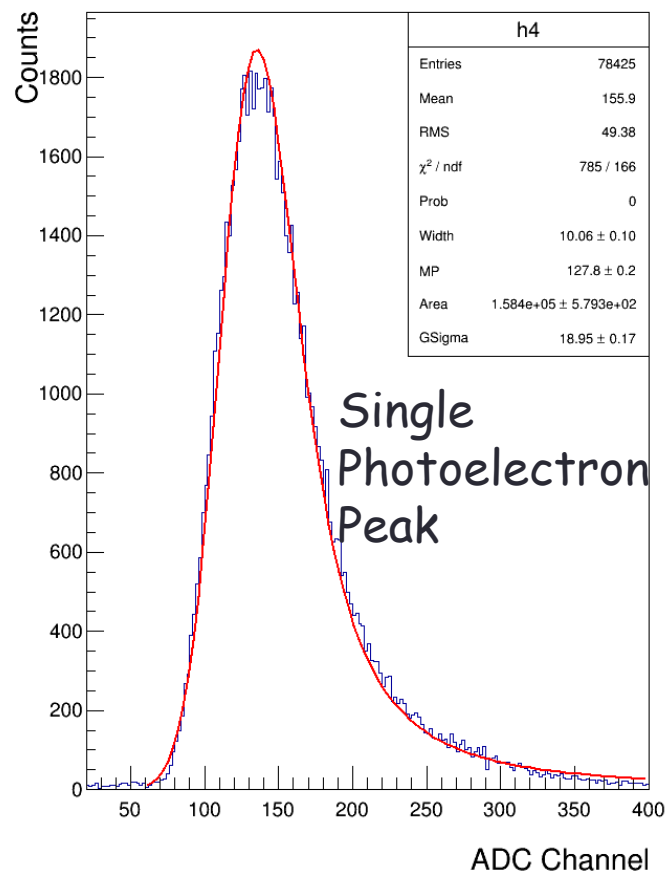
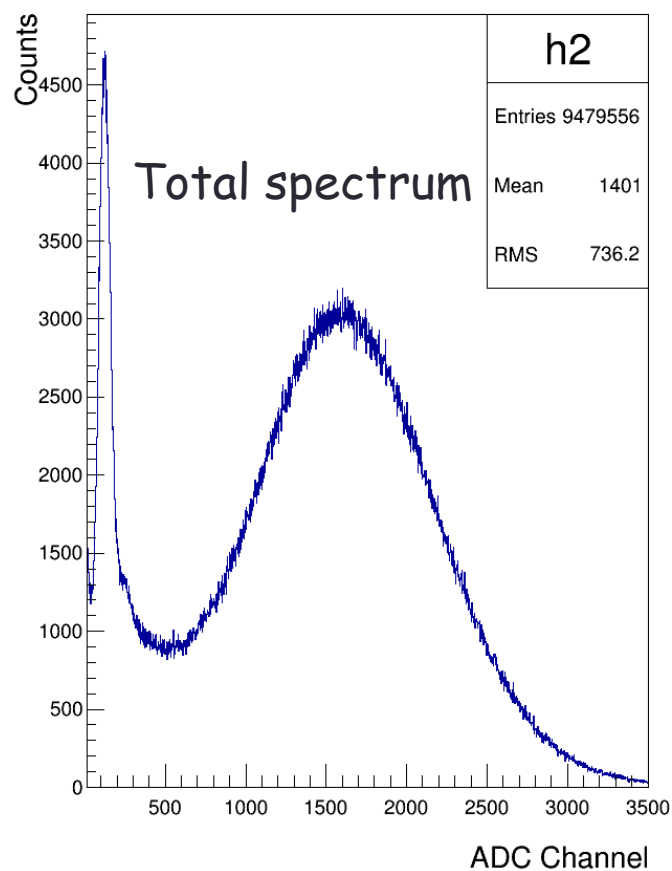
- Align single photoelectron peak
 - ✓ Contamination from both pedestal and main photoelectron peak
 - ✓ Need Timing and track information to select the clean peak



