

The Plan on the 1st Period GDH Data analysis and PID results for 2nd Period Data

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***The plan on the first period data of nGDH.**

***The recent results on the calibration for shower and cherenkov**

The plan on the first period data of nGDH.

Low beam energy data were taken during the first period of data taking.

Now data analysis for the second data got progress well by GDH group, which not only can get useful results ,but also provide valuable experience for the 1st period data analysis.

However, due to the kinematics and geometry are different for the experiments during the two periods, so, following work have to be done individually for the first period data:

spectrometer optics analysis;

target analysis;

scalar analysis (beam current, deadtime correction...);

particle identification and detector analysis;

acceptance study using carbon data;

elastic analysis;

background study and MC simulation;

extraction of the raw cross section and asymmetries;

radiative corrections;

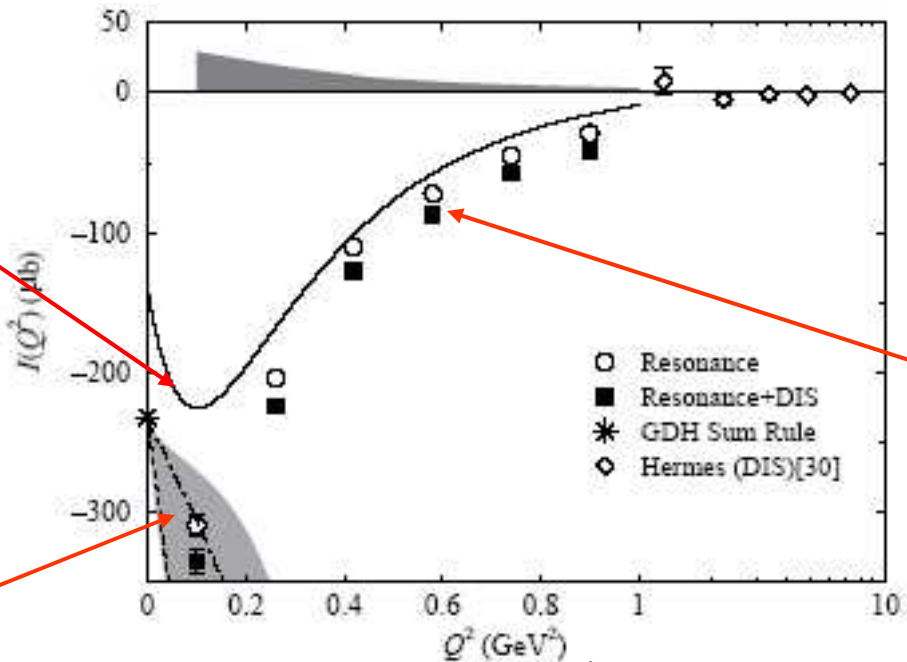
**extraction of physics quantities: the extend GDH integral,
the spin structure functions g_1 and g_2 .**

We knew that it is a hard task to analyse the first Period data, but **We are interested in this subject because its importance and interest.**

Because the data which we will analyse, are in the small Q^2 area.

$$\int_{i n} \sigma_{1/2}(\) \sigma_{3/2}(\) \frac{d}{M^2} = -\frac{2^2 E}{M^2} M^2$$

Model



Jlab Hall A, 15.5⁰ measurement results.

PT

FIG. 3. Our measurements for $I(Q^2)$ vs. Q^2 , both with and without an estimate of the DIS contribution. Also shown with a dotted (dot-dashed) line are the χ PT calculations of ref. [12] (refs. [13] and [14]). The calculation of ref. [11], based largely on the MAID model, is shown with a solid line.

How to go at small Q^2 region? **Down lower?** **Turn around like the MAID model?** A **negative slop** like $_{PT}$ calculation? goes to **GDH point** at $Q^2 = 0$ (extrapolation)?

It is lack of experimental data at small Q^2 of 0.02-0.2 GeV²

So it is very important and interesting to test the small Q^2 field .

The original purpose of data taken in the first period of small angle GDH experiment at Jlab, Hall A, exactly for checking the theories and add some important data points to this region.

Plan for 1st Period Data Analysis

USTC group will be responsible on the analysis as follows:

- **particle identification and detector analysis**
- **acceptance study using carbon data**
- **data extraction of the raw cross section and asymmetries**
- **radiative corrections**
- **extraction of physics quantities**

People of USTC group for this work:

**Yi Jiang, (faculty, Associate Professor, work experience on D0,
Fermilab)**

**Yunxiu Ye, (faculty, Professor, work experience, at HERMES
and CERN)**

Haijiang Lu, (postdoc, work experience on HERMES and BES)

Xinhu Yan (graduate student, available in Sep.)

Pei Zhang (undergraduate student)

Summary

It is very important to analyse the data in small Q^2 regime to have a **benchmark test of χ^2 PT** in this region where it is supposed to work, and **verify the GDH sum rule at $Q^2 = 0$** .

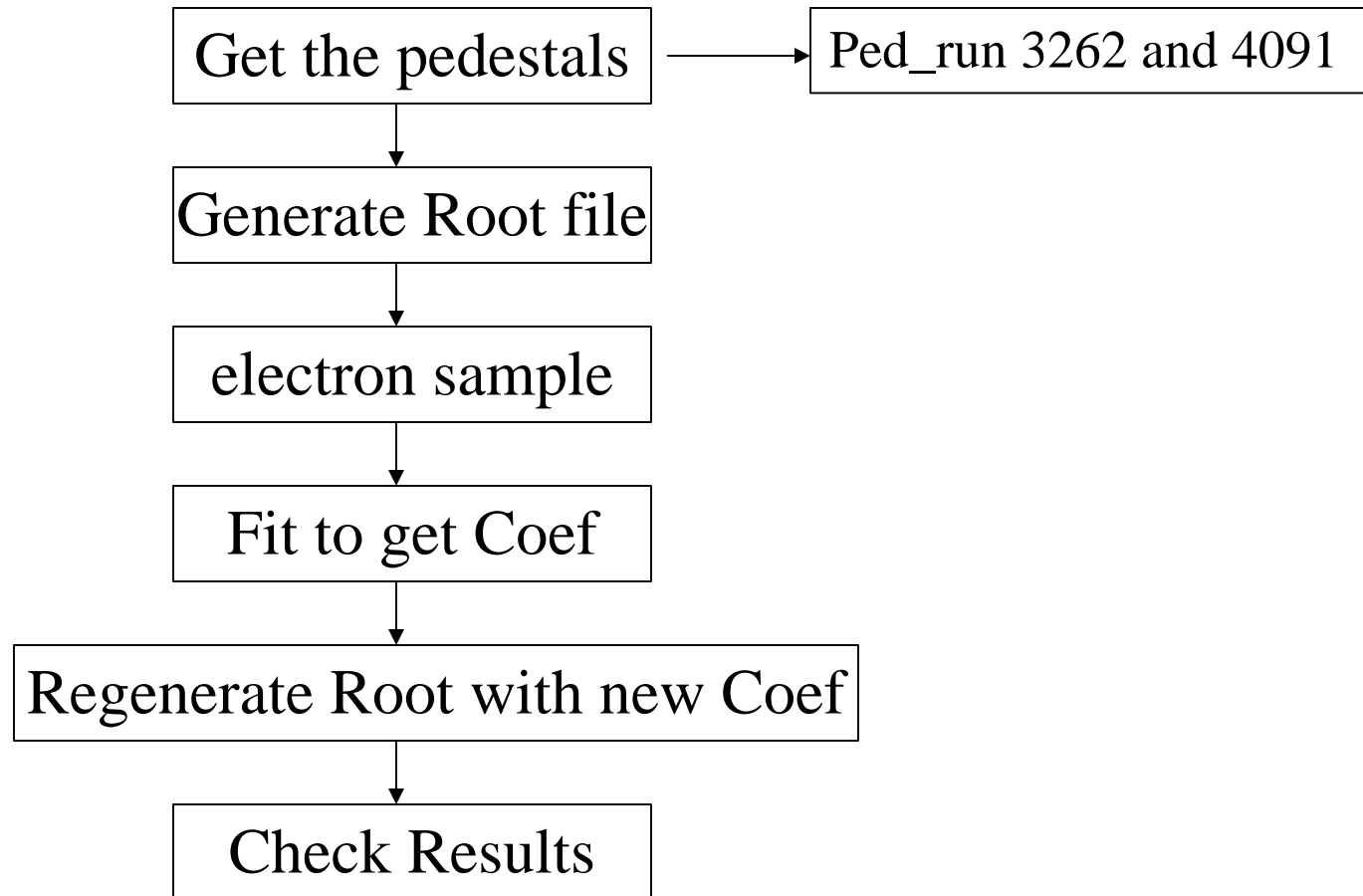
Now, we are working on the particle ID and the calibration for the preshower, shower and cherenkov detectors using second period data. Mainly, Haijiang(a postdoc) is doing this work.

The purpose of doing PID is for **cross check** of the results, required by the spokesperson of GDH, which have been done by another student (**Jing**) before we are doing; on the other hand, it is for **preparation and getting some experience** for analysing the first period data.

