

# BigBite Analysis

E/p cut definitions and Asymmetries

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# Outline

- 1 Positive Polarity Energy vs Momentum Distribution
- 2 E/p Cut Adjustments
- 3 Positron Dilutions with E/p Cut Adjustments
- 4 Positron Dilution Effects on Asymmetries
- 5 Azimuthal Angle Structure
- 6 Sign of  $g_1$  and  $g_2$
- 7 What's Next

# Positive Polarity: Positron E vs p

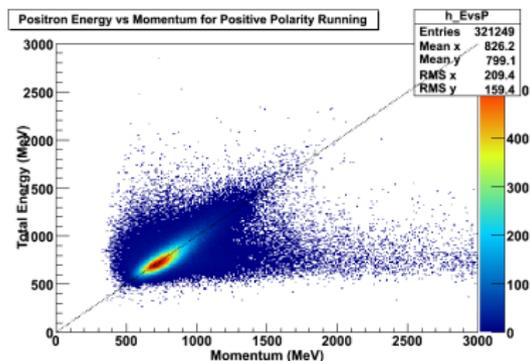


Figure: Energy vs momentum for **positrons** with BigBite in **positive polarity**. Dashed line is  $E=p$ .

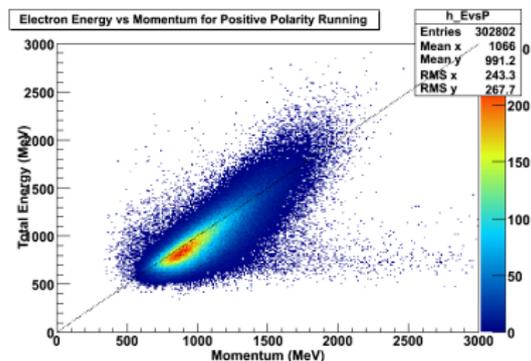


Figure: Energy vs momentum for **electrons** with BigBite in **positive polarity**. Dashed line is  $E=p$ .

# E/p Cut Adjustments Definition

- Two **particle types** (e-,e+), two **polarity settings** (+,-)
- Fit **Gaussian** to E/p for each **particle type** and **polarity setting**
- define cut as  $\mu \pm 2\sigma$
- $\mu$  = mean value from Gauss fit
- $\sigma$  = sigma from Gauss fit

## E/p Fit

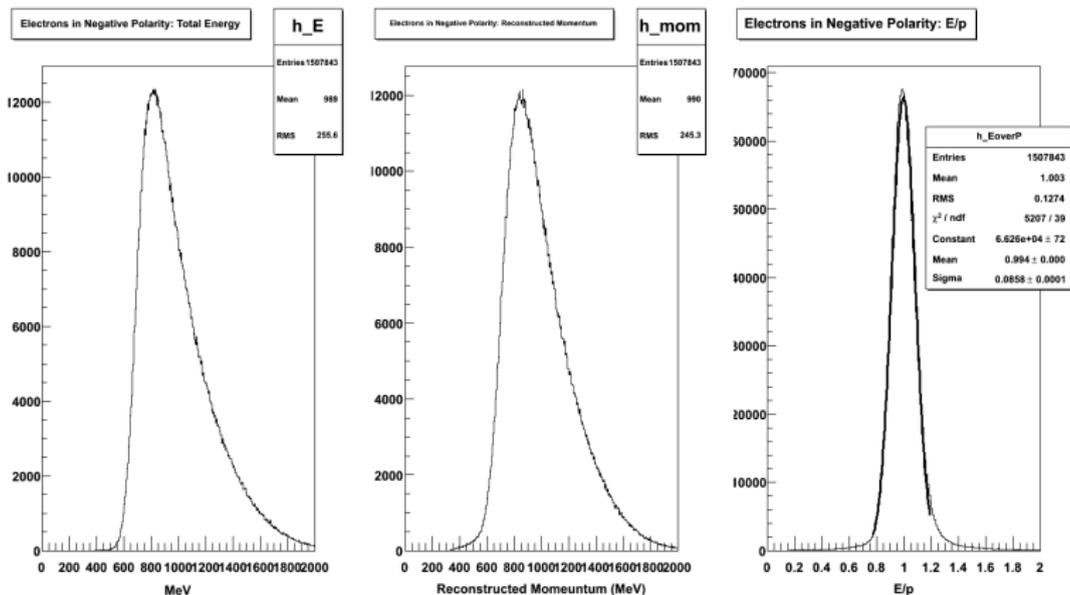


Figure: Shows the **negative** polarity electrons. Left plot is total energy, middle plot is momentum and right plot is E/p.