Green region: selected for Single photoelectron

Cherenkov Calibration

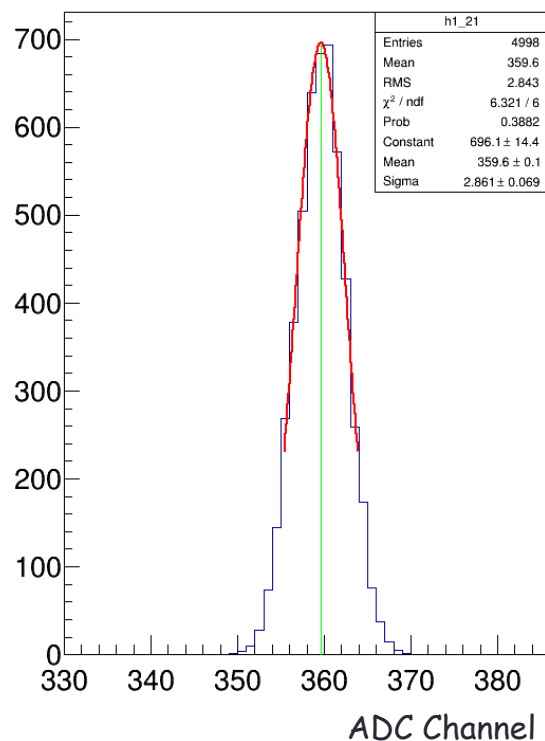
- Single photoelectron peak



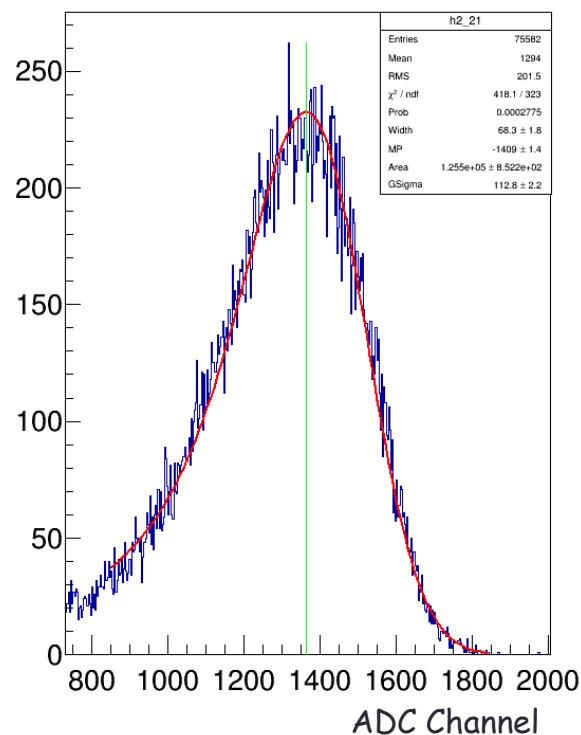
Pion Rejector Calibration

- Not a full energy absorption detector, radiation length $\sim 11.4 X_0$
- Align Pedestal and Main Electron peak first for blocks in one layer

ADC Pedastal for Block #22



ADC Main Peak for Block #22



Pion Rejector Calibration

- Optimize additional gain factor for each layer

- Longitudinal shower model

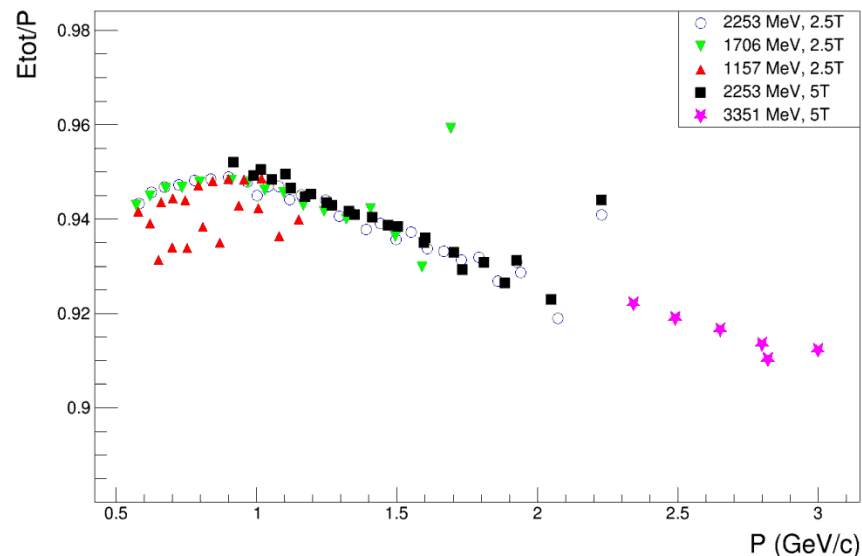
$$\checkmark \frac{dE}{dt} = E_0 * \beta * (\beta * t)^{\alpha-1} * \frac{e^{-\beta*t}}{\Gamma(\alpha)}$$

$$\checkmark \frac{\alpha-1}{\beta} = \ln \frac{E}{E_c} - 1$$

$$\checkmark \text{Critical Energy } E_c = 15.8 \text{ MeV}$$

- Additional Gain Factor ρ, μ

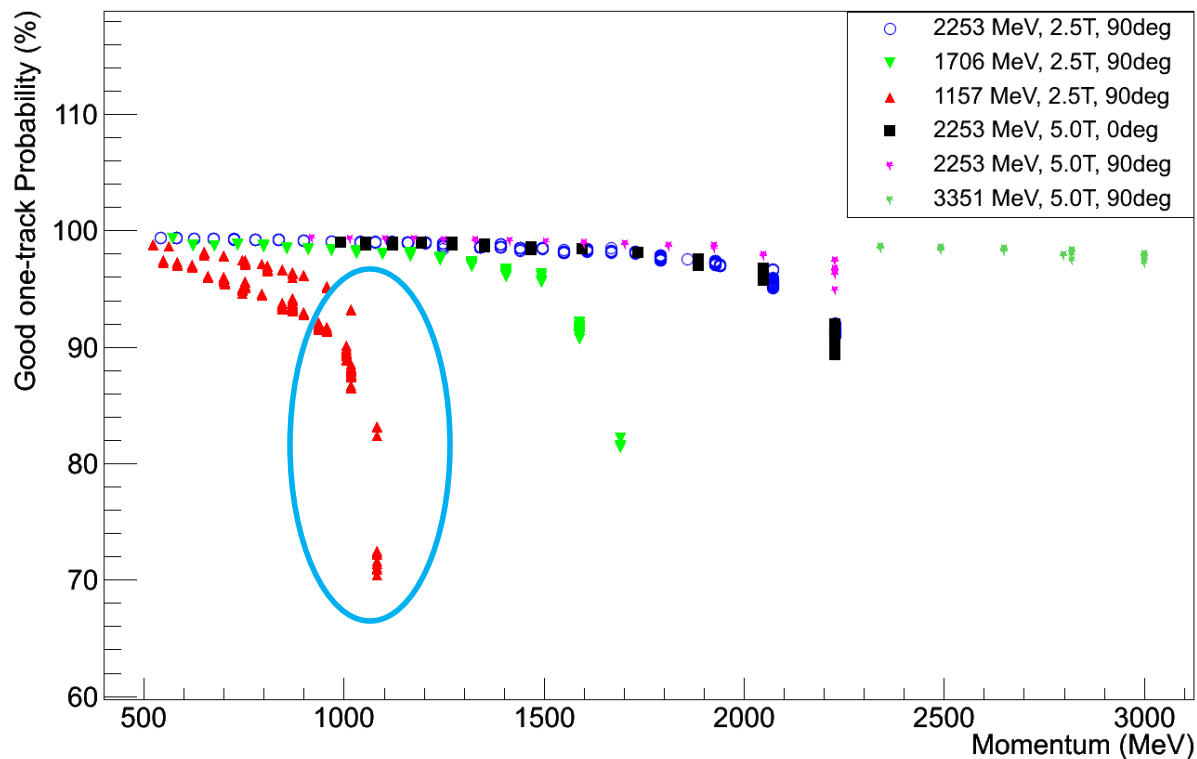
$$\rho * p_{rl1.e} + \mu * p_{rl2.e} = \int \frac{dE}{dt}$$



