

Absolute cross section Tritium (e,e'p):

## Update

How did we extract “raw” absolute cross section?

Reynier Cruz Torres, Dien Nguyen

$$\frac{d^6\sigma}{dE'd\Omega_e dP d\Omega_p} = \frac{N_B}{\mathcal{L} * \epsilon * V_B * A} * (RC * LT)$$

## 1. Determine NB(Nu, Q2, Pm, Em)

- Bin: 1 bin in Nu and Q2 => NB(Pm, Em)

### Selection cuts:

#### Acceptance cuts:

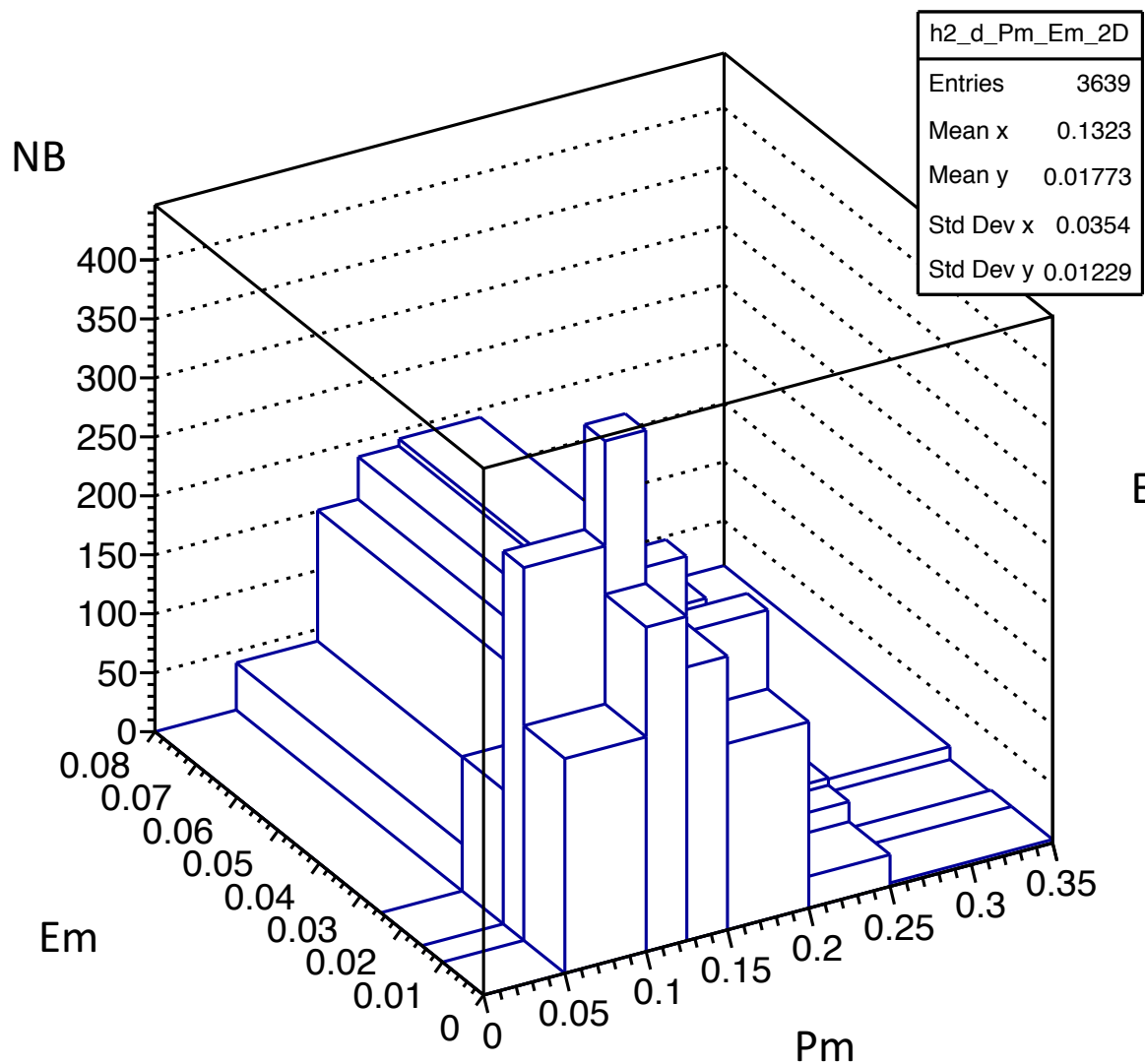
- Dp : +/- 3.0 %
- Xp: +/- 30 mrad
- Yp : +/- 20 mrad
- VZ: +/- 9.5 cm

