


Simulation update

- Energy loss
Difference between g2psim and
geant4 (HRSMC)  checked
- Packing fraction
first try

Last Time

ionization

- The probability distribution of energy loss Δ by ionization is a Landau distribution, peaked at

$$\Delta_0 = \xi \left[\ln \left(\frac{\xi}{\epsilon'} \right) + 0.20 \right]$$

$$\xi = \frac{2\pi\alpha^2 N_A Z}{m_e \beta^2} \frac{d}{A}$$

$$\ln \epsilon' = \ln \left[\frac{(1 - \beta^2) I_0^2 Z^2}{2m_e \beta^2} \right] + \beta^2$$

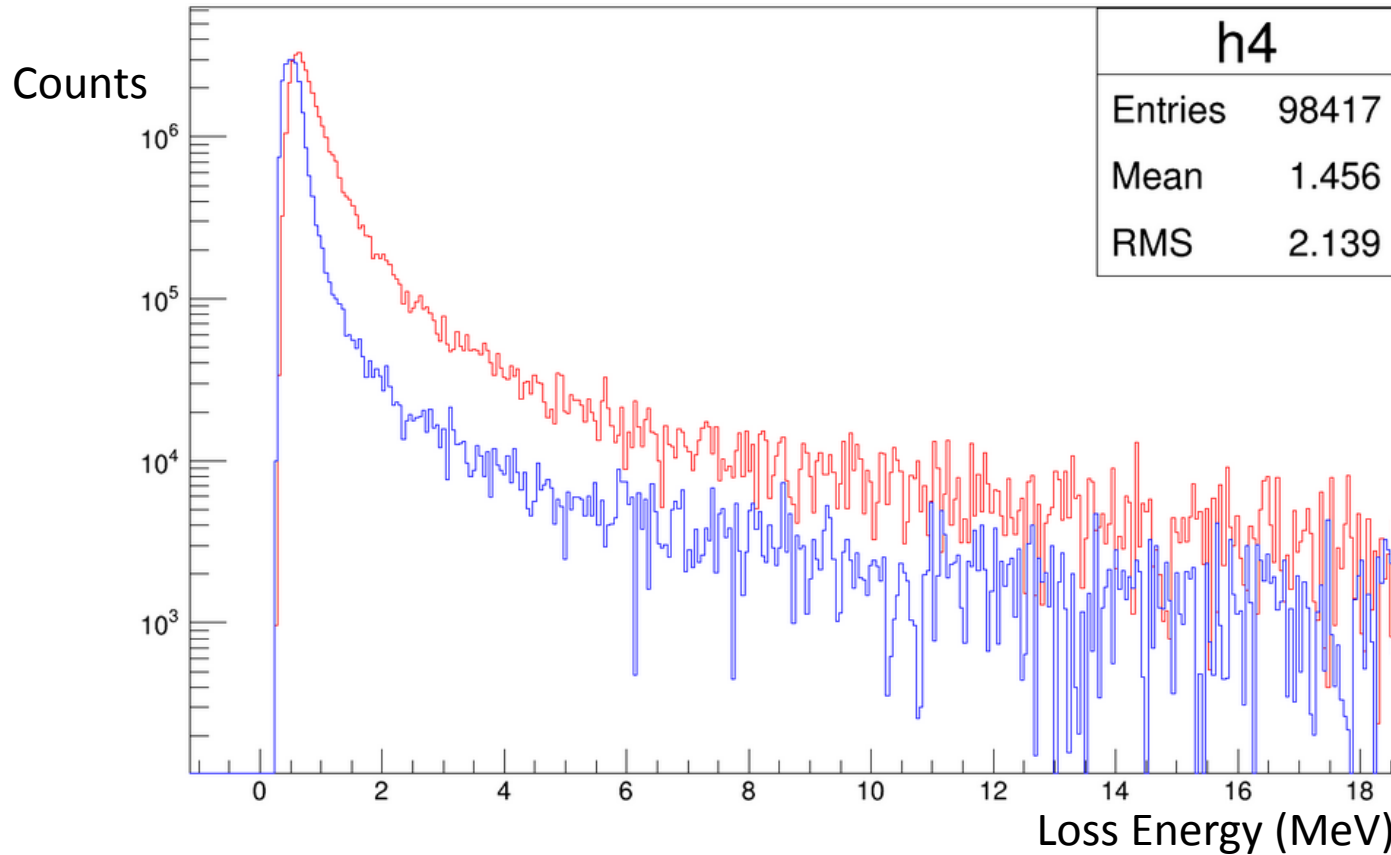
- N_A Avogadro number, $\beta = v/c$, d is the averaged density multiplied by length, A is the averaged mass number, I_0 is the ionization energy of material