# E/p Negative Polarity: Electrons E/p Cut

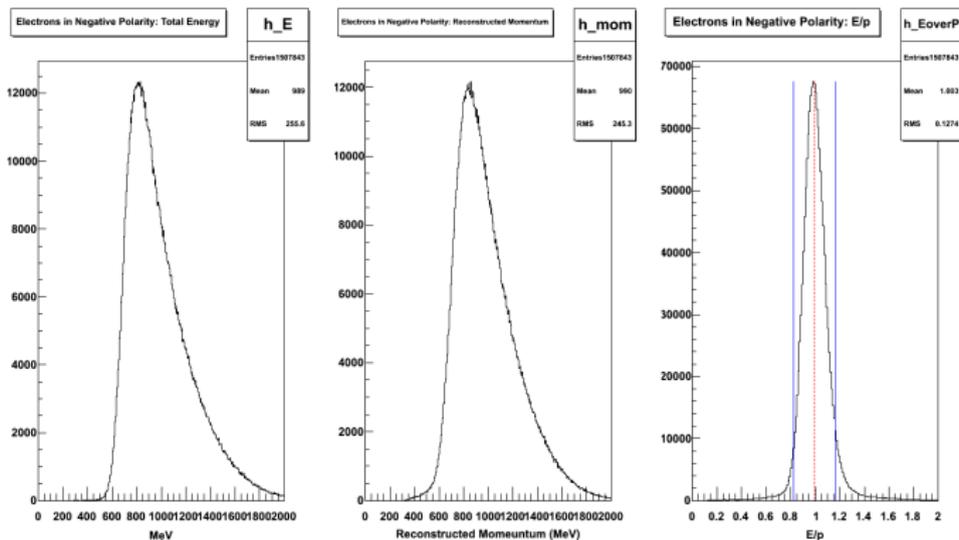


Figure: Shows the **negative** polarity electrons. Left plot is total energy, middle plot is momentum and right plot is E/p. Red line is mean Gauss value and blue lines are cut positions.

# E/p Negative Polarity: Positrons E/p Cut

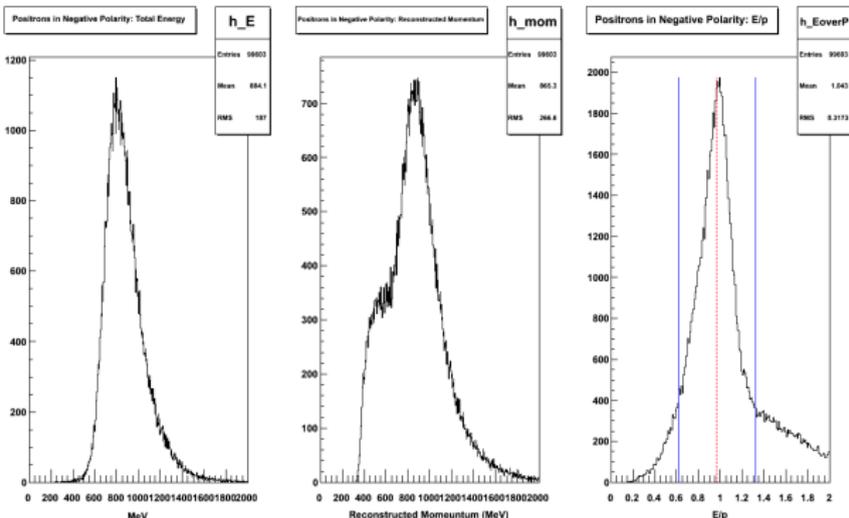


Figure: Shows the **negative** polarity positrons. Left plot is total energy, middle plot is momentum and right plot is E/p. Red line is mean Gauss value and blue lines are cut positions.

# E/p Positive Polarity: Positrons E/p Cut

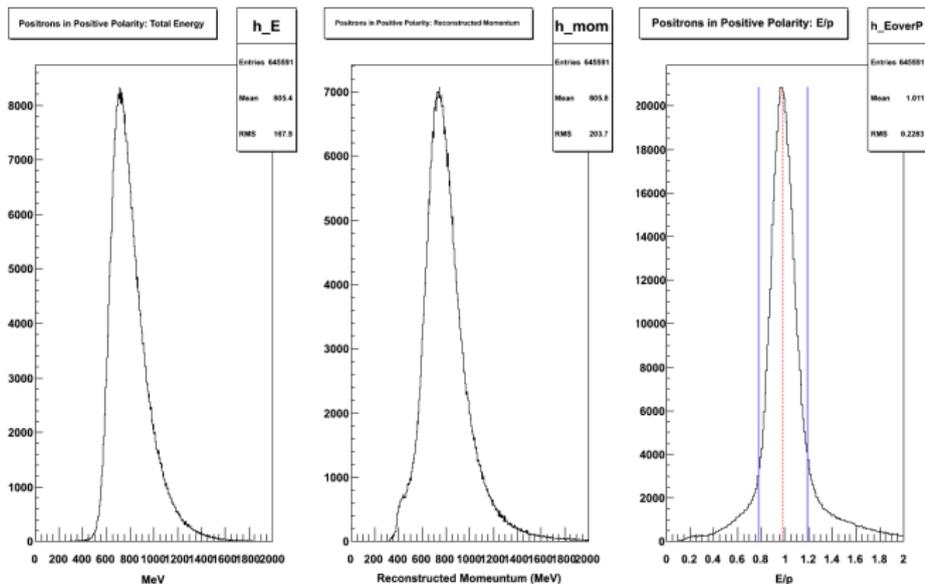


Figure: Shows the positive polarity positrons. Left plot is total energy, middle plot is momentum and right plot is E/p. Red line is mean Gauss vaue and blue lines are cut positions.