#### Other cuts:

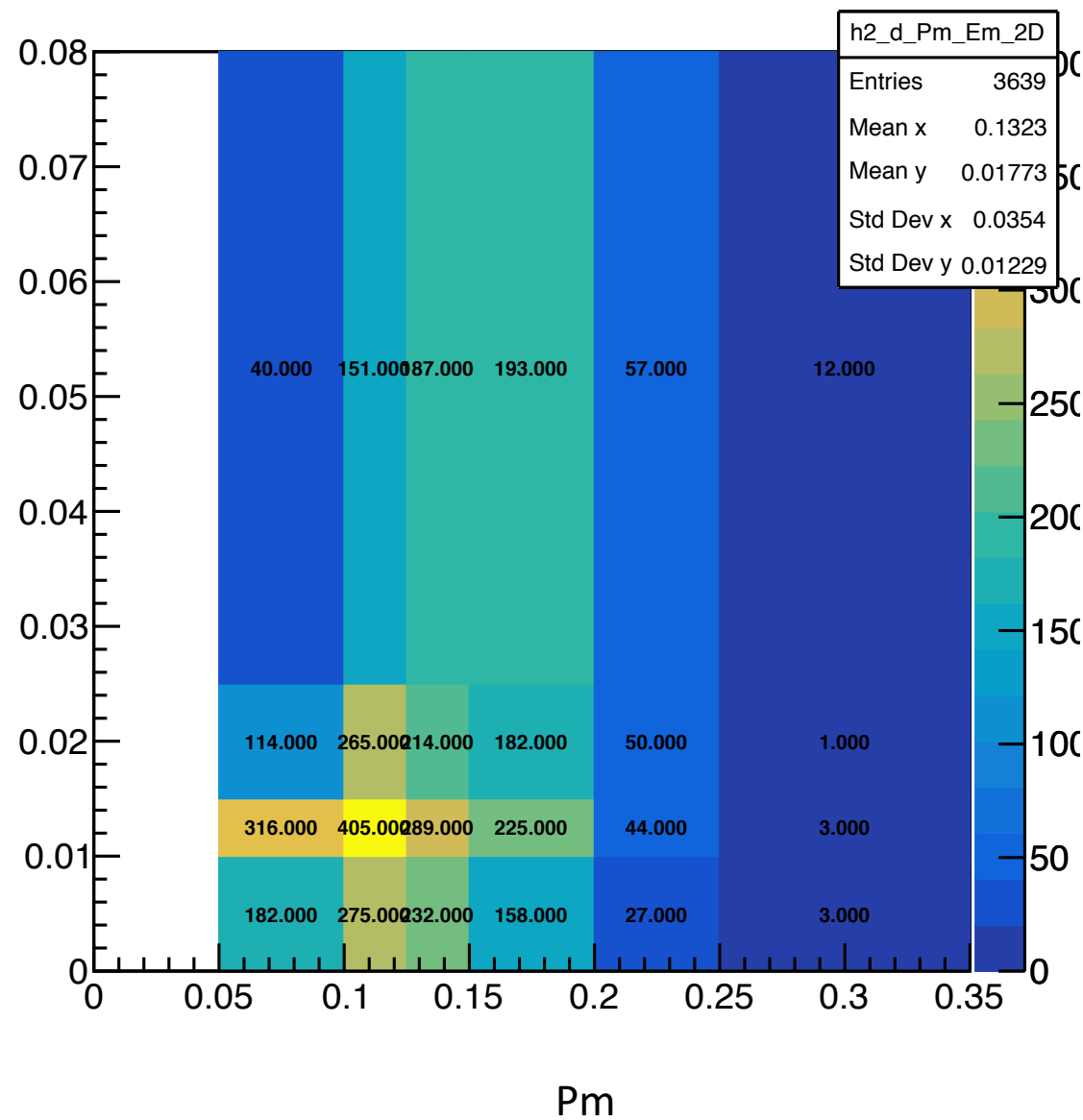
- PID:
- Coinc timing
- Tracking
- Th\_rq < 37.5
- Xbj > 1.3 (only for slow kin)

# NB(Pm, Em) after selection cuts

Pm vs Em distribution bin in both Pm, Em



Pm vs Em distribution bin in both Pm, Em



## 2. Determine Acceptance

$$A(dE, d\Omega_e, dP, d\Omega_p) = \frac{N_{acc}^i(dE, d\Omega_e, dP, d\Omega_p)}{N_{gen}^i(dE, d\Omega_e, dP, d\Omega_p)}$$

$$A(v, Q^2, P_m, E_m) = \frac{N_{acc}^i(v, Q^2, P_m, E_m)}{N_{gen}^i(v, Q^2, P_m, E_m)}$$

Using SIMC coincident phase space mode:

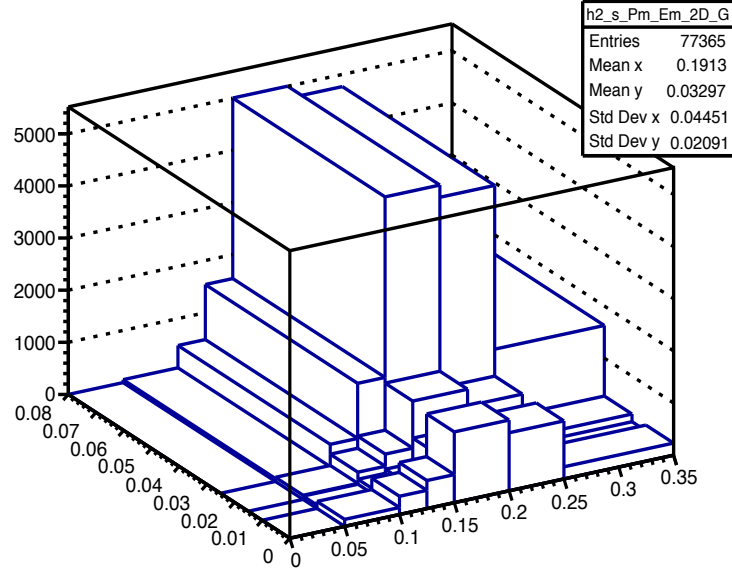
- Uniformly generate:  $(dp, xp, yp)$  for electron and proton arm
- Uniformly generate the vertex  $Z$
- Recording both accepted (pass through spectrometer) and generated event

Total number of generated event:  $N_{gen}^{tot}[6D] = N_{gen}^{tot}(\Delta E, \Delta\Omega_e, \Delta P, \Delta\Omega_p)$