Last Time

Geant4 compared with g2psim

- **Red:** g2psim; **Blue:** geant4 ; cross section weighted
- Carbon **without He, no field**

h4



Ionization fluctuation model

- Large fluctuations are due to small number of collisions of large energy transfers
- Characterised by $\kappa \sim$ ratio of mean energy loss to the maximum allowed energy transfer in a single collision with an atomic electron

$$\kappa = \frac{\xi}{E_{\max}}$$
$$\xi = \frac{2\pi z^2 e^4 N_{Av} Z \rho \delta x}{m_e \beta^2 c^2 A} = 153.4 \frac{z^2}{\beta^2} \frac{Z}{A} \rho \delta x \quad \text{keV},$$

- Heavy absorbers : $\kappa > 10$ Gaussian distribution
- Moderate absorbers: $0.01 < \kappa < 10$, Vavilov
- Thin absorbers: $\kappa < 0.01$, with collisions numbers $N_c > 50$, Landau
- Very thin absorbers : $N_c < 50$ ($\kappa \ll 0.01$), approximation model

Ionization fluctuation model

➤ Eg. 0.1016cm C12 target

- $\kappa = 17.666 \text{keV} / 2.253 \text{GeV} * 2.0 = 1.568 * 10^{-5}$
- For the scattered electron (reaction point near C12 boundary) about $\frac{1}{4} * 0.1016 \text{cm}$, collisions $N_c < 50$

➤ Geant 4 use **Urban model** to simulate the fluctuation of the mean energy loss.