# E/p Positive Polarity: Electrons E/p Cut

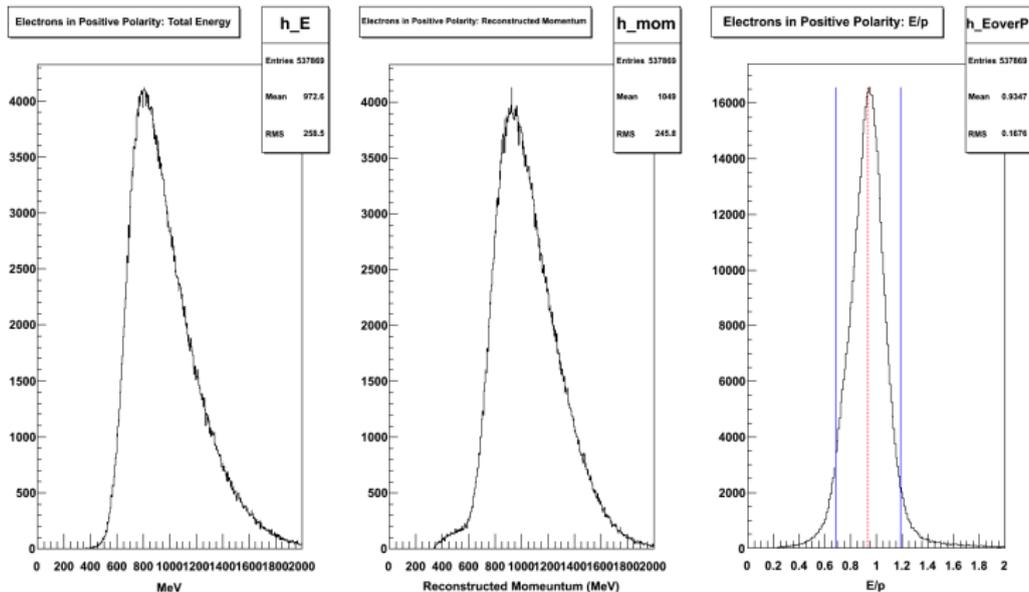


Figure: Shows the positive polarity electrons. Left plot is total energy, middle plot is momentum and right plot is E/p. Red line is mean Gauss value and blue lines are cut positions.

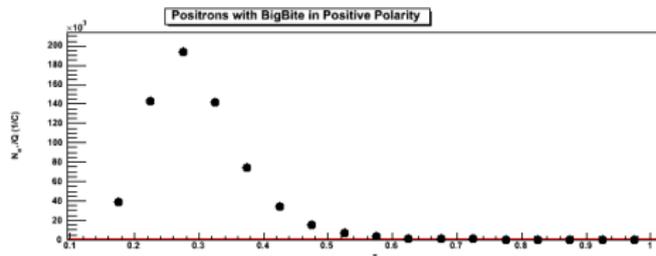
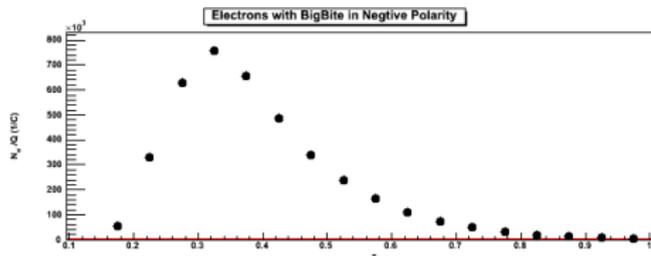
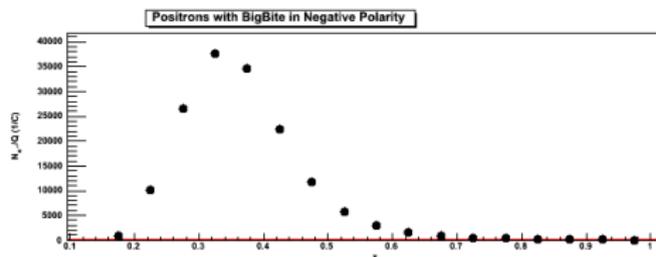
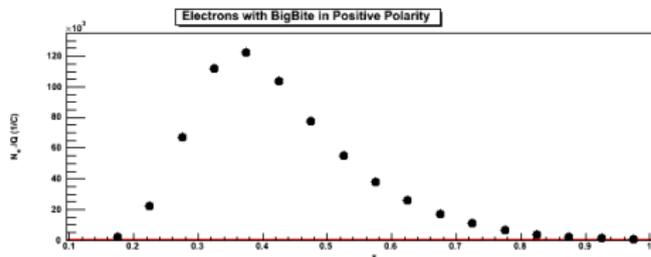
# Final E/p Cuts