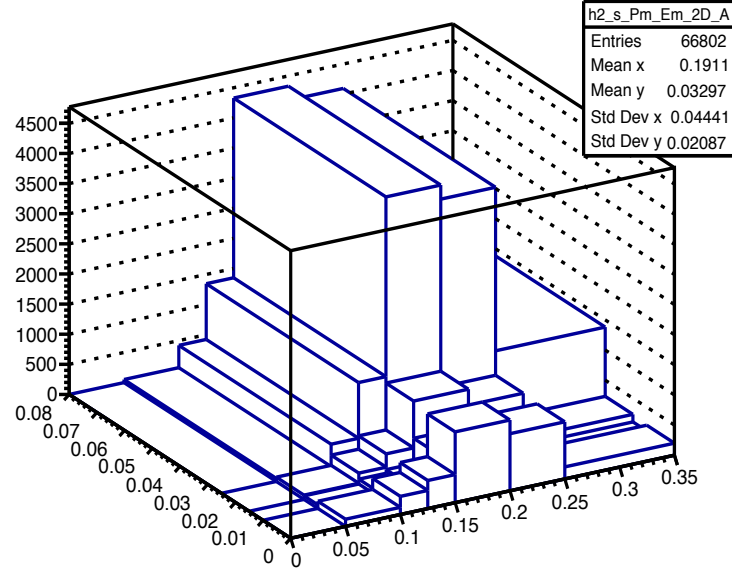
Total generated 6D phase-space:  $\Delta PS_{gen}^{tot}[6D] = (\Delta E * \Delta\Omega_e * \Delta P * \Delta\Omega_p)$