VDC Multi-track Efficiency

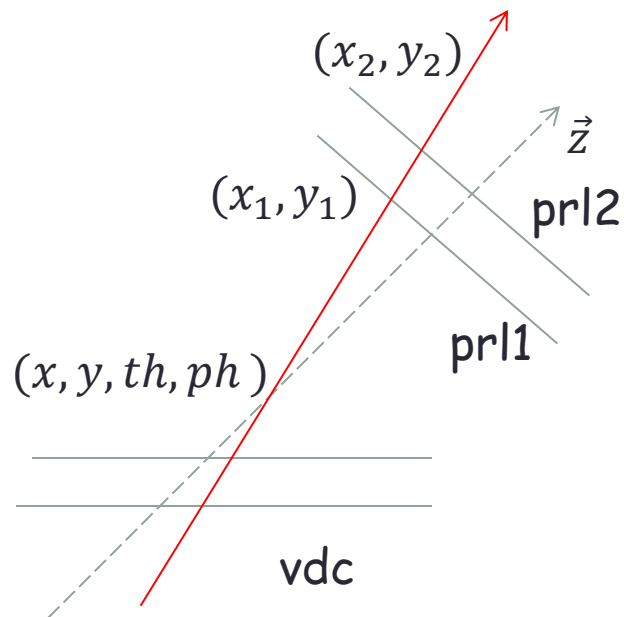
- **Motivation:** VDC one track events probability gets as low as 70% around elastic region

LHRS One-track Events Probability

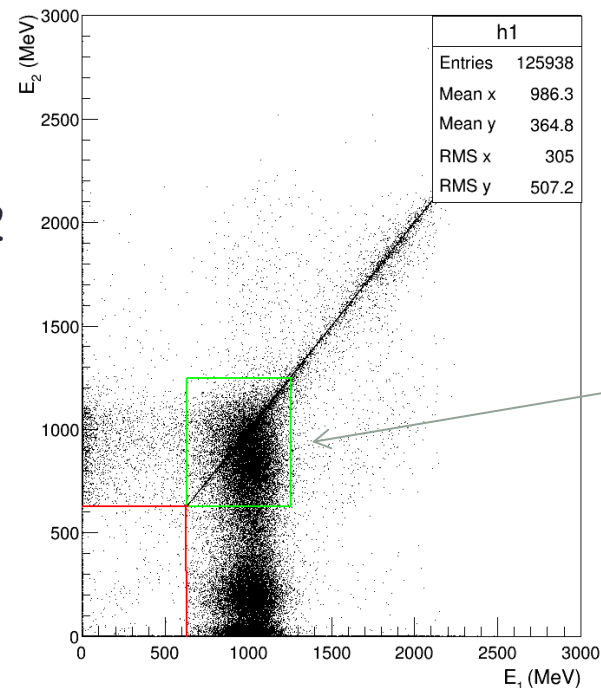


VDC Multi-track Efficiency

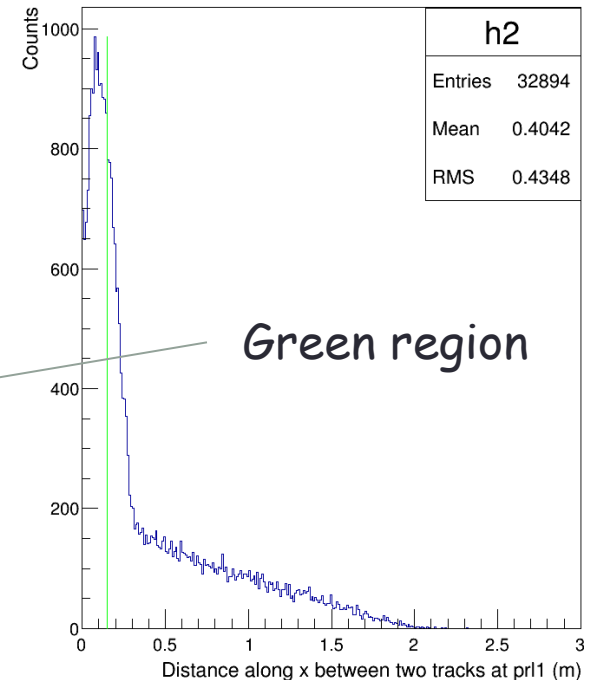
- Method:** point the track from VDC to calorimeters and sum up the total energy in the surrounding lead glass blocks 3*2.



