

Optics simulation

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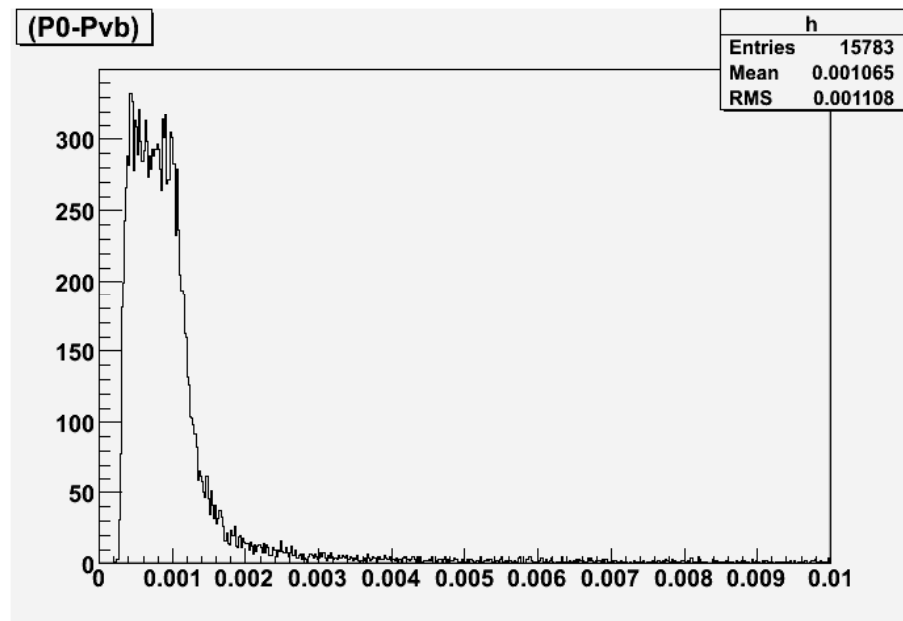
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Goals & Requirements

- $dxs \sim 1/Q^4$. $\rightarrow dxs \sim \theta_e^{-4}, E'^{-2}$.
- If dxs wants to reach 2% uncertainty, θ_e needs to reach 0.5% $\rightarrow d\theta_e = 0.5mr$ when $\theta_e = 5.69$ deg.
- E' reconstruction at a few $\times 10^{-4}$ is good enough here.

Momentum (No target field)

- C12, elastic, no LHe, 1.159 GeV e- beam, 1.158 GeV @ 5.69 deg.
- Eloss: Mean 1.065 MeV, FWHM 1MeV, $\delta E' = 1/2.3548=0.425$ MeV



$$E' = \frac{E}{1 + E/M(1 - \cos \theta)}$$

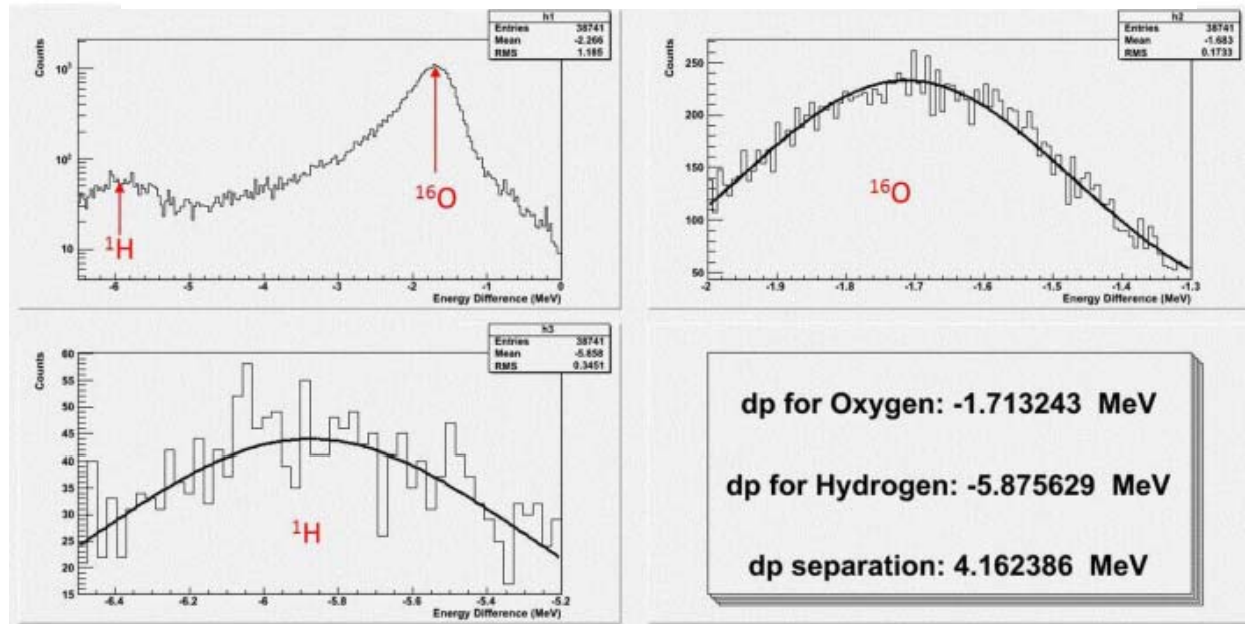
$$\sin \theta d\theta = \frac{M}{E'} \frac{dE'}{E'}$$