# Calculate the acceptance for each bin (Pm, Em)

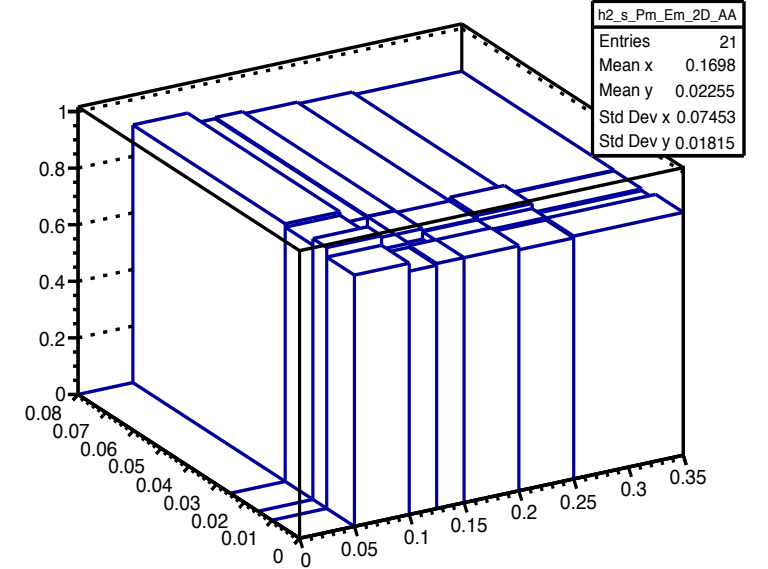
Generated event Dis PM: EM



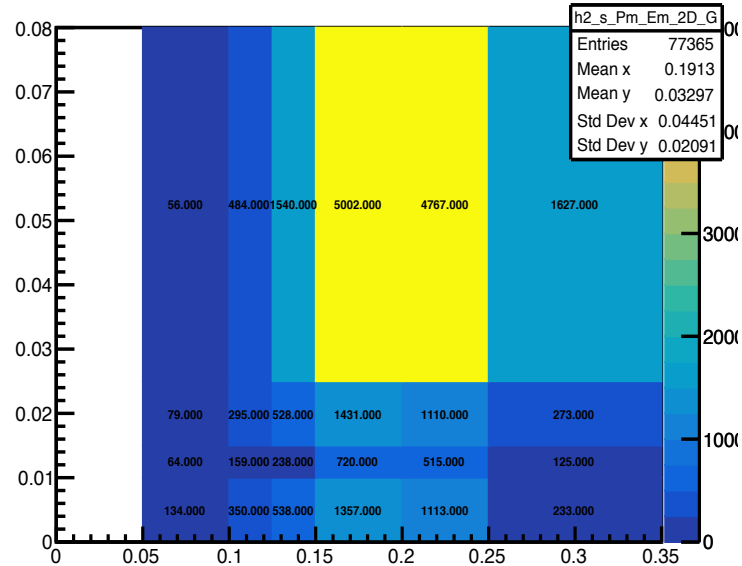
Accepted event Dis PM:Em



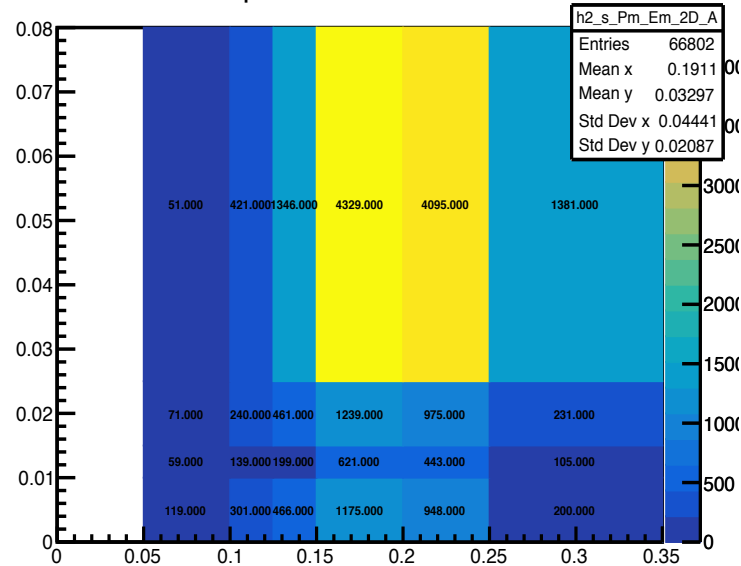
Acceptance using NA, Pm:Em



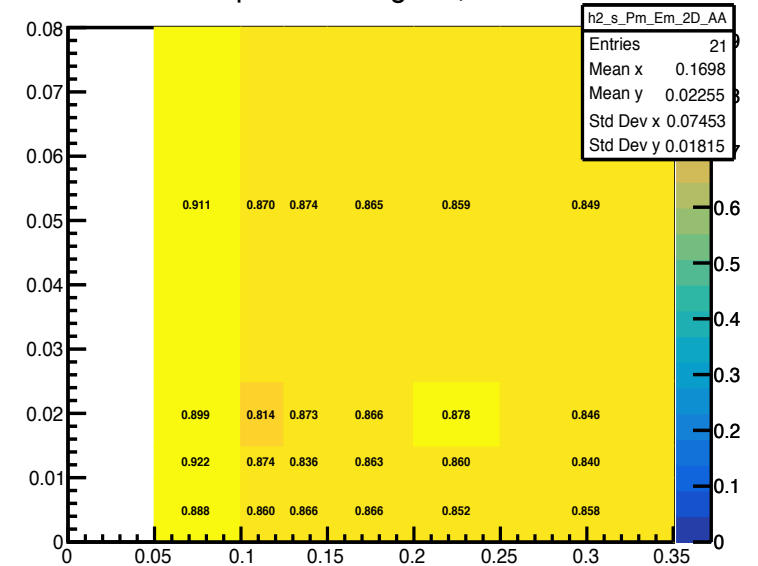
Generated event Dis PM: EM



Accepted event Dis PM:Em



Acceptance using NA, Pm:Em



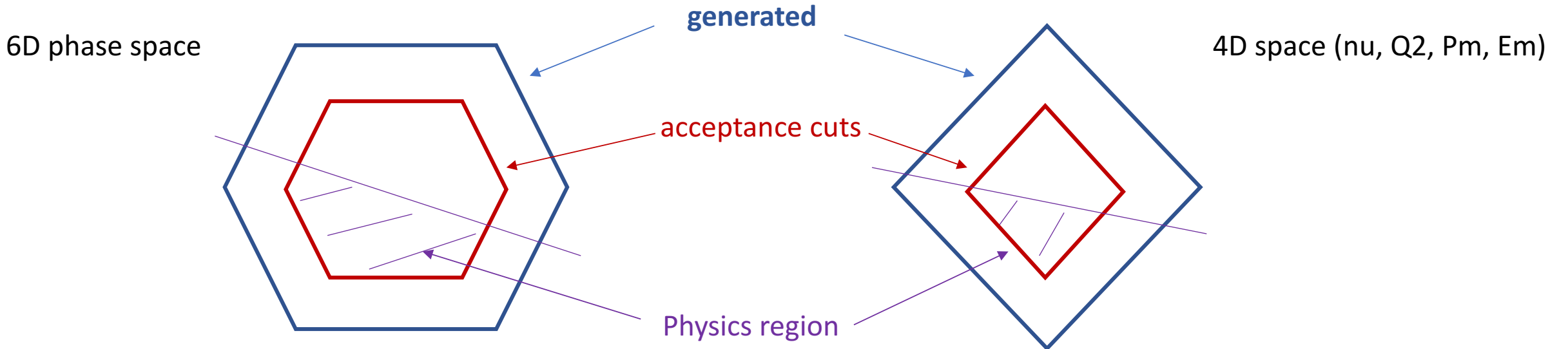