E_1 (track #1) versus E_2 (track #2) for runnum 5039



Distance distribution for events satisfy $E_1 \sim p_0$ and $E_2 \sim p_0$

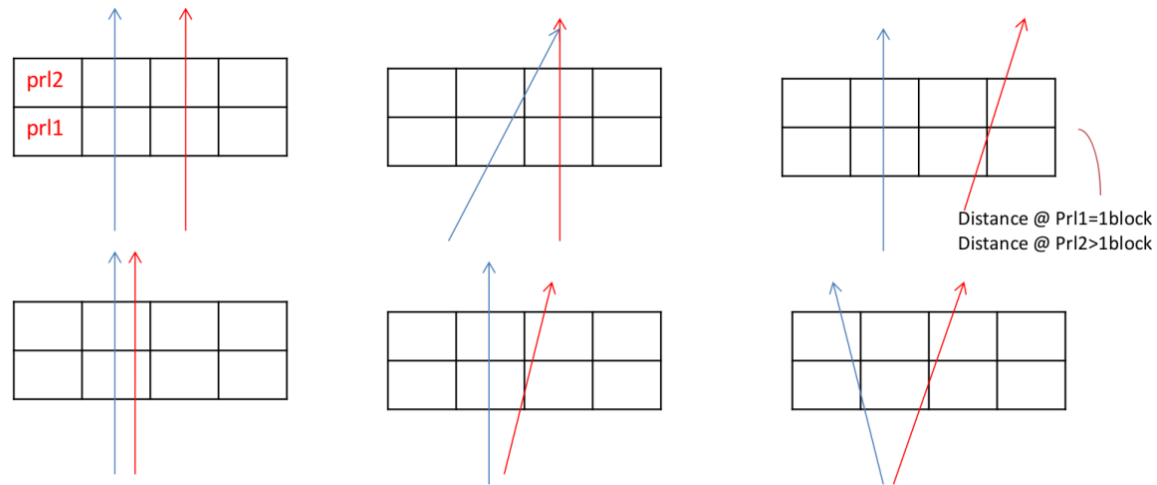
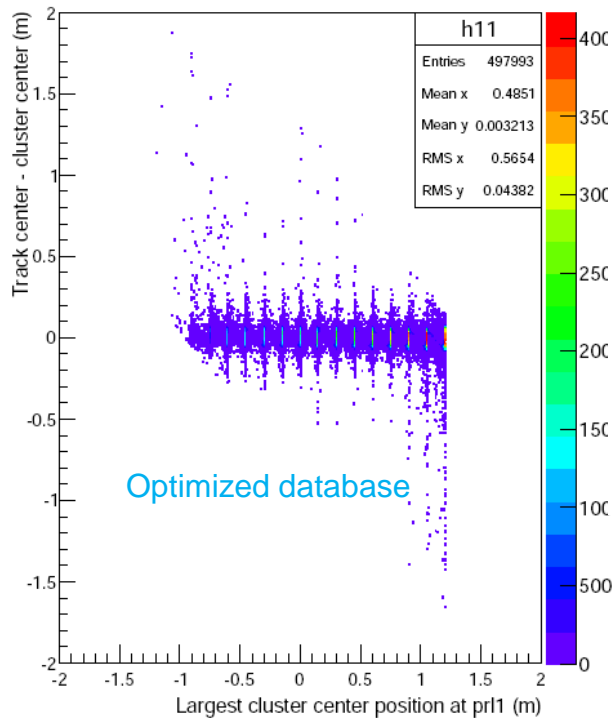


VDC Multi-track Study

Requirements:

- ✓ A good position database for lead glass (can reconstruct from data).
- ✓ A detailed case study for cluster energy contamination between tracks.

Cluster center comparison for pr1

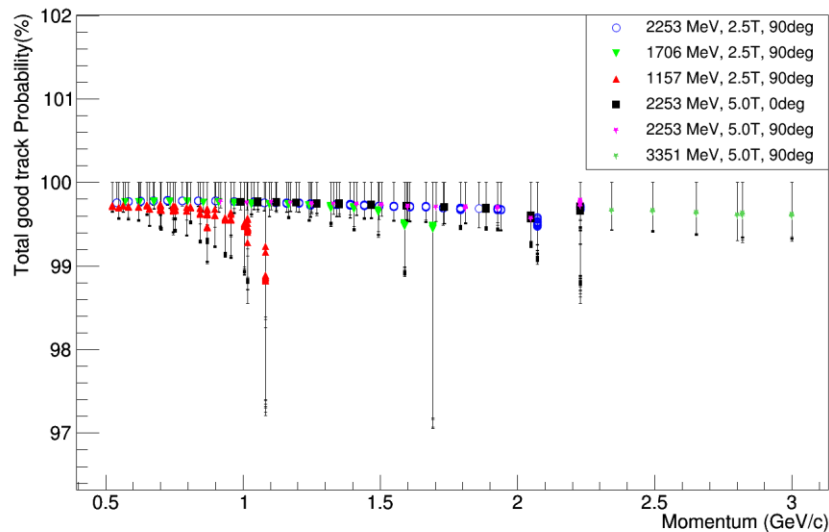


Several kinds of cluster overlap between two tracks

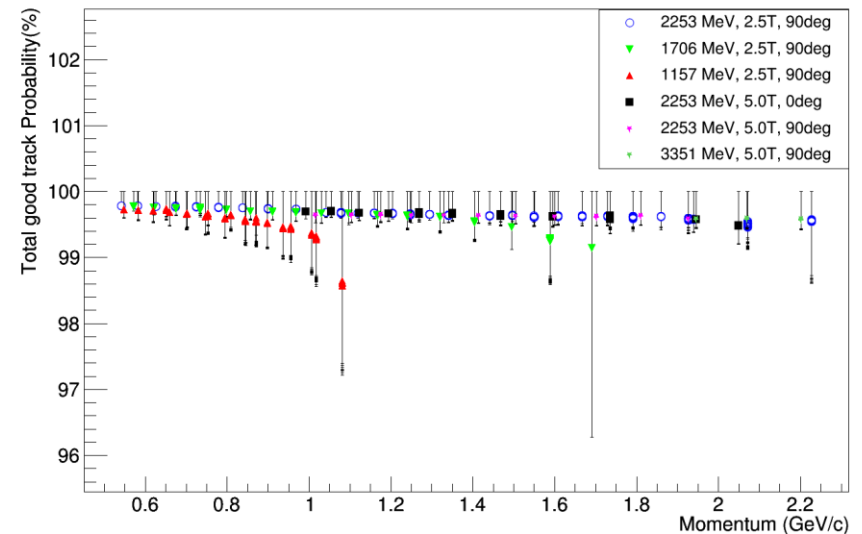
VDC Multi-track Efficiency

- The VDC efficiency systematic uncertainty down to below 1% for most kinematic settings.