- Central angle: sieve hole size sigmas $\rightarrow \delta\theta_{tg} = 1.5\text{mr}$, $\delta\phi_{tg} = 1.4\text{mr} \rightarrow \delta\theta_{scat} = 2.05\text{mr} \rightarrow \delta E' \sim 10^{-4}\text{ GeV}$
- Total: $0.525\text{ MeV} \rightarrow \delta E'/E' = 4.5 \times 10^{-4}$
- acceptable

Pointing- θ_{HRS} (No target field)

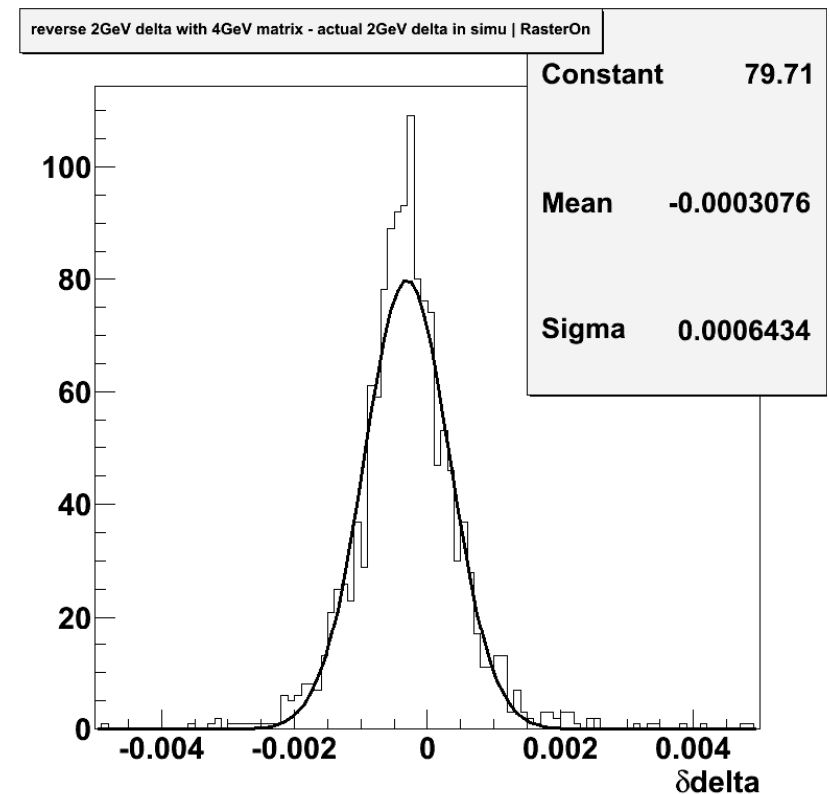
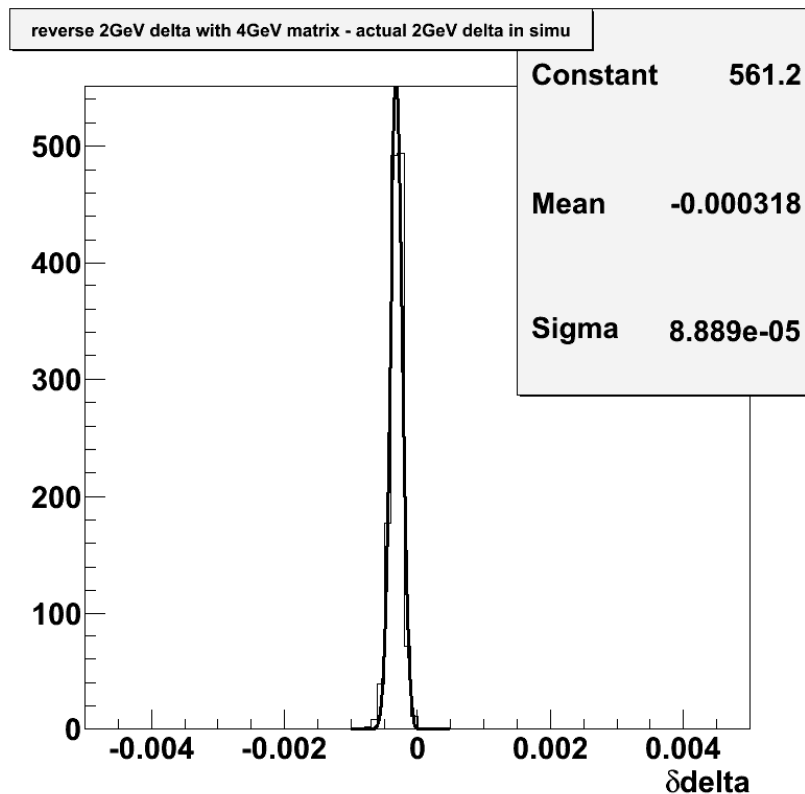
- CH2, elastic for H, 1.152 GeV @ 5.69 deg.
- Will need 5×10^{-6} precision of momentum mean values to reach angular goal
- Working on G4 to get the width of quasi-elastic (like the H peak below)