### 3. Determine the 6D effective phase-space

- For each bin ( $P_m, E_m$ ) we obtained  $N_B(P_m, E_m)$  -> What is 6D phase space corresponding to that bin?

$$V_B^{eff}[6D](P_m, E_m) = V_B(P_m, E_m) * A(P_m, E_m)$$

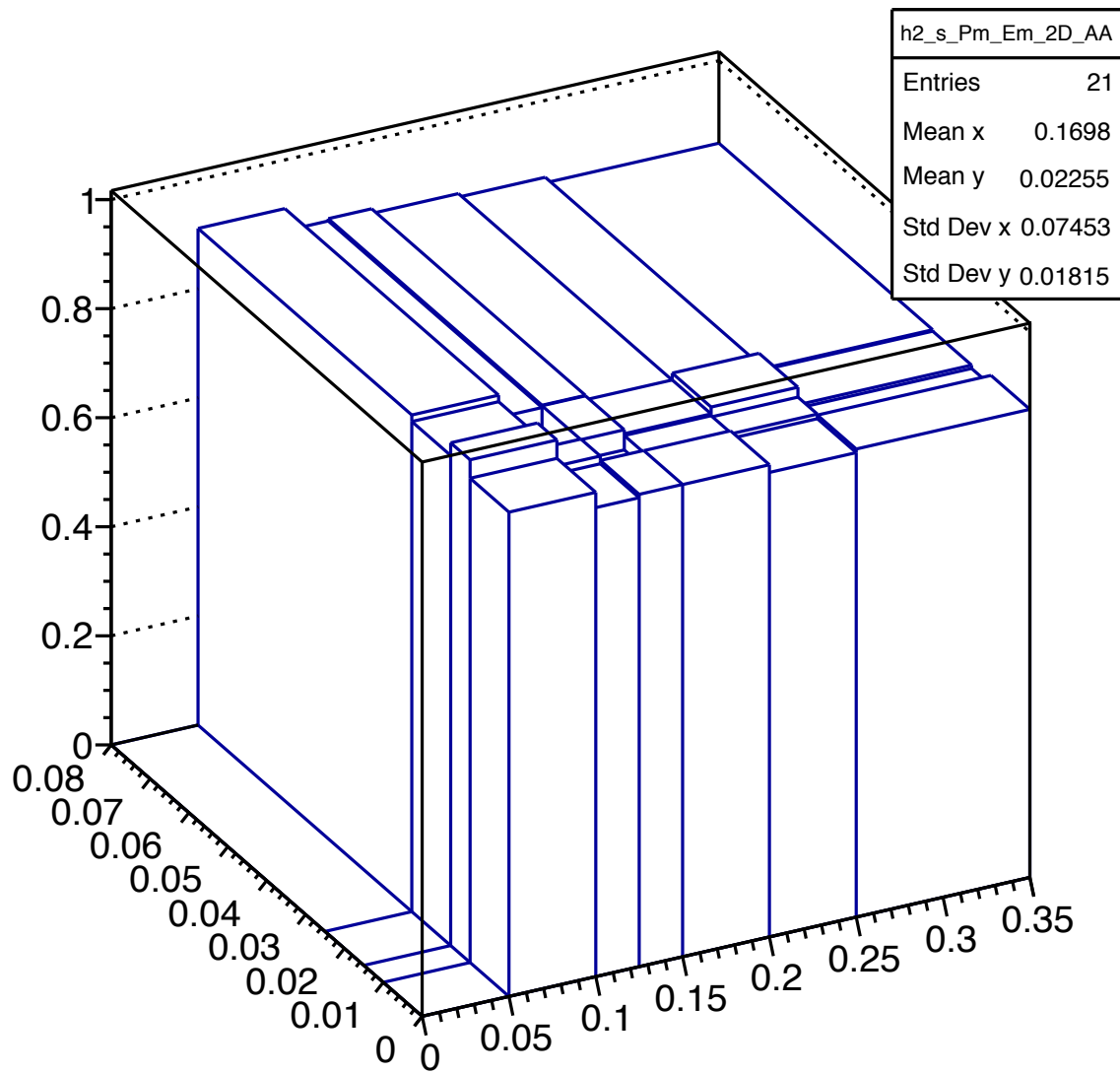
$$V_B^{eff}[6D](P_m, E_m) = \frac{N_{gen}(P_m, E_m)}{N_{gen}^{tot}[6D]} * \Delta PS_{gen}^{tot}[6D] * \frac{N_{acc}(P_m, E_m)}{N_{gen}(P_m, E_m)}$$

