

Kinematic variables in kinfriend.c:

m_p : 938MeV

m_e : 0.511MeV

dp : L.rec.dp

θ_{tg} : Lrb.tgt_0_theta (arctan(dy/dz), unit: rad)

ϕ_{tg} : Lrb.tgt_0_phi (arctan(dx/dz), unit: rad)

θ_{recl} : L.rec.l_th

ϕ_{recl} : L.rec.l_ph

θ_{rec} : L.rec.th

ϕ_{rec} : L.rec.ph

$D1p$: from SQL, (GeV)

E : HALLA_P epics

E' : goldp=1000*D1p*(1+recdp)

ν : HALLA_P-goldp

First Method: use TLorentzVector class in ROOT: (P_x, P_y, P_z, E)

for P_{in} :

$$E = \sqrt{HALLA_P^2 + m_e^2}$$

$$\theta = \arctan(\sqrt{\theta_{tg}^2 + \phi_{tg}^2})$$

$$\phi = \arctan\left(\frac{\tan(\theta_{tg})}{\tan(\phi_{tg})}\right)$$

$$|P| = HALLA_P$$

for P_{out} :

$$E = \sqrt{goldp^2 + m_e^2}$$

$$\theta = \theta_{recl}$$

$$\phi = \phi_{recl}$$

$$|P| = goldp$$

P_{tg} : [0,0,0, m_p]

$q = P_{in} - P_{out}$

$$W = \sqrt{(q + P_{tg})^2}$$

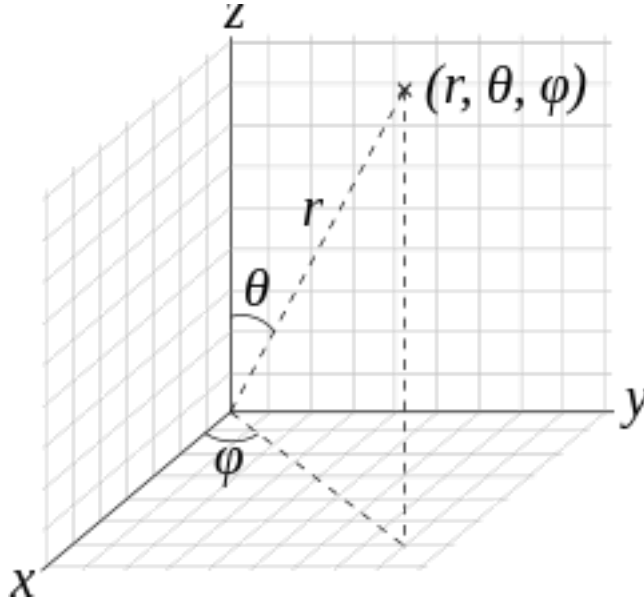


Figure 1: Spherical coordinate system

$$Q^2 = -q \cdot q$$

$$x = \frac{Q^2}{2P_{t,q}}$$

θ_{scat} : $P_{in} \cdot \text{Angle}(P_{out})$, angle between P_{in} and P_{out}

Second Method: direct calculate

$$eb[3] = \begin{bmatrix} \sin(\theta_{Pin}) * \cos(\phi_{Pin}), \\ \sin(\theta_{Pin}) * \sin(\phi_{Pin}), \\ \cos(\theta_{Pin}) \end{bmatrix}$$

$$ef[3] = \begin{bmatrix} \sin(\theta_{recl}) * \cos(\phi_{recl}), \\ \sin(\theta_{recl}) * \sin(\phi_{recl}), \\ \cos(\theta_{recl}) \end{bmatrix}$$

$$\theta_{scat} = \arccos(eb_0 \cdot ef_0 + eb_1 \cdot ef_1 + eb_2 \cdot ef_2)$$

$$Q^2 = 4 * HALLA_P * goldp * \sin^2 \frac{\theta_{scat}}{2}$$

$$W = m_p^2 + 2m_p\nu - Q^2$$