LHRS VDC total efficiency



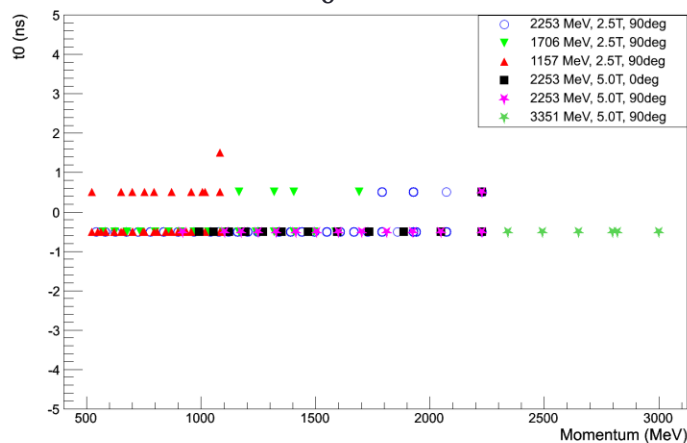
RHRS VDC total efficiency



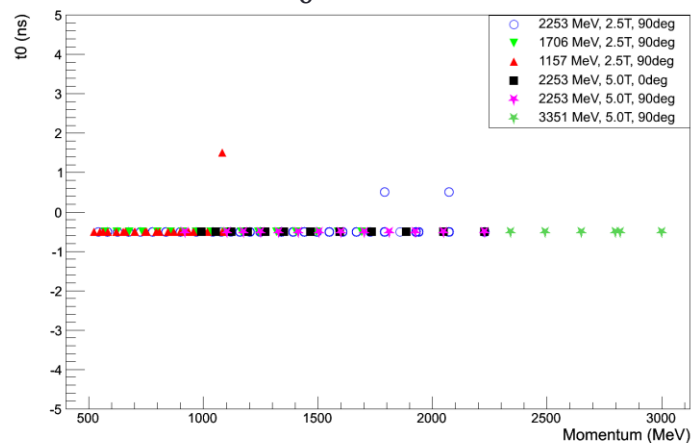
VDC t_0 Check

- t_0 check for all production runs for VDC each player

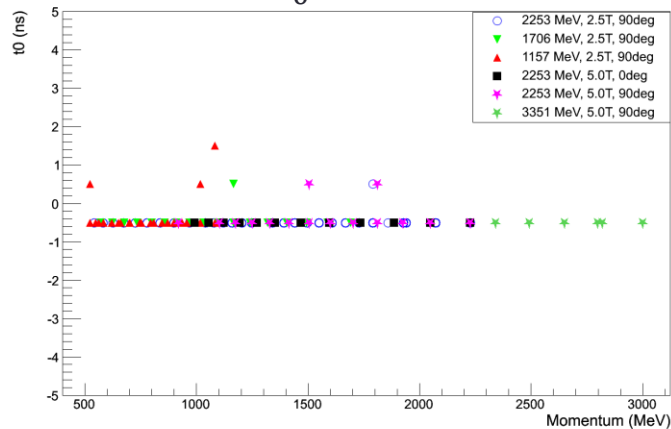
L.vdc.u1 t_0 versus Momentum



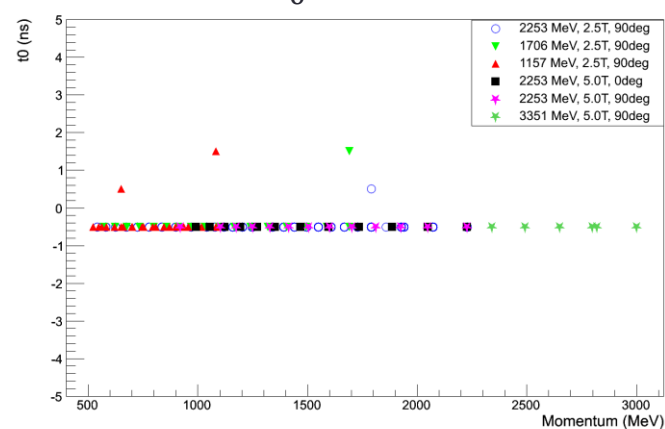
L.vdc.u2 t_0 versus Momentum



L.vdc.v1 t_0 versus Momentum



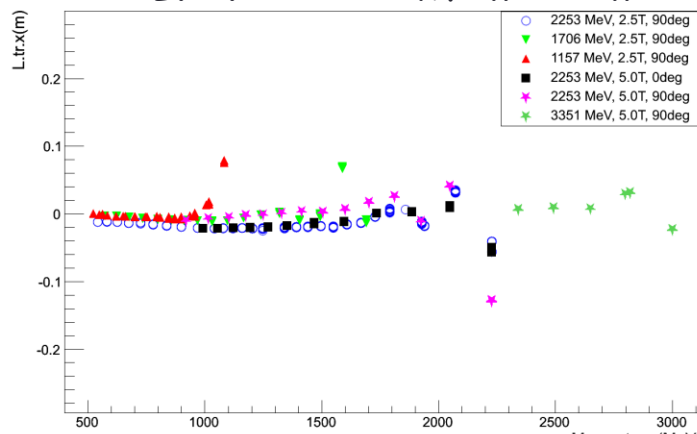
L.vdc.v2 t_0 versus Momentum



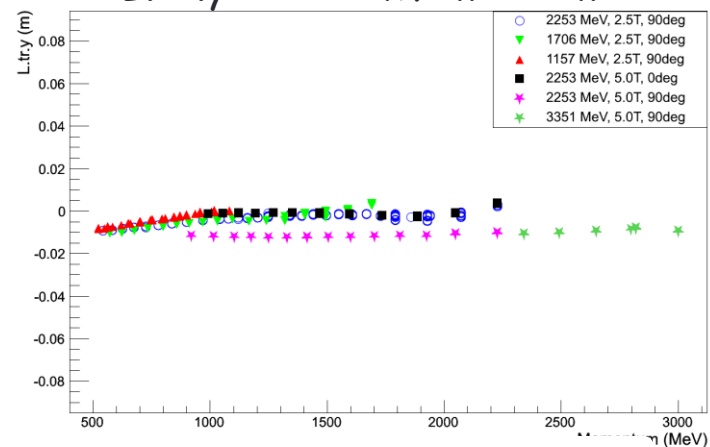
VDC Track Variable Check

- Track Variable mean value check for all production runs

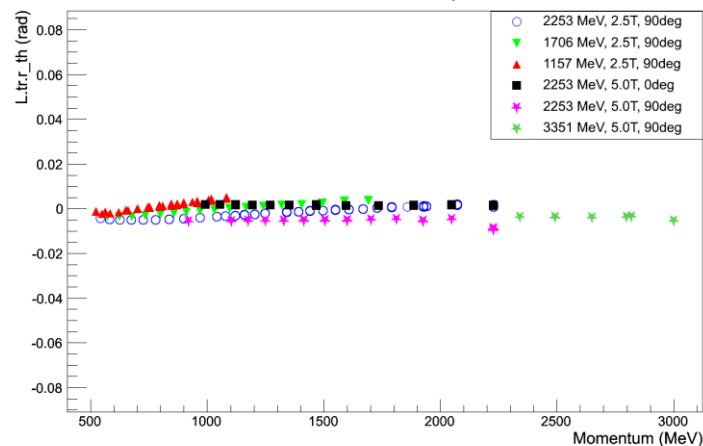
L.tr.x versus Momentum



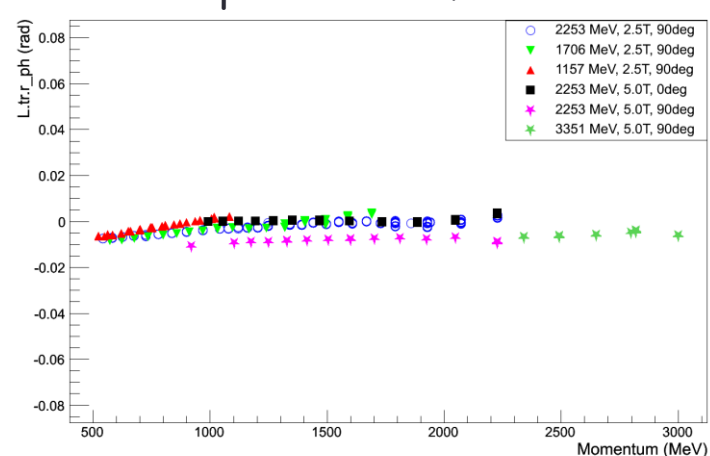
L.tr.y versus Momentum



L.tr.th versus Momentum