- neg E/p(positron) =  $(0.5*BB.ts.ps.e + BB.ts.sh.e)/(1000*skim.p[])$   
 $> 0.619 \ \&\&(0.5*BB.ts.ps.e + BB.ts.sh.e)/(1000*skim.p[]) < 1.32$
- pos E/p(electron) =  $(0.5*BB.ts.ps.e + BB.ts.sh.e)/(1000*skim.p[])$   
 $> 0.681 \ \&\&(0.5*BB.ts.ps.e + BB.ts.sh.e)/(1000*skim.p[]) < 1.188$
- pos E/p(positron) =  $(0.5*BB.ts.ps.e + BB.ts.sh.e)/(1000*skim.p[])$   
 $> 0.779 \ \&\&(0.5*BB.ts.ps.e + BB.ts.sh.e)/(1000*skim.p[]) < 1.187$

# Positron Dilutions with E/p Cut Adjustments

- After adjusting the E/p cuts for the different particle types and magnet polarity settings I took another look at the Positron dilution factors, and the ratio of electrons and positrons with BigBite in negative and positive polarity settings

# Particle Type Counts



# Positron Dilution Factors

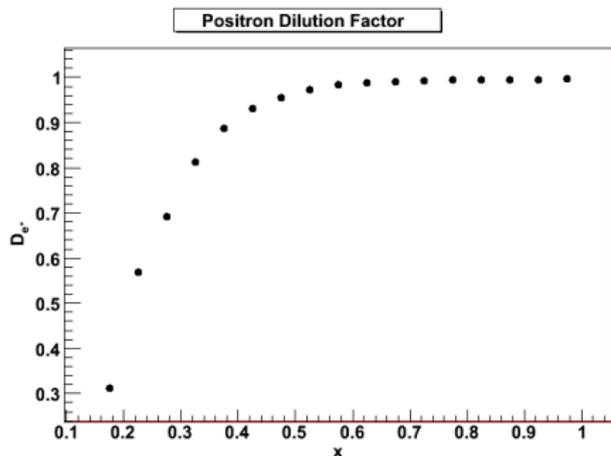


Figure: Shows positron dilution factor using an negative polarity run for electrons and positive polarity run for positrons

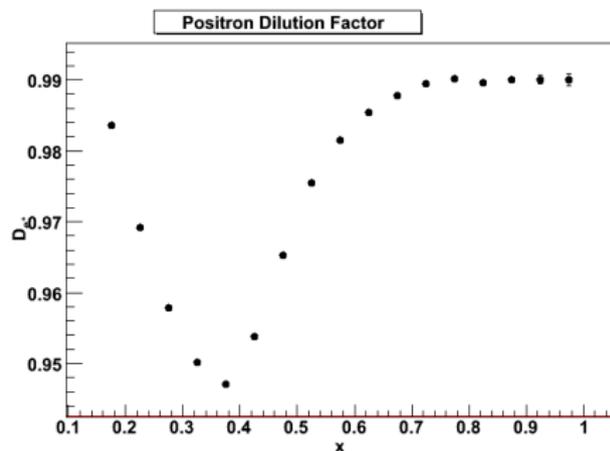


Figure: Shows positron dilution factor using negative polarity run for electrons and positrons

# Particle Ratios

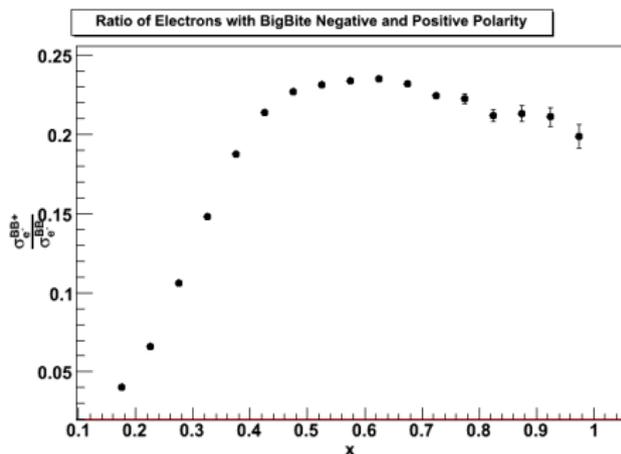


Figure: Shows ratio of electrons with BigBite in positive polarity and negative polarity

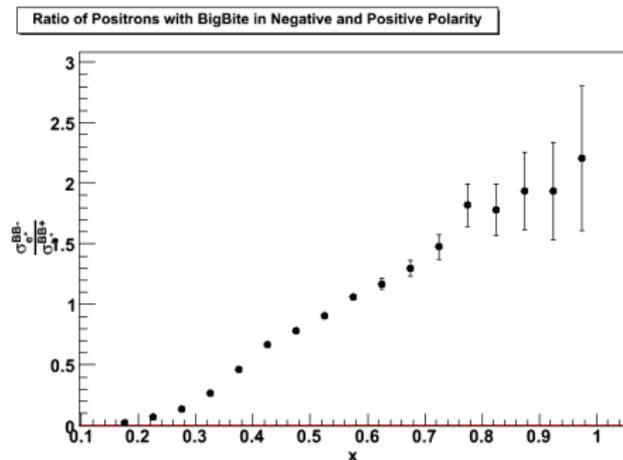


Figure: Shows ratio of positrons with BigBite in negative and positive polarity

# Positron Dilutions Effects on Asymmetries

- Using the positrons dilutions factors above (positive/negative polarity ratio) I took a look at how the following asymmetries are affected:
- $A_{\parallel}, A_{\perp}$
- I then propagated the above asymmetries to  $A_1$  and  $A_2$