$$\Delta E' = E'_O - E'_H = E \left(\frac{1}{1 + \frac{2E \sin^2(\frac{\theta}{2})}{M_O}} - \frac{1}{1 + \frac{2E \sin^2(\frac{\theta}{2})}{M_H}} \right)$$



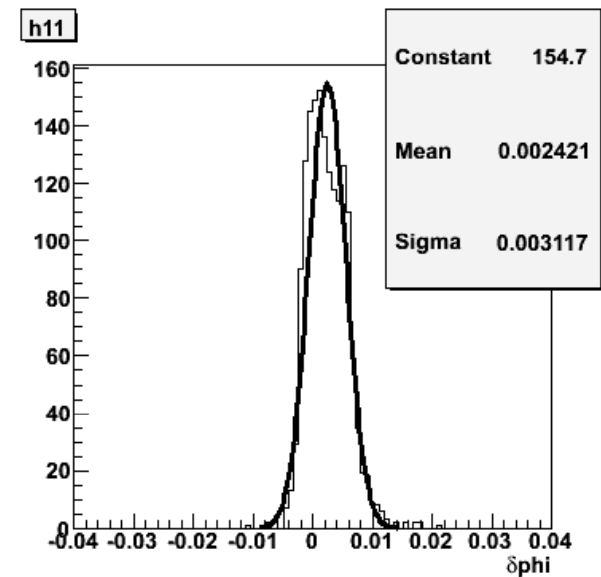
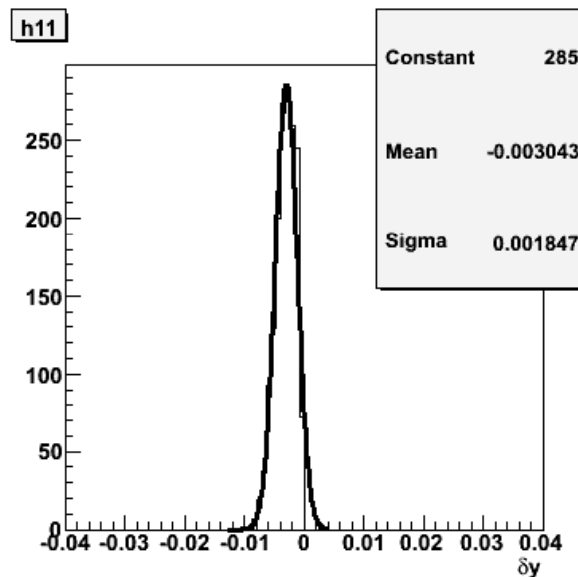
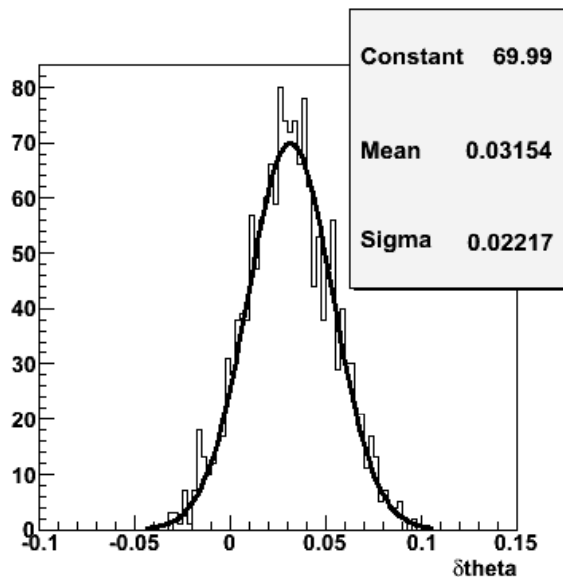
Momentum (delta, target field)