Shower and Cerenkov Calibration & Efficiency

- ☐ **Method & Data set**
- ☐ **Sample election**
- ☐ **Before && after calibration**
- ☐ **Cut efficiency**
- ☐ **Summary**
- ☐ **Cherenkov Calibration**

Method



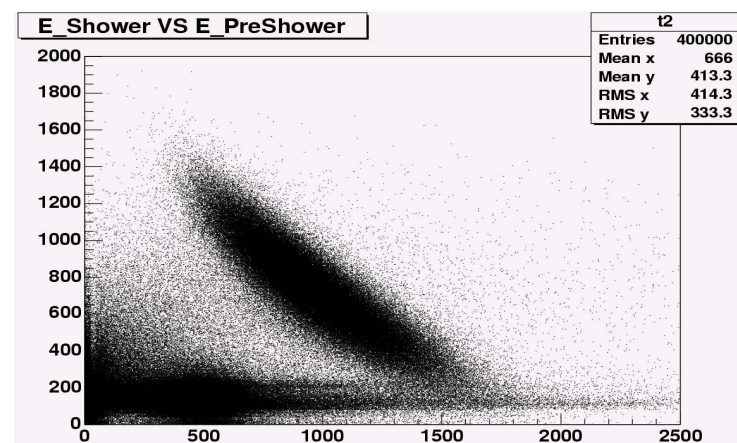
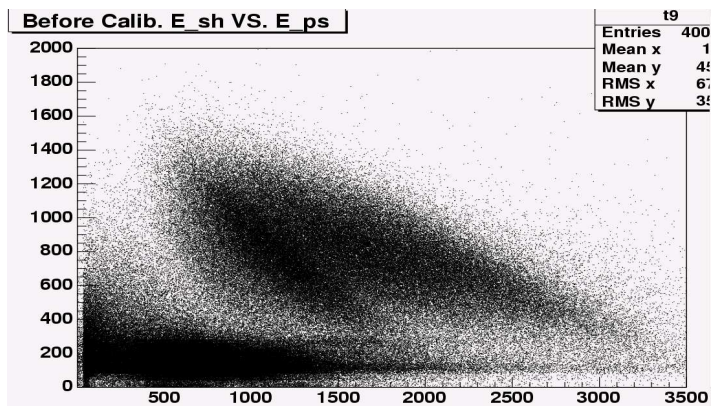
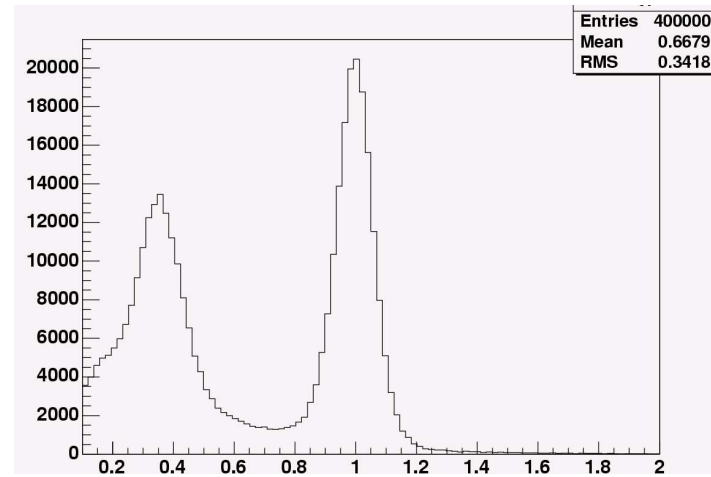
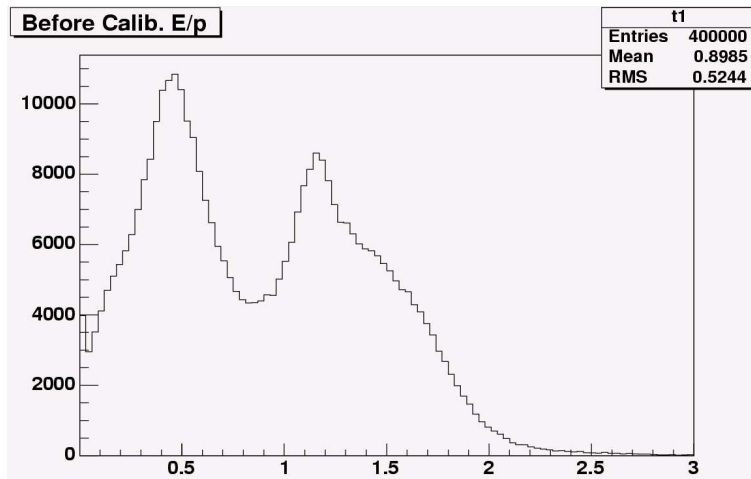
PID results

First, using the data in **DIS** region.

The coefficients of calibration for Shower and preShower counters have been obtained. The detection efficiencies of Shower and Cherenkov have been extracted.

For example, the fig. are the before and after applying the calibration constants.

E_total/p and E_Sh VS E_Pre



Before calibration

After calibration

the results shown last time using the data from **DIS** region.

In order to get more clean samples so that the results are more credible, according to J. P.'s suggestion, we used the runs from resonance regime.

We took the runs as follows:

Data 9° , Target: He3,

Set: E_beam = 3.775, 1.147, 2.235, 4.404, 3.320GeV

Run list

Run#	E_beam	p0_central	Run#	E_beam	p0_central
3320	3.775	3.100	3812	2.235	1.525
3330	3.775	2.883	3836	2.235	1.129
3370	3.775	2.493	* 3902	4.404	3.137
3381	3.775	2.318	3940	4.404	2.704
3390	3.775	2.156	3974	4.404	2.318
3420	3.775	1.853	3994	4.404	2.146
3476	3.775	1.001	4020	4.404	1.991
3545	1.147	1.142	4056	4.404	1.585
3570	1.147	0.995	4110	3.320	2.887
* 3590	1.147	0.790	* 4173	3.320	2.131
3634	1.147	0.461	4202	3.320	1.700
3740	2.235	1.931			
* 3771	2.235	1.788			

* Calibration Runs

Sample Selection

0. basic cuts

1. Only one track reconstructed in VDC

2. Only one track detected in S1 & S2

3. Only one cluster reconstructed in PreShower & Shower

4. Sum of corrected amplitudes of Gas Cherenkov

$>800 \ \&\& \ < 3000$

5. The cluster in cut 3 is coincident with Golden Track

6. The cluster doesn't cross the edge block of the shower.



Because we concentrate on the calibration for the non-edge blocks.

Sample Selection cuts

basic cuts: $|R.gold.dp| < 1.0, |R.gold.th| < 0.5, |R.gold.ph| < 0.5$

VDC: $R.vdc.u1.nclut == 1 \&\& R.vdc.v1.nclut == 1$

$R.vdc.u2.nclut == 1 \&\& R.vdc.v2.nclut == 1$

S1,S2: $R.s1.nthit == 1 \&\& R.s1.nlahit == 1 \&\& R.s1.nrahit == 1$

$R.s2.nthit == 1 \&\& R.s2.nlahit == 1 \&\& R.s2.nrahit == 1$

(Pre)Shower: $R.ps.nclust == 1$

$R.sh.nclust == 1$

Chev: $R.cer.asum_c > 800 \&\& R.cer.asum_c < 3000$

GoldTrack: $|R.ps.trx - R.ps.x| < 0.1, |R.ps.try - R.ps.y| < 0.2$

$|R.sh.trx - R.sh.x| < 0.15, |R.sh.try - R.sh.y| < 0.15$

Fit to get Coef

Readout the pedestals for different (Pre)Shower channels

 P_j

Readout the momentum for the particle p_{kin}

Readout the amplitudes value in different channels of (Pre)Shower A_j

Initial the Coef for all channels. (Set to the default values)

Minimization the following function:

$$^2 = \sum_{i=1}^N \left[\sum_{j \in M_{ps}^i} C_j \cdot (A_j^i - P_j) + \sum_{k \in M_{sh}^i} C_k \cdot (A_k^i - P_k) - p_{kin}^i \right]^2$$

M_{ps} : Channels of PreShower M_{sh} : Channels of Shower

Coef's for PreShower

E_beam=2.235. Cal Run# 3771

0.80300	0.99400	0.95312	0.92424	0.90532	0.89653	0.88402	1.04538	0.92794	0.87188	0.85953	0.89416
0.95349	0.93818	0.88233	0.96353	0.94581	0.85754	0.94360	1.05135	0.95294	0.90953	0.45309	0.46515
0.45423	0.47102	0.97456	0.92000	0.97229	1.01948	0.98640	0.88186	0.91775	0.92576	0.90014	0.89525
1.02552	0.95183	0.87147	0.80266	0.88629	0.82805	0.88252	0.88784	0.97302	0.89135	1.36337	0.62700

E_beam=4.404. Cal Run# 3902

0.80300	0.99400	0.94804	0.96248	0.93066	0.91259	0.93525	1.09994	0.96845	0.92062	0.91303	0.93861
1.00157	0.99453	0.93494	0.99711	0.97972	0.88838	0.98592	1.10320	0.99796	0.95930	0.45309	0.46515
0.45423	0.47102	1.02853	0.97471	1.02985	1.06219	1.03940	0.93169	0.95992	0.97315	0.94727	0.93851
1.07809	1.00563	0.91895	0.83062	0.91782	0.85464	0.91986	0.93203	1.02254	0.92108	0.92800	0.62700

All the numbers are very close and have differences of less than 6%.

Green numbers are ones on edge blocks.