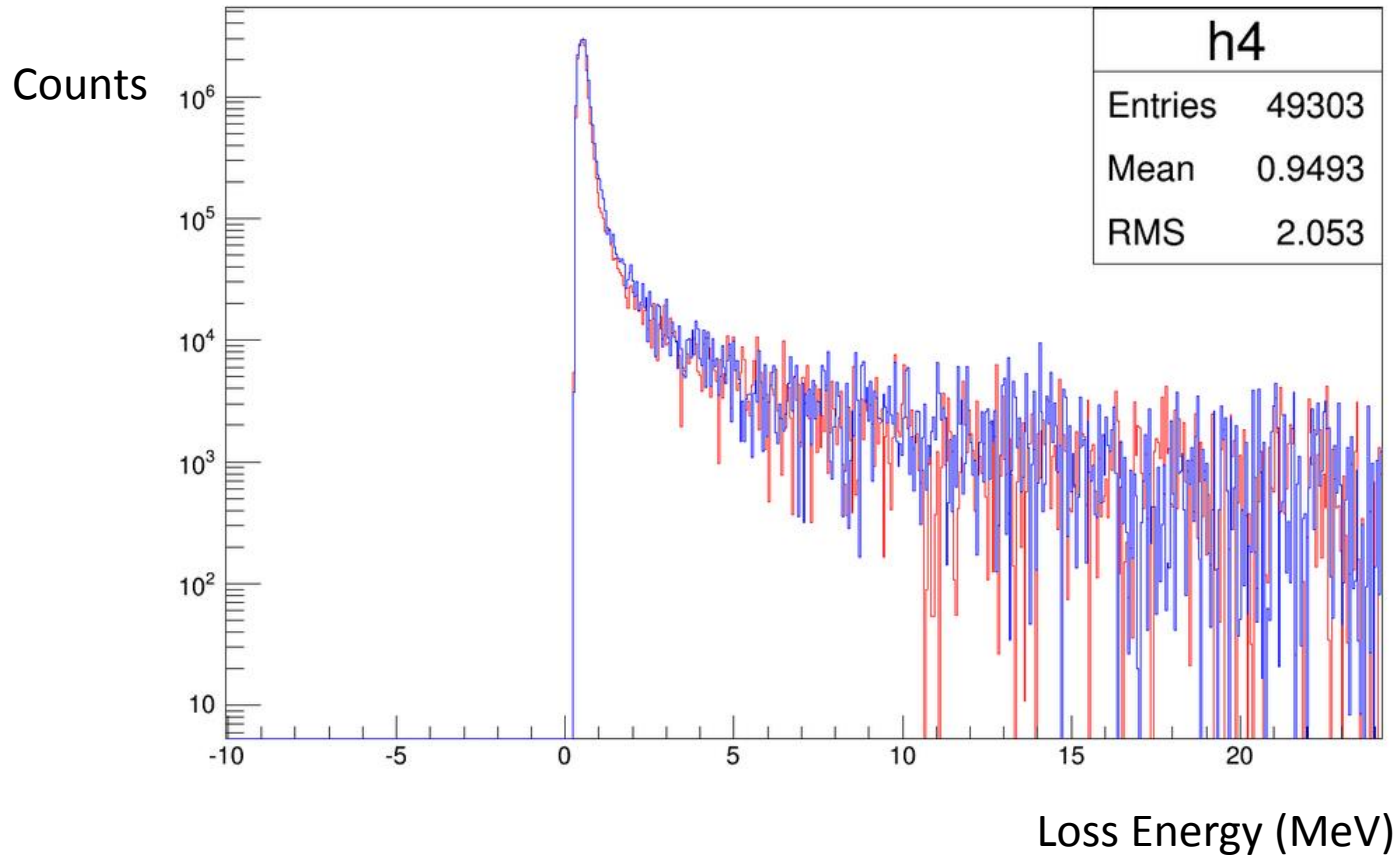
☐ General idea:

- Atoms have only two energy levels with binding energy E_1 and E_2 .
 - particle–atom interaction will then be an excitation with energy loss E_1 or E_2 .
 - Or an ionization with an energy loss distributed according to a function $g_E = 1/E^2$
- ☐ Can be used for any thickness of a medium.
- ☐ Approaching the limit of the validity of Landau's theory, the loss distribution approaches smoothly the Landau

