

# Analysis Progress for $d_2^n$

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# Beam Charge Asymmetry $A_Q$

- Helicity-dependent differences in beam steering and luminosity can lead to an asymmetry in the *beam charge*:

$$A_Q = \frac{Q^\uparrow - Q^\downarrow}{Q^\uparrow + Q^\downarrow}$$

- Running the HAPPEX DAQ was supposed to keep  $A_Q$  in an acceptable range
- At Jin's request, I started looking at this in order to evaluate the relative helicity signs in our various DAQs

# $A_Q$ Monte Carlo

- We can compute  $Q$  and  $A_Q$  from the beam-current scalers (gain factors of  $x_1$ ,  $x_3$ ,  $x_{10}$ )
- The scalers tick at 2000, 6000 and 20000 Hz/ $\mu$ A
- I simulated the baseline beam current with a Gaussian signal ( $\sigma \sim \mu/50$ ), adding a Poisson distribution for  $A_Q$ . How would each scaler report the asymmetry?

$A_Q$  (ppm)

Central Value $\lambda$	$x_1$ scaler	$x_3$ scaler	$x_{10}$ scaler
500	522	492	486
250	236	229	243
50	49	32	41
25	16	-5	46

# $A_Q$ in BigBite

- In BigBite, we can measure  $A_Q$  from the gated scalers
  - Each scaler only counts when the beam helicity is in a certain direction
  - If the scaler count doesn't wrap back to zero over the course of the run, the final scaler readout corresponds to the total beam charge
- $A_Q$  measurements (in ppm) for a randomly chosen BB run, on February 26:

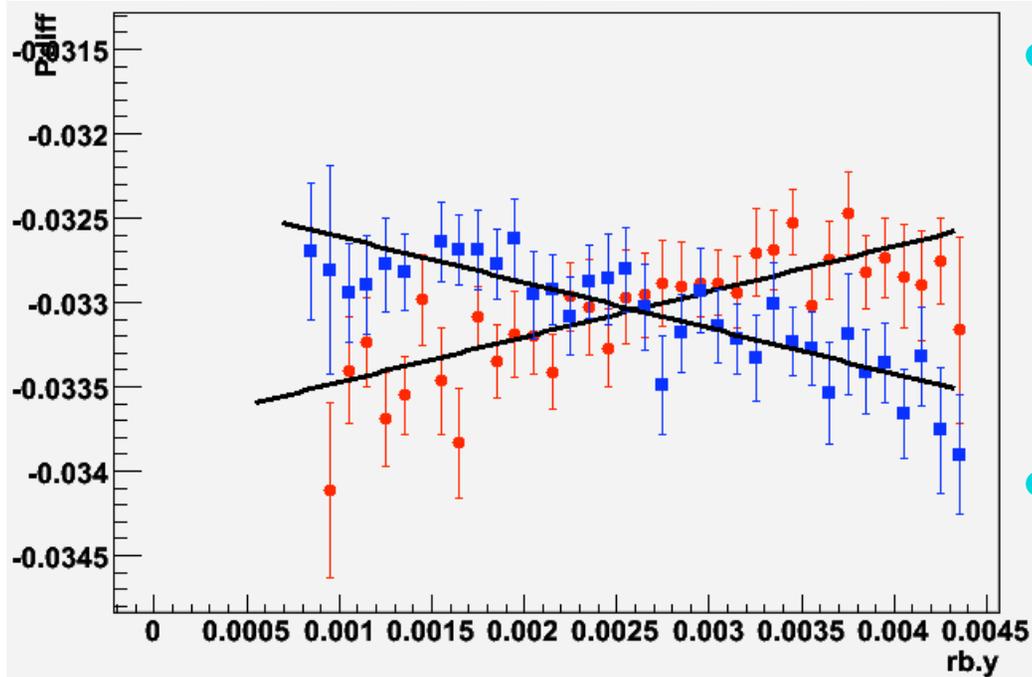
Gain Factor	Upstream $A_Q$	Downstream $A_Q$	Compton $A_Q$
<b>x1</b>	79	89	--
<b>x3</b>	30	37	34
<b>x10</b>	19	20	--

# Problems with This $A_Q$ Method

- Helicity gating adds an extra step
  - Is the timing of the gate really accurate on the level of 10 ppm?
  - Helicity sign in gated scalers may be flipped from ADC readout
    - Helicity signal has to be plugged into separate scaler input – one more opportunity for a sign flip
- Scaler information is not synchronous with helicity information in data stream ...
- The value of this method might just be to tell us that  $A_Q$  is not large

# Raster Correction

- Recall that the vertical raster position (*raster-y*) affects momentum reconstruction
- I looked at elastic runs (1-pass)
  - Compare  $p_{theory}$  to  $p_{reconstructed}$
  - Quantify effect of *raster-y* on  $p_{reconstructed}$



- Effect is very small at this LHRS momentum setting (0.87 GeV/c)
  - $\Delta p \sim 1$  GeV/c is within beam energy error bars
- Does this apply to other momentum settings?

# LHRS Optics and the Raster

- Start with the first-order vertical position  $x$  in the focal-plane coordinate system:

$$x = ax_0 + b\theta_0 + c \frac{p - p_c}{p_c}$$

- $a, b, c$  are elements of the optics matrix
- $p_c$  is the central momentum setting of the LHRS
- $x_0, \theta_0$  are coordinates at the target
- Gregg has a nice writeup of the math at [https://hallaweb.jlab.org/wiki/images/2/25/HRSRasterCorrections\\_d2n.pdf](https://hallaweb.jlab.org/wiki/images/2/25/HRSRasterCorrections_d2n.pdf)
- We can solve for the error in  $\Delta p$  due to a displacement  $\Delta x$  (we neglect  $\Delta\theta$ , whose contribution is 10x less)

# Size of the *raster-y* correction

$$\Delta p = \frac{a}{c} p_c \Delta x_0$$

- The correction  $\Delta p$  is linear in  $p_c$ , so it gets larger at higher momentum settings
- We can take  $\Delta x_0 \sim 4\text{mm}$  from our raster settings
- Taking  $a = -2.181$  and  $c = 11.905$  to first-order from our optics matrix, we can predict the range of  $\Delta p$  for our kinematics

Momentum Setting $p_c$ (GeV/c)	Raster-y correction $\Delta p$ (MeV/c)
0.6	0.44
1.7	1.25

- It looks like this correction is not significant for us

# What's Next?

- BigBite
  - $^3\text{He}$  quasi-elastics
  - Understanding particle ID
  - Acceptance simulation from  $G_E^n$
- Compton
  - Systematic studies
  - Final (or semi-final) beam polarization numbers
- Raster
  - Raster-y corrections may not be necessary, but what about raster-x?