Comparison of Coef's for PreShower

Ours :

7 points have the differences of more than 20%

E_beam=2.235. Cal Run# 3771

0.80300	0.99400	0.95312	0.92424	0.90532	0.89653	0.88402	1.04538	0.92794	0.87188	0.85953	0.89416
0.95349	0.93818	0.88233	0.96353	0.94581	0.85754	0.94360	1.05135	0.95294	0.90953	0.45309	0.46515
0.45423	0.47102	0.97456	0.92000	0.97229	1.01948	0.98640	0.88186	0.91775	0.92576	0.90014	0.89525
1.02552	0.95183	0.87147	0.80266	0.88629	0.82805	0.88252	0.88784	0.97302	0.89135	1.36337	0.62700

Jing's : Run# 3771

1.41646	1.23978	0.92208	1.11137	1.09055	0.86070	0.72266	0.76304	0.86693	0.63328	0.61329	0.79809
0.66683	0.71853	0.75877	0.87065	0.96089	0.79312	0.95600	1.10145	0.91135	0.82822	0.85699	3.75910
1.40567	1.13375	0.97345	1.04603	0.97184	1.01865	1.01215	0.84765	0.77401	0.97027	0.81112	0.89712
0.83972	0.86359	0.79559	0.63031	0.88836	0.78947	0.83847	0.85418	0.84365	0.78661	0.71126	0.62700

Coef's for Shower(The values on edge blocks are fixed)

E_beam=2.235. Cal Run# 3771

0.82000	1.08688	0.80317	0.85291	1.08581	0.82000	0.82000	1.08510	0.86102	0.85477	1.13164	1.49000
0.82000	0.82124	0.97673	0.90353	0.91614	0.58214	0.51549	0.53841	0.61542	0.94201	0.91503	0.73692
0.64983	0.66755	0.73350	0.56015	0.54837	0.59701	0.64045	0.86850	0.92773	0.42738	0.56066	1.14603
0.67345	0.44188	0.71947	0.73396	0.50126	0.58858	0.45182	0.45232	0.83906	1.01332	0.80140	1.24900
1.23600	0.31763	0.34188	0.79667	0.47337	0.41446	0.78542	0.45618	0.83324	0.66637	0.43084	0.45121
0.97178	0.82825	0.40759	1.09277	0.81744	1.09800	1.27900	0.92452	0.88351	1.25415	0.81698	1.27600
1.23700	1.05322	0.90122	0.72072	0.84246	1.35300	1.31700	0.79827				

E_beam=4.404. Cal Run# 3902

0.82000	1.08688	0.80317	0.85291	1.08581	0.82000	0.82000	1.08510	0.86102	0.85477	1.13164	1.49000
0.82000	0.82124	0.97673	0.90353	0.91614	0.77661	0.50006	0.54829	0.64216	0.99515	0.98595	0.75626
0.65640	0.65539	0.72500	0.55493	0.54139	0.58823	0.63726	0.86850	0.92773	0.40696	0.54727	1.14294
0.66530	0.43232	0.72152	0.73237	0.48387	0.57298	0.44424	0.45143	0.83202	1.02208	0.80365	1.24900
1.23600	0.36513	0.32117	0.80259	0.47177	0.41169	0.77661	0.45171	0.83587	0.65054	0.42910	0.45436
0.97372	0.76101	0.42265	1.09277	0.81744	1.09800	1.27900	0.92452	0.88351	1.25415	0.81698	1.27600
1.23700	1.05322	0.90122	0.72072	0.84246	1.35300	1.31700	0.79827				

There is one point having difference with 30%, another two has ~10%; others have less than 5%

Our calibration constants for shower, Run # 3771

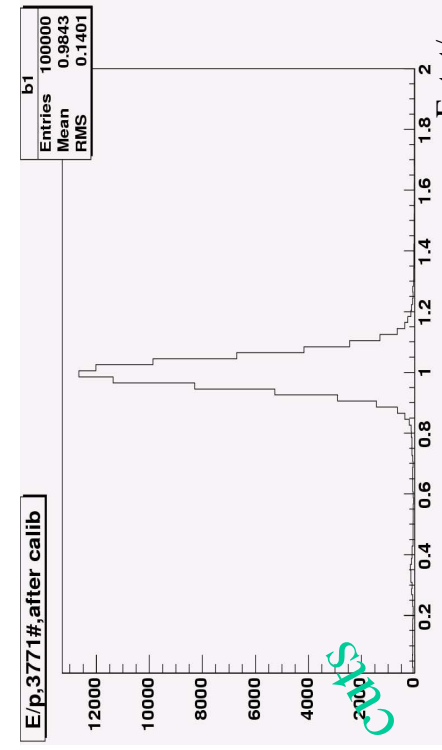
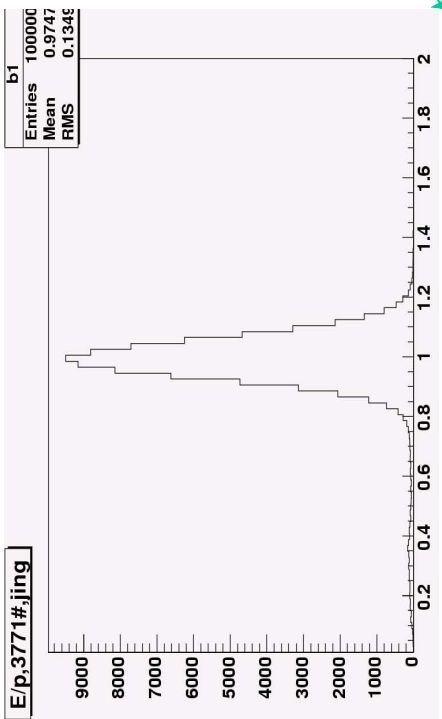
0.82000	1.08688	0.80317	0.85291	1.08581	0.82000	0.82000	1.08510	0.86102	0.85477	1.13164	1.49000
0.82000	0.82124	0.97673	0.90353	0.91614	0.58214	0.51549	0.53841	0.61542	0.94201	0.91503	0.73692
0.64983	0.66755	0.73350	0.56015	0.54837	0.59701	0.64045	0.86850	0.92773	0.42738	0.56066	1.14603
0.67345	0.44188	0.71947	0.73396	0.50126	0.58858	0.45182	0.45232	0.83906	1.01332	0.80140	1.24900
1.23600	0.31763	0.34188	0.79667	0.47337	0.41446	0.78542	0.45618	0.83324	0.66637	0.43084	0.45121
0.97178	0.82825	0.40759	1.09277	0.81744	1.09800	1.27900	0.92452	0.88351	1.25415	0.81698	1.27600
1.23700	1.05322	0.90122	0.72072	0.84246	1.35300	1.31700	0.79827				

Jing's calibration constants for Shower, Run #3771

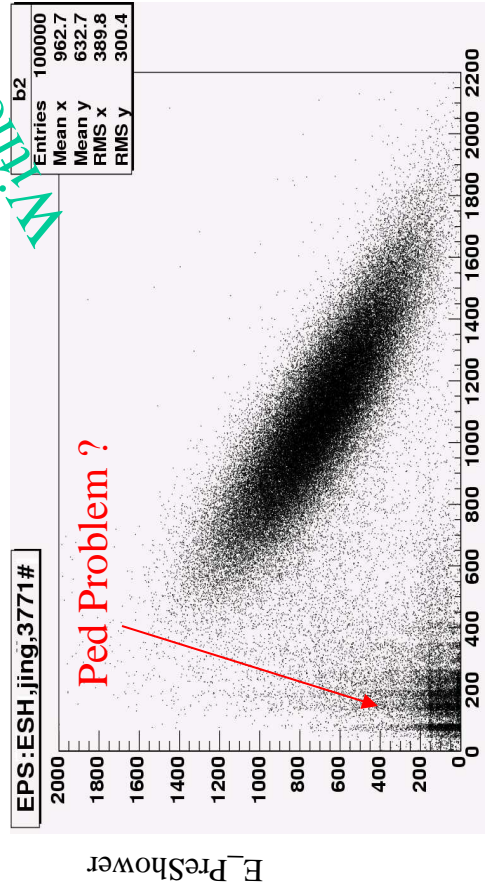
0.73786	0.31162	0.50474	1.19800	0.46493	1.99035	1.32966	2.26303	0.59227	0.90941	0.86816	0.92221
0.13256	0.29395	0.79786	0.07015	0.49744	0.43021	0.49208	0.50056	0.55501	0.39977	0.74831	0.29661
0.63075	0.50459	0.72831	0.54989	0.52355	0.57477	0.60310	0.35407	0.29907	0.44171	0.55525	1.07358
0.63413	0.37776	0.63644	0.64337	0.42698	0.54391	0.42506	0.42425	0.77722	0.97130	0.74831	0.48899
0.14677	0.33910	0.34526	0.98678	0.51708	0.40043	0.80513	0.46997	0.88340	0.68082	0.42011	0.45735
0.81517	0.73499	0.38599	0.13097	0.19062	1.74123	0.21929	0.88286	1.18410	0.90880	0.06997	0.29441
0.60349	0.50324	0.25264	1.86346	0.77286	0.41467	0.11235	0.23909				

There are **two points(red)** have differences of about 2-3times, 6 points have differences of ~30% .

Comparison with Jing's 3771



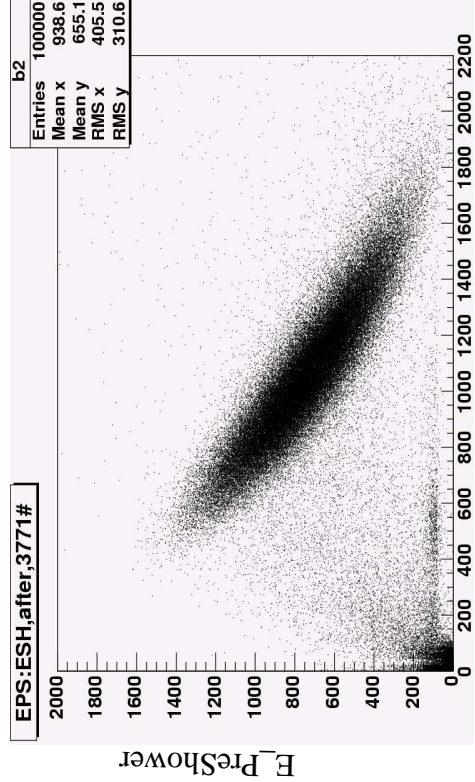
Without any Coef's



Ped Problem ?