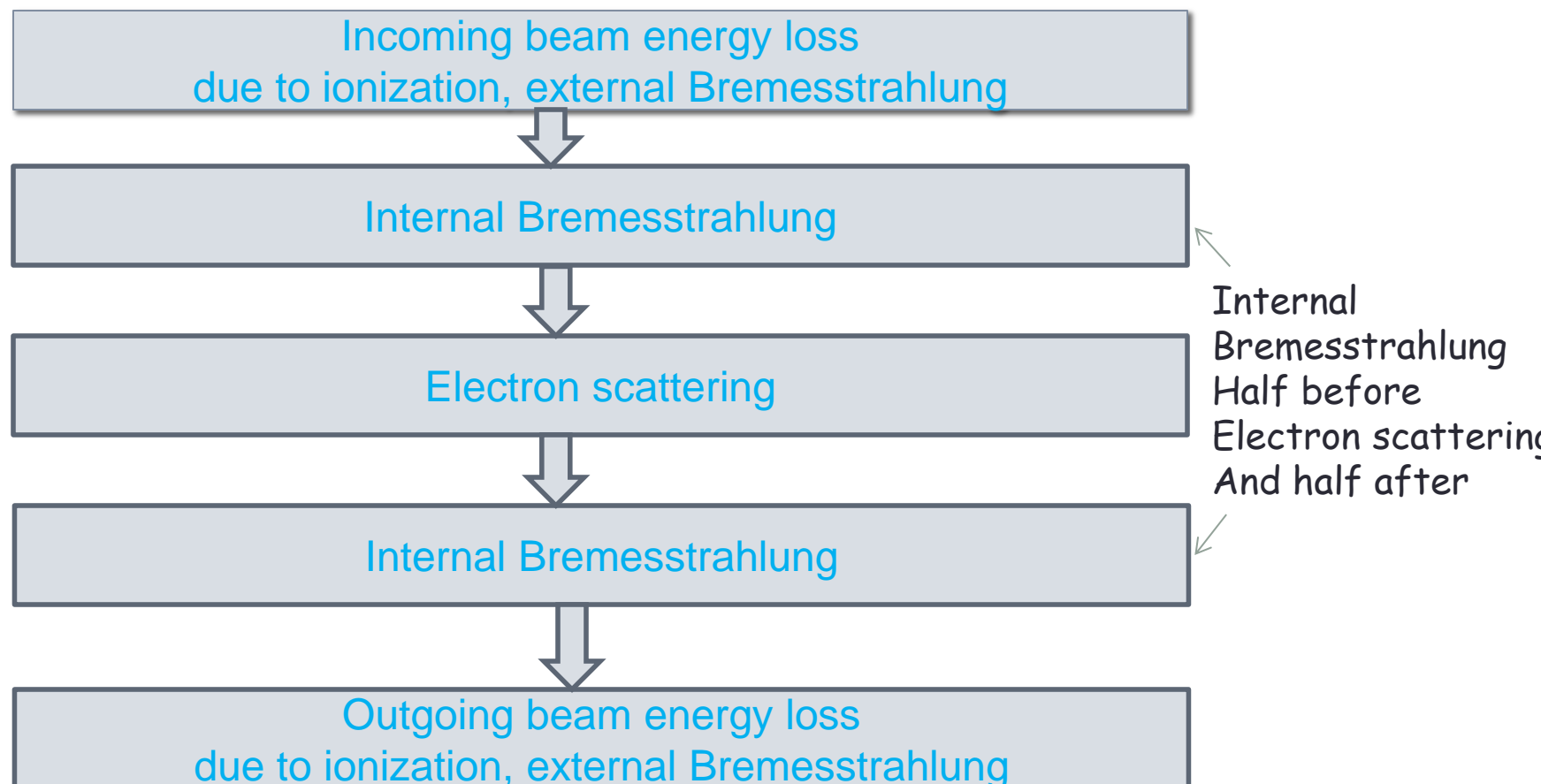


L.tr.ph versus Momentum



Energy Loss Model

- Use g2sim to simulate the real experiment, energy loss step by step



Energy Loss Model

- **Bremsstrahlung**

- ✓ External Bremsstrahlung

- sample an energy loss $I_e(E_0, E, t) = bt(E_0 - E)^{-1} \left[\frac{E}{E_0} + \frac{3}{4} \left(\frac{E_0 - E}{E_0} \right)^2 \right] \left(\ln \frac{E_0}{E} \right)^{bt}$

- Internal Bremsstrahlung

- equivalent radiator approximation

- **Ionization**

- ✓ Landau distribution

- ✓ Mean Energy Loss fluctuation Model

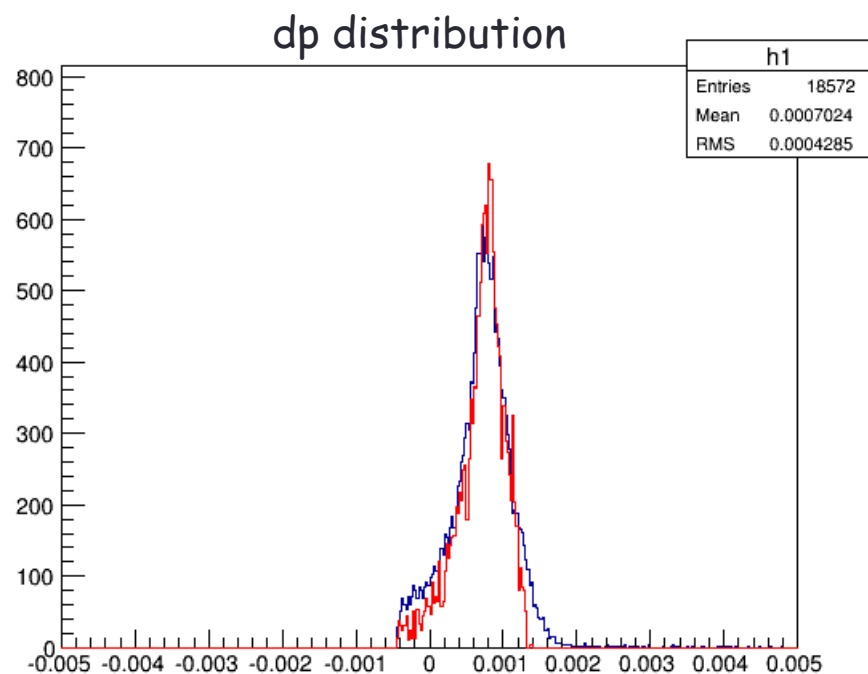
- Excite with two energy levels or ionization with energy loss according to E^{-2}

- Can be used for any thickness of media