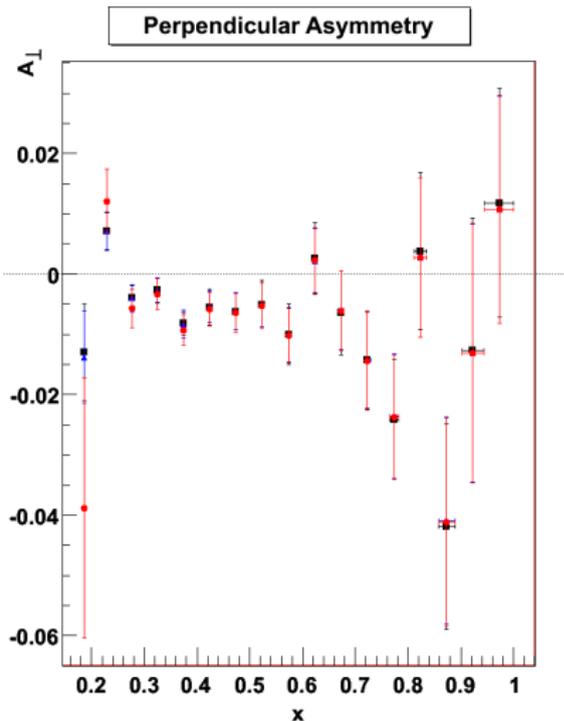
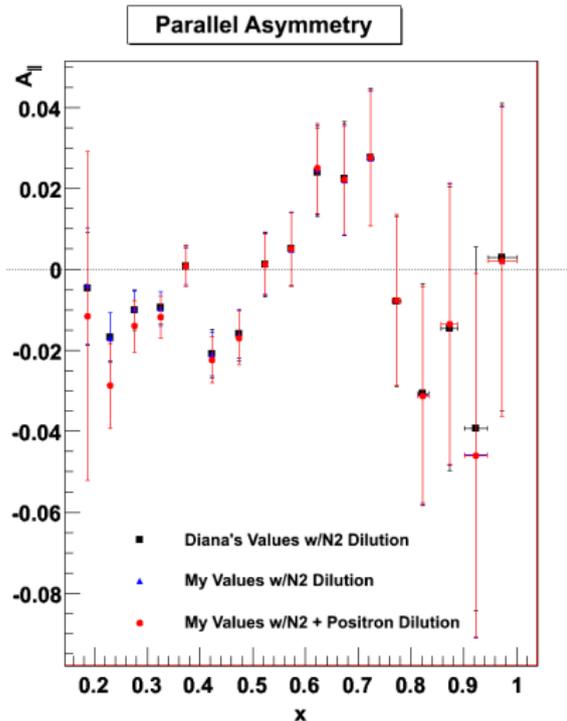
# $A_{\parallel}$ and $A_{\perp}$ Definition

## Definition ( $A_{\parallel}, A_{\perp}$ )

$$A_{\parallel} = \frac{1}{P_b P_t D_{N^2} D_{e^+}} (A_{raw}^0)$$

$$A_{\perp} = \frac{1}{P_b P_t D_{N^2} D_{e^+} \cos(\phi)} \left( \frac{\frac{A_{raw}^{270}}{(\delta A_{raw}^{270})^2} - \frac{A_{raw}^{90}}{(\delta A_{raw}^{90})^2}}{\frac{1}{(\delta A_{raw}^{270})^2} + \frac{1}{(\delta A_{raw}^{90})^2}} \right)$$

- $P_b$  = beam polarization
- $P_t$  = target polarization
- $D_{N^2}, D_{e^+}$  = Nitrogen and positron dilution factors
- $S$  = target spin
- $\phi$  = Azimuthal angle

4.7 GeV  $A_{\parallel}$ ,  $A_{\perp}$  on  ${}^3\text{He}$ 

# $A_1$ and $A_2$ Definition

## Definition ( $A_1, A_2$ )

$$A_1 = \left(\frac{1}{D(1+\eta\xi)}\right)A_{\parallel} - \left(\frac{\eta}{d(1+\eta\xi)}\right)A_{\perp}$$

$$A_2 = \left(\frac{\xi}{D(1+\eta\xi)}\right)A_{\parallel} + \left(\frac{1}{d(1+\eta\xi)}\right)A_{\perp}$$