E_Shower

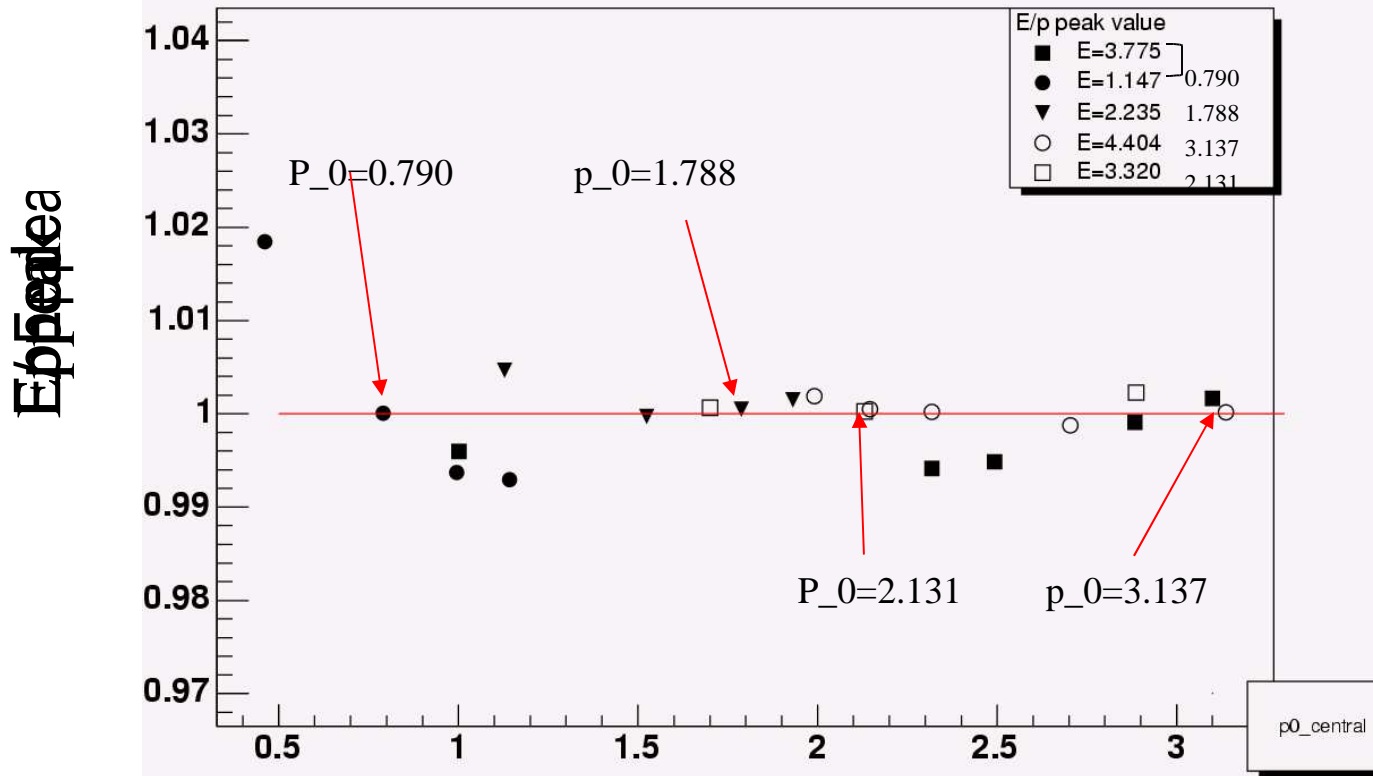
Jing's Coef's & ped's



E_Shower

Our Coef's & ped's

E_{tot}/p Peak VS. p_0



4 sets of calibration constants are used to 5 sets of beam energies with variable momenta to get their E/P peaks.

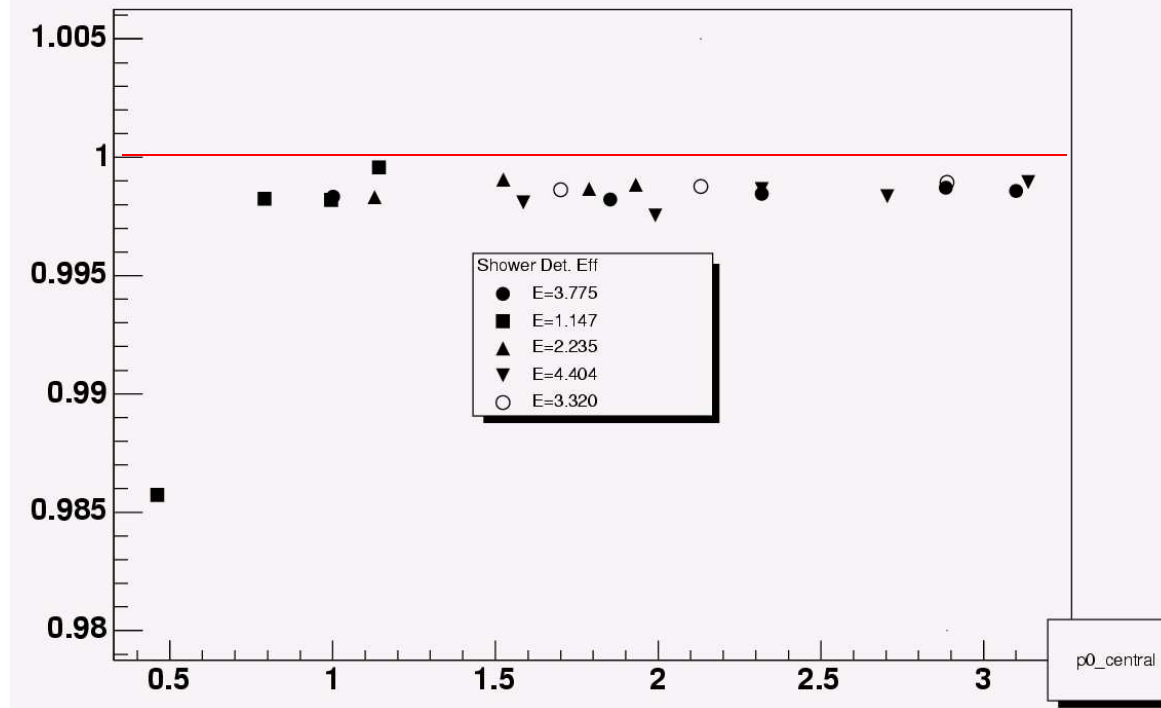
Shower detection efficiency for diff. Kin.

Sample selection:

$1200 < R.cer.asum_c < 2500$ \longrightarrow N_{cer}

N_{sh} \longleftarrow Triggered Shower and Preshower \longleftarrow

$$det_{sh} = \frac{N_{sh}}{N_{cer}}$$



= 99.8%

for each run

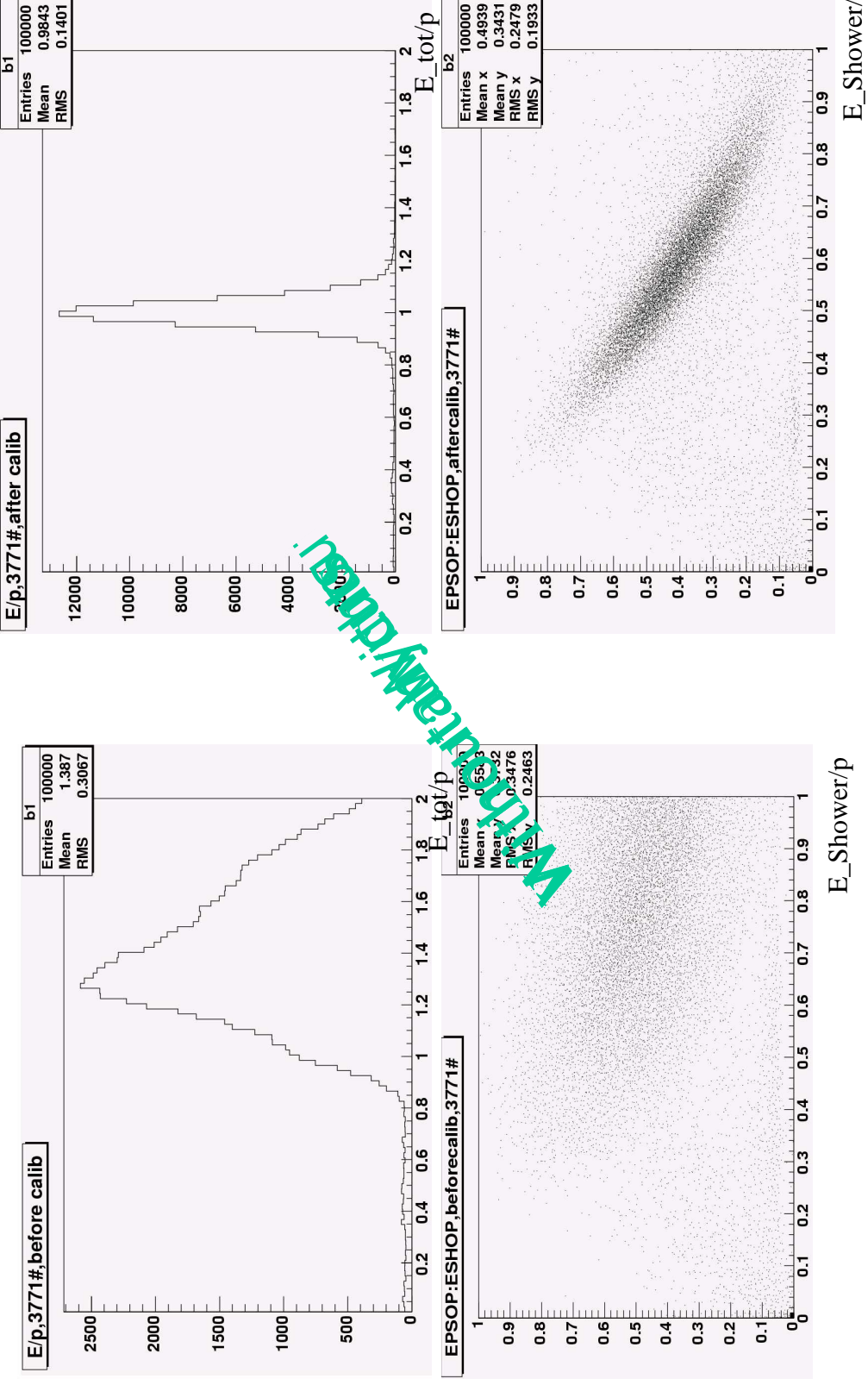
except run#=3634

with momentum

$P_0 = 0.461 \text{ GeV}/c$

About cut efficiency

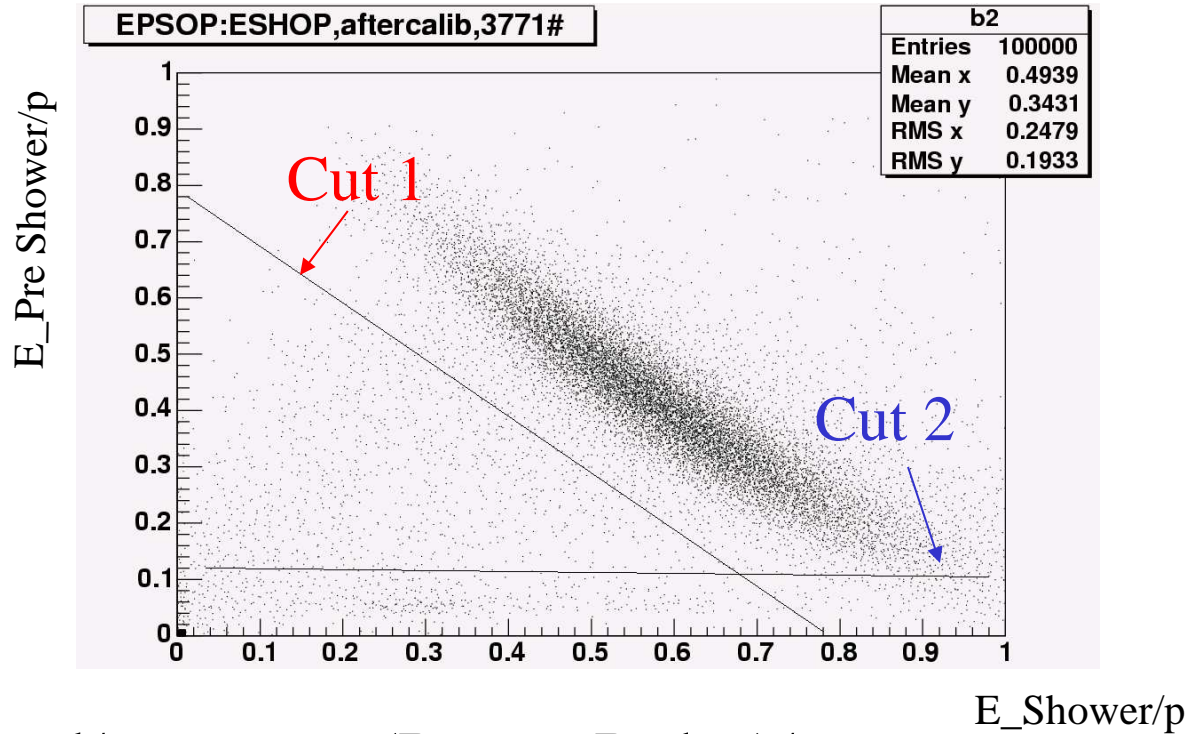
E_total/p and E_Sh/p VS E_Pre/p



Before Calibration(all Coef's =1.)

After Calibration

Shower Cut efficiency



Cut 1: E_{total}/p cut : $(R.\text{ps.e}+R.\text{sh.e})/p$

Cut 2: E_{Pre}/p cut : $R.\text{ps.e}/p$

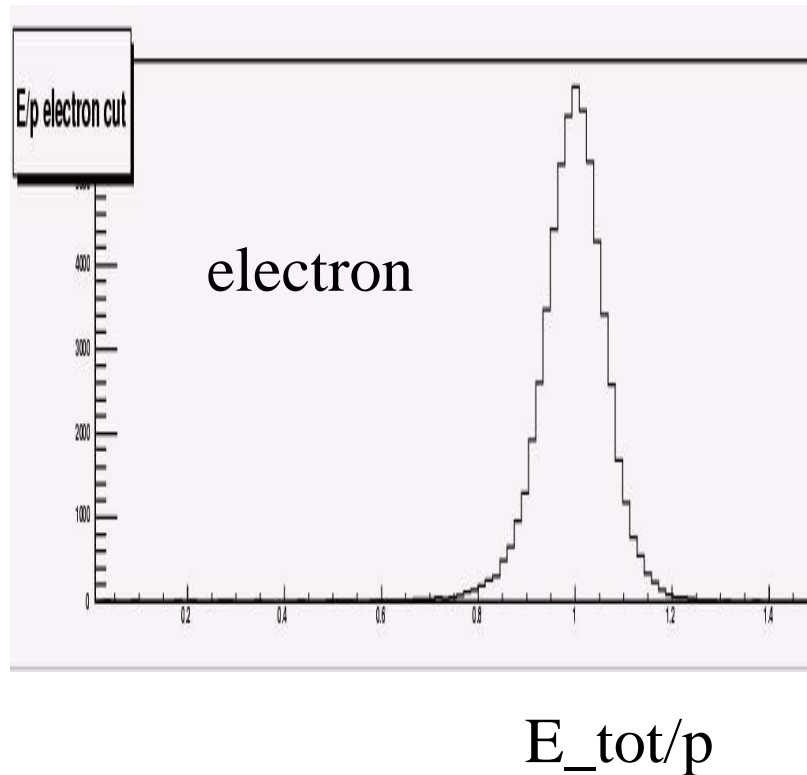
$$p = P_{\text{central}} * (1 + \text{CorR.dp}) = \text{CorR.p}$$

Cut 1: E_{total} / p

electron sample selection:

- basic Cuts
- Golden Track matched
- $1200 < R.\text{cer.}\text{asum}_c < 2500$

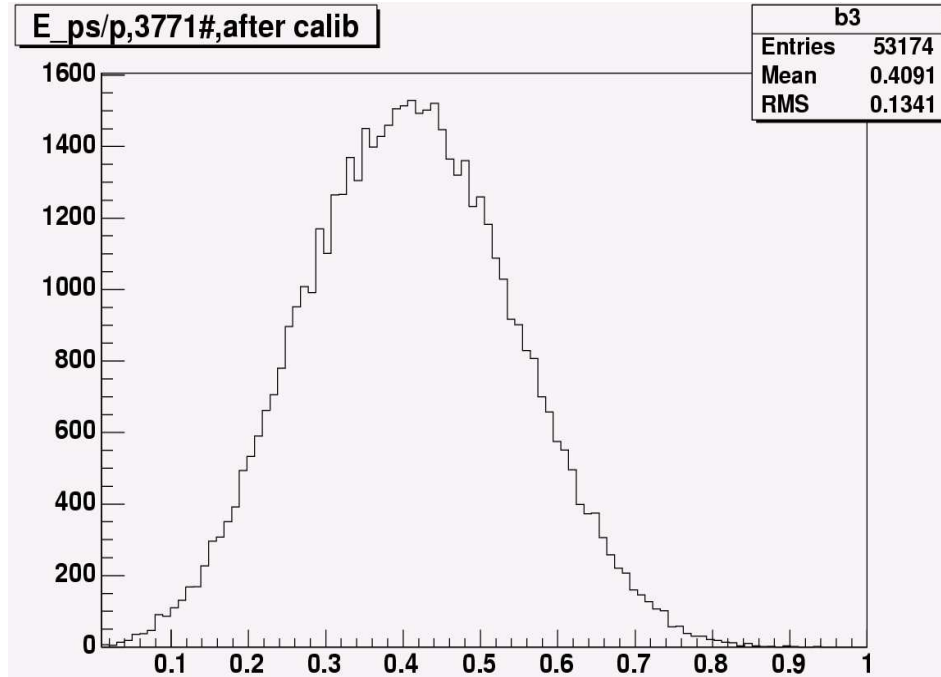
long tail in both sides!!!



Cut 2: E_{Pre} / p

electron sample selection:

- basic Cuts
- Golden Track matched
- $1200 < R.\text{cer.}\text{asum}_c < 2500$



E_{PreSh}/p

Cuts selection

Note: the tail in both sides of the E_{total}/p for the electron is **asymmetry !!!**

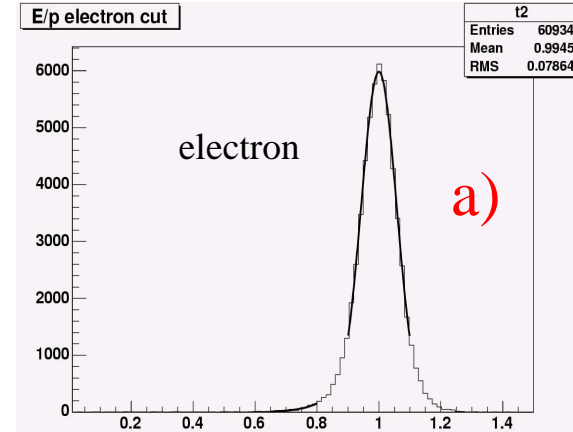
Total number of good electron events (N_{tot}):

Step 1: Fit region 0.9—1.1 of **a)** with gaussian

Step 2: Fit region 0.75—0.85 of **a)** with func_defined

Step 3: Get the N_{tot} .

$$N_{\text{tot}} = N_{\text{c}}(E/p > 0.8) + N_{\text{func}}(0:0.8)$$



Calculate the good events rejected by $\text{cut1} > x_0$ ($N_{\text{rej_c1}}$)