- Approach the Landau distribution at the limit of validity of Landau theory

Simulation versus Data

- Comparison between simulated dp versus optics run dp



□ Blue: from data, C w/o He optics

□ Red: is from simulation:
ionization fluctuation
+ internal + external brems.

□ Total sieve holes

2.2 GeV, straight through Carbon without LHe run

Packing Fraction Study--Simulation

- Packing Fraction: Ratio of NH_3 volume to the whole cell
- Method: Compare the experiment yields with the simulated yields

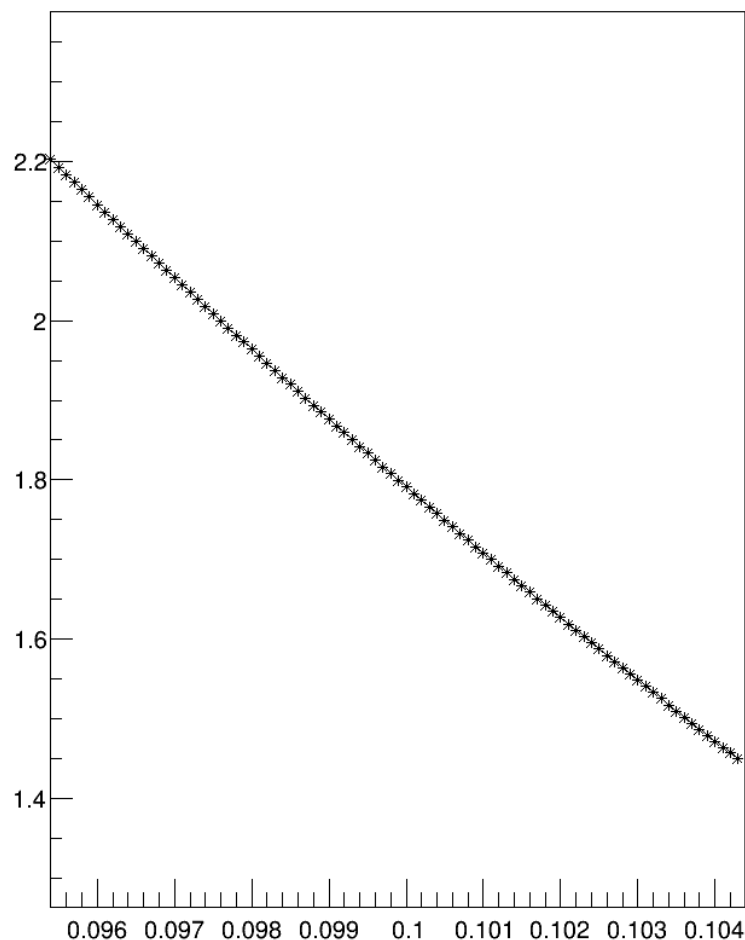
$$\frac{Y_{\text{exp_target}} - Y_{\text{exp_dummy}}}{Y_{\text{exp_carbon}} - Y_{\text{exp_LHe}}} = \frac{\text{NH}_3 \text{ Target} \quad \text{Dummy/empty target}}{\text{carbon} \quad \text{Dummy/empty target}}$$