New Result

Geant4 compared with g2psim

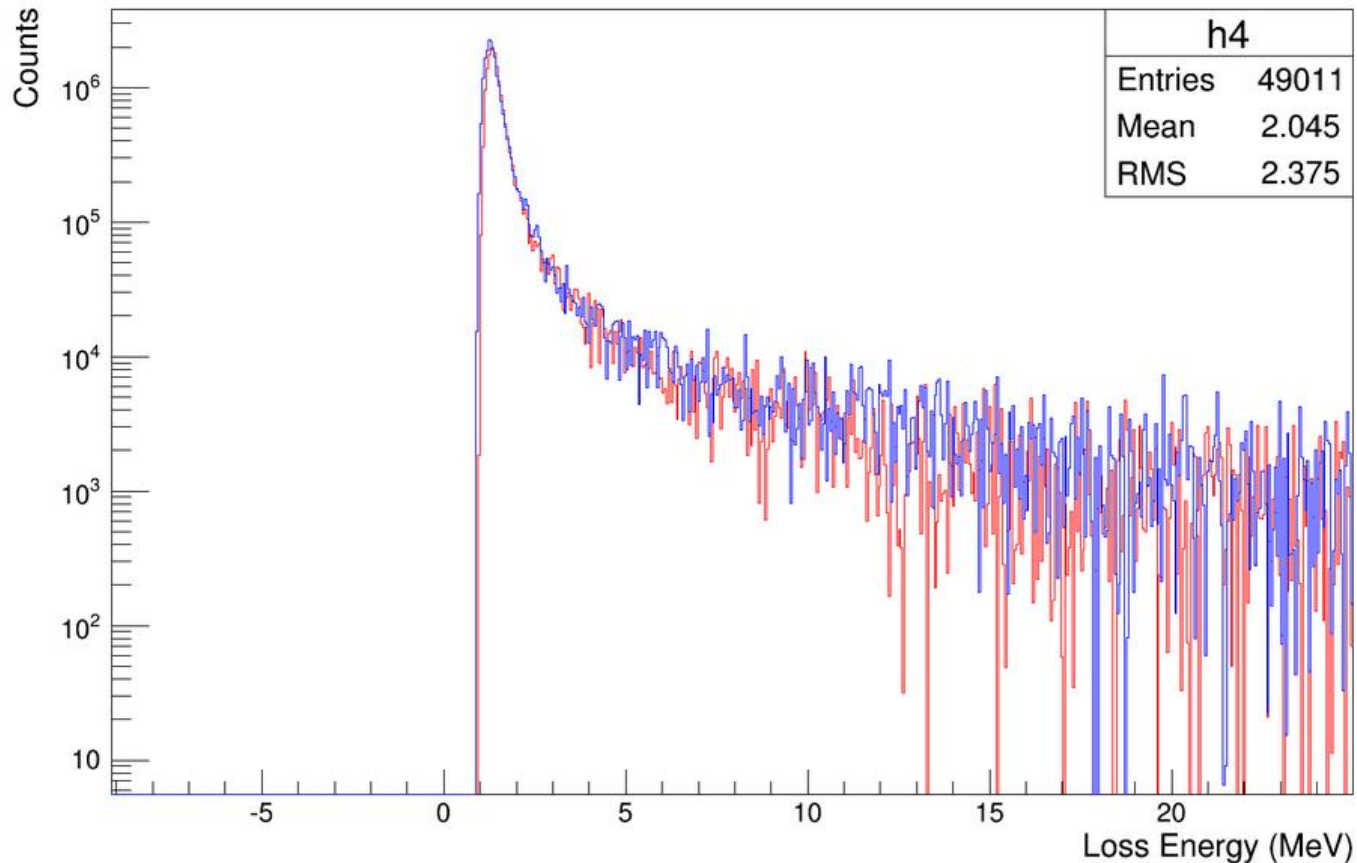
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- δ electron not considered