- $D = \frac{E - \epsilon E'}{E(1 + \epsilon R)}$
- $\eta = \frac{\epsilon \sqrt{Q^2}}{E - \epsilon E'}$
- $d = D \sqrt{\left(\frac{2\epsilon}{1 + \epsilon}\right)}$
- $\xi = \eta \frac{1 + \epsilon}{2\epsilon}$
- $R = \frac{\sigma_L}{\sigma_T}$
- $\epsilon = \left(\left(1 + 2(1 + \gamma^2)\tan^2\left(\frac{\theta}{2}\right)\right)\right)^{-1}$
- $\gamma^2 = \frac{Q^2}{\nu^2}$

## 4.7 GeV Kinematics I

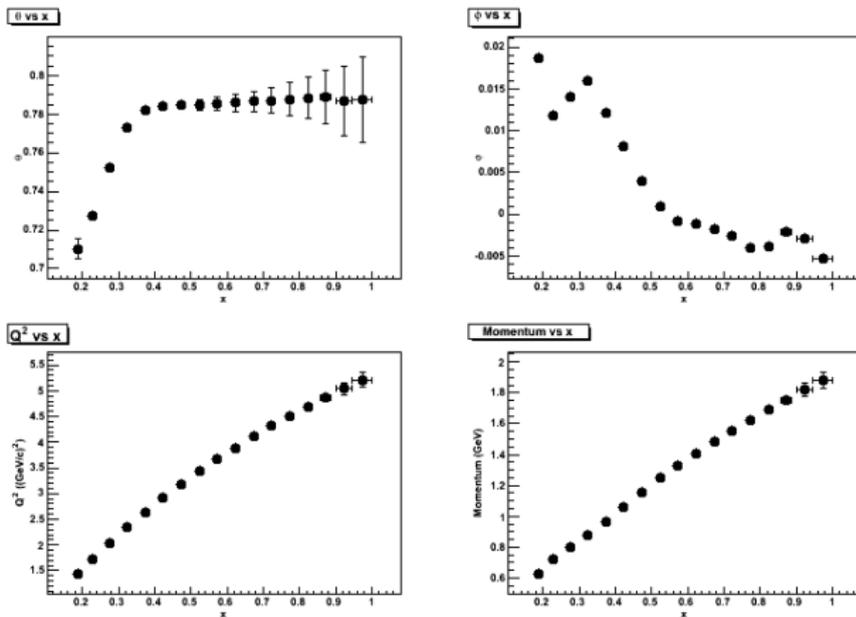


Figure: Kinematics in x-bins for 10 runs

## 4.7 GeV Kinematics II

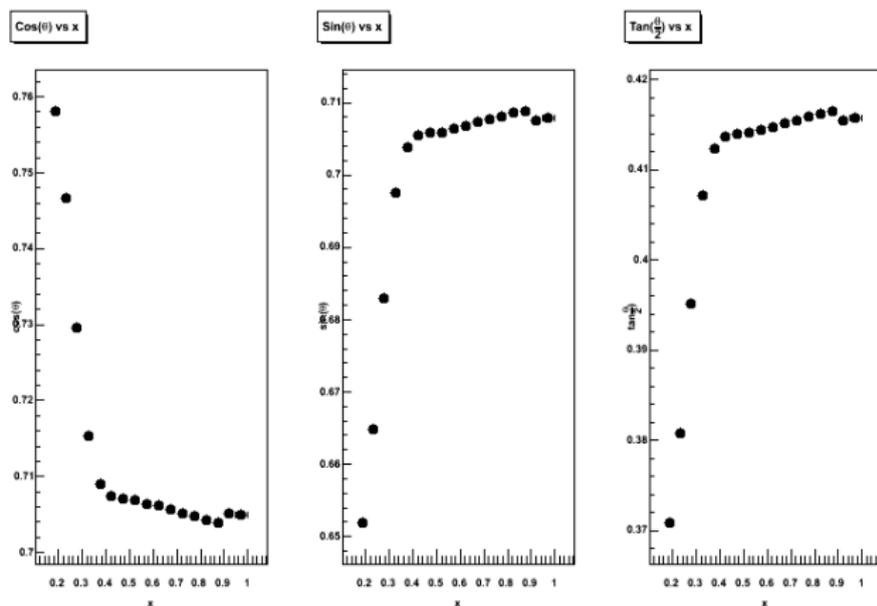


Figure: Kinematics in x-bins for 10 runs

## 4.7 GeV Kinematics III

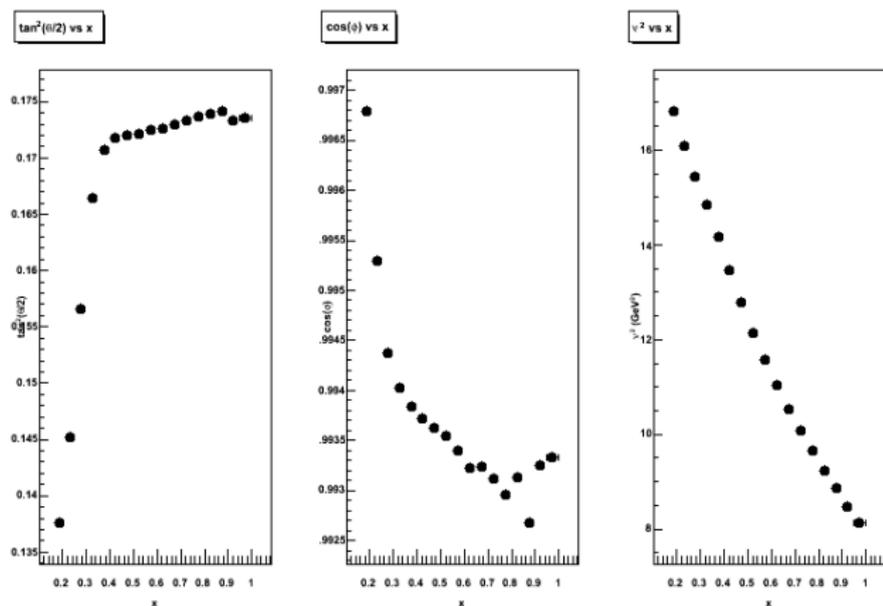
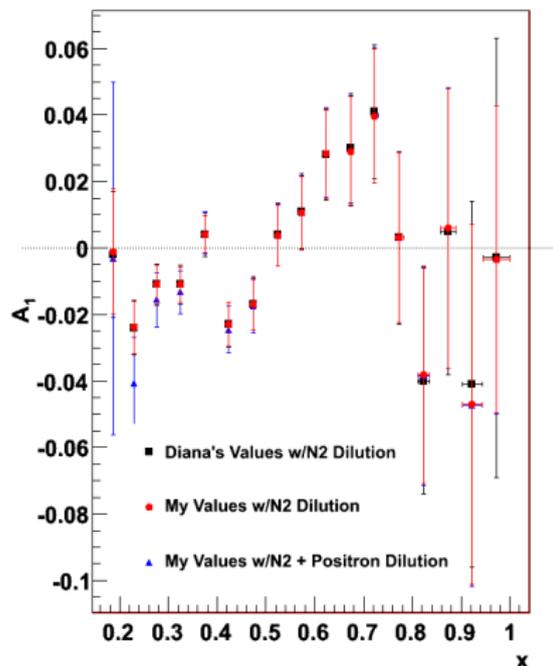
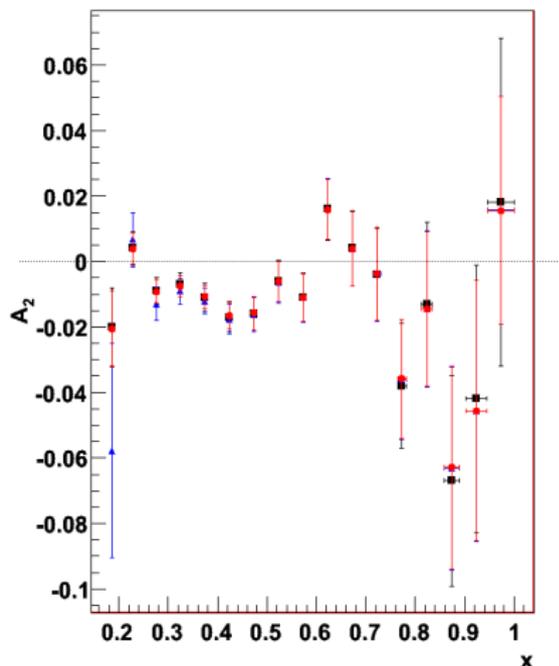