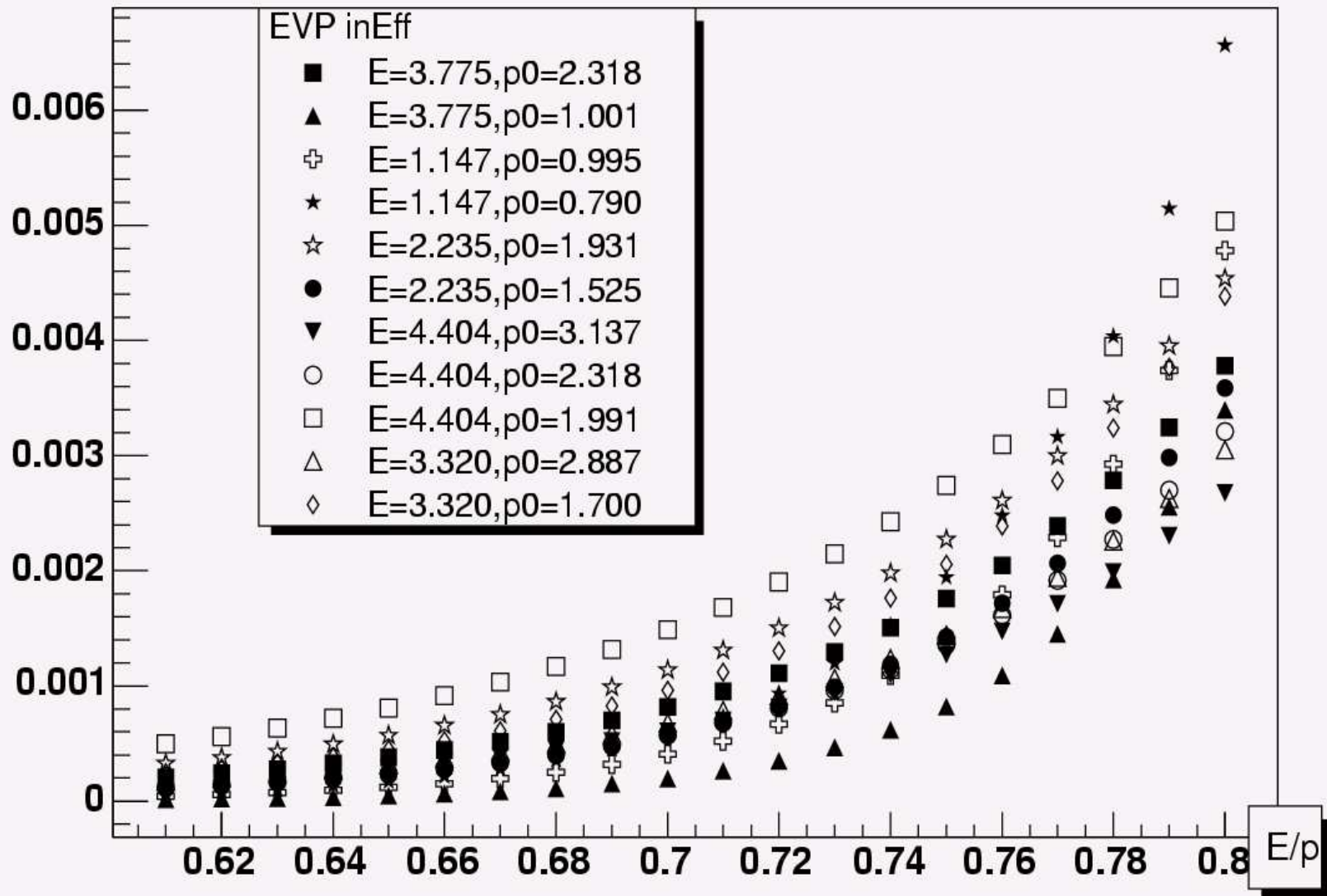
Inefficiency for Cut 1:
$$\frac{N_{\text{rej_c1}}}{N_{\text{tot}}} = \frac{N_{\text{rej_c1}}}{N_{\text{tot}}}$$

Calculate the good events rejected by $\text{cut2} > x_1$ ($N_{\text{rej_c2}}$) while $E/p > x_0$

Cut1,2 efficiency:
$$e = 1 - \frac{N_{\text{rej_c1}} + N_{\text{rej_c2}}}{N_{\text{tot}}}$$

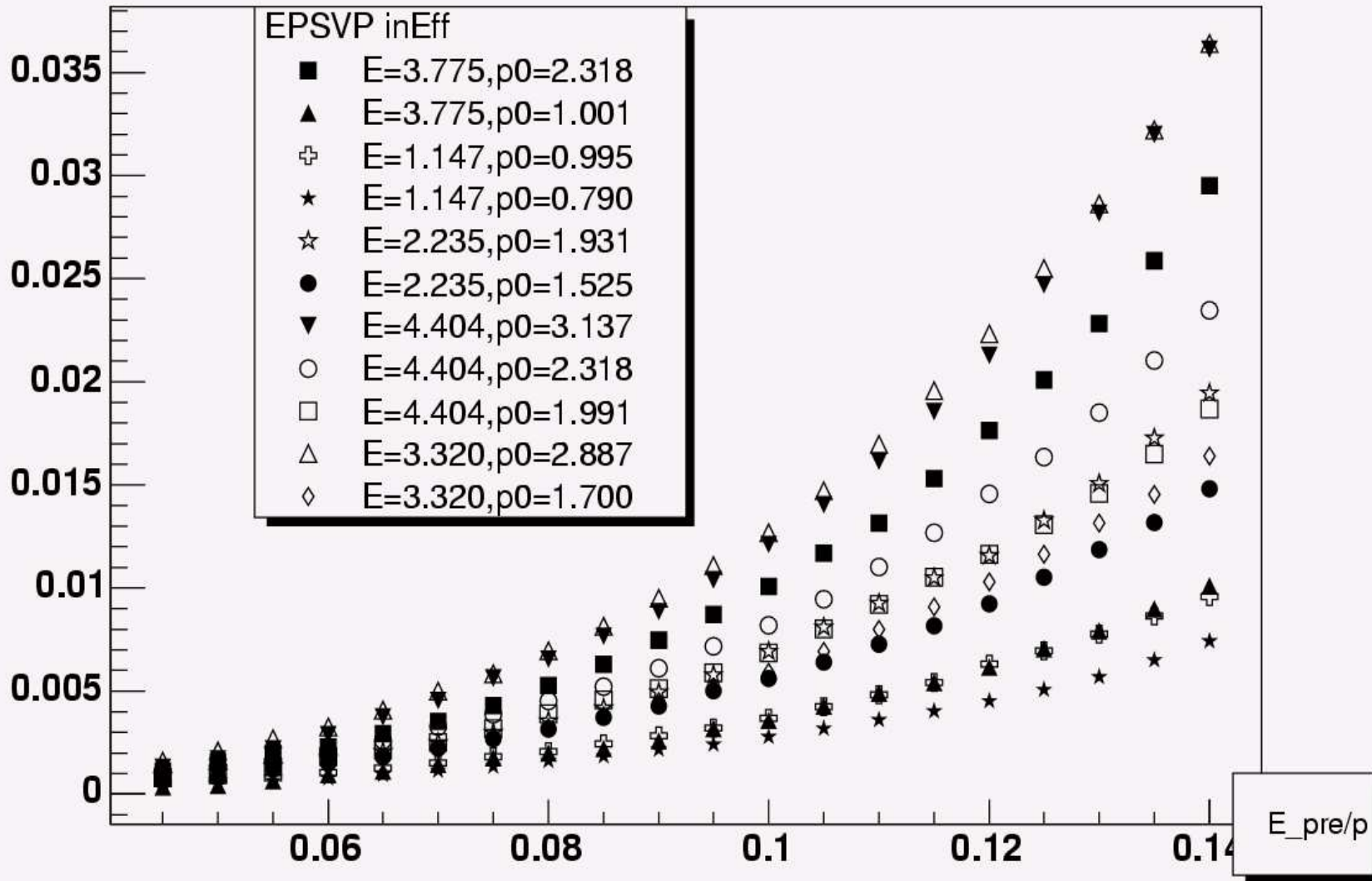
Adjust x_0, x_1 to let $e > 99$.

Cut1 inefficiency for diff. Kin.



Cut2 “inefficiency”

$$\frac{cut2}{e} = \frac{N_{rej_{c2}}}{N_{tot}}$$



Summary

Shower Calibration:

9° , He3, E_beam = 3.775,1.147,2.235,4.404,3.320 GeV,

And get the calibration constants.

Shower detection efficiency: 99.8%

Shower Cut: $E_{\text{tot}}/p > x_0$

$E_{\text{Pre}}/p > x_1$

Cut efficiency:

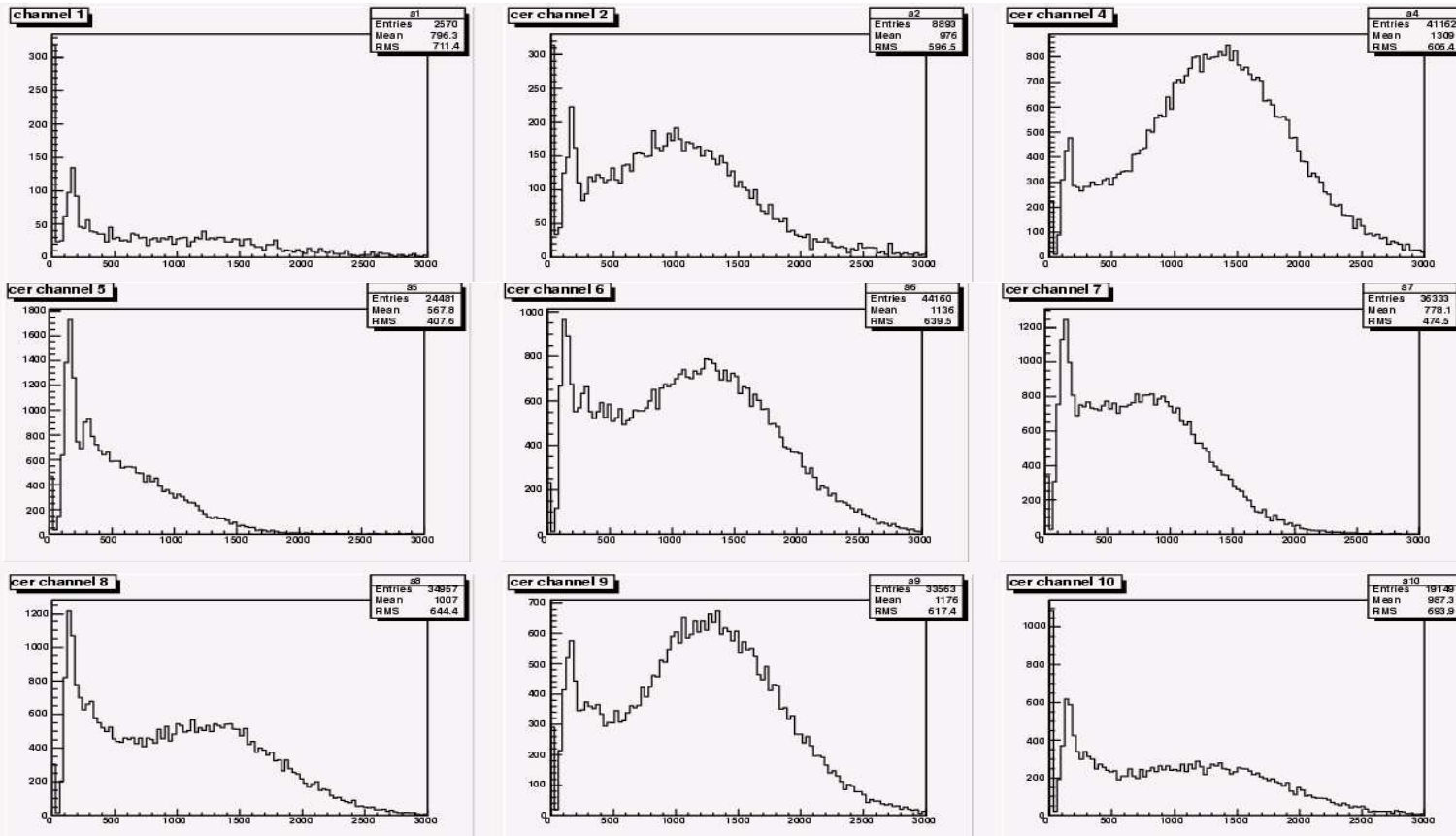
electron acceptance: adjust x_0, x_1 to let $>99.0\%$