New Result

Geant4 compared with g2psim

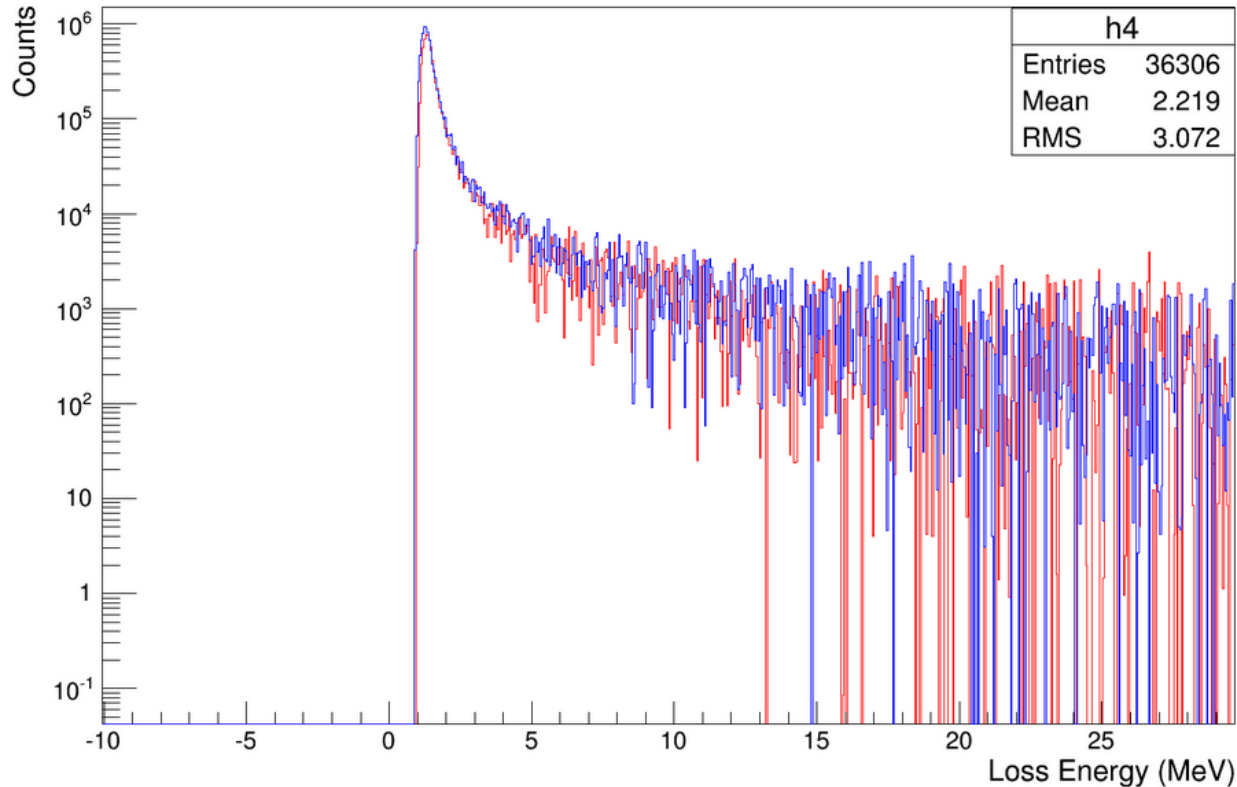
- **Red**: g2psim; **Blue**: geant4 ; cross section weighted
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- δ electron not considered



New Result

Geant4 compared with g2psim

- **Red**: g2psim; **Blue**: geant4 ; cross section weighted
- Carbon **without He, 2.5T field**
- δ electron not considered



Packing fraction

- Rate yield ratio: carbon dilution run to packing fraction run

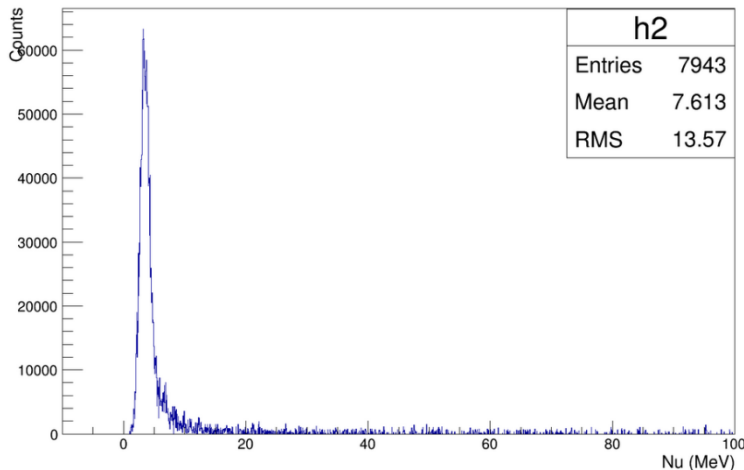
- $\frac{Rate_{C12}}{Rate_{NH3}} =$

- $$\frac{\frac{d_{NH3}}{M_{NH3}} * T_{cell} * pf * (\sigma_N + 3 * \sigma_H) + \frac{d_{He}}{M_{He}} * (T_{cell} * (1 - pf) + T_{out}) * \sigma_{He+} + \frac{d_{Al}}{M_{Al}} * (T_{Al}) * \sigma_{Al}}{\frac{d_C}{M_C} * (T_C) * \sigma_C + \frac{d_{He}}{M_{He}} * (T_{new} + T_{out}) * \sigma_{He+} + \frac{d_{Al}}{M_{Al}} * (T_{Al}) * \sigma_{Al}}$$

- Still checking physics model

carbon

h2



Nitrogen

h2