- 5T or 2.5T target B field
- Mean value shift 3×10^{-4} , not acceptable for angular reconstruction
- Will need additional correction

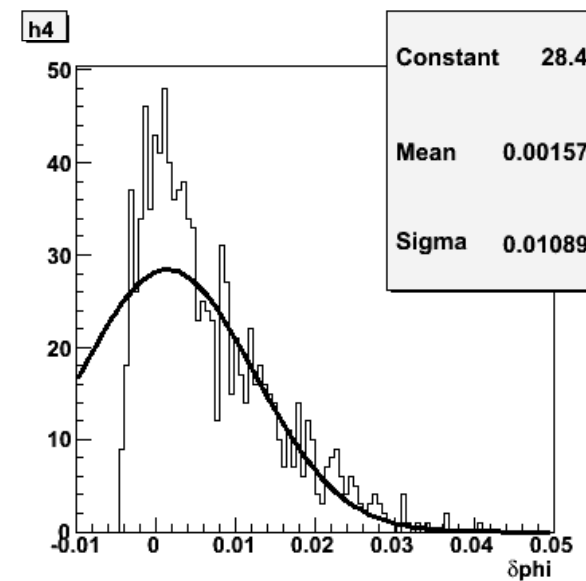
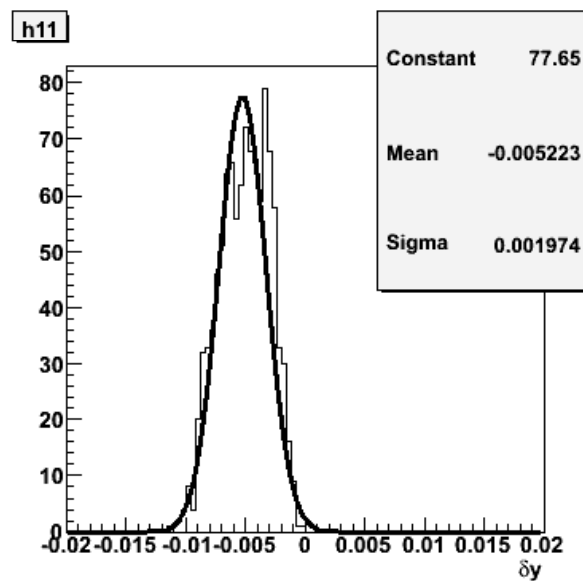
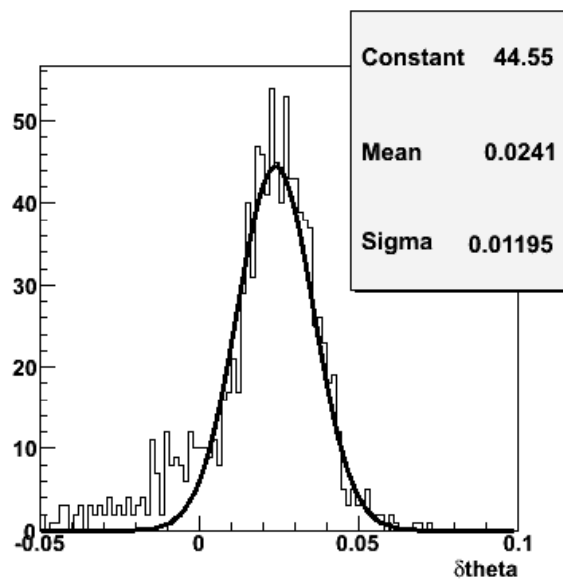


Theta, y , Phi (target field)

- Fitted a matrix from sieve to target, including 1, 2 and 4 GeV e-trajectories from SNAKE
- Reconstruct 3 GeV trajectories with this matrix
- Will definitely need corrections
- Optics elastic angles can be deduced from momentum reconstruction, use them to correct the matrix



X0 = 4mm



Z0 = -10mm