Note: Need to make sure to apply the same acceptance cuts [6D] in the simulation to calculate the effective phase space

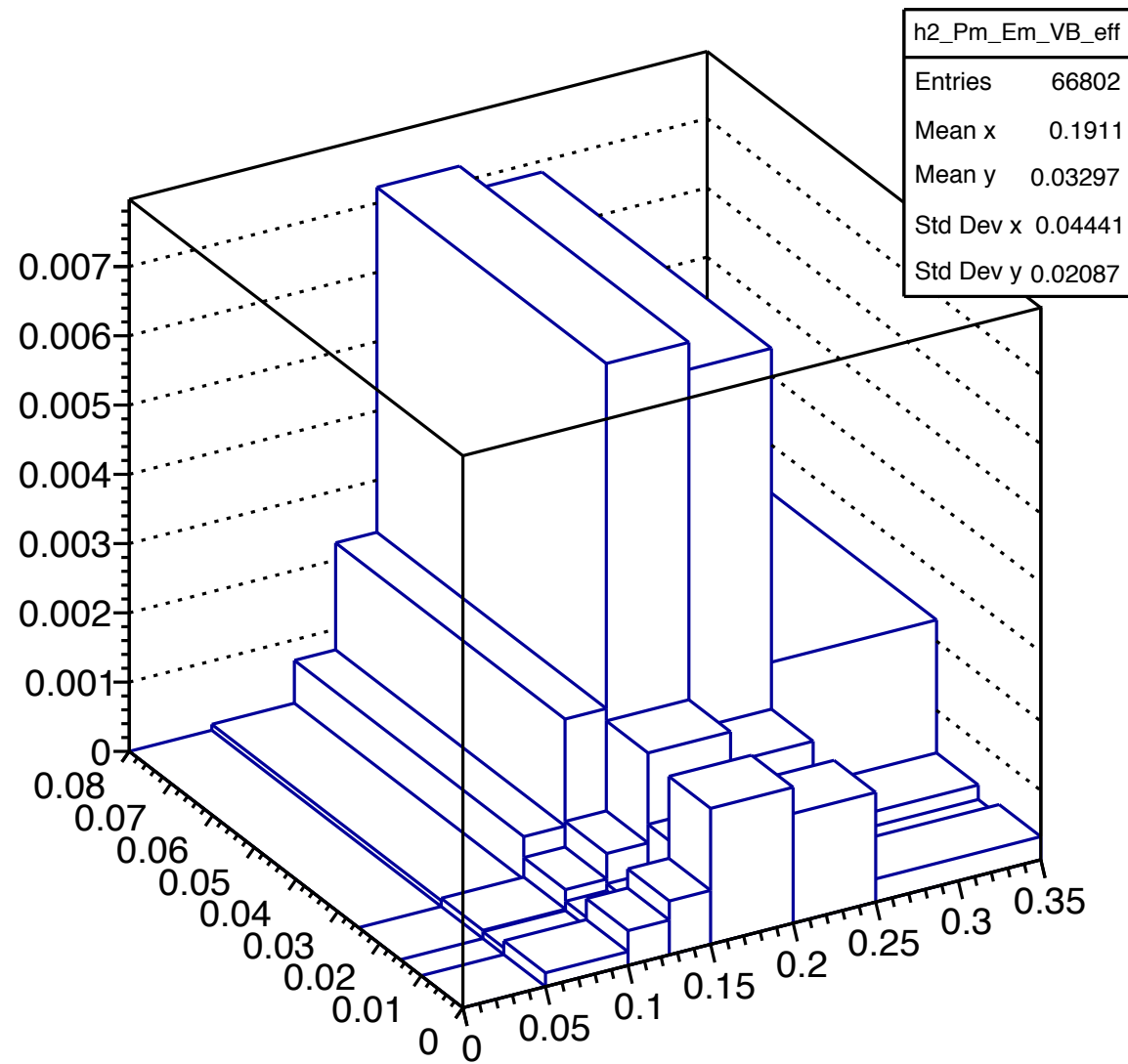


# Acceptance and VB\_eff as a function of Pm and Em

## Acceptance using NA, Pm:Em



## 6D effective Phase space



## 4. Determine the integral Luminosity

Target Luminosity  $\mathcal{L}_T = \frac{N_a * \rho * l}{A}$

Unit : convert to nb



$$\mathcal{L} = \mathcal{L}_T * \mathcal{L}_B$$

Beam luminosity  $\mathcal{L}_B = \frac{Q_{tot}}{q_e}$

In term of number of electron

3He and 3H target density

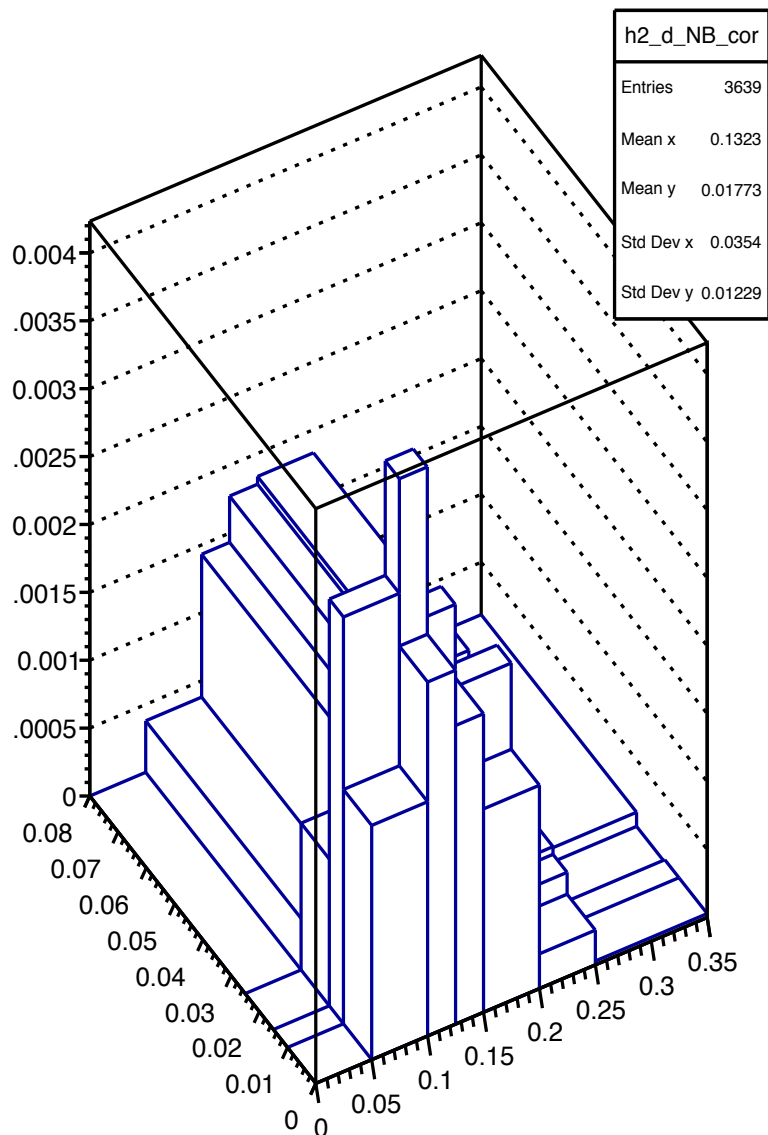
3H: 85.1 g/cm<sup>2</sup>  $\longrightarrow$   $\mathcal{L}_T \sim 170 \text{ e-13 nb}$

3He: 53.4 g/cm<sup>2</sup>  $\longrightarrow$   $\mathcal{L}_T \sim 107 \text{ e-13 nb}$