Nose filled with LHe

$$= \frac{\left[\frac{d_{NH_3}}{M_{NH_3}} T_{\text{cell}} * pf * (\sigma_N + 3 * \sigma_H) + \frac{d_{He}}{M_{He}} T_{\text{cell}} * (1 - pf) * \sigma_{He} \right] - \frac{d_{He}}{M_{He}} T_{\text{cell}} * \sigma_{He} + \frac{d_{He}}{M_{He}} (T_{\text{total}} - T_{\text{cell}}) * (\sigma_{He1} - \sigma_{He2})}{\frac{d_C}{M_C} T_C * \sigma_C + \frac{d_{He}}{M_{He}} (T_{\text{total}} - T_{\text{endcap}}) * \sigma_{He3} - \frac{d_{He}}{M_{He}} (T_{\text{total}} - T_C) * \sigma_{He2} + \frac{d_{He}}{M_{He}} T_{\text{endcap}} * \sigma_{Al}}$$

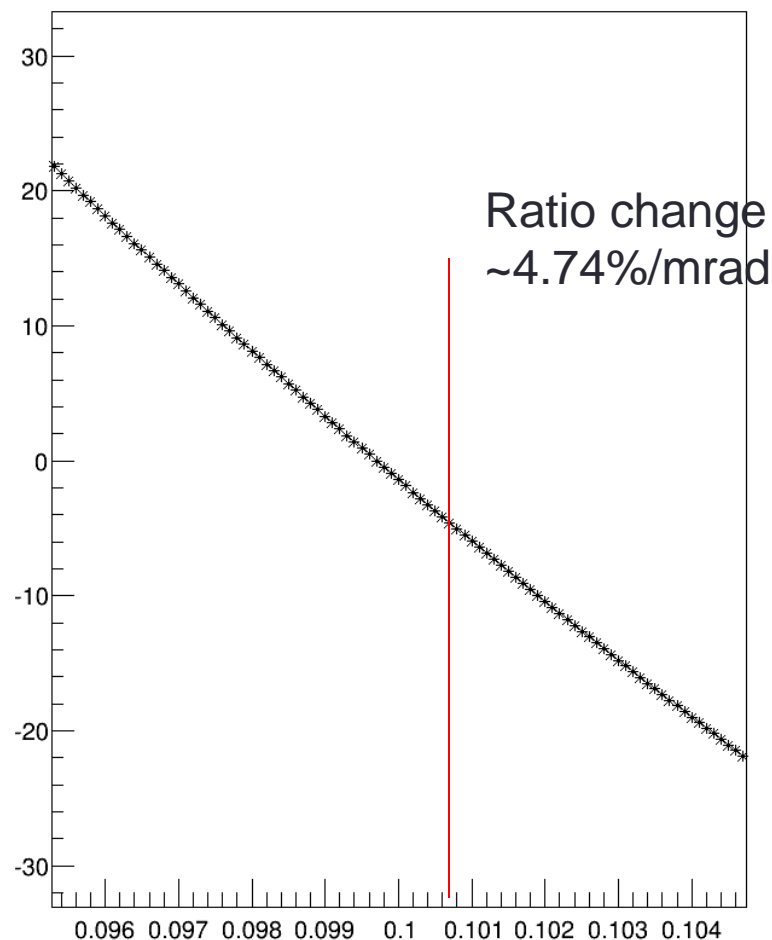
Packing Fraction Study--Simulation

σ_N/σ_{He} vs. scattering angle



Scattering angle/mrad

$\delta(\sigma_N/\sigma_{He})$ vs. scattering angle



Scattering angle/mrad

Packing Fraction Study--Simulation

- 2.2GeV, 5T, Longitudinal, Material 18

Runs	Type	Exp. Yields	Beam x/mm	Beam y/mm	Beam th/mr	Beam ph/mr
5649	Carbon	855025	0.22	-3.84	-0.54	0.10
5650	Empty	481113	0.16	-3.59	-0.30	0.02
5651	Dummy	480956	-0.23	-3.76	-0.53	-0.40
5652	Production	832366	0.34	-3.65	-0.40	0.19

- $p_f = 0.51$
- assume run 5652, 5649, 5650, relative beam shift is small, bpm absolute uncertainty 1mrad
- $\delta\left(\frac{\sigma_{He}}{\sigma_{He1}}\right) = \delta\left(\frac{\sigma_{He2}}{\sigma_{He1}}\right) = \delta\left(\frac{\sigma_{He3}}{\sigma_{He1}}\right) = 0$, $\delta\left(\frac{\sigma_N}{\sigma_{He1}}\right) = 4.74\%$, $\delta\left(\frac{\sigma_H}{\sigma_{He1}}\right) = -0.95\%$, $\delta\left(\frac{\sigma_C}{\sigma_{He1}}\right) = 3.63\%$
- $\delta_{Pf}/p_f = 7.61\%$, 1mrad uncertainty

Graduate Plan

- Shortterm

- dp simulation study and simulation package (1 month)

- Longterm

- Finalize thesis topic and publish
- Expected graduate by summer 2016, depends
- Prefer an academic work