# **Cross Section Systematic Errors and Radiative Corrections to Asymmetries**

Analysis for d<sub>2</sub><sup>n</sup>

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## Outline

#### 1 Cross Section Systematic Errors Background Subtraction

2 Radiative Corrections to Asymmetries Polarized Cross Section Differences



#### Background Subtraction Errors (1) Description

- We measure the background signals for:
  - Positrons from <sup>3</sup>He ( $\sigma_{e^+}$ )
  - Nitrogen ( $\sigma_N^{e^-}$ ,  $\sigma_N^{e^+}$ )

These data are subtracted from the raw signal.

• When we do not have data, we use a fit:

$$f(x) = \frac{1}{x^2} e^{(p_0 + p_1 x)}$$

• How to estimate the error from using the fit? Utilize the errors on the parameters obtained from ROOT

# Background Subtraction Errors (2) Procedure

- Plot the fit for each spectrum using  $p_i = p_i^0 \pm \delta p_i$ 
  - $p_i^0$  is the central value of the  $i^{\rm th}$  parameter
- Re-calculate the experimental cross section for a given set of parameters for each spectrum and compare to the result obtained from the central parameter values

### **Background Subtraction Errors (3)**

Nitrogen Dilution (Negative Polarity, 4-pass)



### **Background Subtraction Errors (4)**

Nitrogen Dilution (Negative Polarity, 5-pass)



#### **Background Subtraction Errors (5)**

Nitrogen Dilution (Positive Polarity, 4-pass)



#### **Background Subtraction Errors (6)**

Nitrogen Dilution (Positive Polarity, 5-pass)



#### Background Subtraction Errors (7) Positrons (4-pass)



#### Background Subtraction Errors (8) Positrons (5-pass)



#### **Background Subtraction Errors (9)**

**Experimental Cross Sections (Low band, 4-pass)** 



#### **Background Subtraction Errors (10)**

**Experimental Cross Sections (High band, 4-pass)** 



#### **Background Subtraction Errors (11)**

**Experimental Cross Sections (Low band, 5-pass)** 



#### **Background Subtraction Errors (12)**

**Experimental Cross Sections (High band, 5-pass)** 



### Polarized $\sigma$ Differences (1) Description

• We calculate the polarized cross section difference by:

$$\Delta \sigma = 2\sigma_0 A$$

- $\sigma_0$  = Unpolarized  $\sigma$  from F1F209 (radiated)
- A = Asymmetry from data
- In the plots that follow, A and  $\Delta \sigma$  have been corrected for positrons but no subtraction of polarized elastic tail

### Polarized $\sigma$ Differences (2)

F1F209 Unpolarized Cross Section at 4-pass

 $\sigma_0$  at E<sub>s</sub> = 4.73 GeV



#### Polarized σ Differences (3) 4-pass, Longitudinal



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#### Polarized σ Differences (4) 4-pass, Transverse



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### Polarized $\sigma$ Differences (5)

F1F209 Unpolarized Cross Section at 5-pass

 $\sigma_0$  at E<sub>s</sub> = 5.89 GeV



#### Polarized σ Differences (6) 5-pass, Longitudinal



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#### Polarized σ Differences (7) 5-pass, Transverse



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# Summary

- Cross Sections
  - Background subtraction errors from fits seem reasonably well behaved at  $\lesssim$  2–4%
    - $E_s = 5.89$  GeV,  $E_p = 0.70$  GeV data point has a large fluctuation  $\Rightarrow$  high sensitivity to positron fit
- Radiative Corrections of Asymmetries
  - Used F1F209 to determine  $\Delta \sigma_{\parallel,\perp}$  from asymmetry data

# What's Next?

- Cross Sections
  - What to do about the  $E_s = 5.89$  GeV,  $E_p = 0.70$  GeV data point?
- Radiative Corrections of Asymmetries
  - Use F1F209 and DSSV to construct  $g_{1,2},$  leading to  $\Delta\sigma_{\parallel,\perp}$  to fill in phase space