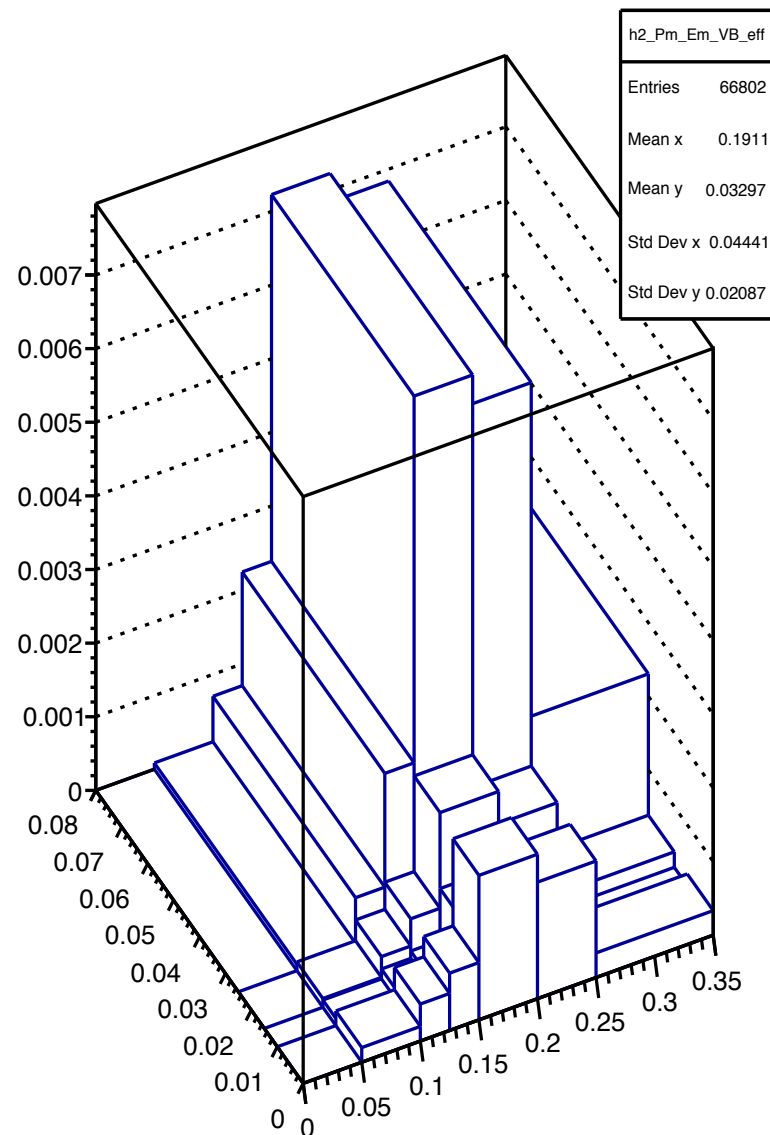


# 5. Extracted "raw" cross section as function of (Pm, Em)

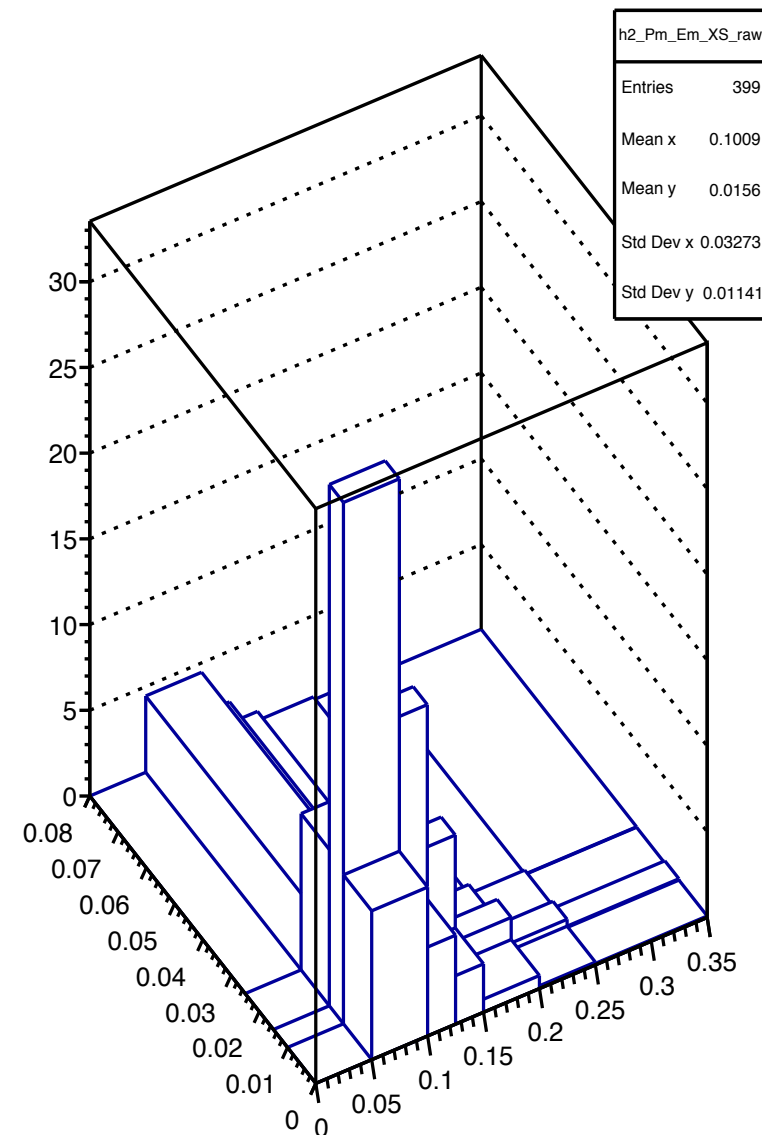
NB corrected by Qe, Lum



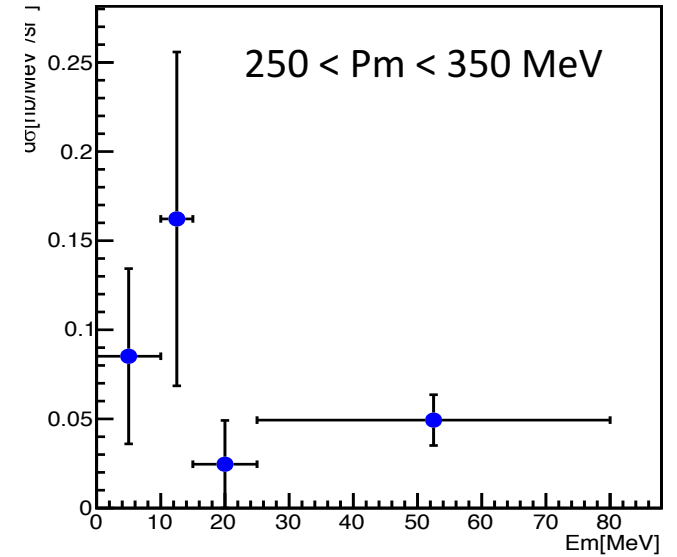
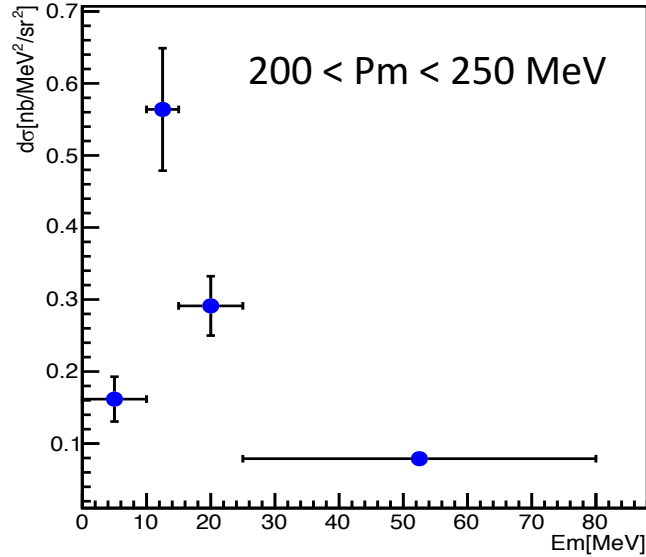
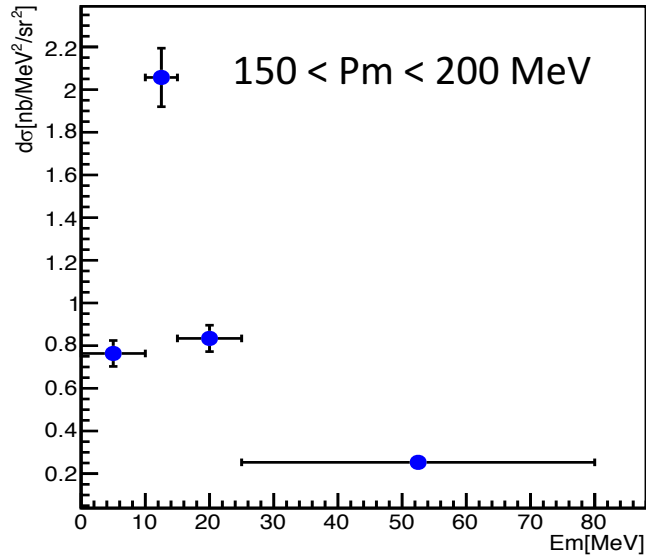
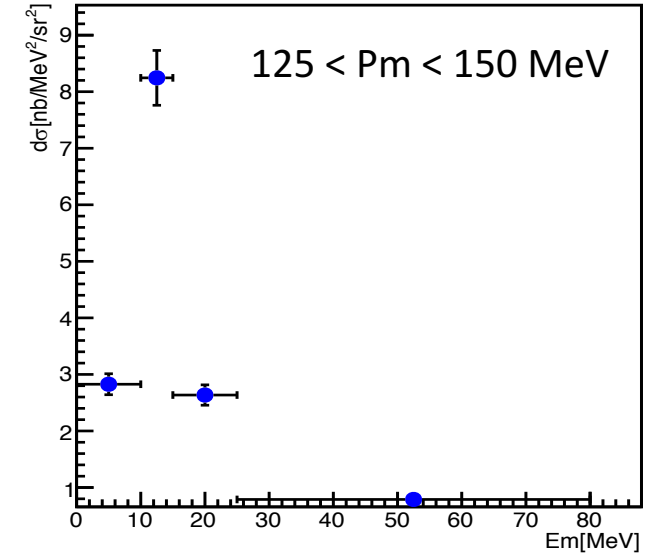
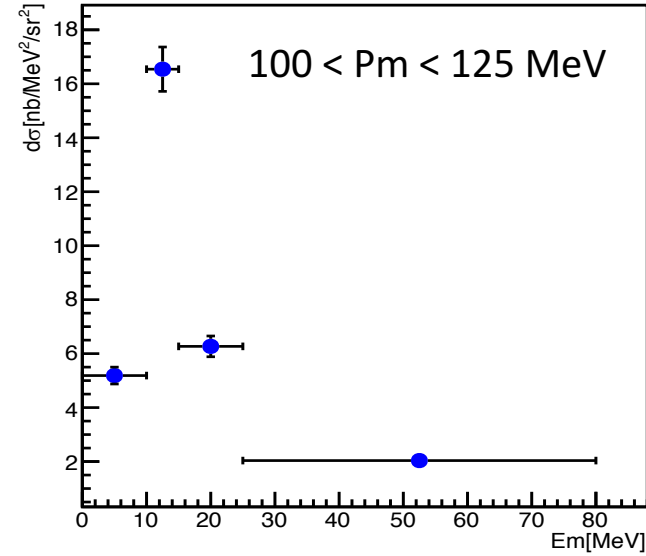
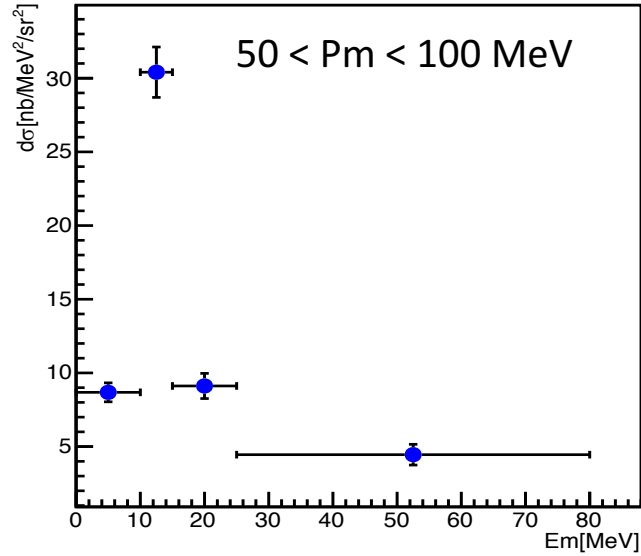
6D effective Phase space



Raw cross section 6D, bin in Pm, Em



## 6. Raw cross section vs Em for each bin of Pm



## 7. Raw cross section vs Pm, integral over Em.

For each bin Pm:

$$\sigma = \frac{\sum(\sigma_i * w_i)}{\sum w_i}$$

The Stat uncertainty =  $1/\text{sqrt}(N_{count}^{tot})$

$$N_{count}^{tot} = \sum N_i$$

Where :  $\sigma_i$  is the cross section for bin  $E_m^i$  and  $w_i$  is the bin width

3H, fast kinematic only