Figure: Kinematics in x-bins for 10 runs

4.7 GeV  $A_1$ ,  $A_2$  on  ${}^3\text{He}$  $A_1$  on  ${}^3\text{He}$  $A_2$  on  ${}^3\text{He}$ 

# Azimuthal Angle Structure

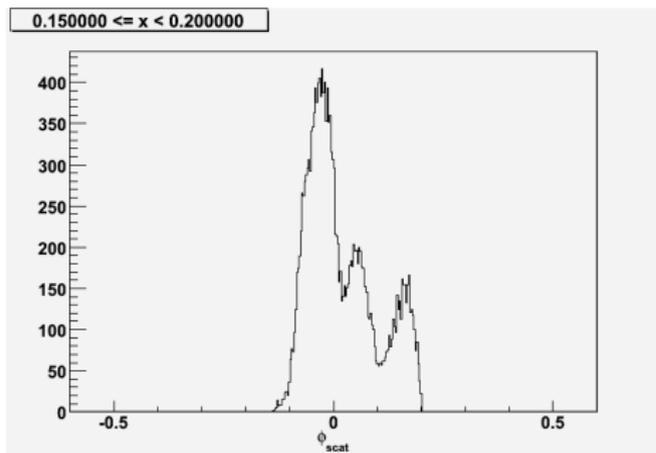


Figure: Azimuthal angle for x-bin 4

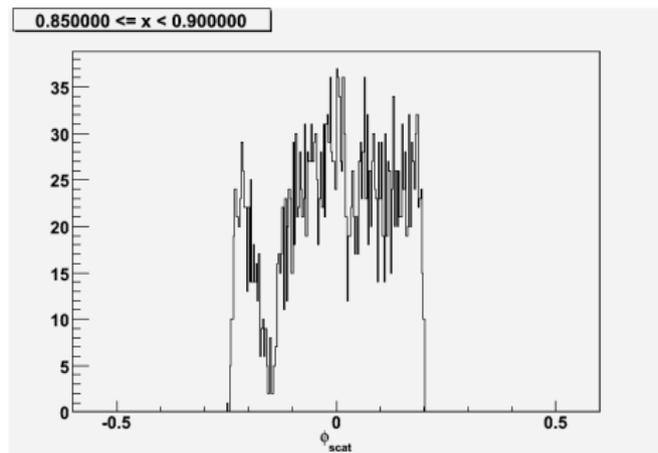


Figure: Azimuthal angle for x-bin 18

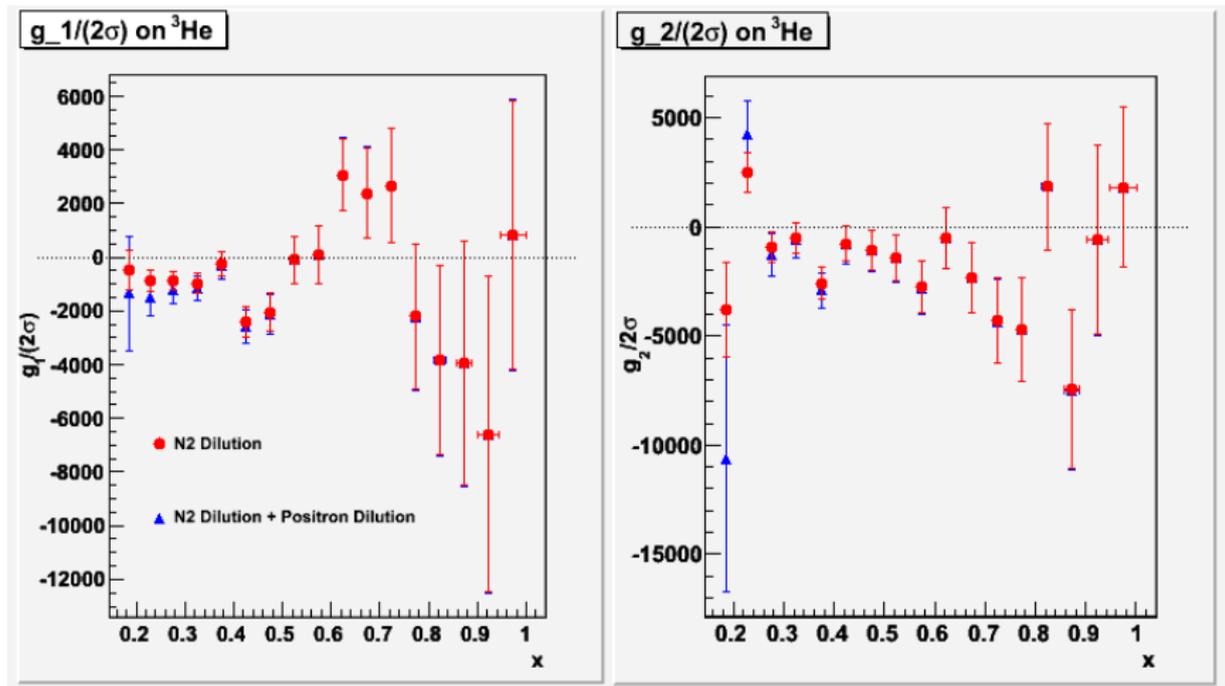
# $g_1$ and $g_2$ Definitions

## Definition

$$g_1 = (2\sigma_0) \left( \frac{MQ^2}{4\alpha^2} \frac{y}{(1-y)(2-y)} \right) \left[ A_{\parallel} + \tan\left(\frac{\theta}{2}\right) A_{\perp} \right]$$

$$g_2 = (2\sigma_0) \left( \frac{MQ^2}{4\alpha^2} \frac{y^2}{2(1-y)(2-y)} \right) \left[ -A_{\parallel} + \frac{1+(1-y)\cos(\theta)}{(1-y)\sin(\theta)} A_{\perp} \right]$$

- $\alpha = \frac{1}{137}$
- $M = 0.938\text{GeV}$
- $y = \frac{\nu}{E}$
- need  $\sigma_0$  to get  $g_1$  and  $g_2$ , but we can look at the sign of the structure functions without the cross-section.

4.7 GeV  $\frac{g_1}{2\sigma_0}$ ,  $\frac{g_2}{2\sigma_0}$  on  $^3\text{He}$ Figure:  $\frac{g_1}{2\sigma_0}$  and  $\frac{g_2}{2\sigma_0}$  as a function of  $x$ .

# What's Next...

- Dave is going to get me a table of cross-sections and x values
- Will be able to really form  $g_1$  and  $g_2$