Cerenkov Calibration & efficiency

- Method
- Sample election
- Cut efficiency

Calibration

Align the single photon electron peak to 200



Cerenkov detection efficiency for diff. Kin.

Sample selection:

$$0.95 < E_{\text{tot}}/p < 1.05$$

$$0.2 < R_{\text{ps.e}}/p < 0.8$$

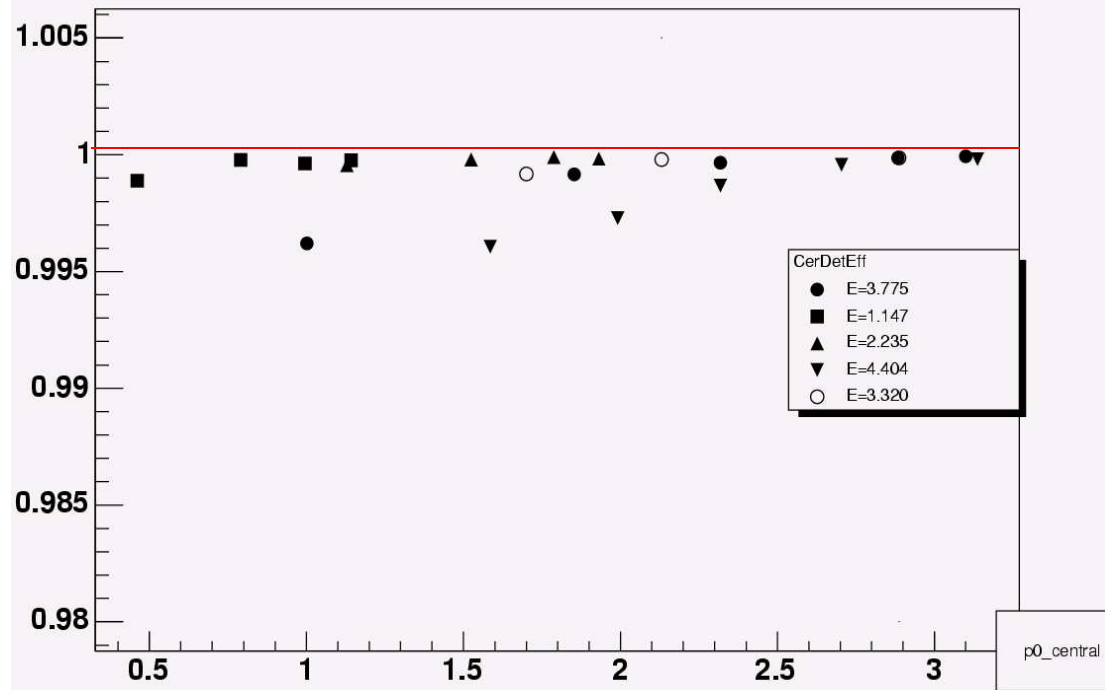
N_{cer}

N_{sh}

Triggered Cerenkov

$$\text{det}_{\text{cer}} = \frac{N_{\text{cer}}}{N_{\text{sh}}}$$

= 99.99%



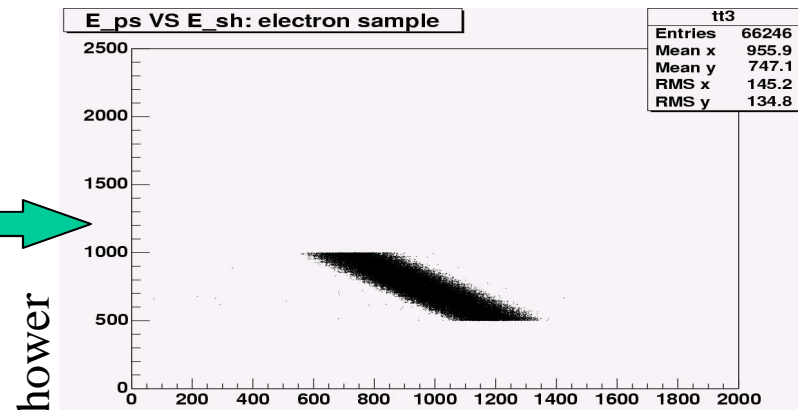
Cut efficiency 1: sample selection

Electron sample selection:

$$0.95 < E_{\text{tot}}/p < 1.05.$$

$$500 < R.\text{ps.e} < 1000$$

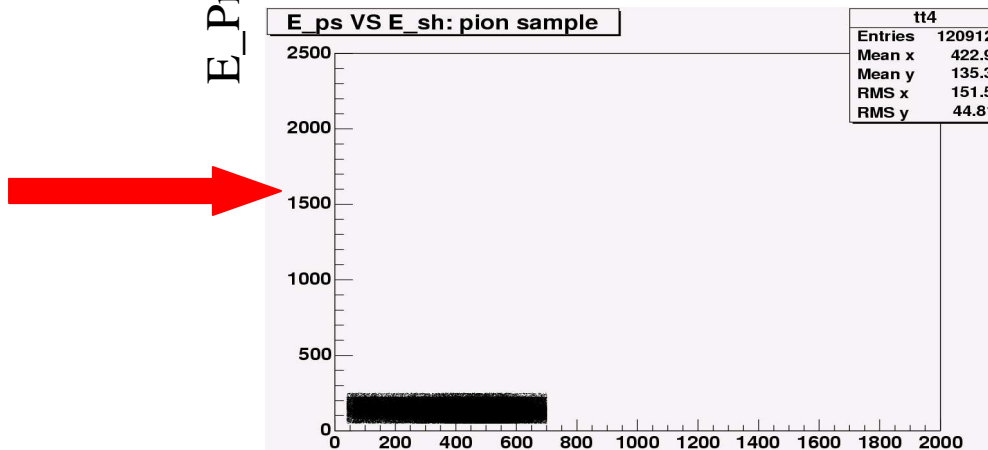
$$E_{\text{tot}} = R.\text{sh.e} + R.\text{ps.e}$$



pion sample selection:

$$20 < R.\text{sh.e} < 700.$$

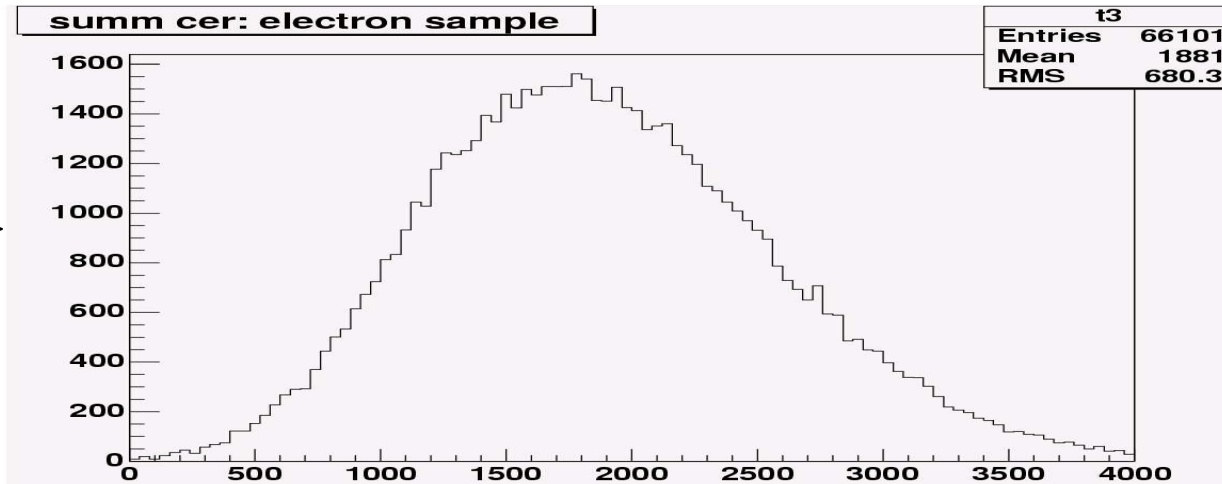
$$20 < R.\text{ps.e} < 220.$$



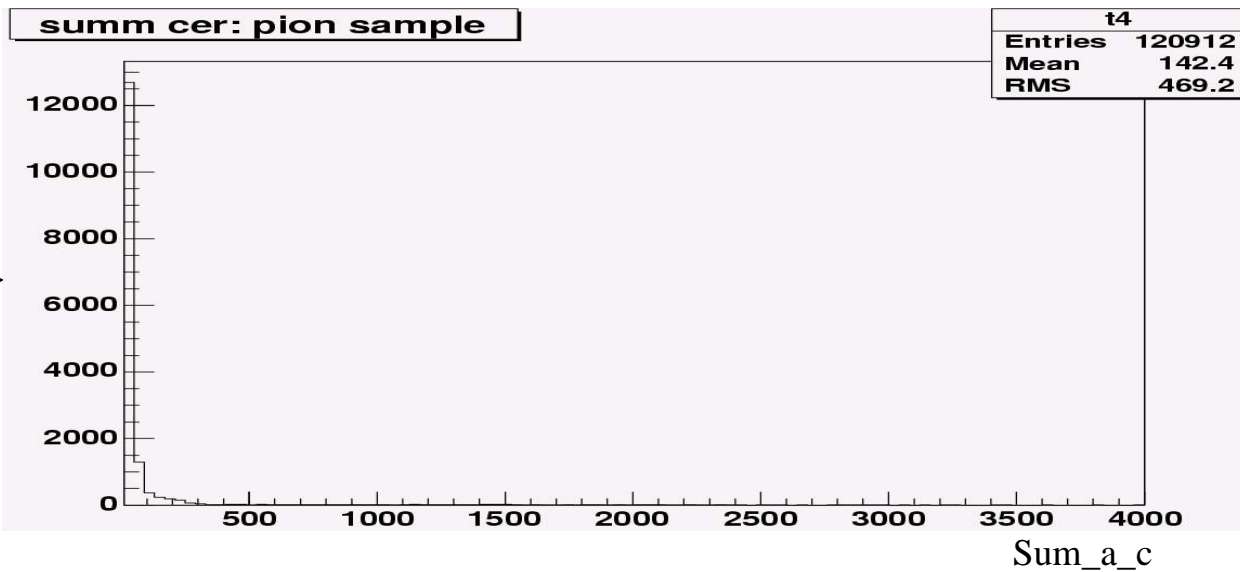
E_shower

Cut efficiency 2: Sum_a_c distribution

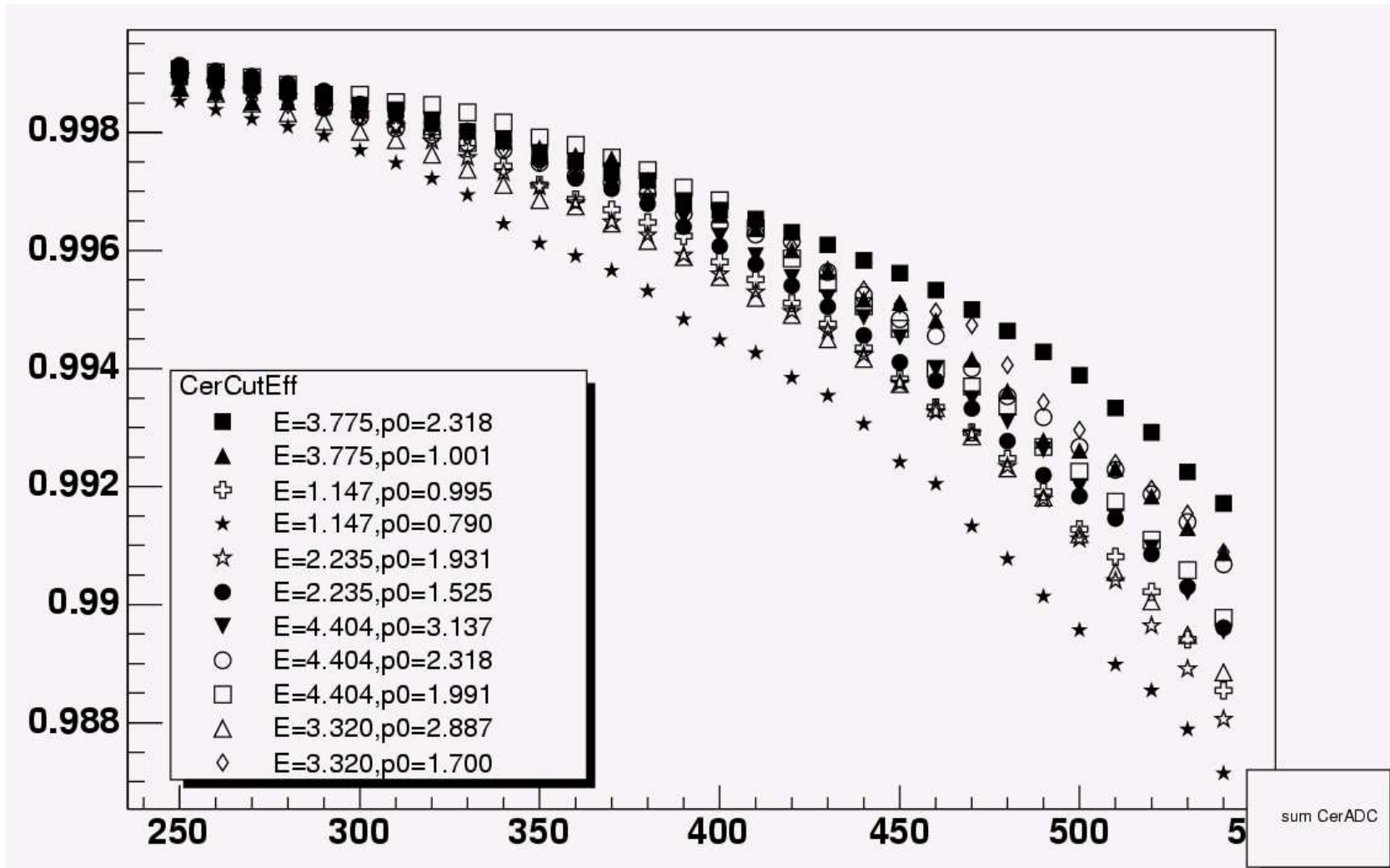
Electron
→



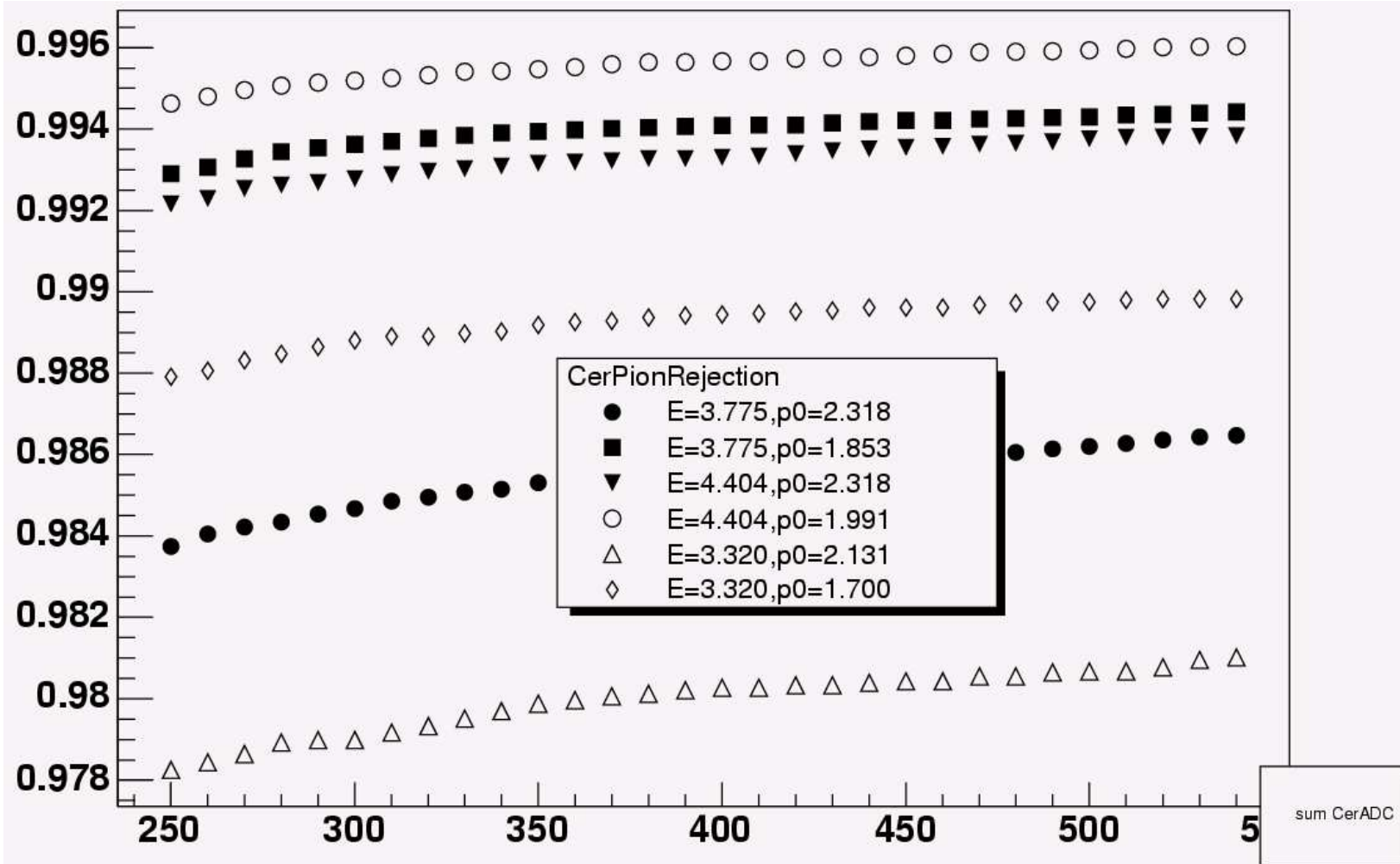
pion
→



Cut efficiency



Pion Rejection



PID efficiency

$E_{\text{total}} / p > x_0$

$E_{\text{PreShower}} / p > x_1$

→ Electron acceptance: 99.0%, pion rejection: 98.0%

$\Sigma a_c > 350$ → Electron acceptance: 99.7%, pion rejection: 99.0%

PID cut efficiency:

Electron acceptance: 98.70%

pion rejection: 99.99%

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